

#### Expanding a(n) (electric) bicyclesharing system to a new city Prediction of demand with spatial regression and random forests

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# Expanding a(n) (Electric) Bicycle-Sharing System to a New City: Prediction of Demand with Spatial **Regression and Random Forests**

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**1** Motivation

**2** Data Source: Zurich and Berne, Switzerland

The number of bicycle-sharing systems has undergone strong growth in the last two decades. This growth is part of a worldwide trend that began in the 1990s and strongly has accelerated since 2005. Early bicycle-sharing systems have mainly been provided as a public service by cities, but, meanwhile, major international bicycle-sharing companies have emerged that seek to expand their operations to new cities.

Two major strategic questions that arise are which cities should be considered for expansion and the geographical extent of the service area. An important factor to support these decisions is the expected demand for bicycle sharing, as it is directly related to potential revenue.

In this paper, booking data from an electric bicycle-sharing system (Fig. 1 - 3) was used to estimate and assess models for bicycle-sharing demand and to make predictions for an expansion to a new city. Employment, population, bars and restaurants, as well as distance to a central location, were among the most important predictors in terms of variance explained in the same city. However, omitting centrality measures improved predictions for the new city.

### **3 Model Selection and Specification**

Linear and spatial regression models and random forests were estimated for the two

Model name	City	Model type	Centrality measures		
ZH_LR	Zurich	Linear regression			
$\rm ZH\_SP$	Zurich	Spatial regression			
BE_LR	Berne	Linear regression			
$BE_SR$	Berne	Spatial regression			
ZH_LR_CM	Zurich	Linear regression			
ZH_SR_CM	Zurich	Spatial regression			
BE_LR_CM	Berne	Linear regression			
$BE_SR_CM$	Berne	Spatial regression			
$ZH_RF$	Zurich	Random Forests	-		
ZH_RF_CM	Zurich	Random Forests			
$BE_RF$	Berne	Random Forests	·		
BE_RF_CM	Berne	Random Forests	$\checkmark$		

							-		-
						Zurich (	(RF2_ZH)	Berne	e (RF2.
	Zu	rich	Be	rne		Variable	Rel. variable	Var. imp.	Rel.
	ZH_LR_CM	ZH_SR_CM	BE_LR_CM	BE_SR_CM	wowkDlaco	10.77	1.00	9.76	mp
	Lin. reg	SARAR	Lin. reg	SARAR	distHB	19.77	1.00	8.76 10.90	
	$\operatorname{Coef.}(\operatorname{SE})$	$\operatorname{Coef.}(\operatorname{SE})$	$\operatorname{Coef.}(\operatorname{SE})$	$\operatorname{Coef.}(\operatorname{SE})$	gastronomy	13.89	0.70	9.38	
mber of bookings					popSize boDist	12.76 8.33	$0.65 \\ 0.42$	5.95 1.38	
Size (in thousands)	18.37***	16.64***	8.97***	9.58***	HB500	5.35	0.27	1.08	
popolize (in thousands)	(3.49)	(3.10)	(3.24)	(2.88)	highPTLevel	4.32	0.22	5.66	
workPlace (in thousands)	18.60***	15.89***	5.78***	6.43***	Number of trees	2.51	0.15	0.59	500
	(1.89)	(1.99)	(1.52)	(1.45)	Variance explained	52	.3%	1	26.6%
astronomy (count)	3.67***	2.69***	2.73***	2.48***					
gastronomy (count)	(0.46)	(0.47)	(0.42)	(0.42)	a 60	80	100	++ h	
distHB (km)	$-12.65^{***}$	$-7.95^{***}$	0.37	(0.42) -0.49	40	60	75	90	(
	(1.64)	(1.66)	(1.34)	(1.30)		40	50 June 10		
boDist (km)	-10.14***	_8 88***	$-8.70^{*}$	(1.50) -6.73	20	20	25	30	~
	(3.20)	(2, 42)	(5.00)	(4, 20)	0 1 2 3	0 2 4 6	0 0 102020	4050 0	2 4
hPTlevel (dummy)	-4.33	(2.42) -5.10*	2.09	2.54	popSize	workPlace	gastron	omy	distH
linghi Tiever (dummy)	(3.22)	(2.82)	(3, 32)	(2.04)	40 1000000	40		60 —	
urbanRail200 (dummy)	38 1/***	35.96***	-2.18	(2.50) -1.92	te 30	≥ <sup>30</sup>	± 40	t 40	
	(6.06)	(6.61)	(5.43)	(5.13)	20	5 <sup>20</sup>	20		
R500 (dummy)	05 35***	77 52***	22 28***	36.00***	10	10		20	
mbsoo (dummy)	(15.10)	(14.64)	(7.80)	(8.36)	0 1 2	0 1	0 1	0	0
ntercept)	62 31	28 72***	0.87	(0.30)	boDist	highPTLeve	el urbanRai	200	hb50
(intercept)	(7,71)	(8.06)	(5,33)	(5.51)	<b>D</b> <sub>20</sub>	40	40	40	
	(1.11)	0.30***	(0.55)	_0.27		<u></u>	ţ 30	5 <sup>30</sup>	
P		(0.08)		(0.21)	8 10	3 <sup>20</sup>	8 20	8 20	
		-0.35***		(0.21)	0	0	0	0	
	_	-0.35	_	(0.23)	0.0 0.5 1.0 1.5 popSize	0 2 4 6 workPlace	0 10 20 gastrono	) 30 0 mv	2 distH
	_	(0.14)	_	(0.24)	15	12.5	- 12 -		
(Number of zones)	678	678	248	248	··· 10 ~···	10.0	9 —	15	
IC	6918	6912	2137	2130	sonut	7.5 - 50 -	6 —	- 10 -	
${}^{2}_{adi}$	0.58	-	0.47	-	o 5	2.5 -	3	5	
*** n < 0.01 ** n < 0.05 * n < 0.1	1		1		0	0.0		0	ĻĻ
p < 0.01, p < 0.05, p < 0.1					boDist	highPTLev	el urbanRai	1200	hb5



Swiss cities of Zurich and Berne (Fig. 4). Models with data from Zurich were then used to predict demand for the city of Berne and the predictions were validated with actual booking data.

The booking data and the spatial variables were aggregated to a 300-meter raster covering the service areas of the two cities. Independent variables included population, work places, public transport availability and measures of centrality.

Fig.4: Estimated demand models

Results from the spatial regression models are shown in Fig. 5 and 6. Fig. 8 shows the models' fit for the same city. Fig. 7 and 9 show the prediction errors for the new city.

Fig.5: Linear and spatial regression

Fig.6: Random forests

#### **4 Model Fit and Predictive Performance**



Linear and spatial regression models and random forest were estimated to predict demand for an expansion of a bicycle-sharing system to a new city. The most important variables included employment, bars and restaurants and population. Although distance to the main train station and distance to the boundary of the service area (as measures of centrality) improved the model fit, the variables decreased the predictive performance for the new city. Random forests performed worse than spatial regression in this case, although the underlying demand function is most likely not linear. However, spatial regression was able to take into account the spatial dependencies of the data through the neighborhood matrix and was thus supplied with more information than the random forests.



#### Fig.7: a) absolute prediction error, b) relative error for new city (model ZH\_SR, predictions for Berne)





## **6** References

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