# Conformational Ensembles in Solution Studied by NMR and Computational Methods 

A dissertation submitted to attain the degree of DOCTOR OF SCIENCES of ETH ZURICH<br>(Dr. sc. ETH Zurich)<br>presented by Thomas Hanspeter Stadelmann<br>MSc ETH Interdisciplinary Sciences, ETH Zurich born on 28.06.1992<br>Citizen of Mauensee (LU), Switzerland<br>accepted on the recommendation of<br>Prof. Dr. Sereina Riniker<br>Dr. Marc-Olivier Ebert<br>Prof. Dr. Helma Wennemers

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## Summary

In this thesis, the use of spectroscopic data of small and medium-sized molecules in combination with computational approaches is investigated as a means to gain insight into the solution ensemble of the molecules and their various properties.

In Chapter 1, the importance of the correct description of the conformational ensemble is discussed. The relevant observables from nuclear magnetic resonance (NMR) spectroscopy in isotropic and anisotropic environments are presented together with the structural information that can be derived from them to describe the conformational ensemble. The basic concepts of molecular dynamics (MD) simulations and density functional theory (DFT) calculations are covered, and the importance of the choice of starting conformation in these approaches is considered.

In Chapter 2, the conformational behavior and ionophoric properties of cyclooctadepsipeptides with different anthelmintic activity are investigated with NMR spectroscopy and extensive MD simulations.

In Chapter 3, the transferability of the stabilizing effect of intramolecular hydrogen bonds between side-chain N -methylated asparagine residues, as seen for the $\beta^{6.3}$-helix of the natural product polytheonamide $B$, is studied with two different model systems. Among other techniques, the characterization was carried out with distances derived from the nuclear Overhauser effect (NOE), ${ }^{23} \mathrm{Na}$ NMR spectroscopy, and MD simulations.

In Chapter 4, a new set of precise residual dipolar coupling (RDC) data for cyclosporin $A$ is presented, recorded in a cross-linked poly(methyl methacrylate) (PMMA) gel swollen in chloroform is presented. The impact of the RDCs when used as restraints in an MD simulation of this flexible compound is investigated.

In Chapter 5, ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts of 35 small and rigid organic molecules are measured under standardized conditions in chloroform-d and in tetrachloromethane. The effect of directed solutesolvent interactions is evaluated, and the chemical shifts are compared to shielding constants calculated with DFT in vacuum and with an implicit solvent model.

In Chapter 6, a new approach for the interpretation of NOE data called NOE volumes affected by spin diffusion (NOVAS) is developed and used to fit experimental NOESY spectra beyond the linear
build-up regime for different organic molecules. The usefulness of NOVAS for stereospecific assignment as well as for the correct identification of relative configuration is investigated.

In Chapter 7, we aim to assign the relative configuration of eight flexible diastereomers of a trichlorinated-hexa-1-3-diol by comparison between experimental and DFT calculated ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts, NOESY spectra as well as infrared (IR) spectra. The chemical shieldings obtained from DFT calculations are compared to the measured chemical shifts by applying the findings from Chapter 5, while the NOESY spectra are calculated and fitted to the experimental spectra using the NOVAS approach presented in Chapter 6. For the IR spectra, we apply an improved version of the IR sequence alignment (IRSA) algorithm, developed in our laboratory.

In Chapter 8, a short conclusion and an outlook are provided regarding the topics discussed in this thesis.

## Zusammenfassung

In dieser Dissertation wird die Verwendung spektroskopischer Daten kleiner und mittelgroßer Moleküle in Kombination mit rechnergestützten Methoden untersucht als ein Mittel, um Einblick in das konformationelle Ensemble der Moleküle und ihre verschiedenen Eigenschaften zu gewinnen.

In Kapitel 1 wird die Bedeutung der korrekten Beschreibung des konformationellen Ensembles diskutiert. Die wichtigsten Observablen aus der Kernspinresonanzspektroskopie (NMR) in isotropen und anisotropen Umgebungen werden vorgestellt, zusammen mit den darin enthaltenen strukturellen Informationen, die zur Beschreibung des konformationellen Ensembles verwendet werden können. Die grundlegenden Konzepte von Molekulardynamik-Simulationen (MD) und Dichtefunktionaltheorie-Berechnungen (DFT) werden behandelt und die Bedeutung der Wahl der Ausgangskonformation für diese Methoden wird betrachtet.

In Kapitel 2 werden NMR-Spektroskopie und umfangreiche MD-Simulationen verwendet für die Untersuchung des konformationellen Verhaltens und der ionophoren Eigenschaften von zyklischen Oktadepsipeptiden mit unterschiedlicher anthelmintischer Aktivität.

In Kapitel 3 wird die Übertragbarkeit des stabilisierenden Effekts von intramolekularen Wasserstoffbrückenbindungen zwischen $N$-methylierten Asparagin-Seitenketten, wie für die $\beta^{6.3}$ Helix des Naturstoffs Polytheonamid B beobachtet, mit zwei verschiedenen Modellsystemen untersucht. Unter anderem wurde die Charakterisierung mit NOE-Distanzen, ${ }^{23} \mathrm{Na}-\mathrm{NMR}-$ Spektroskopie und MD-Simulationen durchgeführt.

In Kapitel 4 wird ein neuer Satz präziser RDC Daten (Dipolare Restkopplungen) für Cyclosporin A präsentiert, die in einem vernetzten, in Chloroform gequollenen Poly(methylmethacrylat)-Gel (PMMA) aufgenommen wurden. Der Einfluss der Verwendung dieser RDCs als Restraints in einer MD-Simulation von Cyclosporin A wird untersucht.

In Kapitel 5 werden die ${ }^{1} \mathrm{H}$ und ${ }^{13} \mathrm{C}$ chemischen Verschiebungen von 35 kleinen, starren organischen Molekülen in Chloroform-d und in Tetrachlormethan unter standardisierten Bedingungen gemessen. Der Einfluss gerichteter Wechselwirkungen zwischen gelöster Substanz und Lösungsmittel wird untersucht, und die chemischen Verschiebungen werden mit Abschirmungskonstanten verglichen, die mit DFT im Vakuum und mit einem impliziten Lösungsmittelmodell berechnet wurden.

In Kapitel 6 wird eine neue Methode für die Interpretation von NOE-Daten namens NOVAS (NOE volumes affected by spin diffusion) entwickelt und verwendet, um experimentelle NOESYSpektren jenseits des linearen Aufbauregimes für verschiedene organische Moleküle zu fitten. Die Nützlichkeit von NOVAS für die stereospezifische Zuordnung sowie die Identifizierung der relativen Konfiguration wird untersucht.

In Kapitel 7 versuchen wir, die relative Konfiguration von acht flexiblen Diastereomeren eines trichlorierten Hexa-1-3-diols zuzuordnen, indem wir experimentelle und DFT-berechnete ${ }^{1} \mathrm{H}$ und ${ }^{13} \mathrm{C}$ chemische Verschiebungen, NOESY-Spektren und Infrarotspektren (IR) vergleichen. Die aus DFT-Berechnungen gewonnenen Abschirmungskonstanten werden mit den gemessenen chemischen Verschiebungen unter Anwendung der Erkenntnisse aus Kapitel 5 verglichen, während die NOESY-Spektren mit dem in Kapitel 6 vorgestellten NOVAS-Ansatz berechnet und an die experimentellen Spektren gefittet werden. Für die IR-Spektren wenden wir eine verbesserte Version des in unserem Labor entwickelten IR-Spektrenangleichungs-Algorithmus (IRSA) an.

Kapitel 8 enthält eine kurze Schlussfolgerung und einen Ausblick in Bezug auf die in dieser Arbeit behandelten Themen.

## Publications and Presentations

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## Related Publications:

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S. M. Linker, S. Wang, B. Ries, T. Stadelmann and S. Riniker. Passing the Barrier - How Computer Simulations Can Help to Understand and Improve the Passive Membrane Permeability of Cyclic Peptides. CHIMIA. 2021, 75, 518-521.

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"Investigation of the Structure of Cyclic Depsipeptides PF1022A and Emodepside and Their Affinity to Cations"

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## 1 Introduction

### 1.1 Conformational Ensemble in Solution

Most molecules do not adopt a unique three-dimensional (3D) structure in solution at room temperature but rather exist as an ensemble of different conformations. It is essential for the understanding of a flexible system to get insight into its conformational behavior in solution and to know how the ensemble changes in different environments (i.e., polar versus apolar solvents, inside versus outside of a cell membrane). ${ }^{1-5}$ Not only the populations of the different conformations are relevant but also the rate of interconversion between the members of the conformational ensemble. ${ }^{6}$ The conformational ensemble and its dynamics in a given environment are key factors to understand biological activity, molecular binding, cell permeability, and many other properties of interest. ${ }^{1,3,7,8}$ With computational methods, it is possible to predict such conformational ensembles for flexible systems and determine their physicochemical properties. These can be used to test hypotheses of the relative configuration, constitution, or conformational preferences by comparison with experimental data.

For small molecules, it is possible to systematically sample all accessible conformations or scan the conformational space with Monte Carlo based methods. The relative energies of the generated conformations can then be determined for instance with density functional theory (DFT) (Section 1.4), semi-empirical methods, or classical force fields (Section 1.3). Examples of such generated ensembles are presented in Chapter 6 and Chapter 7. For larger molecules, these techniques are less well suited due to the vast number of degrees of freedom and the resulting size of the conformational space. In such situations, Molecular dynamics (MD) simulations are a valuable tool to explore the conformational landscape (see Chapter 2 and Chapter 3). Nuclear magnetic resonance (NMR) spectroscopy is excellently suited for the validation of such computationally generated ensembles due to its atomic resolution.

Another approach is to directly generate a conformational ensemble that is in agreement with the experimental data. Techniques like restrained MD simulations allow the interpretation of experimental data of flexible molecules. In Chapter 4, we investigate whether residual dipolar couplings (RDCs) can be applied for restraining of an MD simulation to study the conformational ensemble in solution.

### 1.2 Experimental Description of the Solution Ensemble Using NMR

NMR spectroscopy is the method of choice to determine the constitution of organic compounds. ${ }^{9}$ In contrast to many other spectroscopic techniques like infrared (IR), ultraviolet (UV), or circular dichroism (CD) spectroscopy, the information that can be gained from NMR spectra has atomic resolution, i.e., the signals can be assigned to the individual atoms in a molecule. Besides the connectivity information, it is also possible to get insight into the conformational and dynamic properties of the ensemble in solution. ${ }^{10}$ Due to numerous possible observables, different time scales from picoseconds to seconds can be investigated. In the following, the most important NMR observables are presented.

### 1.2.1 Information Obtained From Chemical Shifts

Chemical shifts are the basis for structure elucidation. ${ }^{11,12}$ The chemical shifts represent the type of information that is gained most easily from an NMR spectrum. In short, the chemical shift is the difference in resonance frequency of a nucleus of interest and a standard. For ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts this is tetramethyl silane (TMS). The chemical shift arises from local differences in the static external magnetic field $B_{0}$ between the location of the different nuclei in the sample. Depending on the electronic environment, this shielding of $B_{0}$ can be more or less pronounced. In general, electron donating groups increase the shielding (lower chemical shift), whereas electronegative groups decrease it (higher chemical shift). Therefore, the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts of a methyl group connected to an $\mathrm{sp}^{3}$ quaternary carbon are significantly lower ( $\left.\sim 0.5-2 \mathrm{ppm}, \sim 0-30 \mathrm{ppm}\right)^{13}$ compared to the chemical shifts of an aldehyde group next to an $\mathrm{sp}^{3}$ quaternary carbon (~9.5-10 ppm, ~197-205 ppm)..$^{13}$ The agreement between experimentally determined chemical shifts and calculated shieldings with DFT is investigated in Chapter 5.

Chemical shifts are mainly affected by first and second neighbors surrounding the nucleus of interest. Therefore, they not only reflect local constitution but also contain information about the configuration of nearby bonds and functional groups. Thus, chemical shifts can also be used to differentiate between diastereomers or to guide the calculation of conformational ensembles. ${ }^{14-16}$ If they exchange slowly on the NMR time scale, even individual sets of resonances can be recorded for the respective members of the conformational ensemble. In Chapter 7, we investigate how well the small differences in ${ }^{1} \mathrm{H}$ und ${ }^{13} \mathrm{C}$ chemical shifts between the diastereomers of an openchain chlorinated polyol can be predicted computationally in order to assign their relative configuration.

### 1.2.2 Information Obtained From J-Couplings

J-couplings, also known as scalar couplings, arise from an indirect interaction of the nuclear magnetic moments mediated by the electrons. ${ }^{3}$-couplings and to a lesser extent also ${ }^{2} \mathrm{~J}$-couplings contain valuable information about the dihedral angles associated with the coupling nuclei. However, to make use of this information, the relation between the size of the coupling constant and a given dihedral angle needs to be calibrated, usually with a set of reference compounds. For intensely studied classes of molecules, like proteins, nucleic acids and carbohydrates, numerous parameter sets (Karplus parameters) have been developed that can be used to translate vicinal couplings constants into the dihedral angles between the coupling nuclei. ${ }^{17-19}$ The so-called Karplus curve shows a periodic dependence of the vicinal coupling constant on the intervening dihedral angle. Thus, given a single vicinal coupling constant, an unambiguous assignment of the respective dihedral angle is only possible when the coupling is close to a local maximum value ( $0^{\circ}$ or $180^{\circ}$ ). Generally, up to four dihedral angles will yield the same coupling constant. For flexible molecules, several distinctly different distributions of local conformations can potentially yield the same scalar couplings. Despite this limitation, the combination of different J-couplings relating to the same dihedral angle can be used to differentiate between stereoisomers and for the assignment of diastereotopic protons, even in flexible molecules. ${ }^{20,21}$

### 1.2.3 Information Obtained From Nuclear Overhauser Effect

The nuclear Overhauser effect (NOE), also known as nuclear Overhauser enhancement, is one of the most powerful observables in NMR spectroscopy. ${ }^{22-24}$ In contrast to J-couplings, the NOE is not limited to nuclei connected through local chemical bonds, but is a through space effect. It is based on a distance-dependent dipole-dipole interaction between the magnetic moments of two spins. As such, it contains valuable spatial information that can be used to elucidate the 3D structure of a molecule. ${ }^{25}$ While this is relatively straightforward for mostly rigid molecules, more flexible compounds require the combination with advanced computational approaches to obtain information about local mobility and the conformational ensemble. ${ }^{26-28}$ The theory behind the NOE together with an application of NOE volumes affected by spin diffusion (NOVAS) to differentiate between diastereomers of organic compounds is described in Chapter 6 and Chapter 7. Exchange spectroscopy (EXSY), a technique closely related to the experimental determination of the NOE, can be employed to determine exchange rates between slowly interchanging conformations. An example of how EXSY has been used to understand the slow kinetics of cyclic octadepsipeptides is provided in Chapter 2.

### 1.2.4 Information Obtained From Anisotropic NMR

In addition to the NMR observables in isotropic solution briefly discussed above, there are also anisotropic interactions, which normally average out to zero in solution. These anisotropic interactions play an important role in solid-state NMR and contain additional structural information. By inducing a partial alignment in one direction, a small portion of these interactions can be observed in a system nearly behaving like an isotropic solution. This weak alignment can be achieved using stretched or compressed gels, ${ }^{29-32}$ liquid crystals based on helix forming peptides that self-align with the external magnetic field, ${ }^{33-35}$ or by tight binding of the studied molecule to a paramagnetic ion. ${ }^{36-38}$ The interaction most often studied for small to medium-sized molecules is the residual dipolar coupling (RDC). ${ }^{39-41}$ It contains information about the distance between the coupling nuclei and the angle of the internuclear vector relative to $B_{0}$. RDCs can be obtained by measuring the isotropic J-coupling constant and the total coupling constant $T$ (sum of J-coupling and RDC) in anisotropic solution (partial alignment). The difference between the two corresponds to the RDC. The basic theory underlying the RDC is presented in Chapter 4. Especially for flexible systems, the interpretation of the information contained in RDCs is a challenging task for which no general solution has been found yet.

A further parameter that can be determined in partially aligned samples is the residual chemical shift anisotropy (RCSA), which contains information about the orientation of the chemical shielding tensors of the magnetic nuclei. ${ }^{42}$ Here, the fact that chemical shifts are extremely sensitive to the environment becomes a challenge, since the isotropic shift itself will slightly change between the isotropic reference and the partially aligned sample. ${ }^{42}$ Due to the difficulties to extract RCSAs with high accuracy, they are less often used compared to RDCs. ${ }^{43}$ For spins $>1 / 2$, also residual quadrupolar couplings (RQCs) can be observed in partially aligned media. ${ }^{44,45}$ In applied NMR spectroscopy, this effect is still of minor importance due to the low natural abundance of ${ }^{2} \mathrm{H}$. However, this could change in the future with the advent of more sensitive NMR instrumentation.

### 1.3 Molecular Dynamics Simulations

Classical MD simulations can give insight into the conformational ensemble adopted by a molecule in solution. ${ }^{46,47}$ In contrast to NMR experiments, where the obtained information is averaged over many molecules and conformations, it is possible to directly observe an individual molecule and its conformational changes over time in simulations. In classical MD, atoms are described as particles that obey Newton's laws of classical mechanics. Applications of MD simulations involve folding and unfolding of peptides and proteins, interactions in host-guest systems, the role of solvent and ion concentration, and many other properties and processes. ${ }^{48-54}$

### 1.3.1 Classical Force Fields

In order to perform an MD simulation, information about the behavior of atoms, bonds, angles, torsions and non-bonded electrostatic and van der Waals interactions are needed. They are defined in a so-called force field (FF) (Figure 1.1). The goal is to define the parameters as general as possible without losing accuracy, so that the same parameters can be used and combined to describe similar molecules. This reduces the number of parameters needed for an MD simulation.


Figure 1.1: Schematic representation of the different bonded and non-bonded terms defined in a classical force field. $E^{\text {bond }}$ describes bond stretching, Eangle bond angle bending, Etorsion the dihedral angle torsions, Eimproper the improper dihedral angle bending, EvdW the van der Waals interactions and E $E^{e l e}$ the electrostatic interactions. While E bond, Eangle, $E^{t o r s i o n}$ and Eimproper are bonded terms, $E^{v d W}$ and $E^{e l e}$ are the non-bonded potential-energy contributions. Adapted from Ref. 55 with permission of the American Chemical Society.

Different FFs have been parameterized for various classes of (bio)molecules. Many design choices can be made during the parametrization procedure. In the early days of MD simulations, FFs were constructed by merging aliphatic carbons and their directly bonded hydrogen atoms into a single larger bead (united-atom approach). This was mainly done to reduce the number of particles and therefore to speed-up the calculations. Nowadays, the FFs of the GROMOS family ${ }^{56,57}$ still use united atoms, whereas other FF families model all hydrogens explicitly (e.g., Amber, ${ }^{58,59}$ CHARMM, ${ }^{60,61}$ and OPLS ${ }^{62,63}$ ). Recent benchmark studies suggest that there is no clear advantage of all-atom FFs over united-atom FFs, and which FF performs best seems to be largely dependent on the properties that are to be reproduced. ${ }^{64,65}$ Indeed, the choice of the properties for which the FF is optimized (i.e., purely experimental properties like heat of vaporization, torsional
preferences etc., or only quantum chemical properties like van der Waals parameters or partial charges, or a mixed approach) is another important aspect during FF parametrization, together with the functional forms of the different terms. More information about the differences between the FF families and their design choices can be found in a recent review by Riniker. ${ }^{55}$

### 1.3.2 Markov State Models

Markov state models (MSMs) ${ }^{66-69}$ are a powerful tool to analyze the conformational dynamics in MD simulations. This approach allows to combine several trajectories to obtain a Boltzmann distribution that describes the kinetics of the system. For this, a dimensionality reduction step is employed and the conformations are clustered into discretized microstates. ${ }^{70}$ In a second step, these microstates are kinetically clustered into so-called metastable conformational states. Using MSMs, key conformations together with their transition probabilities can be extracted, providing information about mean first passage times. With this approach, it is possible to describe conformational changes that are slower than the length of the individual MD trajectories. In Chapter 2 and Chapter 3, MSMs were successfully applied to describe the conformational behavior of cyclic peptides.

### 1.3.3 Incorporation of Experimental Data

Many MD simulation packages allow the incorporation of experimental data via distances, angles and dihedrals to restrain the conformational sampling. ${ }^{26,71}$ Most often, data obtained from NMR experiments is employed, i.e., NOE-derived distances to restrain inter-proton distances, ${ }^{3} \mathrm{~J}_{\mathrm{H}-\mathrm{H}}$ couplings to restrain dihedral angles, and information about stable hydrogen bonds to restrain these atom pairs in the simulation. For proteins, also chemical shifts have been used successfully as restraints for the backbone conformation. ${ }^{14}$ Recently, it was shown that RDCs can also be incorporated for conformational restraining. ${ }^{72}$ The use of RDCs as restraints in MD simulations is explored in Chapter 4.

### 1.4 Density Functional Theory

In contrast to classical MD simulations, where atoms are treated as single particles without considering the electrons explicitly, DFT models the electron density to determine the quantummechanical (QM) ground state of the system. ${ }^{73}$ From a QM perspective, all properties of the system can be deduced from its wavefunction. Unfortunately, the Schrödinger equation cannot be solved for many-body systems and thus, approximations need to be employed. DFT uses the electron density instead of the many-body wavefunction. Often, DFT is the method of choice to study electronic and structural properties of molecules due to an optimal tradeoff between accuracy and computational efficiency. ${ }^{74}$ The most often applied Kohn-Sham implementation of DFT depends on a functional and a basis set. ${ }^{75}$ Since the functional form cannot be deduced from first principles, a large number of functionals and basis sets have been proposed, each with its strengths and weaknesses. ${ }^{76,77}$ Since the calculations are still rather expensive compared to classical MD simulations, an explicit solvation shell is usually not included in standard DFT calculations. Instead, most DFT calculations are performed in vacuum or using an implicit solvent model.

### 1.4.1 Structure Optimization and Frequency Calculation

Geometry optimization is a key step in DFT and computational chemistry in general. ${ }^{78}$ Since the motion of the nuclei is much slower compared to the motion of the electrons, the energy of the system can be obtained by treating the nuclei as fixed (Born-Oppenheimer approximation). ${ }^{79}$ The energy of a molecule can then be calculated for different relative positions of the nuclei, yielding a potential-energy surface. ${ }^{78}$ The derivatives of the energy with respect to the coordinates of the nuclei can be used as gradients to find a configuration where the net force on each atom is reasonably close to zero (first derivative is zero, i.e., a local energetic minimum). To verify that this stationary point is indeed a minimum and not a transition state or saddle point, the second derivative needs to be computed as well. The normal modes of the Hessian of the energy with respect to the position of the nuclei give the vibrational normal modes of the molecule. ${ }^{78}$ When all normal modes are positive, the structure corresponds to a minimum on the Born-Oppenheimer surface.

### 1.4.2 Calculation of NMR Properties

Numerous molecular properties that depend on the electronic structure of the system can be computed with DFT. ${ }^{80}$ For comparison with solution state NMR, the most important properties are chemical shifts and J-couplings. To obtain the chemical shifts, it is necessary to calculate the chemical shielding tensors. In order to compute them, the second derivative of the total energy with respect to the magnetic field and the nuclear magnetic moment is needed. ${ }^{81}$ This is most often done using the gauge including/invariant atomic orbitals (GIAO) approach to avoid a dependence of the results on the choice of the origin. ${ }^{82}$ As an example, the DFT calculated chemical shifts or J-couplings can then be used in combination with experimental data to differentiate between stereoisomers. ${ }^{83}$ The comparison between calculated shieldings and experimental chemical shifts is demonstrated in Chapter 5 and Chapter 7. To compute J-couplings, the second derivative of the energy of the molecule with respect to the magnetic moments of both involved nuclei is needed. ${ }^{83}$ An example of a ${ }^{1} \mathrm{H}$ NMR spectrum with calculated $\mathrm{J}_{\mathrm{H}-\mathrm{H}}$ couplings is shown in Chapter 6.

### 1.5 Starting Conformations for Computational Approaches

Independent whether a classical MD simulation or a DFT geometry optimization is performed, the starting conformation is of general importance. ${ }^{84,85}$ For rigid molecules or biomolecules with stable tertiary structures like proteins, starting from a crystal structure is a valid and reasonable approach. However, when studying a newly designed molecule or a compound without a known crystal structure, this is not possible. In this case, one needs to generate a reasonable starting conformation in silico. In principle, an MD simulation itself can be regarded as a conformer generator. The advantage of MD simulations is that most of the generated conformers are lowenergy structures (assuming a good underlying FF), but the conformational search is relatively inefficient and the simulation can get trapped in local minima. Therefore, numerous enhanced sampling methods have been developed in the past decades. ${ }^{86,87}$

For very small molecules, it is feasible to sample all possible conformations systematically. Since the number of conformations grows rapidly with the number of rotatable bonds, conformer generation needs to be done in a smarter way for larger molecules. Alternative methods include for example Monte Carlo sampling techniques (applying random rotations around bonds and accepting trial moves based on a predefined criterion), or in silico conformer generators such as distance geometry, where a distance bounds matrix with minimum and maximum atom pair distances is created. ${ }^{88}$ All atomic distances for each possible conformer have to lie between these bounds and are stochastically sampled during the embedding step. ${ }^{88}$ This approach can be improved by adding information about general molecular properties (e.g., keeping aromatic rings and amides flat) and using torsional profiles fitted to a large collection of crystal structures. ${ }^{89} \mathrm{~A}$ major advantage of distance geometry is its computational efficiency. ${ }^{89,90}$ However, one needs to keep in mind the applicability of the fitted torsional profiles for the compound of interest. If this is not the case, even highly populated members of the Boltzmann ensemble may be overlooked. Such a case is described in Chapter 7.

## 2 Connecting the Conformational Behavior of Cyclic Octadepsipeptides with Their Ionophoric Property and Membrane Permeability*

Cyclic octadepsipeptides such as PF1022A and its synthetic derivative emodepside exhibit anthelmintic activity with the latter sold as a commercial drug treatment against gastrointestinal nematodes for animal health use. The structure - permeability relationship of these cyclic depsipeptides that could ultimately provide insights into the compound bioavailability is not yet well understood. The fully N -methylated amide backbone and apolar side-chain residues do not allow for the formation of intramolecular hydrogen bonds, normally observed in the membranepermeable conformations of cyclic peptides. Hence, any understanding gained on these depsipeptides would serve as a prototype for future design strategies. In previous nuclear magnetic resonance (NMR) studies, two macrocyclic core conformers of emodepside were detected, one with all backbone amides in trans-configuration (i.e., symmetric conformer) and the other with one amide in cis-configuration (i.e., asymmetric conformer). In addition, these depsipeptides were also reported to be ionophores with a preference of potassium over sodium. In this study, we relate the conformational behavior of PF1022A, emodepside, and closely related analogs with their ionophoric characteristic probed using NMR and molecular dynamics (MD) simulations and finally evaluated their passive membrane permeability using PAMPA. We find that the equilibrium between the two core conformers shifts more towards the symmetric conformer upon addition of monovalent cations with selectivity for potassium over sodium. Both the NMR experiments and the theoretical Markov state models based on extensive MD simulations indicate a more rigid backbone for the asymmetric conformation, whereas the symmetric conformation shows greater flexibility. The experimental results further advocate for the symmetric conformation binding the cation. The PAMPA results suggest that the investigated depsipeptides are retained in the membrane, which may be advantageous for the likely target, a membranebound potassium channel.

[^0]
### 2.1 Introduction

Depsipeptides are atypical peptides where one or more backbone peptide amides are replaced by ester groups. Many cyclic depsipeptides were found as secondary metabolites in nature with various applications like antibiotics, antifungal and antiviral drugs, enzyme inhibitors, ionophores, anthelmintic therapeutics etc. ${ }^{91-97}$ Due to the cyclization, the flexibility of the backbone is restricted but still flexible enough to interact with potential targets. ${ }^{98}$ This makes cyclic depsipeptides interesting lead structures for drug development.

The cyclic octadepsipeptide PF1022A (1) (Scheme 2.1) is a natural product, consisting of two repetitions of D-lactic acid, N-methyl L-leucine, D-phenyllactic acid and N-methyl L-leucine and has therefore a $C_{2}$ symmetry axis. PF1022A demonstrates pharmacological activity against nematodes. ${ }^{99}$ Its synthetic derivative, emodepside (2) (Scheme 2.1) containing additional morpholine rings at the para position of the phenyllactic acid aromatic rings, exhibits increased anthelmintic activity ${ }^{100}$ and is a commercial drug effective against a number of gastrointestinal nematodes in cats. PF1022A and emodepside belong to a subfamily of cyclic depsideptides that have all the backbone amides methylated and possess only apolar side-chains. This means that no hydrogen bond donors are present and thus, the formation of intramolecular hydrogen bonds is not possible. Yet, the ability to adopt a conformation, which maximizes the number of intramolecular hydrogen bonds is thought to be essential for passive membrane permeation of cyclic peptides. ${ }^{3,51,101-105}$ Nevertheless, some members of this subfamily of cyclic depsipeptides were found to be permeable or can be easily incorporated into a lipid membrane. ${ }^{106}$ Thus, to exploit their potential as therapeutics, it is important to establish a better understanding of the relationship between structure (conformational behavior) and permeability.



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Scheme 2.1: Chemical structures of cyclic depsipeptides PF1022A (1) consisting of four L-N-methyl leucines (Mle), two Dlactic acid moieties ( $D-L a c$ ) and two D-phenyllactic acid moieties ( $D-P h l$ ), its synthetic derivative emodepside (2) with two additional morpholine rings in para position of the phenyllactic acid residues (D-Phm), 3,6-di-(propan-2-yl)-4-methyl-morpholine-2,5-dione (3), cyclo-(N-methyl L-leucine D-hydroxyisovaleric acid)2 (4), enniatin B (5) consisting of three repetitions of L-N-methyl valine and D-hydroxyisovaleric acid, beauvericin (6) consisting of three repetitions of L-Nmethyl phenylalanine and D-hydroxyisovaleric acid and verticilide (7) consisting of four repetitions of L-N-methyl alanine and D-2-hydroxyheptanoic acid.

Some of the known members of the subfamily of fully backbone N -methylated cyclic depsipeptides with varying core ring sizes are shown in Scheme 2.1. The smallest members consist only of one N-methylated amino acid and one hydroxy acid ( $n=1$ ). For example, 3,6-di-(propan-2-$\mathrm{yl})$-4-methyl-morpholine-2,5-dione (3) is a natural product and was identified as a potential precursor of the cyclic hexadepsipeptide enniatin $B(5) .{ }^{107,108}$ It showed moderate antioxidant and
antimicrobial activity. ${ }^{109,110}$ Structurally, both the amide and the ester bond in the six-membered ring are in cis-configuration. ${ }^{108}$ The next larger members consist of two repetitions of an amino acid and a hydroxy acid ( $\mathrm{n}=2$ ). In NMR studies of cyclo-( N -methyl L-Leucine hydroxyisovaleric acid) ${ }_{2}$ (4) in chloroform, a C $C_{2}$-symmetric conformation was observed. ${ }^{111,112}$ In contrast to enniatin $B$ (5) ( $n=3$ ), it showed no activity against mycobacteria. ${ }^{112}$ Enniatin B consists of three N-methyl L-valine and three D-hydroxyisovaleric acids and adopts, based on NMR studies, a $\mathrm{C}_{3}$-symmetric conformation with all amides in trans-configuration in chloroform. ${ }^{113}$ It is a well-known antibacterial, anthelmintic, antifungal, herbicidal and insecticidal compound. ${ }^{114}$ Due to the lipophilic nature of $\mathbf{5}$, it can be easily incorporated into lipid bilayers of cell membranes. Enniatin B was found to be ionophoric, i.e., it can carry mono and divalent cations through membranes with a selectivity for $\mathrm{K}^{+}$over $\mathrm{Na}^{+} .{ }^{113,114}$ Further, it can form stable complexes with cations in solution. A 1:1 as well as a 2:1 sandwich (peptide : cation ratio) complex were observed. ${ }^{115}$ A 3:2 complex was proposed as well but with lower stability than the $1: 1$ and the $2: 1$ complexes. ${ }^{115}$ Enniatin $B$ showed decent permeability $\left(\log P_{e}=-4.73\right)$ in a passive artificial membrane permeability assay (PAMPA) $)^{116}$ and a permeability of $6.1^{*} 10^{-4} \mathrm{~cm} / \mathrm{s}$ in a Caco-2 permeability assay. ${ }^{106,117}$ Beauvericin (6) belongs, like 5, to the enniatin family. It consists of three alternating N-methyl L-phenylalanine and D-hydroxyisovaleric acid residues and was observed in NMR experiments to adopt a $\mathrm{C}_{3}$-symmetric conformation with all amides in trans-configuration in chloroform. ${ }^{91,118} 6$ shows cytotoxic, apoptotic, anticancer, anti-inflammatory, antimicrobial, insecticidal and nematocidal activities and is able to transport cations, particularly $\mathrm{Ca}^{2+}$ through lipid bilayers. ${ }^{119}$ The passive membrane permeability of 6 was determined to be $5.8^{*} 10^{-4} \mathrm{~cm} / \mathrm{s}$ in a Caco-2 permeability assay, ${ }^{117}$ which is similar to the permeability of 5 . Verticilide (7) is a cyclic octadepsipeptide ( $n=4$ ) such as PF1022A (1) and emodepside (2), and consists of four repetitions of N -methyl L-alanine and four repetitions of D-2-hydroxyheptanoic acid. ${ }^{120} \mathbf{7}$ was found to be a ryanodine-binding inhibitor and appears in NMR experiments in chloroform as two - not further studied - conformations in a ratio of 3:4. ${ }^{120}$ Simplification of the NMR spectra of 7 was observed after the addition of a 100 -fold excess of KSCN and only one conformer was detected. ${ }^{120}$

The investigated compounds are only poorly soluble in water. Therefore, methanol and chloroform were chosen as simple mimics for a polar environment and the cell membrane, respectively. In both solvents, the NMR spectra of PF1022A (1) revealed two main conformations that interconvert slowly on the NMR time-scale (Scheme 2.2). The conformer ratio of $\mathbf{2}$ has been reported to be 4:1 in methanol and 3:1 in chloroform in previous studies. ${ }^{99,121}$ The major conformation is characterized by a single cis-amide bond between the D-lactic acid and the N -methyl-L-leucine residue and is thus named asymmetric, whereas all amide bonds are trans in the
minor conformation, thus named symmetric. ${ }^{99,121}$ The crystal structure of 1 apparently shows the asymmetric conformation, however, the data was not deposited with the CCDC (CCDC code MORJEI). ${ }^{122}$ The crystal structure of $\mathbf{2}$, on the other hand, is the symmetric conformation (CCDC code DOMZOW). ${ }^{123}$


Scheme 2.2: Asymmetric (left) and symmetric (right) conformations of the two cyclic octadepsipeptides PF1022A (1) and emodepside (2) consisting of four L-N-methyl leucines (Mle), two D-lactic acid moieties (D-Lac) and two D-phenyllactic acid moieties ( $D-P h l$ ) (with additional morpholine rings in para position in case of 2 ( $D-P h m$ )). In the $C_{2}$ symmetric conformation, the chemically equivalent residues share a common designation derived from their position in the asymmetric conformation.

Different side-chain and backbone modifications of 1 have been investigated in literature. ${ }^{121,124-126}$ An interesting compound with regard to its conformational behavior is the bis-aza analog of PF1022A (8) (Scheme 2.3), where the asymmetric conformation is stabilized with a 100:7 conformer ratio in chloroform. ${ }^{124}$ The conformation solved in the crystal structure is also asymmetric (CCDC code QOXDOW). ${ }^{124}$ The biological activity of 8 was found to be weaker by a factor of 5-10 compared to $1 .{ }^{124}$ In another modification with a turn-inducing element consisting of two prolines (D-Pro-L-Pro) (9) (Scheme 2.3), it was reported that the symmetric conformation is stabilized such that only this conformer is present in solution. ${ }^{125}$ Furthermore, the biological activity of 9 was found to be higher by a factor of 2 compared to $1 .{ }^{125}$ These observations led to the hypothesis that the propensity for the symmetric conformation is crucial for anthelmintic activity. However, for a third modification of 1, in which the four peptide bonds were replaced by thiopeptide bonds (10) (Scheme 2.3), the activity was also increased 2.5 times compared to $1 .{ }^{126}$ In this case, the increased activity was attributed to a more rigid asymmetric conformation by the N -methyl-thioamides, which enhance the cis-amide bond between D-thiolactic acid and N-methyl-L-leucine. ${ }^{121,126}$ Based on the published data, no clear correlation between activity and conformational preference for the symmetric or asymmetric structure can be found, especially if it is considered that an increase or decrease of activity by a factor of 2 is mostly within the accuracy
of experiment. Additionally, no experimental membrane permeability data for $\mathbf{1 , 2}$ and $\mathbf{8 - 1 0}$ is reported in the literature.


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Scheme 2.3: Chemical structures of the bis-aza PF1022A analog (8) in which two C $\alpha$ carbons in $N$-methyl residues are replaced by nitrogens (MIn), of the di-proline PF1022A analog (9), in which residues 7 and 8 are replaced by a turn inducing D-Pro L-Pro moiety and of a tetra thioamide PF1022A analog (10) in which lactate and phenyllactic acid residues are replaced by their corresponding thio-analogs (Lact and Phlt).

The mechanism of action of $\mathbf{1 , 2}$ and related compounds is not yet fully understood. Initially, their anthelmintic activity was attributed to the binding of a presynaptic latrophilin receptor. ${ }^{100}$ More recently, binding to the calcium-activated potassium channel SLO-1 was proposed to be involved in the activity of 2, possibly in combination with the latrophilin receptor. ${ }^{127-130}$ No crystal structure of $\mathbf{1}$ or $\mathbf{2}$ bound to one of these proteins is available. PF1022A and derivatives were reported to be ionophores with selectivity for $\mathrm{K}^{+}$over $\mathrm{Na}^{+},{ }^{131}$ similar to enniatin B. However, the ion carrier property across lipid bilayers does not appear to be related to the anthelmintic activity, because the enantiomer of PF1022A (i.e., all D- and L-residues switched) exhibited the same ionophoric ability but no anthelmintic activity. ${ }^{131}$

In this study, the interplay between the macrocyclic core conformational behavior of PF1022A, emodepside and related compounds with their ionophoric nature and their passive membrane permeability was sought out, to enhance our understanding for the rational design of such cyclic octadepsipeptides with improved profiles. For this, we characterize the conformational behavior of $\mathbf{1 , 2}$ and $\mathbf{8}$ and the effect of monovalent cations on the conformational ensembles using solution NMR measurements and extensive MD simulations in chloroform and methanol. With this data, we want to characterize how the cyclic depsipeptides interact with cations and determine a plausible coordination mode. The complexation with a cation could be an effective mechanism to bury the polar groups and thus, may be a crucial step for the incorporation of the depsipeptides into the membrane. The passive membrane permeability is assessed with PAMPA with and without the addition of potassium.

### 2.2 Results

### 2.2.1 Characterization of the Conformational Behavior

## NMR Measurements in Methanol and Chloroform

NMR spectra of $\mathbf{1 , 2}$ and $\mathbf{8}$ were recorded in $\mathrm{CD}_{3} \mathrm{OH}$ and $\mathrm{CDCl}_{3}$. The conformer ratios (Table 2.1) are in good agreement with those reported previously in the literature. ${ }^{99,121,124} \mathrm{~A}$ small batch-tobatch variability in the conformer ratio of 1 (ratios between 5:1 to 7:1 in methanol) was observed. The assignment of the major and minor conformer of $\mathbf{1}$ and $\mathbf{2}$ as well as of the major conformer of 8 in $\mathrm{CDCl}_{3}$ and $\mathrm{CD}_{3} \mathrm{OH}$ including proton, carbon and partly also nitrogen chemical shifts can be found in the Appendix.

Table 2.1: Ratios between asymmetric and symmetric conformer in $\mathrm{CD}_{3} \mathrm{OH}$ and $\mathrm{CDCl}_{3}$ for compounds 1, 2 and 8. Literature values are given in parentheses. Ratio marked with * was reported in $C D_{3} O D$.

| Compound | Conformer ratio in $\mathrm{CD}_{3} \mathrm{OH}$ <br> (asymmetric $:$ symmetric) | Conformer ratio in CDCl3 <br> (asymmetric : symmetric) |
| :--- | :--- | :--- |
| PF1022A (1) | $5: 1-7: 1^{\text {a }}\left(4: 1^{*}\right)^{99}$ | $3: 1(3: 1)^{126}$ |
| Emodepside (2) | $7: 1$ | $7: 2$ |
| Bis-aza analog (8) | $12: 1$ | $10: 1(100: 7)^{124}$ |
| a The variability is likely due to residual cation content originating from synthesis, workup and purification that differs |  |  |
| from batch to batch. |  |  |

For all the investigated peptides, exchange peaks (EXSY peaks) could be detected in ROESY spectra recorded in chloroform-d. In $\mathrm{CD}_{3} \mathrm{OH}$, EXSY peaks could only be detected for 8 but low intensity and limited resolution did not allow further analysis. Besides the expected EXSY cross-peaks between the major asymmetric and the minor symmetric conformer for 1 and 2, additional EXSY peaks are present, which indicate that more than the two known conformations are populated in solution. At least two additional low-intensity conformers could be identified (see Appendix). Using the volumes of the EXSY cross-peaks it is possible to calculate the site-to-site exchange rates $k_{1}$ and $k_{2}$ between the magnetic sites in the interconverting conformers (Figure 2.1). The additional two low-intensity conformers were neglected in the calculation of the exchange rates since their intensity was close to the noise level and their corresponding diagonal-peaks were partially buried under other, more intense signals. The calculated site-to-site rates are summarized in Table 2.2.


Figure 2.1: Schematic drawing of the magnetization transfer pathways used for the analysis of the EXSY data for 1, 2 (left) and 8 (right). In the symmetric conformation of 1 and 2, one of the two chemically equivalent amide bonds can flip into a cis-configuration to reach the asymmetric conformation (amide bond between Lac ${ }^{15}$ and Mle ${ }^{26}$, see Scheme 2.2). In this process, magnetization is transferred via two different site-to-site pathways ( $A<->B$ and $A<->C$ with $k_{A B}=k_{A C}=k_{1}$ and $k_{B A}=k_{C A}=k_{2}$ ), each leading to a separate set of EXSY cross-peaks. During a transition from the symmetric to the asymmetric conformation, each nucleus in a symmetric pair undergoes either pathway equally likely. In the reverse process from the asymmetric to the symmetric conformation a nucleus at site $B$ will always follow $A<->B$ whereas a nucleus at site $C$ will always follow $A<->C$. As a consequence, the site-to-site exchange rates $k_{1}$ and $k_{2}$ for $\mathbf{1}$ and $\mathbf{2}$ differ from the mechanistic exchange rates: $k_{1}{ }^{\prime}=2^{*} k_{1}$ and $k_{2}{ }^{\prime}=k_{2}$ where $K=k_{1}{ }^{\prime} / k_{2}^{\prime}$. In 8 , the $C_{2}$ symmetry is broken by the two additional nitrogen atoms in the backbone and only a single magnetization transfer pathway has to be considered. Therefore for $8 k_{1}=k_{1^{\prime}}$ and $k_{2}=k_{2^{\prime}}$.

Table 2.2: Site-to-site exchange rates between asymmetric and symmetric conformers measured in EASY-ROESY experiments with mixing time of 100 ms in $\mathrm{CDCl}_{3}$.

| Compound | $\mathbf{k}_{1}\left[\mathbf{s}^{-1}\right]$ | $\mathbf{k}_{\mathbf{2}}\left[\mathbf{s}^{-1}\right]$ | $\mathbf{k}_{\text {ex }}\left[\mathbf{s}^{-1}\right]$ |
| :--- | :--- | :--- | :--- |
| PF1022A (1) | 0.16 | 0.09 | 0.25 |
| Emodepside (2) | 0.12 | 0.06 | 0.18 |
| Bis-aza analog (8) | 0.17 | 0.02 | 0.19 |

The site-to-site exchange rates of 1, $\mathbf{2}$ and $\mathbf{8}$ are comparable and are about twice as high compared to the exchange rate reported for cyclosporine $\mathrm{A}\left(k_{\text {ex }} \approx 0.1 \mathrm{~s}^{-1}\right) .^{132}$ This is plausible as the smaller ring size of the cyclic octadepsipeptides (24-membered ring) compared to cyclosporine A (33membered ring) increases the ring strain. Since these results are based on a single mixing time, no direct error estimate can be given. From the comparison of the cross-peak intensities on both sides of the ROESY spectrum, errors about $20 \%$ can be assumed.

In ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ NMR spectra of the investigated cyclic octadepsipeptides, the signals for the symmetric conformer were generally found to be broader. To quantify this additional exchange broadening, presumably originating from processes on the millisecond to microsecond range, ${ }^{13} \mathrm{C}$ $\mathrm{T}_{2}$ relaxation time measurements of 1 in $\mathrm{CDCl}_{3}$ were performed (Figure 2.2). It is clearly visible that
the symmetric conformer has shorter $T_{2}$ relaxation times for the backbone carbons compared to the asymmetric conformer. This indicates greater backbone flexibility on the $\mu \mathrm{s}$ to ms time scale for the symmetric conformer. To the best of our knowledge, this is the first time that such behavior was observed for a cyclic depsipeptide.


Figure 2.2: ${ }^{13} \mathrm{C} T_{2}$ relaxation times measured for 20 mM PF1022A (1) in $\mathrm{CDCl}_{3}$ with a series of ${ }^{13} \mathrm{C}$-CPMG HSQC spectra with relaxation delays from 15.2 to 456 ms and with compensation of heating effects. Entries marked with * belong to partly overlapping peaks. The first two light grey bars belong to the asymmetric conformation (i.e., Lac ${ }^{1} \mathrm{C} \alpha$ and $\operatorname{Lac}{ }^{5} \mathrm{C} \alpha$ ) whereas the third bar (dark grey) belongs to the symmetric conformation (i.e., Lac ${ }^{15} \mathrm{C} \alpha$ ). Error bars indicate the $95 \%$ confidence interval of the fit.

## Kinetic Models Based on Molecular Dynamics (MD) Simulations

Extensive MD simulations of $\mathbf{1 , 2} 2$ and 8 were performed in methanol and chloroform using the GROMOS simulation package ${ }^{133}$ and the GROMOS 54A7 united-atom force field. ${ }^{57}$ As starting structures, the symmetric crystal structure of emodepside (2) (CCDC code DOMZOW) and the asymmetric crystal structure of the bis-aza analog (8) (CCDC code QOXDOW) were used. No significant differences in the structural ensemble could be detected between them. In general, the symmetric backbone configuration was found to be over-stabilized in the MD simulations, although the asymmetric configuration is more stable according to NMR. No trans-to-cis isomerizations were observed in the simulations, whereas five cis-to-trans isomerizations occurred. This is likely a force field issue, because trans-amide bonds are generally preferred in protein crystal structures. As a proof-of-principle, the partial charges in the methylated amide were slightly redistributed, which reduced the cis-to-trans isomerization rate drastically. As isomerizations are generally a rare event in finite simulations, we decided to analyze the symmetric and asymmetric conformations separately while assuming that the conformer distributions within the two sub-ensembles are correctly reproduced in the MD simulations.

Markov state models (MSMs) ${ }^{66-69}$ are a powerful tool to analyze the conformational dynamics in MD simulations. Here, we generated core-set Markov models of PF1022A (1) in chloroform using common nearest neighbor (CNN) based clustering ${ }^{68,134-136}$ and the PyEMMA package. ${ }^{137}$ This procedure has been used successfully with other cyclic peptides. ${ }^{3}$ The MSMs were constructed separately for the asymmetric and the symmetric conformations (but with the same TICA space ${ }^{138}$ ). For the asymmetric subset, only two unconnected conformational states could be identified, whereby one arose from a single simulation and was considered as noise. Therefore, the backbone with the asymmetric configuration appears to be relatively rigid. In contrast, the backbone with the symmetric configuration shows substantially more flexibility, and seven conformational states could be observed (Figure 2.3). This is in line with the NMR experiments, where shorter $T_{2}$ relaxation times were observed for the symmetric conformer, indicating higher flexibility on the $\mu \mathrm{s}$ - ms time scale.

The conformational states 3 and 5 , as well as 6 and 7, are in principle the same rotated by $180^{\circ}$ due to the $C_{2}$ symmetry of the symmetric conformation. This allows for an easy check of convergence. It can be seen in Figure 2.3 (and Table A2.8 in the Appendix) that the model is not yet fully converged. Note that the starting structure of the simulation corresponds to state 7 . Conversion from state 7 to state 6 is essentially a complete reorientation of the entire backbone. Thus, very long simulations ( $>10 \mu \mathrm{~s}$ ) would be needed to obtain the same population for state 6. Nevertheless, the results also indicate that the conformational space for the symmetric conformation is already sampled quite extensively.

## Asymmetric



Figure 2.3: Visualization of the MSMs of the asymmetric and symmetric subsets of PF1022A (1) in chloroform. For each conformational state, 50 randomly picked backbone structures are shown. The thickness of the circle surrounding the state indicates the corresponding population with state 1 as the least and state 7 as the most populated conformational state. Note that state 3 and 5 as well as state 6 and 7 are chemically the same due to the $C_{2}$ symmetry of the symmetric conformation. The equilibrium populations are $7.4 \%$ and $11.9 \%$ for states 3 and 5, respectively, and $16.5 \%$ and $43.2 \%$ for states 6 and 7 , respectively. A likely issue is that all simulations were started from the two available crystal structures. The arrows indicate the transition probabilities for state $i$ going to state $j$ within the chosen lag time (i.e., 10 ns ). The arrow size corresponds to the magnitude of the probability. The subsets were analyzed separately because not enough transitions between symmetric and asymmetric conformers were observed.

### 2.2.2 Effect of the Presence of Monovalent Cations

## Binding Affinity and Conformer Ratio as a Function of the Cation Concentration

PF1022A (1) was previously reported to bind monovalent cations and act as an ionophore. However, no direct relationship between the ionophoric property and anthelmintic activity was found. ${ }^{131}$ Further, simplification of NMR spectra was observed by addition of KSCN but never described in any detail. ${ }^{120}$ On the other hand, the connection of ion binding with the macrocycle conformational behavior as well as its importance for the membrane permeability is not yet clear. Therefore, we recorded NMR spectra in methanol of $\mathbf{1}$ and $\mathbf{2}$ in the presence of different concentrations of KSCN and NaSCN (in the case of 1 also $\mathrm{NH}_{4} \mathrm{SCN}$ and CsSCN). In addition, the bisaza analog 8 was titrated with KSCN. A significant change in chemical shift for the symmetric conformation was observed for $\mathbf{1}$ and $\mathbf{2}$ upon addition of the salts, with the effect being most
pronounced for $\mathrm{Cs}^{+}$followed by $\mathrm{K}^{+}, \mathrm{Na}^{+}$and $\mathrm{NH}_{4}^{+}$(Figure 2.4). The cation preference is in line with the previous study. ${ }^{131}$ The change in chemical shift can be seen best for the H $\alpha$ proton of $\mathrm{Phl}^{37}$ in 1, and the H $\alpha$ proton of $\mathrm{Phm}^{37}$ in $\mathbf{2}$ (Figure A2.6 in the Appendix). In addition, the ratio between the asymmetric and the symmetric conformer changes dramatically in favor of the symmetric conformation with increasing cation concentration (Table 2.3). Such a restriction to a single conformer was also seen for verticilide upon addition of KSCN, although no structural characterization was done in that case. ${ }^{120}$

Table 2.3: Change in ratio between asymmetric and symmetric conformers without salt and after addition of a 40-fold excess of the salt (25-fold in case of CsSCN due to solubility issues) in $\mathrm{CD}_{3} \mathrm{OH}$.

| Salt | PF1022A (1) | Emodepside (2) | Bis-aza analog (8) |
| :--- | :--- | :--- | :--- |
| KSCN | $7: 1$ to $1: 17$ | $7: 1$ to $1: 15$ | $12: 1: 0.8$ |
| NaSCN | $5: 1$ to $1: 3$ | $7: 1$ to $1: 3$ | - |
| NH 4 SCN | $7: 1$ to $1: 1$ | - | - |
| CsSCN | $7: 1$ to $1: 50$ | - | - |

The changes in asymmetric: symmetric ratio upon addition of monovalent salt are comparable between 1 and $\mathbf{2}$ for KSCN and NaSCN. Consequently, the affinities of the two peptides for the cations is expected to be very similar. Therefore, for subsequent titrations only PF1022A (1) was used. In contrast, the bis-aza analog (8), that adopts the asymmetric conformer predominantly required a much higher salt concentration to observe a shift in the conformer ratio (Figure 2.5).


Figure 2.4: Ha region of ${ }^{1} \mathrm{H}$ NMR spectra of the titration of 5 mM 1 with a KSCN solution in $\mathrm{CD}_{3} \mathrm{OH}$. Chemical shift changes were observed for the symmetric conformation, best seen for the signal of the $\mathrm{H} \alpha$ proton in residue Ph/ ${ }^{37}$ (blue labels). In addition, a change in the ratio between the symmetric and asymmetric conformation is observed. The asymmetric conformation shows small changes in chemical shift at high salt concentrations too. The other titration plots can be found in the Appendix.


Figure 2.5: Ha region of the ${ }^{1} \mathrm{H}$ NMR spectra of a 5 mM solution of the bis-aza analog (8) without (bottom) and with 200 mM KSCN (top) in $\mathrm{CD}_{3} \mathrm{OH}$. Chemical shift changes were observed for the asymmetric conformation. Compared to 1 and 2, the change in ratio between asymmetric and symmetric conformation is less pronounced and is close to $1: 1$ at a 40 -fold excess of KSCN. Peaks of the symmetric conformation are marked in blue. The arrows indicate the movement of the asymmetric peaks upon addition of KSCN. On the right, the residual solvent peak is visible.

The titration data of PF1022A (1) with KSCN and CsSCN (as well as 2 with KSCN) can only be explained by a model containing at least two different ion-bound symmetric species, which are in fast exchange with the unbound symmetric conformation. In the case of a simple mixture of the free depsipeptide and only a 1:1 complex, the observed chemical shift is expected to change from the value of the free conformer towards that of the ion-bound conformer. However, we do not observe this asymptotic behavior. Instead, first the chemical shift drops with increasing salt concentration, then reaches a minimum and increases again at high concentrations. This indicates that at least a third symmetric species, which interacts with the ion, is populated. We propose a mixture of a $2: 1$ (peptide : cation ratio) and a $1: 1$ complex in solution, as was reported for enniatin B (5) and beauvericin (6). ${ }^{113,115}$ Such a mixture was already postulated for PF1022A (1) but not supported by any experimental data. ${ }^{139}$ Normally, fitting of the equilibrium constants $K_{1}$ and $K_{2}$ is straightforward using the measured change in chemical shift in dependence of the salt concentration. ${ }^{140}$ However, this system is more complicated due to the pre-equilibrium between the free asymmetric and symmetric conformers, and possibly additional species such as a 2:1 complex with one symmetric and one asymmetric conformer, or an asymmetric ion-bound conformer. We fitted our data with a model containing the free peptide in its symmetric conformation, the symmetric 1:1 complex, and the symmetric $2: 1$ complex. Instead of explicitly considering the pre-equilibrium, we have used the total concentration of all symmetric species
obtained from integration of the ${ }^{1} \mathrm{H}$ spectra. We interpret the results only qualitatively since similar fits may be achieved with different fitting parameters. Figure 2.6 clearly shows that the change in the asymmetric: symmetric ratio can be used to qualitatively measure the cation affinity of the symmetric conformer. The order of affinities with $\mathrm{Cs}^{+}>\mathrm{K}^{+}>\mathrm{Na}^{+}>\mathrm{NH}_{4}{ }^{+}$is in agreement with those reported in literature, ${ }^{131}$ where alkali metals from $\mathrm{Li}^{+}$to $\mathrm{Cs}^{+}$were tested. If the change in chemical shift is plotted as a function of the salt concentration while keeping the peptide concentration constant, it can be observed that the change in chemical shift at high salt concentration is ordered by cation size. One could therefore speculate that the backbone of the depsipeptide has to adapt more extensively to accommodate smaller ions. This, in turn, leads to larger chemical shift changes in these complexes.

A consistent pattern is visible when comparing the plots on the left side and on the right side of Figure 2.6. A higher salt concentration is needed to achieve a $1: 1$ ratio between the asymmetric and the total symmetric species than for a $50 \%$ change in chemical shift. The apparent lag increases with decreasing ion affinity. One can show that this behavior can already be reproduced by two coupled equilibria (ion independent conformational change and formation of the $1: 1$ complex). Its observation alone does not imply any cooperative phenomena or the presence of higher order complexes. Without further knowledge about the relative stabilities of the 2:1 and 1:1 complexes for each metal, a more detailed analysis is not possible at this stage.


Figure 2.6: Titration of 5 mM PF1022A (1) (top) and 5 mM emodepside (2) (bottom) with different monovalent cations (CsSCN in grey, KSCN in blue, NaSCN in orange and $\mathrm{NH}_{4} \mathrm{SCN}$ in red) in $\mathrm{CD}_{3} \mathrm{OH}$ while the total volume was kept constant. The titration with CsSCN was only done up to 125 mM due to solubility issues. (Left): Change of the concentration of the symmetric conformation upon the addition of the corresponding salt. The data points were fitted with a damped logistic growth function (for details see Appendix). (Right): Change of the chemical shift of the Phl ${ }^{37} \mathrm{H} \alpha$ proton as a function of the salt concentration (for details of the fit, see Appendix). The plots were generated with R. ${ }^{141}$

It is known that valinomycin, a cyclic dodecadepsipeptide, as well as some crown ethers can bind cations even in an apolar environment. ${ }^{142-144}$ This ability is an indirect evidence that the ion-bound complex may exist inside the membrane interior, i.e., that ion transport across a membrane is possible. To assess if the cyclic octadepsipeptides are also able to bind cations in an apolar solvent, KSCN was added to a solution of 1 in chloroform and sonicated for several hours. In subsequent NMR measurements, only the symmetric conformation could be detected in solution (Figure 2.7), which indicates ion binding.


Figure 2.7: Comparison of ${ }^{1} \mathrm{H}$ NMR spectra of the $\mathrm{H} \alpha$ region of PF1022A (1) in $\mathrm{CDCl}_{3}$ measured on a 500 MHz spectrometer. After the addition of KSCN and sonication, the symmetric conformation is present almost exclusively in solution. Note that the solution with the precipitate turned yellow.

The same effect was achieved by mixing a solution of emodepside (2) in chloroform with a saturated aqueous KSCN solution and letting the solution stand until phase separation has occurred (Figure 2.8). These results demonstrate that PF1022A and emodepside can carry cations from a polar phase into an apolar environment.


Figure 2.8: Comparison of ${ }^{1} \mathrm{H} N M R$ spectra of the $\mathrm{H} \alpha$ region of emodepside (2) in $\mathrm{CDCl}_{3}$ measured on a 600 MHz spectrometer. After mixing with a saturated KSCN solution in $D_{2} \mathrm{O}$, followed by sonication and phase separation, the symmetric conformation is present almost exclusively in solution.

## Characterization of the Ion-Bound Complex Structure

The possible structure of the depsipeptide-ion complex was first investigated in silico. MD simulations in presence of a $\mathrm{K}^{+}$ion starting from the symmetric crystal structure for $\mathbf{1}$ and $\mathbf{2}$ in methanol $(10 \mu \mathrm{~s})$ and chloroform ( $1 \mu \mathrm{~s}$ ) as well as an MD simulation starting from the asymmetric crystal structure for $\mathbf{1}$ in chloroform showed that the ion binds to the peptide in the symmetric conformation independent of the starting structure, as expected from the experiment. Furthermore, a cavitand-like structure was adopted, in which the four amide oxygens and the two phenyl rings interact with the cation (Figure 2.9). In this highly symmetric conformation, the polar groups are saturated by the metal ion, whereas the side-chains of the N-methyl leucine residues shield them against the apolar environment.


Figure 2.9: (Top): Snapshot of the 1:1 complex from the MD simulation of a single molecule of $\mathbf{1}$ (left) and 2 (right) in chloroform in presence of a single potassium ion (pink). Both depsipeptides adopt a cavity-like conformation with the cation bound in the center. The same structure could be observed for 1 in methanol after longer simulation time. (Bottom): Snapshot of the 2:1 complex from the MD simulation of two molecules of 1 in chloroform in presence of a single potassium ion. Carbons are shown in green, nitrogen atoms in blue, oxygen atoms in red and potassium ions in pink. The figures were generated with VMD. ${ }^{145}$

The ion-bound conformation in the MD simulations is, however, dependent on the system setup. In simulations with two molecules of PF1022A (1) in chloroform (1 $\mu \mathrm{s}$ ) in presence of a single potassium ion, both a 1:1 and a 2:1 complex (Figure 2.9) could be observed over the course of the simulation, whereby the 1:1 complex did not adopt a cavitand-like structure.

To verify the cavitand-like structure of the $1: 1$ complex experimentally, we first aimed to crystalize PF1022A (1) in the presence of KSCN. Crystallization attempts with equimolar salt and peptide concentration led to separate crystals of KSCN and 1, in which 1 is crystallized in the asymmetric conformation with one co-crystallized methanol molecule (Figure 2.10). The structure agrees well with the asymmetric crystal structure of the bis-aza analog (8) (CCDC code QOXDOW), justifying the use of the latter as starting structure in the MD simulations of 1. By increasing the KSCN concentration to a 10 -fold excess in methanol, an ion-bound complex of 1 could be crystallized. The crystal structure revealed a 2:3 complex (peptide : cation), with co-crystallized methanol and one water molecule (Figure 2.11). The ion-bound peptide crystallized in the symmetric conformation as observed in the NMR experiments and the MD simulations. This complex is likely not the major structure present in solution. In an MD simulation, the 2:3 complex showed very low stability.


Figure 2.10: Crystal structure of PF1022A (1) (CCDC code: MORJEIO1) crystallized in the asymmetric conformation. Carbon atoms are colored in grey, nitrogen atoms in light blue and oxygen in red. The ellipsoids represent $50 \%$ of probability level and hydrogen atoms are shown with a radius of $0.3 \AA$. One methanol molecule is co-crystalized and disordered. The figure was created with Mercury. ${ }^{146}$


Figure 2.11: (Left): Crystal structure of a 2:3 complex of PF1022A (1) with KSCN (CCDC code: DUXQAR). There are three potassium ions (purple) crystalized with two molecules of the peptide. Carbon atoms are depicted in grey, nitrogen atoms in light blue, oxygen atoms in red, sulphur atoms in yellow and hydrogen atoms in white. The ellipsoids represent $50 \%$ of probability level and hydrogen atoms are shown with a radius of $0.3 \AA$. One water molecule is co crystalized as well as some methanol. The figure was generated with Mercury. ${ }^{146}$ (Right): Simplified complex structure with only the nonhydrogen atoms present and without co-crystallized solvent molecules. Carbons are shown in green, nitrogen atoms in blue, oxygen atoms in red and potassium ions in pink. The figure was generated with VMD. ${ }^{145}$

Since the crystallization experiments were not able to confirm the cavitand-like structure, we next turned to NMR to answer this question. The most straightforward evidence would be a throughspace correlation between the two aromatic rings, which should be very close in the cavitand-like structure. However, this correlation is not experimentally accessible in these cyclic depsipeptides due to the $C_{2}$ symmetry of the symmetric conformer. One possible solution for this issue is to break the $C_{2}$ symmetry by introducing a substitution in the aromatic ring of one of the two phenyllactic acids. The PF1022A analog 11 contains an iodine substituent in para-position at one of the aromatic rings (Figure 2.12), and exhibits the same conformational behavior and ionophoric properties as 1 (experimental results summarized in the Appendix). With 11, it should be possible to observe ROESY correlations between the two aromatic rings, if the cavitand-like structure is present in solution. However, such correlations were not observed (Figure 2.12). Therefore, the cavitand-like structure is likely an artifact of the setup in the MD simulation with a single peptide and potassium ion. This is further supported by the observation that no cavitand-like structure was adopted in the MD simulations with two peptides and a potassium ion (see discussion above).


11


Figure 2.12: (Left): Chemical structure of the mono-iodine PF1022A analog 11. (Right): EASY-ROESY spectrum of the aromatic region of 5 mM of 11 with 125 mM CsSCN in $\mathrm{CD}_{3} \mathrm{OH}$ at room temperature with a mixing time of 700 ms. Only correlations within the aromatic rings were observed but no correlation between them.

### 2.2.3 Effect of the Presence of Monovalent Cations

Some members of the subfamily of cyclic depsipeptides with all backbone amides methylated have shown decent permeability in parallel artificial membrane permeability assays (PAMPA), e.g., for enniatin $B(5)$ a log $P_{e}$ value of -4.73 was determined. ${ }^{106}$ For PF1022A (1) or emodepside (2), no permeability data has been reported in the literature. To assess whether the macrocyclic core conformational preference ( $\mathbf{1}$ and $\mathbf{2}$ versus 8 ) and the ionophoric property of the cyclic octadepsipeptides influence the passive permeability, PAMPA measurements with and without potassium salt was measured by our collaborators ${ }^{147}$ using a protocol similar to that employed for enniatin B (5). ${ }^{106}$ Surprisingly, no permeability was detected for PF1022A (1) and the related compounds $(2,8)$ independent of the addition of potassium salt. ${ }^{147}$ These results suggest that the investigated depsipeptides may not permeate but rather incorporate into the membrane (potentially bound to a cation in a 2:1 or 1:1 complex). Membrane incorporation would agree with the current hypothesis of the mode of action of emodepside, since SLO-1 and the latrophilin receptor are both associated with the membrane. ${ }^{129}$ In addition, it was reported during electrophysical studies that washout of PF1022A incorporated in membranes of CaCo-2 cells was not effective, indicating permanent incorporation into the membrane. ${ }^{139}$ It would also not contradict the observation that emodepside is a substrate of the efflux transporter P-gp, ${ }^{148}$ for which also a membrane-mediated mechanism is proposed. ${ }^{149}$

### 2.3 Conclusion

In this work, we investigated the conformational behavior and ionophoric property of PF1022A (1), emodepside (2), and related compounds using NMR experiments and extensive MD simulations in order to establish a connection between them and potentially the membrane permeability. In support of previous literature, two major macrocyclic core conformers were detected in NMR measurements in chloroform and methanol, the major one with one amide bond in cis-configuration (asymmetric conformation) and the minor one with all trans-amide bonds (symmetric conformation). The symmetric core conformation showed a higher flexibility on the microsecond to millisecond time scale compared to the asymmetric one both in NMR (i.e., shorter $\mathrm{T}_{2}$ relaxation times due to additional exchange contribution) and in kinetic models constructed from the MD data.

Upon addition of cations, a shift towards the symmetric conformation was observed in the NMR titration experiments, which indicates that only the symmetric conformation can bind tightly to the ions. A preference for cesium over potassium over sodium was found and in agreement with that reported previously. Furthermore, we could show that these cyclic octadepsipeptides can carry cations into an apolar solvent, like other ionophores. The titration curves indicate a mixture of both 1:1 and 2:1 ( 2 peptides and 1 cation) complexes. MD simulations suggest the formation of a sandwich complex, like the one observed for enniatin B (5). A cavitand-like structure of the 1:1 complex seen in the MD simulations could, however, not be confirmed experimentally using the mono-iodine substituted analog (11). Crystallization of PF1022A (1) with an excess of KSCN in methanol yielded a 2:3 complex ( 2 peptides and 3 potassium ions), where the peptides are in the symmetric conformation, confirming the findings in the NMR experiments and MD simulations.

The fact that the symmetric conformers can bind cations might still be relevant for activity, since the metal bound species may possess a higher propensity for membrane incorporation than the free peptide. This would also be in line with the location of the proposed target, SLO-1, a membrane-bound ion channel. The results of the PAMPA experiments and the ineffective washout of PF1022A from CaCo-2 membranes may indeed indicate that the peptides do not permeate but rather incorporate into the membrane. Extensive NMR and computational characterizations are in this case very important and provide further insight at atomic resolution beyond the scope of PAMPA. In terms of the investigated properties, no significant differences were found between

1 and 2. The ratios between symmetric and asymmetric conformations in solutions as well as their binding affinities towards cations are similar. Thus, the difference in anthelmintic activity between $\mathbf{1}$ and $\mathbf{2}$ cannot be directly related to a difference in the conformational behavior or ionophoric
property, but likely to stem from the effect of the morpholino substitution modulating the potency at the target. The studied bis-aza analog (8), for which the asymmetric conformation is further stabilized, has a significantly lower affinity towards cations, which could be an indication that cation binding may be an important aspect for membrane incorporation, and potentially influence activity. Future studies with cyclic octadepsipeptides that exhibit different cation binding affinities might be able to further elucidate these connections.

### 2.4 Method Section

## Peptide Synthesis

The methods for obtaining the depsipeptides investigated in this work have been previously reported in the literature. ${ }^{95,124,150}$

NMR characterization of PF1022A (1), emodepside (2), bis-aza PF1022A analog (8) and monoiodo analog (11) in $\mathrm{CD}_{3} \mathrm{OH}$ and $\mathrm{CDCl}_{3}$

20 mM solutions of $\mathbf{1}(12.3 \mathrm{mg}), \mathbf{2}(14.6 \mathrm{mg}), \mathbf{8}(12.4 \mathrm{mg})$ and $\mathbf{1 1}(14.0 \mathrm{mg})$ in methanol- $\mathrm{d}_{3}$ (Armar) as well as in chloroform-d (Cambridge Isotope Laboratories) were used for the characterization by NMR. Because of solubility issues of $\mathbf{2}$ in methanol, a 6.7 mM solution was used instead ( 4.4 mg ). A full set of spectra ( ${ }^{1} \mathrm{H}-\mathrm{NMR},{ }^{13} \mathrm{C}-\mathrm{NMR}, \mathrm{TOCSY}$, double-quantum filtered COSY, multiplicity edited ${ }^{13} \mathrm{C}-\mathrm{HSQC}$ with adiabatic decoupling, ${ }^{13} \mathrm{C}-\mathrm{HMBC},{ }^{15} \mathrm{~N}-\mathrm{HMBC}$ and EASY-ROESY ${ }^{151}$ ) was recorded for each compound except for 11 where no ${ }^{13} \mathrm{C}-\mathrm{NMR}$ spectrum was recorded. If not stated otherwise all spectra were measured at $25^{\circ} \mathrm{C}$ on a Bruker Avance III HD 600 MHz spectrometer equipped with a $\mathrm{N}_{2}$-cooled Prodigy triple resonance probe with z-gradients or on a Bruker AVANCE III 500 MHz spectrometer equipped with a BBFO broadband probe with z-gradients.

The $\mathrm{CD}_{3} \mathrm{OH}$ signal was suppressed by presaturation or excitation sculpting. ${ }^{152}{ }^{13} \mathrm{C}-\mathrm{HSQC}$ spectra were recorded with sensitivity enhancement ${ }^{153}$ and multiplicity editing. TOCSY spectra were recorded with zero quantum filter ${ }^{154}$ and 80 ms DIPSI2 ${ }^{155}$ isotropic mixing except for 1 in chloroform where 80 ms mlev17 ${ }^{156}$ mixing was used. The mixing time for the EASY-ROESY experiments was set to 100 ms if not otherwise stated. For all spectra, the time domain in both dimensions was extended to twice its size by zero filling, apodized with a $\cos ^{2}$ function, and the baseline of the resulting spectra was corrected with a polynomial of fifth order or using the Whittacker smoother algorithm. ${ }^{157}$ Processing was done with Bruker TopSpin ${ }^{\top M}$ version 4.0 (Bruker Biospin AG) and MestReNova 12.0 (Mestrelab Research). Resonance assignment and integration of ROESY cross-peaks were performed with SPARKY $3.115 .{ }^{158}{ }^{13} \mathrm{C} \mathrm{T}_{2}$-relaxation time measurements were done with a series of sensitivity enhanced ${ }^{13} \mathrm{C}$-CPMG-HSQC spectra ${ }^{159}$ using a slightly modified version of Bruker standard pulse program hsqct2etf2gpsi with ten different evenly spaced relaxation delays between 15.2 ms and 456 ms . Heating effect compensation was used. Fitting of the exponential decays was done with Prism 8.4 (GraphPad Software).

## Calculation of Exchange Rates

Following Refs. 160 and 161, site-to-site rates were determined in a straightforward way by taking the logarithm of matrix $A=M^{*} M_{0}^{-1}$ containing the volumes of cross- and diagonal-peaks of the exchanging sites ( $\mathrm{H} \alpha$ of $\mathrm{Mle}^{2}$, $\mathrm{Mle}^{6}$ and $\mathrm{Mle}^{26}$ ) divided by their magnetic fraction $\mathrm{M}_{0}$ (i.e., the relative intensities of the corresponding resonances in the ${ }^{1} \mathrm{H}$ NMR spectrum) as an approximation of $M(0)$ :

$$
\begin{gather*}
M=e^{L t_{m}} * M_{0}  \tag{A2.1}\\
A=\left(\begin{array}{ccc}
\frac{I_{A A}}{M_{0_{A}}} & \frac{I_{A B}}{M_{0_{B}}} & \frac{I_{A C}}{M_{0_{C}}} \\
\frac{I_{B A}}{M_{0_{A}}} & \frac{I_{B B}}{M_{0_{B}}} & \frac{I_{B C}}{M_{0_{C}}} \\
\frac{I_{C A}}{M_{0_{A}}} & \frac{I_{C B}}{M_{0_{B}}} & \frac{I_{C C}}{M_{0_{C}}}
\end{array}\right)  \tag{A2.2}\\
\frac{1}{t_{m}} \ln (A)=\left(\begin{array}{ccc}
k_{B A}+k_{C A}-R_{1} & k_{A B} & k_{A C} \\
k_{B A} & -k_{A B}-R_{1} & 0 \\
k_{B C} & 0 & -k_{A C}-R_{1}
\end{array}\right) \tag{A2.3}
\end{gather*}
$$

$L$ is the difference between the kinetic matrix $K$ containing the site-to-site rate constants and the relaxation matrix $R, t_{m}$ is the mixing time used in the ROESY experiment, and $R_{i}$ are the autorelaxation rates of the exchanging sites in the symmetric $(A)$ and asymmetric $(B, C)$ conformations.

As an example, the procedure is shown for PF1022A (1):


Figure 2.13: Schematic EXSY spectrum with sites A (symmetric conformation), B and C (asymmetric conformation). A exchanges with $B$ and $C$ but $B$ does not exchange with $C$.

Peak volumes extracted from the EXSY spectrum and the magnetic fractions in a ${ }^{1} \mathrm{H}$ NMR spectrum are inserted in matrix $A$. Site-to-site rates are obtained by taking the logarithm of matrix $A$ and dividing the result by the mixing time ( 0.1 s ): $\mathrm{k}_{\mathrm{AB}}=\mathrm{k}_{\mathrm{AC}}=0.09 \mathrm{~s}^{-1}$ and $\mathrm{k}_{\mathrm{BA}}=\mathrm{k}_{C A}=0.16 \mathrm{~s}^{-1}$ (averaged rates). Calculations were carried out in Mathematica 12.0. ${ }^{162}$

$$
\begin{align*}
A & =\left(\begin{array}{ccc}
\frac{77.9}{1} & \frac{1.52}{1.5} & \frac{1.55}{1.5} \\
\frac{1.59}{1} & \frac{236}{1.5} & \frac{0}{1.5} \\
\frac{1.75}{1} & \frac{0}{1.5} & \frac{200}{1.5}
\end{array}\right)  \tag{4}\\
\frac{1}{0.1} \ln (A) & =\left(\begin{array}{ccc}
43.5524 & 0.09 & 0.10 \\
0.14 & 50.58 & 0.00 \\
0.17 & 0.00 & 48.9
\end{array}\right) \tag{5}
\end{align*}
$$

## Titration With Monovalent Cations

CsSCN was prepared by dissolving $\mathrm{Cs}_{2} \mathrm{CO}_{3}\left(100 \mathrm{mg}, 0.31 \mathrm{mmol}\right.$, Sigma-Aldrich) and $\mathrm{NH}_{4} \mathrm{SCN}$ ( $46.7 \mathrm{mg}, 0.62 \mathrm{mmol}$, Sigma-Aldrich) in 0.5 ml water and was then crystalized at room temperature..$^{163}$ The crystals were washed with cold water and then dried in the oven at $105^{\circ} \mathrm{C}$. Aliquots of a 100 mM and a 1 M solution of KSCN (Fluka), NaSCN (Sigma-Aldrich) and $\mathrm{NH}_{4} \mathrm{SCN}$ (Merck) and a 100 mM solution of CsSCN in methanol- $\mathrm{d}_{3}$ were used to titrate a 5 mM solution of $\mathbf{1}$ and a 5 mM solution of $\mathbf{2}$ (only with KSCN and NaSCN ) as well as a 5 mM solution of $\mathbf{8}$ (only with KSCN) and 11 (only with CsSCN). For compound $1,{ }^{1} \mathrm{H}$ spectra with solvent suppression using excitation sculpting were recorded at $0,2.5,5,10,20,50,100$ and 200 mM KSCN. For the other titrations, 1D-NOESY spectra with presaturation (mixing time 10 ms ) were recorded as it was observed that the intensities near the solvent signal were affected by the excitation sculpting. In addition, the base lines were flatter in the 1D-NOESY spectra, which was more favorable for integration of the peak intensities. Spectra were recorded at salt concentrations of $0,0.25,0.5,1$, $2,5,10,20,50,100$, and 200 mM , except for CsSCN, where the maximal concentration was 125 mM . For titrations of 1 with KSCN, additional data points at $75,125,150$, and 175 mM were recorded. For titrations of 1 and 11 with CsSCN, additional data points at 75, 125 mM were recorded.

## PAMPA Measurements

The measurements were carried out by Chad Townsend and Scott Lokey as described in Ref. 147.

## MD Simulations

The GROMOS simulation package ${ }^{133}$ was used for all simulations together with the GROMOS 54A7 united-atom force field ${ }^{57}$ for the solvent and the peptides, and the 2016 H 66 force field ${ }^{164}$ for the potassium ion. MD trajectories of $1-10 \mu$ s length were produced under isothermal-isobaric conditions (NPT) using the leap-frog integration scheme with a time step of $2 \mathrm{fs} .{ }^{165}$ The temperature was kept at 298 K by weak coupling to two separate temperature baths for the peptide and the solvent with a relaxation time of 0.1 ps and the pressure was kept at 1 atm by weak coupling to a pressure bath with a relaxation time of 0.5 ps and an isothermal compressibility of $4.5^{*} 10^{-4} \mathrm{~kJ}^{-1} \mathrm{~mol} \mathrm{~nm}{ }^{3} .{ }^{166} \mathrm{~A}$ twin range cutoff scheme was used with cutoffs of 0.8 and 1.4 nm for the non-bonded interactions. Bond lengths were constraint with the SHAKE algorithm with a tolerance of $10^{-4} \mathrm{~nm}^{167}$ and center of mass removal was done every 1000 steps. MD simulations were performed in chloroform and methanol using dielectric permittivity coefficients taken from Ref. 168 for the dielectric continuum outside the cutoff (reaction-field method). ${ }^{169}$ Simulations with $\mathrm{K}^{+}$ions were simulated without counter-charge because the two charged ions would aggregate in chloroform and methanol. The GROMOS++ program "ion" was used to replace the solvent molecule with the lowest electrostatic potential energy by a potassium ion. ${ }^{170}$ The crystal structure of emodepside (2) (CCDC code DOMZOW) ${ }^{123}$ was used as the symmetric starting structure, and the crystal structure of the bis-aza analog 8 as the asymmetric starting structure (CCDC code QOXDOW) ${ }^{124}$. The peptides were minimized first in vacuum using a steepest-decent algorithm. ${ }^{171}$ The peptide was solvated in the corresponding solvent and the solvent was relaxed while the coordinates of the peptide were restraint with a force constant of $2.5^{*} 10^{4} \mathrm{~kJ} \mathrm{~mol}^{-1} \mathrm{~nm}^{-2}$. Afterwards, the system was thermalized to 298 K in five steps of 60 K and the force constant was loosened one order of magnitude in each step if not otherwise stated (Table 2.4). Initial velocities were generated using a Maxwell-Boltzmann distribution. Details of the performed simulations are summarized in Table 2.4.

Table 2.4: Details of the performed MD simulations. Thermalizations marked with * were done with a single step directly at 298 K instead of five steps. Simulations marked with \# were done with modified partial charges for the methylated amides.

| System | Starting structure (CCDC code) | Number of simulations | Solvent | Number <br> of solvents | Length of thermalization per step [ps] | Length per MD simulation [ $\mu \mathrm{s}$ ] |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PF1022A | DOMZOW | 1 | $\mathrm{CHCl}_{3}$ | 329 | 2000* | 10 |
| PF1022A | DOMZOW | 10 | $\mathrm{CHCl}_{3}$ | 329 | 2000 | 1 |
| PF1022A | DOMZOW | 1 | $\mathrm{CH}_{3} \mathrm{OH}$ | 637 | 20 | 1 |
| PF1022A | QOXDOW | 1 | $\mathrm{CHCl}_{3}$ | 344 | 2000 | 10 |
| PF1022A | QOXDOW | 10 | $\mathrm{CHCl}_{3}$ | 344 | 2000 | 1 |
| $\begin{aligned} & \text { PF1022A } \\ & +\mathrm{K}^{+} \end{aligned}$ | DOMZOW | 1 | $\mathrm{CHCl}_{3}$ | 328 | 20 | 1 |
| $\begin{aligned} & \text { PF1022A } \\ & +\mathrm{K}^{+} \end{aligned}$ | DOMZOW | 1 | $\mathrm{CH}_{3} \mathrm{OH}$ | 636 | 20 | 10 |
| $\begin{aligned} & \text { PF1022A } \\ & +\mathrm{K}^{+} \end{aligned}$ | QOXDOW | 1 | $\mathrm{CHCl}_{3}$ | 343 | 20 | 1 |
| $\begin{aligned} & 2 \text { PF1022A } \\ & +K^{+} \end{aligned}$ | DOMZOW | 1 | $\mathrm{CHCl}_{3}$ | 3085 | 2000 | 1 |
| $\begin{aligned} & 2 \text { PF1022A } \\ & +3 \mathrm{~K}^{+} \end{aligned}$ | DUXQAR | 1 | $\mathrm{CHCl}_{3}$ | 389 | 2000 | 1 |
| $\begin{aligned} & 2 \text { PF1022A } \\ & +3 \mathrm{~K}^{+} \end{aligned}$ | DUXQAR | 1 | $\mathrm{CH}_{3} \mathrm{OH}$ | 765 | 2000 | 1 |
| Emodepside | DOMZOW | 1 | $\mathrm{CHCl}_{3}$ | 497 | 2000* | 1 |
| Emodepside | DOMZOW | 1 | $\mathrm{CH}_{3} \mathrm{OH}$ | 989 | 20 | 1 |
| Emodepside + $\mathrm{K}^{+}$ | DOMZOW | 1 | $\mathrm{CHCl}_{3}$ | 496 | 20 | 1 |
| Emodepside + $\mathrm{K}^{+}$ | DOMZOW | 1 | $\mathrm{CH}_{3} \mathrm{OH}$ | 988 | 20 | 10 |
| Bis-aza analog | DOMZOW | 11 | $\mathrm{CHCl}_{3}$ | 330 | 2000 | 1 |
| Bis-aza analog | QOXDOW | 1 | $\mathrm{CHCl}_{3}$ | 350 | 2000* | 10 |
| Bis-aza analog | QOXDOW | 10 | $\mathrm{CHCl}_{3}$ | 350 | 2000 | 1 |
| Bis-aza analog | QOXDOW | 1 | $\mathrm{CH}_{3} \mathrm{OH}$ | 688 | 20 | 1 |
| Bis-aza analog $+\mathrm{K}^{+}$ | QOXDOW | 1 | $\mathrm{CHCl}_{3}$ | 349 | 20 | 10 |
| Bis-aza analog $+\mathrm{K}^{+}$ | QOXDOW | 1 | $\mathrm{CH}_{3} \mathrm{OH}$ | 687 | 20 | 1 |
| PF1022A ${ }^{\text {\# }}$ | DOMZOW | 1 | $\mathrm{CHCl}_{3}$ | 329 | 2000* | 10 |
| PF1022A\# | DOMZOW | 10 | $\mathrm{CHCl}_{3}$ | 329 | 2000* | 1 |
| PF1022A ${ }^{\text {\# }}$ | QOXDOW | 1 | $\mathrm{CHCl}_{3}$ | 344 | 2000* | 10 |
| PF1022A* | QOXDOW | 10 | $\mathrm{CHCl}_{3}$ | 344 | 2000* | 1 |

## Markov State Model (MSM) Building

MSMs were built using the PyEMMA package. ${ }^{137}$ Ten $1 \mu s$ and one $10 \mu$ s MD simulations starting from the symmetric and from the asymmetric crystal structure were used to build the MSM in chloroform for PF1022A (1). Input features were all backbone dihedrals. Time-lagged independent component analysis (TICA) ${ }^{138}$ was done with a lag time of 10 ns . A common nearest neighbor (CNN) density based clustering ${ }^{68}$ with a similarity of 10 and a cutoff distance of 0.15 was applied. ${ }^{136} 20 \%$ of the input data was discarded as noise. The regions with asymmetric and symmetric conformations were not connected, since the trans-to-cis transition of the one amide bond was never sampled. The asymmetric set consisted of two non-connected subsets. One of them arose from a single simulation and was therefore discarded as noise. Implied time scales from a Bayesian MSM revealed six slow processes for the symmetric conformer. Chapman-Kolmogorov test ${ }^{135}$ (Figure 2.14) was used to validate the model with seven conformational states. Finally, an MSM was constructed for these seven states (see main text and Figure A2.6 in the Appendix).


Figure 2.14: Chapman-Kolmogorov test for the symmetric conformer of 1 in chloroform with 7 states and a lag time of 10 ns .

## Crystallization of 1 With KSCN in Methanol

Around 10 mg of 1 was dissolved in methanol together with an equimolar amount of KSCN $(1.0 \mathrm{mg})$. The sample was put in the freezer at $-28^{\circ} \mathrm{C}$. After five days, transparent crystals were obtained. Analysis was done by the small molecules crystallography center (SMOCC) at ETH Zürich. A XtaLAB Synergy, Dualflex, Pilatus 300K diffractometer was used for both measurements. The crystal was kept at 100 K during data collection. Using Olex2, ${ }^{172}$ the structure was solved with the ShelXT ${ }^{173}$ structure solution program using Intrinsic Phasing and refined with the ShelXL ${ }^{174}$ refinement package using least squares minimization. The obtained crystal structure was only the peptide without the salt in its asymmetric form. Crystal Data for $\mathrm{C}_{53} \mathrm{H}_{80} \mathrm{~N}_{4} \mathrm{O}_{13}(M=981.21 \mathrm{~g} / \mathrm{mol})$ : monoclinic, space group $\mathrm{P} 2_{1}$ (no. 4), $a=14.40860$ (10) $\AA, b=13.78330$ (10) $\AA, c=14.46940(10) ~ \AA$, $B=110.1570(10)^{\circ}, V=2697.59(4) \AA^{3}, Z=2, T=100.0(1) K, \mu(C u K \alpha)=0.701 \mathrm{~mm}^{-1}$, Dcalc $=$ $1.208 \mathrm{~g} / \mathrm{cm}^{3}, 74402$ reflections measured ( $6.508^{\circ} \leq 2 \Theta \leq 159.456^{\circ}$ ), 11334 unique ( $R_{\text {int }}=0.0423$, $R_{\text {sigma }}=0.0233$ ) which were used in all calculations. The final $R_{1}$ was $0.0280(1>2 \sigma(I))$ and $w R_{2}$ was 0.0699 (all data).

Around 10 mg of 1 was dissolved in methanol together with a tenfold excess of KSCN. The concentrated sample was put in the freezer at $-28^{\circ} \mathrm{C}$. After three days transparent crystals were obtained and were given to SMOCC for analysis. The obtained crystal structure was a complex of two peptides with three ions with co-crystalized methanol molecules and one water molecule. Crystal Data for $\mathrm{C}_{118} \mathrm{H}_{198} \mathrm{~K}_{3} \mathrm{~N}_{11} \mathrm{O}_{36} \mathrm{~S}_{3}(M=2560.34 \mathrm{~g} / \mathrm{mol})$ : triclinic, space group P1 (no. 1), $a=$ $14.90080(10) \AA$ Å, $b=15.83070(10) \AA, c=16.84690(10) \AA, \alpha=111.2440(10)^{\circ}, b=101.4290(10)^{\circ}, v=$ $100.0950(10)^{\circ}, V=3495.22(5) \AA^{3}, Z=1, T=100.0(1) \mathrm{K}, \mu(\mathrm{CuK} \alpha)=1.908 \mathrm{~mm}^{-1}, D c a / c=1.216 \mathrm{~g} / \mathrm{cm}^{3}$, 95494 reflections measured ( $5.872^{\circ} \leq 2 \Theta \leq 159.716^{\circ}$ ), 28018 unique ( $R_{\text {int }}=0.0424, \mathrm{R}_{\text {sigma }}=0.0371$ ) which were used in all calculations. The final $R_{1}$ was $0.0502(I>2 \sigma(I))$ and $w R_{2}$ was 0.1453 (all data).

### 2.5 Appendix

## NMR Assignments:



Figure A2.1: ${ }^{13} \mathrm{C}$-HSQC spectra of PF1022A (1) in $\mathrm{CDCl}_{3}$ (top) and in $\mathrm{CD}_{3} \mathrm{OH}$ (bottom). Empty regions are cut out for clarity. N.v: not visible with the employed contour levels.

Table A2.1: Assignment of the major (asymmetric) and minor (symmetric) conformation of PF1022A (1) in $\mathrm{CDCl}_{3}$ referenced to the residual $\mathrm{CHCl}_{3}$ shift in the solvent set to 7.29 ppm . * indicates non-assignable signals due to overlap.

|  |  | Ha | H $\beta$ | Hy | H $\delta$ | He | HZ | HMe |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{Lac}^{1}$ |  | 5.10 | 1.03 | - | - | - | - | - |
| Mle ${ }^{2}$ |  | 4.49 | 1.75 | 1.63 | 1.05, 0.97 | - | - | 2.85 |
| Phl ${ }^{3}$ |  | 5.70 | 3.15 | - | 7.25 | 7.31 | 7.28 | - |
| $\mathrm{Mle}^{4}$ |  | 5.47 | 1.73, 1.53 | 0.91 | 0.86, 0.84 | - | - | 2.82 |
| Lac ${ }^{5}$ |  | 5.43 | 1.41 | - | - | - | - | - |
| Mle ${ }^{6}$ |  | 5.52 | 1.77, 1.49 | 1.29 | 0.92, 0.91 | - | - | 2.83 |
| Phl ${ }^{7}$ |  | 5.64 | 3.17, 3.11 | - | 7.26 | 7.30 | 7.27 | - |
| Mle ${ }^{8}$ |  | 5.37 | 1.68, 1.60 | 0.98 | 0.83, 0.83 | - | - | 3.04 |
| Lac ${ }^{15}$ |  | 5.44 | 1.39 | - | - | - | - | - |
| $\mathrm{Mle}^{26}$ |  | 5.23 | 1.72, 1.58 | 1.44 | 0.92, 0.90 | - | - | 2.73 |
| Ph\| ${ }^{37}$ |  | 5.70 | 3.16, 3.11 | - | 7.25-7.35* | 7.25-7.35* | 7.25-7.35* | - |
| $\mathrm{Mle}^{48}$ |  | 5.63 | 1.68, 1.50 | 1.05 | 0.90, 0.85 | - | - | 2.74 |
|  | C | C $\alpha$ | C $\beta$ | $C^{C}$ | C $\delta$ | C $\varepsilon$ | C3 | CMe |
| Lac $^{1}$ | 171.6 | 68.6 | 15.8 | - | - | - | - | - |
| Mle ${ }^{2}$ | 171.2 | 57.1 | 38.0 | 24.7 | 21.2, 23.4 | - | - | 29.4 |
| Phl ${ }^{3}$ | 170.0 | 71.2 | 37.6 | 135.1 | 129.5 | 128.6 | 127.2 | - |
| $\mathrm{Mle}^{4}$ | 169.8 | 54.0 | 37.0 | 24.7 | 21.0, 23.4 | - | - | 30.5 |
| Lac ${ }^{5}$ | 170.4 | 66.9 | 17.1 | - | - | - | - | - |
| Mle ${ }^{6}$ | 169.8 | 54.0 | 37.5 | 25.1 | 23.6, 20.9 | - | - | 30.6 |
| Phl ${ }^{7}$ | 170.2 | 70.8 | 38.0 | 135.4 | 129.5 | 128.5 | 127.1 | - |
| $\mathrm{Mle}^{8}$ | 171.0 | 54.1 | 36.2 | 24.3 | 23.4, 21.1 | - | - | 31.2 |
| Lac $^{15}$ | 169.9 | 67.5 | 16.4 | - | - | - | - | - |
| Mle ${ }^{26}$ | 170.6 | 55.1 | 36.7 | 24.9 | 23.1, 21.7 | - | - | 31.1 |
| Phi ${ }^{37}$ | 169.4 | 70.8 | 37.8 | 135.4 | 129.7 | 128.5 | 127.0 | - |
| $\mathrm{Mle}^{48}$ | 170.9 | 54.1 | 37.1 | 24.6 | 21.6, 23.2 | - | - | 30.5 |

Table A2.2: Assignment of the major (asymmetric) and minor (symmetric) conformation of PF1022A in CD ${ }_{3} \mathrm{OH}$ referenced to the residual $\mathrm{CH}_{3} \mathrm{OH}$ shift in the solvent set to 3.33 ppm . * indicates non-assignable signals due to overlap and n.d. indicates signals that could not be detected.

|  |  | Ha | H $\beta$ | $\mathrm{H} \boldsymbol{\gamma}$ | H | He | H | HMe |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Lac ${ }^{1}$ |  | 5.19 | 0.94 | - | - | - | - | - |
| Mle ${ }^{2}$ |  | 4.78 | 1.85, 1.74 | 1.58 | 1.06, 0.99 | - | - | 2.82 |
| Phl ${ }^{3}$ |  | 5.83 | 3.19, 3.08 | - | 7.24-7.35 | 7.24-7.35* | 7.24-7.35* | - |
| Mle ${ }^{4}$ |  | 5.40 | 1.69, 1.64 | 0.86 | 0.84 | - | - | 2.90 |
| Lac ${ }^{5}$ |  | 5.55 | 1.40 | - | - | - | - | - |
| Mle ${ }^{6}$ |  | 5.45 | 1.75, 1.69 | 1.33 | 0.95, 0.90 | - | - | 2.92 |
| Phl ${ }^{7}$ |  | 5.75 | 3.17, 3.11 | - | 7.24-7.35 | 7.24-7.35* | 7.24-7.35* | - |
| Mle ${ }^{8}$ |  | 5.24 | 1.58, 1.51 | 0.94 | 0.83, 0.80 | - | - | 3.01 |
| $\mathrm{Lac}^{15}$ |  | 5.37 | 1.38 | - | - | - | - | - |
| $\mathrm{Mle}^{26}$ |  | 5.15 | 1.61 | 1.39 | 0.91, 0.87 | - | - | 2.94 |
| Phi ${ }^{37}$ |  | 5.70 | 3.10 | - | 7.32 | 7.24-7.35* | 7.24-7.35* | - |
| $\mathrm{Mle}^{48}$ |  | 5.35 | 1.66 | 1.14 | 0.89, 0.87 | - | - | 2.95 |
|  | C | C $\alpha$ | C $\beta$ | C $\gamma$ | C $\delta$ | C $\boldsymbol{\varepsilon}$ | C | CMe |
| $\mathrm{Lac}^{1}$ | 173.1 | 68.5 | 15.8 | - | - | - | - | - |
| Mle ${ }^{2}$ | 171.0 | 57.2 | 37.6 | 24.7 | 20.2, 22.3 | - | - | 28.6 |
| Phl ${ }^{3}$ | 171.7 | 71.1 | 37.2 | 134.8 | 129.4 | 128.4 | 126.9 | - |
| Mle ${ }^{4}$ | 169.3 | 54.3 | 36.4 | 24.1 | 22.3, 20.0 | - | - | 29.9 |
| Lac ${ }^{5}$ | 172.1 | 67.1 | 16.1 | - | - | - | - | - |
| Mle ${ }^{6}$ | 169.6 | 54.1 | 37.2 | 24.8 | 22.5, 19.7 | - | - | 29.7 |
| $\mathrm{PhI}{ }^{7}$ | 171.7 | 70.9 | 37.5 | 135.1 | 129.3 | 128.3 | 127.0 | - |
| Mle ${ }^{8}$ | 170.7 | 54.0 | 35.9 | 23.8 | 22.2, 20.3 | - | - | 30.6 |
| $\mathrm{Lac}^{15}$ | 171.9 | 68.3 | 15.4 | - | - | - | - | - |
| $\mathrm{Mle}^{26}$ | n.d. | 55.3 | 36.8 | 24.6 | 22.3, 20.1 | - | - | 31.0 |
| Ph ${ }^{37}$ | 170.7 | 71.3 | 37.1 | 135.5 | 129.3 | 128.3 | 126.8 | - |
| $\mathrm{Mle}^{48}$ | 170.2 | 54.3 | 36.9 | 24.3 | 22.2, 20.3 | - | - | 30.3 |



Figure A2.2: ${ }^{13} \mathrm{C}$-HSQC spectra of emodepside (2) in $\mathrm{CDCl}_{3}$ (top) and in $\mathrm{CD}_{3} \mathrm{OH}$ (bottom). Empty regions are cut out for clarity.

Table A2.3: Assignment of the major (asymmetric) and minor (symmetric) conformation of emodepside (2) in $\mathrm{CDCl}_{3}$ referenced to the residual $\mathrm{CHCl}_{3}$ shift in the solvent set to 7.28 ppm . * indicates non-assignable signals due to overlap. Mor1 is the C/H next to the oxygen in the morpholine ring, and Mor2 is the C/H next to the nitrogen in the morpholine ring.

|  |  | H $\alpha$ | H $\beta$ | $\mathrm{H} \gamma$ | H $\delta$ | He |  | HMe | HMor1 | HMor2 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Lac ${ }^{1}$ |  | 5.09 | 1.03 | - | - | - |  | - | - | - |
| Mle ${ }^{2}$ |  | 4.49 | 1.77 | 1.64 | 1.05, 0.98 | - |  | 2.85 | - | - |
| Phm ${ }^{3}$ |  | 5.65 | 3.08 | - | 7.13-7.17* | 6.84 |  | - | 3.12-3.16* | 3.87 |
| Mle ${ }^{4}$ |  | 5.47 | 1.73, 1.54 | 0.94 | 0.85 | - |  | 2.82 | - | - |
| Lac ${ }^{5}$ |  | 5.43 | 1.42 | - | - | - |  | - | - | - |
| Mle ${ }^{6}$ |  | 5.53 | 1.81,1.54 | 1.31 | 0.92 | - |  | 2.85 | - | - |
| Phm ${ }^{7}$ |  | 5.59 | 3.07 | - | 7.13-7.17* | 6.85 |  | - | 3.12-3.16* | 3.87 |
| Mle ${ }^{8}$ |  | 5.36 | 1.68, 1.60 | 1.0 | 0.83 | - |  | 3.02 | - | - |
| Lac ${ }^{15}$ |  | 5.44 | 1.39 | - | - | - |  | - | - | - |
| Mle ${ }^{26}$ |  | 5.21 | 1.73, 1.60 | 1.45 | 0.92, 0.90 | - |  | 2.76 | - | - |
| Phm ${ }^{37}$ |  | 5.64 | 3.04 | - | 7.13-7.17* | 6.83 |  | - | 3.11 | 3.87 |
| $\mathrm{Mle}^{48}$ |  | 5.63 | 1.69, 1.51 | 1.09 | 0.90, 0.86 | - |  | 2.74 | - | - |
|  | C | C $\alpha$ | C $\beta$ | C | C $\delta$ | $\mathbf{C \varepsilon}$ | C3 | CMe | CMor1 | CMor2 |
| Lac ${ }^{1}$ | 171.7 | 68.6 | 15.8 | - | - | - | - | - | - | - |
| $\mathrm{Mle}^{2}$ | 171.2 | 57.1 | 38.1 | 24.7 | 21.2, 23.4 | - | - | 29.4 | - | - |
| Phm ${ }^{3}$ | 170.1 | 71.3 | 36.8 | 126.1 | 130.3 | 115.6 | 150.3-150.4* | - | 49.3-49.4* | 66.9 |
| Mle ${ }^{4}$ | 169.8 | 54.0 | 37.0 | 24.6 | 21.1, 23.6 | - | - | 30.5 | - | - |
| Lac ${ }^{5}$ | 170.3 | 66.9 | 17.1 | - | - | - | - | - | - | - |
| Mle ${ }^{6}$ | 169.8 | 54.0 | 37.6 | 25.1 | 20.9, 23.7 | - | - | 30.6 | - | - |
| Phm ${ }^{7}$ | 170.4 | 70.9 | 37.1 | 126.6 | 130.3 | 115.6 | 150.3-150.4* | - | 49.3-49.4* | 66.9 |
| $\mathrm{Mle}^{8}$ | 171.1 | 54.0 | 36.2 | 24.2 | 21.2, 23.5 | - | - | 31.2 | - | - |
| $\mathrm{Lac}^{15}$ | 169.9 | 67.6 | 16.4 | - | - | - | - | - | - | - |
| Mle ${ }^{26}$ | 170.6 | 55.2 | 36.7 | 24.8 | 23.1, 21.6 | - | - | 31.2 | - | - |
| Phm ${ }^{37}$ | 169.6 | 70.9 | 36.9 | 126.7 | 130.4 | 115.6 | 150.3 | - | 49.4 | 66.9 |
| $\mathrm{Mle}^{48}$ | 171.0 | 54.1 | 37.1 | 24.6 | 21.8, 23.4 | - | - | 30.5 | - | - |

Table A2.4: Assignment of the major (asymmetric) and minor (symmetric) conformation of emodepside (2) in $\mathrm{CD}_{3} \mathrm{OH}$ referenced to the residual $\mathrm{CH}_{3} \mathrm{OH}$ shift in the solvent set to 3.33 ppm . * indicates non-assignable signals due to overlap and n.d. indicates signals that could not be detected. Mor1 is the C/H next to the oxygen in the morpholine ring, and Mor2 is the $\mathrm{C} / \mathrm{H}$ next to the nitrogen in the morpholine ring.

|  |  | Ha | H $\beta$ | $\mathrm{H} \gamma$ | H $\delta$ | He |  | HMe | HMor1 | HMor2 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Lac ${ }^{1}$ |  | 5.18 | 0.94 | - | - | - |  | - | - | - |
| Mle ${ }^{2}$ |  | 4.78 | 1.88, 1.76 | 1.58 | 1.06, 1.00 | - |  | 2.84 | - | - |
| Phm ${ }^{3}$ |  | 5.79 | 3.11, 3.02 | - | 7.19 | 6.92 |  | - | 3.12-3.14* | 3.83 |
| Mle ${ }^{4}$ |  | 5.40 | 1.65 | 0.85 | 0.84 | - |  | 2.87 | - | - |
| $\mathrm{Lac}^{5}$ |  | 5.55 | 1.40 | - | - | - |  | - | - | - |
| Mle ${ }^{6}$ |  | 5.45 | 1.75 | 1.35 | 0.96, 0.91 | - |  | 2.94 | - | - |
| Phm ${ }^{7}$ |  | 5.71 | 3.11, 3.03 | - | 7.19 | 6.92 |  | - | 3.12-3.14* | 3.83 |
| Mle ${ }^{8}$ |  | 5.23 | 1.57, 1.50 | 0.92 | 0.83, 0.80 | - |  | 3.00 | - | - |
| Lac ${ }^{15}$ |  | 5.36 | 1.37 | - | - | - |  | - | - | - |
| Mle ${ }^{26}$ |  | 5.33 | 1.65 | 1.11 | 0.89, 0.87 | - |  | 2.97 | - | - |
| Phm ${ }^{37}$ |  | 5.68 | 3.01 | - | 7.18 | 6.92 |  | - | 3.12 | 3.83 |
| $\mathrm{Mle}^{48}$ |  | 5.11 | 1.65 | 1.40 | 0.92, 0.89 | - |  | 2.92 | - | - |
|  | C | C $\alpha$ | C $\beta$ | C $V$ | C $\delta$ | C $\boldsymbol{\varepsilon}$ | C | CMe | CMor1 | CMor2 |
| Lac ${ }^{1}$ | 173.1 | 68.5 | 15.8 | - | - | - | - | - | - | - |
| Mle ${ }^{2}$ | 170.9 | 57.2 | 37.6 | 24.7 | 20.2, 22.3 | - | - | 28.6 | - | - |
| Phm ${ }^{3}$ | 171.8 | 71.2 | 36.5 | 125.5 | 130.0 | 115.5 | 150.6-150.7* | - | 49.1-49.2* | 66.6 |
| Mle ${ }^{4}$ | 169.4 | 54.2 | 36.5 | 24.0 | 22.5, 20.1 | - | - | 30.0 | - | - |
| $\mathrm{Lac}^{5}$ | 172.1 | 67.1 | 16.1 | - | - | - | - | - | - | - |
| Mle ${ }^{6}$ | 169.6 | 54.1 | 37.2 | 24.8 | 22.5, 19.7 | - | - | 29.7 | - | - |
| Phm ${ }^{7}$ | 171.8 | 70.9 | 36.7 | 125.8 | 130.0 | 115.5 | 150.6-150.7* | - | 49.1-49.2* | 66.6 |
| $\mathrm{Mle}^{8}$ | 170.7 | 54.0 | 36.0 | 23.6 | 22.4, 20.3 | - | - | 30.6 | - | - |
| $\mathrm{Lac}^{15}$ | 171.9 | 68.3 | 15.4 | - | - | - | - | - | - | - |
| Mle ${ }^{26}$ | n.d. | 54.2 | 36.8 | 24.3 | 22.3, 20.4 | - | - | 31.3 | - | - |
| Phm ${ }^{37}$ | 170.8 | 71.3 | 36.4 | 126.4 | 130.0 | 115.6 | 150.5 | - | 49.3 | 66.6 |
| $\mathrm{Mle}^{48}$ | 170.4 | n.d. | n.d. | 24.7 | 22.4, 20.1 | - | - | 30.3 | - | - |



Figure A2.3: ${ }^{13} \mathrm{C}$-HSQC spectra of bis-aza-PF1022A analog (8) in $\mathrm{CDCl}_{3}$ (top) and in $\mathrm{CD}_{3} \mathrm{OH}$ (bottom). Empty regions are cut out for clarity.

Table A2.5: Assignment of the major conformation (asymmetric) as well as assignment of Ha chemical shifts for the minor conformation (symmetric) denoted with ' of the bis-aza PF1022A analog (8) in $\mathrm{CDCl}_{3}$ referenced to the residual $\mathrm{CHCl}_{3}$ shift in the solvent set to 7.28 ppm .

|  |  | Ha | H | $\mathrm{H} \boldsymbol{\gamma}$ | H | He | HZ | HMe |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Lac ${ }^{1}$ |  | 4.96 | 1.08 | - | - | - | - | - |
| $\mathrm{Mln}{ }^{2}$ |  | - | 3.67, 3.35 | 2.07 | 0.98, 0.86 | - | - | 3.13 |
| Phl ${ }^{3}$ |  | 5.42 | 3.14 | - | 7.25 | 7.34 | 7.26 | - |
| $\mathrm{Mln}{ }^{4}$ |  | - | 3.69, 2.93 | 1.54 | 0.89, 0.89 | - | - | 3.16 |
| $\mathrm{Lac}^{5}$ |  | 5.57 | 1.39 | - | - | - | - | - |
| Mle ${ }^{6}$ |  | 5.56 | 1.72, 1.54 | 1.32 | 0.92 | - | - | 2.87 |
| Phl ${ }^{7}$ |  | 5.59 | 3.18, 3.13 | - | 7.26 | 7.31 | 7.29 | - |
| Mle ${ }^{8}$ |  | 5.38 | 1.67, 1.54 | 0.94 | 0.83, 0.82 | - | - | 2.96 |
| Phl ${ }^{3}$ |  | 5.81 |  |  |  |  |  |  |
| Lac ${ }^{5}$ |  | 5.28 |  |  |  |  |  |  |
| Mle6' |  | 3.68 |  |  |  |  |  |  |
| Phl7 ${ }^{\prime}$ |  | 5.99 |  |  |  |  |  |  |
| Mle8 ${ }^{\prime}$ |  | 5.01 |  |  |  |  |  |  |
|  | C | C $\alpha$ | C $\beta$ | CY | C $\delta$ | C | C | CMe |
| Lac $^{1}$ | 173.4 | 69.6 | 16.0 | - | - | - | - | - |
| $\mathrm{Mln}{ }^{2}$ | 154.7 | - | 58.6 | 27.2 | 20.5, 19.8 | - | - | 35.4 |
| Phi ${ }^{3}$ | 168.7 | 72.6 | 37.7 | 134.9 | 129.4 | 128.7 | 127.1 | - |
| M $\mathrm{n}^{4}$ | 154.0 | - | 57.2 | 27.3 | 20.2, 19.8 | - | - | 38.9 |
| $\mathrm{Lac}^{5}$ | 171.0 | 67.6 | 17.7 | - | - | - | - | - |
| Mle ${ }^{6}$ | 170.2 | 53.7 | 37.8 | 25.2 | 23.6, 21.0 | - | - | 30.5 |
| Phl ${ }^{7}$ | 170.2 | 70.7 | 38.0 | 135.4 | 129.5 | 128.5 | 127.4 | - |
| $\mathrm{Mle}^{8}$ | 171.5 | 54.1 | 36.3 | 24.3 | 21.2, 23.3 | - | - | 31.1 |

Table A2.6: Assignment of the major conformation of the bis-aza PF1022A analog (8) in $\mathrm{CD}_{3} \mathrm{OH}$ referenced to the residual $\mathrm{CH}_{3} \mathrm{OH}$ shift in the solvent set to 3.33 ppm .

|  |  | H $\alpha$ | H $\beta$ | $\mathrm{H} \gamma$ | H $\delta$ | He | H | HMe |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{Lac}^{1}$ |  | 4.98 | 1.06 | - | - | - | - | - |
| $\mathrm{Mln}{ }^{2}$ |  | - | 3.69, 3.57 | 2.05 | 0.97, 0.87 | - | - | 3.11 |
| Phl ${ }^{3}$ |  | 5.60 | 3.16 | - | 7.34 | 7.34 | 7.29 | - |
| $\mathrm{Mln}{ }^{4}$ |  | - | 3.64, 2.98 | 1.55 | 0.89, 0.88 | - | - | 3.23 |
| Lac ${ }^{5}$ |  | 5.59 | 1.38 | - | - | - | - | - |
| Mle ${ }^{6}$ |  | 5.46 | 1.72 | 1.36 | 0.95, 0.92 | - | - | 2.96 |
| $\mathrm{PhI}{ }^{7}$ |  | 5.72 | 3.19, 3.10 | - | 7.32 | 7.32 | 7.28 | - |
| $\mathrm{Mle}^{8}$ |  | 5.22 | 1.58, 1.49 | 0.90 | 0.82, 0.81 | - | - | 2.98 |
|  | C | C $\alpha$ | C $\beta$ | C $\gamma$ | C $\delta$ | C $\varepsilon$ | C | CMe |
| $\mathrm{Lac}^{1}$ | 174.2 | 69.3 | 16.1 | - | - | - | - | - |
| $\mathrm{Mln}{ }^{2}$ | 154.7 | - | 58.2 | 26.9 | 19.4, 18.8 | - | - | 34.7 |
| Phl ${ }^{3}$ | 169.7 | 72.6 | 37.1 | 134.8 | 129.3 | 128.4 | 127.1 | - |
| $\mathrm{Mln}{ }^{4}$ | 153.9 | - | 57.0 | 27.0 | 18.9, 19.2 | - | - | 38.1 |
| $\mathrm{Lac}^{5}$ | 172.3 | 67.9 | 16.6 | - | - | - | - | - |
| Mle ${ }^{6}$ | 169.9 | 53.9 | 37.4 | 24.9 | 22.4, 19.8 | - | - | 29.7 |
| Phl ${ }^{7}$ | 171.9 | 70.9 | 37.5 | 135.1 | 129.4 | 128.3 | 127.0 | - |
| Mle ${ }^{8}$ | 171.2 | 54.1 | 36.1 | 23.8 | 22.2, 20.3 | - | - | 30.5 |

Table A2.7: ${ }^{15} \mathrm{~N}$ chemical shifts of 1, 2 and 8 in $\mathrm{CDCl}_{3}$ and $\mathrm{CD}_{3} \mathrm{OH}$. n.d. indicates signals that could not be detected.

|  | Mle ${ }^{\mathbf{2}} \mathbf{N}$ | Mle ${ }^{2} \mathrm{~N} \alpha$ | Mle ${ }^{4} \mathrm{~N}$ | $\mathrm{Mle}^{4} \mathrm{~N} \alpha$ | $\mathrm{Mle}^{6} \mathrm{~N}$ | Mle ${ }^{8} \mathrm{~N}$ | Mle ${ }^{\mathbf{2 6}} \mathbf{N}$ | Mle ${ }^{48} \mathrm{~N}$ | Mor N |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PF1022A | 107.4 | - | 110.6 | - | 104.8 | 112.6 | 110.2 | 111.4 | - |
| $\mathrm{CDCl}_{3}$ |  |  |  |  |  |  |  |  |  |
| PF1022A CD 3 OH | 110.5 | - | 114.2 | - | 107.2 | 115.6 | n.d. | n.d. | - |
| Emodepside | 107.4 | - | 110.7 | - | 104.9 | 112.7 | 110.3 | 111.3 | 103.1 |
| $\mathrm{CDCl}_{3}$ |  |  |  |  |  |  |  |  |  |
| Emodepside | 110.6 | - | 114.6 | - | 107.3 | 115.9 | n.d. | n.d. | 103.0 |
| $\mathrm{CD}_{3} \mathrm{OH}$ |  |  |  |  |  |  |  |  |  |
| bis-aza PF1022A analog | 95.2 | 122.5 | 94.5 | 123.9 | 104.1 | 112.7 | n.d. | n.d. | - |
| $\mathrm{CDCl}_{3}$ |  |  |  |  |  |  |  |  |  |
| bis-aza PF1022A analog | 96.3 | 122.5 | 96.8 | 123.6 | 106.5 | 115.2 | n.d. | n.d. | - |
| $\mathrm{CD}_{3} \mathrm{OH}$ |  |  |  |  |  |  |  |  |  |



Figure A2.4: Detail of ROESY spectrum showing the exchange between $\mathrm{Mle}^{2} \mathrm{H} \alpha$ and $\mathrm{Mle}{ }^{26} \mathrm{H} \alpha$ as well as Mle ${ }^{6} \mathrm{H} \alpha$ and Mle ${ }^{26} \mathrm{H} \alpha$ of PF1022A (1) in chloroform (blue). ROE-peaks (red) have opposite phase relative to the diagonal whereas EXSY peaks have the same phase (black). Based on additional exchange peaks to Mle ${ }^{2} \mathrm{H} \alpha$, at least two additional conformers with very low intensity could be identified.

Plots for Fitting $T_{2}$ Relaxation Times of PF1022A (1) in Chloroform


Figure A2.5: Volumes extracted from the CPMG ${ }^{13} \mathrm{C}$-HSQC spectra plotted against the echo time to obtain the corresponding $T_{2}$ relaxation times for PF1022A (1) in chloroform. The plots were created with Prism.

Extracted Volumes and $M_{0}$ Values Used for Calculation of Site-to-Site Exchange Rates for Compounds 1 (A), 2 (B), 8 (C) and 11 (D) in Chloroform

$$
\begin{array}{ll}
A=\left(\begin{array}{ccc}
\frac{77.9}{1} & \frac{1.52}{1.5} & \frac{1.55}{1.5} \\
\frac{1.59}{1} & \frac{236}{1.5} & \frac{0}{1.5} \\
\frac{1.75}{1} & \frac{0}{1.5} & \frac{200}{1.5}
\end{array}\right) & B=\left(\begin{array}{ccc}
\frac{65.8}{1} & \frac{0.93}{1.8} & \frac{1.18}{1.8} \\
\frac{1.00}{1} & \frac{232}{1.8} & \frac{0}{1.8} \\
\frac{1.32}{1} & \frac{0}{1.8} & \frac{216}{1.8}
\end{array}\right) \\
C=\left(\begin{array}{cc}
\frac{12.9}{1} & \frac{0.50}{9.8} \\
\frac{0.46}{1} & \frac{387}{9.8}
\end{array}\right) & D=\left(\begin{array}{ccc}
\frac{95}{1} & \frac{1.58}{1.5} & \frac{1.7}{1.5} \\
\frac{2.41}{1} & \frac{235}{1.5} & \frac{0}{1.5} \\
\frac{1.82}{1} & \frac{0}{1.5} & \frac{218}{1.5}
\end{array}\right)
\end{array}
$$

## MSM Building



Figure A2.6: (Left): Implied time scales for the MSM of the symmetric subset of PF1022A (1) in chloroform. Six slow transitions were observed. (Right): The seven conformational states of the symmetric subset plotted with the second and third TICA element. The first TICA element describes mainly the dihedral undergoing cis-trans isomerization and is thus not relevant for the symmetric subset.

Table A2.8: Stationary distribution and corresponding free energies of the seven conformational states in the MSM of the symmetric subset of PF1022A (1) in chloroform.

| State | Stationary distribution [\%] | Estimated free energy [kT] |
| :--- | :--- | :--- |
| $\mathbf{1}$ | 3.1 | 3.5 |
| $\mathbf{2}$ | 6.5 | 2.7 |
| $\mathbf{3}$ | 7.4 | 2.6 |
| $\mathbf{4}$ | 11.3 | 2.2 |
| $\mathbf{5}$ | 11.9 | 2.1 |
| $\mathbf{6}$ | 16.5 | 1.8 |
| $\mathbf{7}$ | 43.2 | 0.8 |

## Titration of Emodepside with KSCN. General Procedure for the Fitting of Titration Data



Figure A2.7: $\mathrm{H} \alpha$ region of ${ }^{1} \mathrm{H}$ NMR spectra of 5 mM emodepside (2) in $\mathrm{CD}_{3} \mathrm{OH}$ at different KSCN concentrations. Chemical shift changes were observed for the symmetric conformation, best seen for the signal of the H $\alpha$ proton in residue Phm ${ }^{37}$ (blue labels). In addition, a change in the ratio between the symmetric and asymmetric conformation is observed. Also the asymmetric conformation shows small chemical shift changes at high salt concentrations.

The concentration of the symmetric conformation in dependence of the salt concentration was fitted with the following equation (damped logistic growth function):

$$
\left[P_{\text {free }}\right]=\left[P_{\text {all }}\right]-\left(\left[P_{\text {aul }}\right]-\left[P_{0}\right]\right) * e^{\frac{-a * \mid[\mid]}{[s]+b}}
$$

where $\left[P_{\text {free }}\right]$ is the concentration of the free symmetric peptide, $\left[P_{\text {oll }}\right]$ the total peptide concentration, $\left[P_{0}\right]$ the symmetric peptide concentration without salt, $[S]$ the salt concentration, and $a$ and $b$ are the fitting parameters.

The chemical shift change in dependence of the salt concentration was fitted using the following equations assuming a fast equilibrium between the free symmetric species, the $1: 1$ complex and a 2:1 complex:

$$
\begin{gathered}
\delta_{o b s}=\delta_{P}-\frac{\left(\delta-\delta_{P S}\right) *\left[S_{t o t}\right] * K_{1} *\left[P_{\text {free }}\right]+2 *\left(\delta_{P}-\delta_{P 2 S}\right) *\left[S_{t o t}\right] * K_{1} * K_{2} *\left[P_{\text {free }}\right]^{2}}{P_{0} *\left(1+K_{1} *\left[P_{\text {free }}\right]+* K_{1} * K_{2} *\left[P_{\text {free }}\right]^{2}\right)} \\
0=K_{1} * K_{2} *\left[P_{\text {free }}\right]^{3}+K_{1} *\left(2 * K_{2} *\left[S_{t o t}\right]-K_{2} *\left[P_{t o t}\right]+1\right) *\left[P_{\text {free }}\right]^{2} \\
+\left(K_{1} *\left(\left[S_{\text {tot }}\right]-\left[P_{\text {tot }}\right]\right)+1\right) *\left[P_{\text {free }}\right]-\left[P_{\text {tot }}\right] \\
\text { with } K_{1}=\frac{[P S]}{\left[P_{\text {free }}\right][S]} \text { and } K_{2}=\frac{\left[P_{2} S\right]}{[P S][S]}
\end{gathered}
$$

where $\delta_{\text {obs }}$ corresponds to the observed chemical shift, $\delta_{P}$ is the chemical shift of the symmetric free peptide, $\delta_{\text {PS }}$ is the chemical shift of the $1: 1$ symmetric peptide-cation complex (PS), $\delta_{P 2 s}$ the shift of the $2: 1$ symmetric peptide-cation complex $\left(P_{2} S\right),\left[P_{\text {tot }}\right]$ the total concentration of the peptide (all symmetric species), directly determined from the integral of the signal of the symmetric species in ${ }^{1} \mathrm{H}$ NMR spectrum, $\left[S_{\text {tot }}\right]$ is the total salt concentration, $\left[P_{\text {free }}\right]$ the free symmetric peptide concentration, and $K_{1}$ and $K_{2}$ are the equilibrium constants for the 1:1 and the 2:1 complexes. Fitting was done with R.

## Experimental Results for mono-iodine analog (11):

Table A2.9: Ratio between asymmetric and symmetric conformer in $\mathrm{CD}_{3} \mathrm{OH}$ and $\mathrm{CDCl}_{3}$ for compounds 11.

| Compound | Conformer ration in $\mathrm{CD}_{3} \mathrm{OH}$ | Conformer ration in $\mathrm{CDCl}_{3}$ |
| :--- | :--- | :--- |
| (asymmetric : symmetric) | (asymmetric : symmetric) |  |
| Mono-iodo analog (11) | $5: 1$ | $3: 1$ |

Table A2.10: Exchange rates between asymmetric and symmetric conformers of 11 in $\mathrm{CDCl}_{3}$ determined from EASYROESY experiment with mixing time of 100 ms .

| Compound | $\mathbf{k}_{1}\left[\mathbf{s}^{-1}\right]$ | $\mathbf{k}_{\mathbf{2}}\left[\mathbf{s}^{-1}\right]$ | $\mathbf{K}_{\text {ex }}\left[\mathbf{s}^{-1}\right]$ |
| :--- | :--- | :--- | :--- |
| Mono-iodo analog (11) | 0.17 | 0.09 | 0.26 |

Table A2.11: Change in ratio between asymmetric and symmetric conformers of $\mathbf{1 1}$ without salt and after addition of a 25-fold excess of CsSCN in $\mathrm{CD}_{3} \mathrm{OH}$.

| Compound | Mono-iodo analog (11) |
| :--- | :--- |
| CsSCN | $5: 1$ to $1: 80$ |



Figure A2.8: Titration of 5 mM mono-iodine analog (11) with CsSCN in $\mathrm{CD}_{3} \mathrm{OH}$ while the total volume was kept constant. (Left): Change in concentration of the symmetric conformation upon the addition of CsSCN. The data points were fitted with a damped logistic growth function. (Right): Change of the chemical shift of the averaged signal of Phll ${ }^{3}$ and Phll ${ }^{7}$ $H \alpha$ proton of the symmetric conformation as a function of the salt concentration.

## 3 Transferring the Stabilizing Effect of SideChain N-Methylations Observed in Polythenoamide B

The special sequence of alternating D-/L-amino acids allows the natural product polytheonamide $B$ ( pTB ) to adopt a $\beta$-helix, i.e., a $\beta$-sheet wrapped into a helix. Computational studies of pTB showed that its side-chain N -methylations of asparagine residues (Asm) increase the stability of the $\beta^{6.3}$-helical conformation in polar environments by formation of an "exoskeleton-like" network of intramolecular hydrogen bonds. The wide radius of the $\beta^{6.3}$-helix is necessary for pTB to act as pore upon insertion into membranes, resulting in pTB 's cytotoxic function. Molecular dynamics (MD) simulations revealed that the stabilizing effect of Asm residues may be transferrable to gramicidin $A(G r a m A)$, which also adopts a $\beta^{6.3}$-helix inside a membrane but other conformations in polar environments. The Asm variant of GramA was compared to a GramA derivative with asparagine residues instead of Asm residues. For the latter, no stabilizing effect was observed in the computational study. In this work, the two GramA derivatives were studied by nuclear magnetic resonance (NMR) spectroscopy. Experimentally, the stabilizing effect could not be observed. Structure calculations based on NOE-derived distances from methanol/water samples showed no dominant secondary structure for the peptides. ${ }^{23} \mathrm{Na}$ spectra were recorded for micelle samples and also in this case no channel formation was observed. A possible reason for the discrepancy between simulation and experiment could be that the MD simulations started from the already properly folded $\beta^{6.3}$-helix conformation and remained in this local minimum. In contrast, the $\beta^{6.3}$-helical structure competes with other possible conformations in experiment. As an alternative test system, the Asn/Asm effect was studied with partially N-methylated cyclic octapeptides, which can potentially form (meta)stable dimers. Preliminary NMR results suggest that the dimer can indeed be stabilized through the intramolecular hydrogen bonds of the Asm side-chains. This is in agreement with Markov state models built from extensive MD simulations for the two peptides. More experiments are needed for a clear conclusion.

### 3.1 Introduction

Polythenoamide B (pTB), a heavily posttranslationally altered peptide (Scheme 3.1), shows high cytotoxicity in the picomolar range. Its toxicity is associated with its capability of forming a $\beta^{6.3}$ helix. ${ }^{175,176}$ To form such a helix, an alternation between D- and L-amino acids is necessary. The helix of pTB is large enough to span the entire cell membrane and wide enough to allow permeation of water and ions through the membrane (Figure 3.1 right). ${ }^{176}$ In case of pTB, the $\beta^{6.3}$ helix is extraordinary stable and could be detected also in a 1:1 methanol/chloroform mixture, which is a relatively polar environment. ${ }^{177}$ Extensive molecular dynamics (MD) simulations have shown that this stability is dependent on an "exoskeleton-like" network of hydrogen bonds between side-chain $N$-methylated $D$-asparagine residues (Asm) located at positions $i$ and $i+6$ in the sequence (Figure 3.1 left). ${ }^{178} \mathrm{MD}$ simulations without those methyl groups (i.e., normal Dasparagine residues (Asn)) resulted in unfolding of the $\beta^{6.3}$-helix in water, showing the importance of these posttranslational modifications for the function of pTB. ${ }^{178}$ Renevey and Riniker proposed that the methyl groups lead to a decreased preference of hydrogen bond formation with the solvent, which in turn results in favorable formation of intramolecular hydrogen bonds. ${ }^{178}$ No experimental data are available for the Asn variant of pTB to confirm the hypothesis. However, an indirect proof of the importance of the Asm modifications is provided by the discovery that $\mathrm{NX}_{5} \mathrm{~N}$ presents a privileged motif in bacteria. ${ }^{179}$


Scheme 3.1: Chemical structure of polytheonamide B ( $p$ TB). The numerous modifications are color coded. Blue: Cmethylations, Cyan: epimerizations, Red: N-methylations, Pink: hydroxylations.


Figure 3.1: Left: Side-chain hydrogen bond network that stabilizes the $\beta^{6.3}$-helix of $p T B$. Hydrogen bonds are shown with dotted black lines and side-chain N-methylated residues are highlighted in purple. Right: Snapshot of an MD simulation of pTB in a POPC membrane in water showing the pore forming capability of $p T B$. Adapted with permission of Springer Nature from Ref. 178.

Another $\beta^{6.3}$-helix forming peptide is the antibiotic gramicidin A (GramA) (Scheme 3.2, top). ${ }^{180,181}$ Wild-type GramA forms head-to-head dimers in cell membranes and micelles. ${ }^{182}$ The dimer acts also as membrane pore similar to pTB. ${ }^{183}$ The $\beta^{6.3}$-helix of GramA is only stable in apolar environments. In a polar medium, GramA adopts various types of conformations, strongly dependent on the experimental conditions. ${ }^{184-188} \mathrm{MD}$ simulations starting from the folded $\beta^{6.3}$ helical structure of a GramA variant, where selected residues were replaced with Asm (Scheme 3.2, middle) (GramA-Asm), suggest transferability of the stabilizing effect by the intramolecular hydrogen bonds of the Asm residues, as observed for pTB in polar environments. ${ }^{189}$ The stability of the Asm variant of GramA in water as well as in a 1:1 water/methanol mixture was increased compared to the wild-type variant. ${ }^{189}$ For comparison, also a variant with Asn instead of Asm (Scheme 3.2, bottom) (GramA-Asn) was simulated, which showed lower stability. ${ }^{189}$




Scheme 3.2: Chemical structures of gramicidin A (GramA) (top), the Asm variant (GramA-Asm) (middle) and the Asn variant (GramA-Asn) (bottom) of GramA. Changes between GramA and the mutated variants are highlighted in red.

Along with the above-mentioned linear peptides, a second test system was devised consisting of cyclic octapeptides with the alternating D-/L-amino acid motif (cyclo[(D-aa-L-aa)4]). Variants of these cyclic octapeptides were reported in the literature to self-assemble into nanotubes (Scheme 3.3a). ${ }^{190}$ It was observed that the exchange of selected amino acids with various building blocks does not disturb the nanotube formation. ${ }^{191,192} \mathrm{~N}$-methylation of the D-residues results in stable dimers with $\beta$-sheet character since the nanotube formation is prevented (Scheme 3.3b). ${ }^{193}$ Due to the high tolerance of these dimers to changes in the amino acid sequence, these cyclic peptides could be a suitable alternative model system to investigate the stabilizing effect of Asm residues. As parent compound, cyclo[(L-Phe-D-Me $N$-D-Ala $)_{4}$ ] seems to be ideal. ${ }^{193,194}$ The influence of Asn/Asm can be tested by replacing one to four of the L-Phe residues with L-Asn/Asm. The modified peptides should still be able to form stable dimers and their dissociation constants can be readily determined by NMR.

If the increased stability by the presence of strategically placed Asm residues is observable experimentally, this would enrich the available tools in rational design of tertiary structures of peptides or proteins.


$a$
$b$

Scheme 3.3: Self-assembling cyclic peptides with a sequence of alternating $D$ - and L-amino acids. a: No methylation of the backbone amides leads to formation of nanotubes stacked through antiparallel sheets. $\boldsymbol{b}$ : N-Methylation of the Damino acids leads to formation of stable dimeric nanocylinders. Reprinted with permission of the American Chemical Society from Ref. 193.

In this study, the two variants of GramA, GramA-Asm and GramA-Asn, are investigated with nuclear magnetic resonance (NMR) spectroscopy to examine whether the increased stability of the GramA-Asm variant observed in MD simulations is also detectable in experiment. Further, extensive MD simulations of the cyclic octapeptides cyclo[L-Asm/Asn-D-Me $N$-D-Ala-L-Phe-D- ${ }^{\text {Me }} \mathrm{N}$ -D-Ala-L-Phe-D-Me N-D-Ala-L-Phe-D-Me N-D-Ala-] in methanol are performed to investigate whether an effect of the side-chain N-methylation is observable in silico. Preliminary NMR data obtained for the cyclic peptides are also discussed.

### 3.2 Results

### 3.2.1 Gramicidin A and its Asm/Asn Variants

ROESY spectra of the GramA-Asm and the GramA-Asn variants were recorded to obtain NOEderived distances. Those were used to calculate a bundle of structures for both variants with a simulated annealing approach using the software xplor-NIH. ${ }^{195}$ The conformational bundles obtained for GramA-Asm as well as for GramA-Asn do not show a dominant conformation and are far away from the desired $\beta^{6.3}$-helix. Already the fact that for GramA-Asm only one non-sequential interresidual NOE cross-peak could be identified, is a clear indication of a poorly structured peptide (Figure 3.2, left). Addition of 30 \% water seems to stabilize more compact conformations and 13 non-sequential interresidual cross-peaks were detected in the ROESY spectrum (Figure 3.2, middle). Also for the GramA-Asn variant, no dominant secondary structure is observed in methanol, yet the conformational bundle is more uniform compared to GramA-Asm (Figure 3.2, right). For wild-type GramA, also double-stranded helical conformations are observed in polar environments. A simulated annealing procedure using a single copy of the peptide cannot produce such a double-stranded helical conformation. Yet, the low number of interresidual cross-peaks do not support such a structure and it seems that both peptides are rather disordered in a polar environment.


Figure 3.2: Structural bundles obtained from simulated annealing calculations using xplor-NIH ${ }^{195}$. (Left): GramA-Asm in $\mathrm{CD}_{3} \mathrm{OH}$ at $37{ }^{\circ} \mathrm{C}$. 75 intraresidual, 24 sequential and 1 non-sequential interresidual NOE-derived distances were used for the calculation. No dominant structure was observed. Middle: GramA-Asm in $70 \% \mathrm{CD}{ }_{3} \mathrm{OH}$ and $30 \% \mathrm{H}_{2} \mathrm{O}$ at $37{ }^{\circ} \mathrm{C} .88$ intraresidual, 36 sequential and 13 non-sequential interresidual NOE-derived distances were used together with 8 dihedral angle constraints obtained from ${ }^{3} \mathrm{~J}(\mathrm{HN}-\mathrm{H} \alpha)$. In this case, it seems that the $C$-terminal part of the sequence adopts some kind of secondary structure but clearly not the expected $\beta^{6.3}$-helix. (Right): GramA-Asn in $\mathrm{CD}_{3} \mathrm{OH}$ at room temperature (RT). 33 intraresidual, 53 sequential and 28 non-sequential interresidual NOE-derived distances were used for the simulated annealing procedure. A partially helical structure is observed.

Since GramA forms the $\beta^{6.3}$-helix conformation only in lipid bilayers, it is possible that the stabilizing effect of the Asm residues is not large enough to maintain such a conformation in polar environments. Therefore, NMR spectra were also recorded using sodium dodecyl sulfate (SDS) micelles. It has been shown for GramA that the formation of the $\beta^{6.3}$-helix can be easily verified with a ${ }^{23} \mathrm{Na}$ NMR spectrum. ${ }^{196}$ Due to the channel-formation, there is an exchange of $\mathrm{Na}^{+}$ions between different environments (in solution and inside GramA). This leads to severe line-
broadening of the ${ }^{23} \mathrm{Na}$ signal. This could be successfully reproduced for wild-type GramA (Figure 3.3 , purple). In contrast, the ${ }^{23} \mathrm{Na}$ signal in presence of GramA-Asm (Figure 3.3, blue) is nearly identical to the signal in the SDS sample without peptide (Figure 3.3, khaki) showing that no $\beta^{6.3}$ _ helix is formed.


Figure 3.3: Overlay of the ${ }^{23} \mathrm{Na}$ spectra of 250 mM SDS $-d_{25}$ in a water-trifluoroethanol (16:1 molar ratio) solution before (khaki) and after addition of 5 mM GramA (purple) or 5 mM GramA-Asm (blue). All spectra were recorded at $55^{\circ} \mathrm{C}$.

In conclusion, the increased stability of GramA-Asm compared to GramA and GramA-Asn seen in the MD simulations ${ }^{189}$ could not be reproduced in experiment. Neither for GramA-Asm nor for GramA-Asn the $\beta^{6.3}$-helical conformation was observed in methanol or in SDS micelles. A potential explanation for this discrepancy could come from the simulation set-up. The MD simulations started from the folded $\beta^{6.3}$-helical conformation, since folding studies are still out of reach for standard MD simulations. It may indeed be possible that - once the $\beta^{6.3}$-helical conformation is adopted - the hydrogen bond network of the Asm residues stabilizes this fold. However, the $\beta^{6.3}$ helix competes with other conformations in solution, possibly favored by hydrogen bonds between the introduced Asm residues and the backbone. By the mutation of five out of 15 residues in the GramA sequence, the physicochemical properties of GramA-Asm are heavily altered compared to the wild-type.

### 3.2.2 Cyclic Asm/Asn Variants

Since the mutated variants of GramA did not show the desired structural behavior, we decided to investigate the cyclic octapeptides shown in Scheme 3.3 as an alternative test system. The simplest strategy to test the stabilizing effect of Asm residues is to exchange one L-Phe residue with L-Asm and compare it to the variant where the same residue was replaced by L-Asn (Scheme 3.3 and Scheme 3.4). It is expected that these compounds form stable dimers as the parent peptide does.



Scheme 3.4: Chemical structures of two cyclic octapeptides of the form cyclo[L-Phe-MeN-D-Ala] ${ }_{4}$ for which one of the LPhe residues was replaced by L-Asm (Asm-1) (left) or L-Asn (Asn-1) (right).

Extensive MD simulations of the two peptides in methanol were performed using the GROMOS simulation package ${ }^{133}$ and the GROMOS 54A7 united-atom force field. ${ }^{57}$ As starting structure for the simulations, the dimeric crystal structure of cyclo[L-Phe- $\left.{ }^{\text {Me }} \mathrm{N}-\mathrm{D}-\mathrm{Ala}\right]_{4}$ was used (CCDC code YAXQIX), ${ }^{194}$ where a L-Phe residue was replaced by L-Asm or L-Asn in each monomer using Avogadro. ${ }^{197}$

Markov state models (MSMs) ${ }^{66-69}$ are a state-of-the-art technique to analyze the exchange dynamics between different conformers. Common nearest neighbor (CNN) based clustering ${ }^{68,134-136}$ was applied to generate core-set Markov models of Asm-1 and Asn-1, similar to other studies conducted by our group. ${ }^{3,147}$ Since the introduction of the Asm/Asn residues breaks the $C_{4}$ symmetry of the parent compound, it is expected that different dimers will be observed during the MD simulations. The MSMs were constructed using inverse $\mathrm{N}-\mathrm{O}$ backbone distances as input features for the TICA space. ${ }^{138}$ For Asn-1, the constructed MSM shows five states, where state 1 ( $4.8 \%$ ) has the Asn residues on top of each other allowing for hydrogen bond between the
residues (Figure 3.4, top). In states 2 and 4, one of the monomers is rotated by $90^{\circ}$, whereas in state 3 , it is rotated by $180^{\circ}$. State 5 corresponds to an intermediate structure, where not all hydrogen bonds between the two monomers are formed. State 6 contains mostly monomeric conformations, including also some partially interacting molecules. Assuming a stabilizing effect of Asm compared to Asn due to favored hydrogen bond formation between the two monomers via this residue, we expect state 1 to have a higher population in the MSM constructed for Asm-1. This is indeed the case, i.e., state 1 for Asm-1 has a population of $9.3 \%$ (+4.5 \% compared to Asn-1) (Figure 3.4, bottom). The same metastable states as for Asn-1 are observed. In addition, three additional intermediate states were detected (Figure 3.4). In states 7 and 8, the backbone hydrogen bonds are only partially formed and instead, one Asm side-chain forms a hydrogen bond with the backbone of the other subunit. In state 9, the aromatic ring of a Phe residue is inside the ring of the other peptide and therefore only a fraction of the backbone hydrogen bonds can be formed.


Figure 3.4: MSMs for Asn-1 (top) and Asm-1 (bottom) constructed from MD simulations in methanol. Thickness of the circles corresponds to populations of the states. Each state is represented by a scheme showing how the two dimers interact. The line at the rings indicates the position of the Asn/Asm residues. Dimers are depicted with nearly overlapping octagons, whereas partial interactions are depicted with half overlaying octagons and monomers with separate octagons, respectively.

A first batch of the two peptides was synthesized by Marcel Grogg at a 0.1 mmol scale yielding approximately 0.8 mg Asn-1 and 0.3 mg Asm-1. ${ }^{198}$ Preliminary NMR results indicate that both peptides adopt at least two slowly exchanging conformations (Asn-1: 1.0:0.3, Asm-1: 1.0:0.6). More conformations might be present but they could not be identified due to the limited amount of sample. The side-chain amide protons of Asn-1 and Asm-1 can easily be spotted in the ${ }^{15} \mathrm{~N}$ - HSQC spectra as they differ significantly in ${ }^{15} \mathrm{~N}$ chemical shift from the backbone amides (Figure 3.5). Initial findings from exchange spectroscopy (EXSY) suggest that the side-chain amide of the Asm-1 variant does not form hydrogen bonds with the solvent, whereas the Asn-1 variant does (Figure 3.6). These findings need to be confirmed by additional experiments under exactly identical conditions since also differences in pH and concentration can affect amide exchange rates. More material needs to be synthesized to also determine the difference in stability between the two dimer variants.


Figure 3.5: ${ }^{15} \mathrm{~N}$-HSQC spectra of Asn-1 (top) and Asm-1 (bottom). Backbone amide signals of the dominant conformation are circled in blue, whereas the side-chain amide signals are circled in red.


Figure 3.6: Amide region of NOESY spectra showing EXSY peaks with the solvent (red circles Asn-1, top). The red arrow in the Asm-1 spectrum (bottom) indicates the side-chain amide proton resonance. No EXSY peak with the solvent is observed.

### 3.3 Conclusion

In this work, we investigated whether the stabilizing effect from intramolecular hydrogen bonds of Asm residues, as seen for the $\beta^{6.3}$-helix of the natural product pTB, can be transferred to other molecular system. The first test system was GramA, because this peptide forms a $\beta^{6.3}$-helix similar to pTB when inside a membrane environment. Two GramA variants, GramA-Asm and GramA-Asn, were studied both with MD simulations and NMR experiments. While in simulations starting from the $\beta^{6.3}$-helical conformation the presence of the Asm residues resulted in the expected stabilization, this finding could not be confirmed by the NMR experiments. The bundle of structures calculated based on NOE-derived distances determined in a methanol/water solution does not point to the presence of a single dominant conformation. ${ }^{23} \mathrm{Na}$ spectra revealed that GramA-Asm does not adopt a $\beta^{6.3}$-helical conformation in SDS micelles, while the wild-type GramA is known to do that. A possible reason for the discrepancy between simulation and experiment could come from the set-up of the MD simulations, i.e., the starting structure of the properly folded $\beta^{6.3}$-helical conformation is only a local minima and not dominant in the solution ensemble. In experiment, the $\beta^{6.3}$-helical structure competes with other possible (meta)stable conformations that were not visited in the simulations.

As an alternative model system to assess whether the stabilizing effect of Asm in pTB can generally be employed, two cyclic octapeptides were devised (Asm-1 and Asn-1). These peptides are expected to form dimers with different stability in methanol. The four expected dimer variants were observed for both peptides in MSMs constructed from extensive MD simulations. As hypothesized, the side-chain N-methylation appears to stabilize the dimer arrangement that is able to form an additional hydrogen bond between the monomers ( $9.3 \%$ for Asm-1 compared to 4.8 \% for Asn-1). Preliminary NMR experiments could be performed with a small amount of the peptides. Exchange between the solvent and the side-chain amide was observed experimentally with EXSY for Asn-1, whereas no exchange could be detected for Asm-1. While these preliminary results are encouraging, more experiments are needed for a clear conclusion. Especially dissociation studies could provide more insights. Additional material necessary for these experiments is currently synthesized.

### 3.4 Method Section

## Peptide Synthesis

The methods for the preparation of GramA-Asm, GramA-Asn as well as for the cyclic octapeptides Asm-1 and Asn-1 investigated in this work have been reported in the doctoral thesis of Marcel Grogg. ${ }^{198}$

## NMR Measurements

If not stated otherwise, all NMR experiments were recorded at $25^{\circ} \mathrm{C}$ on a 600 MHz Bruker Avance III HD spectrometer equipped with a $\mathrm{N}_{2}$-cooled Prodigy triple resonance probe with z-gradients. The time domain in both dimensions of the spectra were doubled by zero filling and the baseline was corrected with a third order polynomial or by applying the Whittacker smoother algorithm. ${ }^{157}$ Processing was done with Bruker TopSpin ${ }^{\text {M }}$ version 4.1 (Bruker Biospin AG) or MestReNova 14.2 (Mestrelab Research). Peak assignment and integration was done using NMRFAM-SPARKY. ${ }^{199}$

## NMR Experiments of GramA-Asm and GramA-Asn

Each EASY-ROESY ${ }^{151}$ spectrum was recorded with $4096 \times 512$ data points using presaturation to suppress the $\mathrm{CD}_{3} \mathrm{OH}$ signal. The spectral width was set in both dimensions to 12 ppm and the transmitter was set to the position of the $\mathrm{CD}_{3} \mathrm{OH}$ signal. EASY-ROESY spectra of GramA-Asm in $\mathrm{CD}_{3} \mathrm{OH}$ as well as in $\mathrm{CD}_{3} \mathrm{OH} / \mathrm{H}_{2} \mathrm{O} 7: 3$ were recorded at $37{ }^{\circ} \mathrm{C}$ with a mixing time of 300 ms . The EASY-ROESY spectrum of GramA-Asn in $\mathrm{CD}_{3} \mathrm{OH}$ was recorded at RT with a mixing time of 100 ms . Most of the ${ }^{1} \mathrm{H}$ resonances of the major conformation could be assigned by analysis of standard DQF-COSY, ${ }^{13} \mathrm{C}-\mathrm{HSQC},{ }^{13} \mathrm{C}-\mathrm{HMBC}, ~ T O C S Y$ and ${ }^{15} \mathrm{~N}$-HSQC spectra. The ROESY cross-peak volumes were translated into distance restraints and used in a simulated annealing procedure as described in Ref. 200. The assigned ${ }^{1} \mathrm{H}$ chemical shifts can be found in the Appendix.

SDS micelle samples were prepared according to the procedure described by Bystrov et al.: ${ }^{196} 20 \mu \mathrm{l}$ of a 50 mM GramA or GramA-Asm solution in trifluoroethanole- $\mathrm{d}_{3}$ ( $\mathrm{TFE}-\mathrm{d}_{3}$ ) were added dropwise to $100 \mu \mathrm{l}$ of a 500 mM SDS- $\mathrm{d}_{25}$ dispersion in $\mathrm{D}_{2} \mathrm{O} .80 \mu \mathrm{l} \mathrm{D}_{2} \mathrm{O}$ and $5 \mu \mathrm{l}$ of a TPS solution ( 10 mg TPS in $2 \mathrm{ml} \mathrm{D}_{2} \mathrm{O}$ ) were added to obtain a final concentration of 5 mM for the peptide and a SDS concentration of 250 mM . These experimental conditions correspond to incorporation of not more than two peptide molecules per micelle. ${ }^{196}$ For the sample without peptide, pure TFE-d ${ }_{3}$ was added. ${ }^{23} \mathrm{Na}$ NMR experiments were recorded in a Shigemi tube at $55^{\circ} \mathrm{C}$ on a 500 MHz Bruker Avance III HD spectrometer equipped with a BBFO probe with z-gradients. In total, 32768 data points were recorded with a spectral width of 60 ppm . The transmitter was set to 0 ppm . A line broadening of 2 Hz was applied.

## NMR Experiments of Asm-1 and Asn-1

${ }^{15} \mathrm{~N}$-HSQC spectra with sensitivity enhancement were recorded with spectral widths of 4 ppm in the direct and 200 ppm in the indirect dimension. Transmitters were set to 4 and 100 ppm , respectively. A total of $1024 \times 256$ data points were recorded. For the NOESY spectra, the spectral widths were 12 ppm in both dimensions and the transmitter was set to 4.89 ppm . Excitation sculpting was used for solvent suppression. ${ }^{152}$ The mixing time was 100 ms and a total of 4096 x 512 data points was recorded.

## MD Simulations of Asm-1 and Asn-1 Dimers

MD simulations were carried out using the GROMOS simulation package ${ }^{133}$ together with the GROMOS 54A7 united-atom force field. ${ }^{57}$ For Asm residues, the same parameters were used as described in Ref. 178. For each system, 11 MD trajectories with a length of $1 \mu$ s were produced under isothermal-isobaric conditions (NPT) using the leap-frog integration scheme with a time step of $2 \mathrm{fs} .{ }^{165}$ The temperature was kept at 298 K by weak coupling ${ }^{166}$ to two separate temperature baths for the peptide and the solvent with a relaxation time of 0.1 ps . The pressure was kept at 1 atm by weak coupling to a pressure bath with a relaxation time of 0.5 ps and an isothermal compressibility of $4.5^{*} 10^{-4} \mathrm{~kJ}^{-1} \mathrm{~mol} \mathrm{~nm}{ }^{3}$. 166 The SHAKE algorithm ${ }^{167}$ was used to constrain bonds with a tolerance of $10^{-4} \mathrm{~nm}$. Translational motion of the center of mass was removed every 1000 steps. A twin range scheme was applied with cutoffs of 0.8 and 1.4 nm for the non-bonded interactions. Electrostatic non-bonded contributions outside the long-range cutoff were considered with the reaction-field method ${ }^{169}$ and a dielectric permittivity coefficient for methanol of $27.8^{168}$ was used. The dimeric crystal structure of the parent compound (CCDC code YAXQIX) ${ }^{194}$ was used as template. Using Avogadro, ${ }^{197}$ one Phe residue was replaced manually by an Asn/Asm residue in each monomer to obtain the dimer starting structures of Asm-1 and Asn-1. The obtained conformations were minimized in vacuum using a steepest-decent algorithm. ${ }^{171}$ The dimers were solvated in a box of 764 and 773 methanol molecules for Asn-1 and Asm-1, respectively. Next, the solvent was relaxed while the coordinates of the dimer were position restrained with a force constant of $2.5^{*} 10^{4} \mathrm{~kJ} \mathrm{~mol}^{-1} \mathrm{~nm}^{-2}$, followed by thermalization to 298 K in five steps of 60 K , where in each step with a total length of 20 ps the force constant was loosened by one order of magnitude. For each dimer, 11 MD simulations of $1 \mu$ s length were started with different initial velocities generated using a Maxwell-Boltzmann distribution.

## Markov State Model (MSM) Building

MSMs were built separately for Asn-1 and Asm-1 using the eleven MD simulations in chloroform with lengths of $1 \mu \mathrm{~s}$. The Python ${ }^{201}$ package PyEMMA ${ }^{137}$ was used for the MSM construction in a Jupyter Notebook. ${ }^{202}$ The inverse distances between all backbone oxygen and nitrogen atoms were used as input features to run a time-lagged independent component analysis (TICA) ${ }^{138}$ with a lag time of 25 ns . A hierarchical variant of the common nearest neighbor (CNN) density based clustering ${ }^{68}$ with a similarity of 10 , a cutoff distance of 2 and a delta free energy per hierarchical layer of 0.5 was applied. ${ }^{136}$ The MSMs were then constructed with a lag time of 100 ns . ChapmanKolmogorov test ${ }^{135}$ (Figure 3.7) was used to validate the models with six (Asn-1) and nine (Asm-1) conformational states. During the analysis, functionalities of the matplotlib, ${ }^{203}$ mdraj, ${ }^{204}$ numpy, ${ }^{205}$ pandas, ${ }^{206}$ and scipy ${ }^{207}$ packages were used.


Figure 3.7: Chapman-Kolmogorov tests for Asn-1 and Asm-1 with 6 and 9 states, respectively using a lag time of 100 ns.

### 3.5 Appendix

Table A3.1: ${ }^{1} \mathrm{H}$ assignment of the major conformation of GramA-Asn in $\mathrm{CD}_{3} \mathrm{OH}$ at RT . * indicates magnetically equivalent protons in methylene and magnetically equivalent methyl groups. ${ }^{+}$indicates aldehyde proton. Aromatic protons of Trp residues could not be assigned due to signal overlap.

|  | HN | Ha | H $\beta$ | $\mathrm{H} \gamma$ | H | He | HNsc |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ald | n.i. ${ }^{+}$ | - | - | - | - | - | - |
| Val ${ }^{1}$ | 8.39 | 4.16 | 2.04 | 0.98*- | - | - | - |
| D-Asn ${ }^{2}$ | 8.59 | 4.79 | 2.77* | - | - | - | n.i. |
| Ala ${ }^{3}$ | 8.18 | 4.22 | 1.34 | - | - | - | - |
| D-Asn ${ }^{4}$ | 8.22 | 4.65 | 2.76* | - | - | - | n.i. |
| Ala ${ }^{5}$ | 7.92 | 4.43 | 1.37 | - | - | - | - |
| D-Val ${ }^{6}$ | 7.95 | 4.30 | 2.13 | 0.91* | - | - | - |
| $\mathrm{Val}^{7}$ | 8.18 | 4.10 | 2.08 | 0.95* | - | - | - |
| D-Asn ${ }^{8}$ | 8.41 | 4.78 | 2.68, 2.58 | - | - | - | n.i. |
| Trp ${ }^{9}$ | 8.19 | 4.53 | 3.32, 3.17 | - | 7.07 | n.i. | 10.17 |
| D-Asn ${ }^{10}$ | 8.05 | 4.73 | 2.41 | - | - | - | n.i. |
| Trp ${ }^{11}$ | 8.10 | 4.55 | 3.28, 3.14 | - | 7.05 | n.i. | 10.27 |
| D-Leu ${ }^{12}$ | 7.96 | 4.14 | 1.23, 1.16 | 0.75 | 0.53* | - | - |
| Trp ${ }^{13}$ | 8.17 | 4.51 | 3.29, 3.15 | - | 7.06 | n.i. | 10.20 |
| D-Asn ${ }^{14}$ | 7.98 | 4.61 | 2.49, 2.24 | - | - | - | n.i. |
| Trp ${ }^{15}$ | 8.00 | 4.57 | 3.37, 3.13 | - | 7.10 | n.i. | 10.15 |
| Etam | 7.78 | 3.24* | 3.50* | - | - | - | - |

Table A3.2: ${ }^{1} \mathrm{H}$ assignment of the major conformation of GramA-Asm in $\mathrm{CD} \mathrm{D}_{3} \mathrm{OH}$ at $37{ }^{\circ} \mathrm{C}$. * indicates magnetically equivalent protons in methylene and magnetically equivalent methyl groups. ${ }^{+}$indicates aldehyde proton and n.i. non identifiable protons. Aromatic protons of Trp residues could not be assigned due to signal overlap.

|  | HN | H $\alpha$ | H $\beta$ | $\mathrm{H} \gamma$ | H $\delta$ | He | HNsc | HMe |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ald | $8.18{ }^{+}$ | - | - | - | - | - | - | - |
| Val ${ }^{1}$ | 8.37 | 4.24 | 2.09 | 0.97*- | - | - | - | - |
| D-Asm ${ }^{2}$ | 8.54 | 4.67 | 2.80, 2.70 | - | - | - | 7.91 | n.i. |
| Ala ${ }^{3}$ | 8.13 | 4.21 | 1.35 | - | - | - | - | - |
| D-Asm ${ }^{4}$ | 8.18 | 4.63 | 2.67, 2.39 | - | - | - | n.i. | n.i. |
| Ala ${ }^{5}$ | 7.94 | 4.43 | 1.37 | - | - | - | - | - |
| D-Val ${ }^{6}$ | 7.96 | 4.29 | 2.15 | 0.91* | - | - | - | - |
| Val ${ }^{7}$ | 8.17 | 4.10 | 2.06 | 0.97, 0.93 | - | - | - | - |
| D-Asm ${ }^{8}$ | 8.41 | 4.79 | 2.67, 2.51 | - | - | - | n.i. | n.i. |
| Trp ${ }^{9}$ | 8.18 | 4.55 | 3.30, 3.17 | - | 7.08 | 7.32 | 10.23 | - |
| D-Asm ${ }^{10}$ | 7.95 | 4.58 | n.i. | - | - | - | n.i. | n.i. |
| Trp ${ }^{11}$ | 7.98 | 4.57 | 3.35, 3.13 | - | 7.04 | 7.31 | 10.31 | - |
| D-Leu ${ }^{12}$ | 8.03 | 4.15 | 1.29, 1.21 | 0.79 | 0.56* | - | - | - |
| Trp ${ }^{13}$ | 8.19 | 4.54 | 3.28, 3.12 | - | 7.05 | 7.31 | 10.25 | - |
| D-Asm ${ }^{14}$ | 7.96 | 4.61 | n.i. | - | - | - | n.i. | n.i. |
| Trp ${ }^{15}$ | 8.00 | 4.57 | 3.33, 3.12 | - | 7.07 | 7.30 | 10.18 | - |
| Etam | 7.82 | 3.24* | 3.51* | - | - | - | - | - |

Table A3.3: ${ }^{1} \mathrm{H}$ assignment of the major conformation of GramA-Asm in $70 \% \mathrm{CD}_{3} \mathrm{OH}$ and $30 \% \mathrm{H}_{2} \mathrm{O}$ at $37{ }^{\circ} \mathrm{C}$. * indicates magnetically equivalent protons in methylene and magnetically equivalent methyl groups. ${ }^{+}$indicates aldehyde proton and n.i. non identifiable protons. Aromatic protons of Trp residues could not be assigned due to signal overlap.

|  | HN | Ha | H $\beta$ | $\mathrm{H} \boldsymbol{\gamma}$ | H $\delta$ | He | HNsc | HMe |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ald | $8.17{ }^{+}$ | - | - | - | - | - | - | - |
| Val ${ }^{1}$ | 8.31 | 4.18 | 2.09 | 0.94*- | - | - | - | - |
| D-Asm ${ }^{2}$ | 7.81 | 4.70 | 2.75, 2.67 | - | - | - | 7.81 | 2.68 |
| Ala ${ }^{3}$ | 8.01 | 4.21 | 1.33 | - | - | - | - | - |
| D-Asm ${ }^{4}$ | 8.13 | 4.58 | 2.68, 2.60 | - | - | - | 7.65 | 2.68 |
| Ala ${ }^{5}$ | 7.89 | 4.29 | 1.33 | - | - | - | - | - |
| D-Val ${ }^{6}$ | 7.82 | 4.20 | 2.10 | 0.86* | - | - | - | - |
| Val ${ }^{7}$ | 8.02 | 4.03 | 2.03 | 0.90, 0.87 | - | - | - | - |
| D-Asm ${ }^{8}$ | 8.36 | 4.75 | 2.59, 2.45 | - | - | - | 7.45 | 2.57 |
| Trp ${ }^{9}$ | 8.03 | 4.48 | 3.24, 3.14 | - | 7.06 | 7.48 | 10.11 | - |
| D-Asm ${ }^{10}$ | 7.87 | 4.59 | 2.7, 2.11 | - | - | - | 7.87 | 2.49 |
| Trp ${ }^{11}$ | 7.96 | 4.53 | 3.23, 3.13 | - | 7.07 | 7.50 | 10.17 | - |
| D-Leu ${ }^{12}$ | 7.85 | 4.07 | 1.17, 1.11 | 0.91 | 0.59, 0.46 | - | - | - |
| Trp ${ }^{13}$ | 8.01 | 4.53 | 3.22, 3.07 | - | 7.09 | 7.51 | 10.15 | - |
| D-Asm ${ }^{14}$ | 7.89 | 4.49 | 2.33, 2.01 | - | - | - | 7.89 | 2.54 |
| Trp ${ }^{15}$ | 7.84 | 4.52 | 3.31, 3.10 | - | 7.07 | 7.55 | 10.05 | - |
| Etam | 7.68 | 3.23* | 3.49* | - | - | - | - | - |

## 4 Restrained MD-Simulations Using a Complete Set of One-Bond CH and NH Residual Dipolar Couplings for Cyclosporin A in $\mathrm{CDCl}_{3}{ }^{*}$


#### Abstract

In this chapter, we present an extensive set of residual dipolar couplings (RDCs) data for cyclosporin A in chloroform. It was possible to obtain RDCs for all CH and NH bonds as well as for the homonuclear two-bonds HH in methylene groups by using a very weakly aligning compressed poly(methyl methacrylate) (PMMA) gel with a cross-linker to monomer ratio of $0.05 \%$. Conformational ensembles that match the RDC data were generated by molecular dynamics (MD) simulations using the recently introduced MDOC approach starting from two different crystal structures of cyclosporin A. Both ensembles could reproduce the experimental RDC data within experimental error, although they differ in the configuration of an amide bond (cis/trans). This indicates that even the entire set of heteronuclear CH and NH one-bond RDCs is not sufficient to unambiguously describe the conformational ensemble of cyclosporin A (at least at this alignment strength with the obtained experimental errors).


[^1]
### 4.1 Introduction

Residual dipolar couplings (RDCs) contain valuable structural information about the conformational ensemble of a molecule of interest. In contrast to the local information gained from chemical shifts (information about first and second sphere of atoms surrounding the nucleus), J-couplings (information about dihedral angles) and nuclear Overhauser Effect (NOE) (distance information up to $5 \AA$ ), the information gained from RDCs is of more global character. ${ }^{39}$ Since the dipolar coupling is averaged to zero in solution, a partial alignment is necessary to observe RDCs. This alignment is extremely weak, thus the spectral resolution is largely similar to solution NMR. ${ }^{40}$ RDCs have been used successfully for structure elucidation of large biomolecules with a relatively rigid core structure. ${ }^{208,209}$ However, making use of the information contained in the RDCs remains a major challenge for flexible systems. ${ }^{210}$ Recently, several molecular dynamics (MD) simulation based methods were proposed to tackle this problem. ${ }^{72,211}$

For the present study, we have recorded a large set of precise hetero- and homonuclear RDCs for the natural product cyclosporin A (Scheme 4.1) in a compressed poly(methyl methacrylate) (PMMA) gel in chloroform ( $\mathrm{CDCl}_{3}$ ). In $\mathrm{CDCl}_{3}$, cyclosporin A shows only one dominant set of signals with about $95 \%$ population, whereas in methanol, at least six different sets of signals can be observed. ${ }^{212}$ From extensive MD simulations in chloroform, it could be shown that cyclosporin A shows flexibility not only in the side-chains but also in the backbone. ${ }^{51}$

Recently, the incorporation of experimental RDCs in the COSMOS MD engine ${ }^{213}$ has been implemented using tensorial constraints. We have evaluated this functionality using our newly recorded set of RDC data and the crystal structure of cyclosporin A, which resembles the major conformation in $\mathrm{CDCl}_{3}$ (one cis-amide bond between residues 9 and 10), , ${ }^{214}$ as well as a more open crystal structure of cyclosporin A bound to cyclophilin (all trans-amide bonds). ${ }^{215}$ Since the RDC data of the major conformation corresponds only to a subset of the conformational ensemble in $\mathrm{CDCl}_{3}$ (about $95 \%$ ), also the generated ensemble with this approach will only cover this subfraction. If the incorporation of experimental RDCs in an MD simulation generates a reliable conformational ensemble, this method could become an extremely valuable tool to get insight into various physicochemical properties of the studied compound.


Scheme 4.1: Chemical structure of cyclosporin A with amino acids labelled in accordance to the literature.


Figure 4.1: Comparison of the crystal structure similar to the solution structure in chloroform (left, CCDC code: DEKSAN) containing one cis-amide bond with the crystal structure of cyclosporin A co-crystallized with cyclophilin (right, PDB code: 2z6w) having all amide bonds in trans configuration. The crystal DEKSAN is more compact and forms four intramolecular hydrogen bonds, whereas the protein-bound crystal conformation is more open, forming hydrogen bonds with its environment. Only the heavy atoms are shown. The figure was created with VMD. ${ }^{145}$

### 4.2 Theory

The dipolar coupling $D_{I S}$ depends on the distance between the coupling nuclei and the angle between the external magnetic field and the internuclear vector. In the weak coupling limit, it can be expressed by: ${ }^{216}$

$$
\begin{equation*}
D_{I S}=-\frac{\mu_{0} \gamma_{I} \gamma_{S} \hbar}{16 \pi^{2}}\left\langle\frac{1}{r_{I S}^{3}}\left(3 \cos ^{2}(\theta)-1\right)\right\rangle \tag{4.1}
\end{equation*}
$$

where $\mu_{0}$ is the magnetic permeability of the vacuum, $\gamma_{I}$ and $\gamma_{S}$ are the gyromagnetic ratios of the coupling nuclei $I$ and $S$, and $\hbar$ is the reduced Planck constant. $r_{I S}$ is the internuclear distance, and $\theta$ is the angle between the internuclear vector and the external magnetic field $B_{0}$. The angle brackets indicate the ensemble average. Note that Eq. (4.1) shows that the maximal value is twice as large as the minimal possible dipolar coupling. In an isotropic solution, all orientations are equally probable and therefore the isotropic coupling averages out to zero. In case of a weakly aligning medium, not all orientations have the same probability and therefore a residual dipolar coupling (RDC) can be observed. The size of the RDC is strongly dependent on the alignment strength of the medium.

### 4.2.1 Treatment of RDCs in Rigid Compounds

The simplest assumption one can make to obtain useful information from Eq. (4.1) is to consider the entire molecule as one rigid entity. For a better description of the molecule in an anisotropic alignment medium, it is beneficial to move from the laboratory frame to a frame of reference that is fixed to the molecule. In this new coordinate system, the RDC in a rigid molecule is then given by: ${ }^{216}$

$$
\begin{equation*}
D_{I S}=-\frac{\mu_{0} \gamma_{I} \gamma_{S} \hbar}{16 \pi^{2}} \frac{1}{r_{I S}^{3}}\left(\vec{r}^{T} A \vec{r}\right) \tag{4.2}
\end{equation*}
$$

where $\vec{r}$ is the unit vector between the two spins / and $S$, and $A$ is the alignment tensor. The latter is a symmetric and traceless $3 \times 3$ matrix that describes the alignment properties of the rigid molecule.

$$
\mathrm{A}=\left(\begin{array}{lll}
A_{x x} & A_{x y} & A_{x z}  \tag{4.3}\\
A_{y x} & A_{y y} & A_{y z} \\
A_{z x} & A_{z y} & A_{z z}
\end{array}\right)
$$

$$
\begin{equation*}
\mathrm{A}_{x x}+A_{y y}+A_{z z}=0 \tag{4.4}
\end{equation*}
$$

Five linearly independent RDCs are necessary to define the alignment tensor. With that, different possible rigid conformations can be compared to each other and the RDCs can be used for stereospecific assignment.

### 4.2.2 Treatment of RDCs in Flexible Compounds

For flexible molecules with more than one relevant conformation, the utilization of RDCs for structure elucidation becomes more complex. Two kinds of averaging processes have to be considered. There is still the overall tumbling motion of the compound, but now also conformational changes of the molecule have to be considered. When the time scales of the two processes are sufficiently different from each other, they can be separated. ${ }^{41}$ If the overall shape of the molecule is not affected by the conformational changes, the same alignment tensor can be used for all conformations (multi conformer single tensor approach). ${ }^{217}$ If this is not the case, it would in principle be possible to fit a separate alignment tensor for each conformation (multi conformer multi tensor approach). ${ }^{210}$ In practice, however, this is only rarely possible since $6 n-1$ RDCs will be needed for $n$ conformers.

Camilloni and Vendruscolo proposed a different approach, termed "Э-method", 211 to the problem of fitting an ensemble of conformations to a set of experimental RDCs. Abandoning the concept of an alignment tensor, the tensor-free $\vartheta$-method uses directly the dependence of the dipolar couplings on the angle $\theta .{ }^{211}$ To generate a conformational ensemble, the RDCs are incorporated in an MD simulation as replica-averaged structural restraints. According to Camilloni and Vendruscolo, "the generated ensemble should be the most probable one given the force field and the experimental data included, that reproduces at the same time the conformational dynamics of the system under study and the distribution of the orientations with respect to the alignment media employed to measure the RDCs". ${ }^{211}$ The $\vartheta$-method is subject to some controversy, as it seems to implicitly re-introduce aspects of the alignment tensor formalism, which are claimed to have been removed from the model. ${ }^{218}$

Another approach for the treatment of RDCs measured in dynamic systems was recently presented by Tzvetkova et al. ${ }^{72}$ This method is based on tensorial constraints, which individually have to fulfill the secular dipolar interaction Hamiltonian in the laboratory frame without the assumption of an alignment tensor. For each RDC, an individual dipolar coupling tensor of the following form is constructed in its own principle axis system: ${ }^{72}$

$$
D_{I J}=\left(\begin{array}{ccc}
\frac{-R D C_{I J}}{2} & 0 & 0  \tag{4.5}\\
0 & \frac{-R D C_{I J}}{2} & 0 \\
0 & 0 & R D C_{I J}
\end{array}\right)
$$

A time average with exponential memory is used to introduce a new time scale for rotational reorientations and fluctuations. The difference between calculated time-averaged RDCs and experimental RDCs gives rise to a pseudo energy, which drives the system forward to a new ensemble that should be in better agreement with the experimental data. This procedure is carried out until convergence is reached. For more details, the reader is referred to two original publications, where the method is described in more detail. ${ }^{72,219}$


Figure 4.2: (a): Deviation matrix between experimental RDC tensor and time-averaged calculated RDC tensor. Deviations of diagonal elements induce non-zero off-diagonal elements. (b): Non-zero off-diagonal elements induce rotations of the corresponding vectors (orange arrows) that are constrained by the underlaying force field. Differential rotational components lead to conformational changes (green arrows), whereas matching rotational components lead to global rotation (red arrows). Reprinted from Ref. 18 with permission from Taylor \& Francis.

### 4.2.3 Experimental Determination of RDCs

Experimentally, an RDC is determined as the difference between a given coupling constant measured in an alignment medium $(T=J+D)$ and in isotropic solution ( $J$ ), respectively (Figure 4.3). Different approaches were developed to induce the necessary weak alignment. Traditionally, liquid crystals were used and are still the method of choice for large bio-molecules in aqueous solution. ${ }^{220}$ Further, it is also possible to make use of the self-aligning properties of paramagnetic ions that are tightly bound with a rigid tag to the studied molecule. ${ }^{221}$ As a third method, the alignment can also be induced using an alignment gel. The anisotropy in such a gel can either be induced by stretching or compressing the swollen gel. ${ }^{41}$ The alignment strength is dependent on the cross-linker to monomer ratio in the gel and the applied strain. ${ }^{220}$ Compressed gels can be obtained either by restriction of swelling in the $x y$-plane directly by the NMR tube walls or in the $z$-direction. The first variant has some severe disadvantages since the swelling of the gel takes quite some time (for PMMA 20-30 days) and also diffusion of the compound of interest may take up to 3 days. ${ }^{222}$ The second variant, originally presented by Gayathri et al., ${ }^{222}$ with compression in
z-direction swells within a few hours. Furthermore, the alignment strength is adjustable by tightening or loosening the pressure applied to the gel. Since the lines become broader with increasing alignment strength, it is essential to find optimal conditions, which give still relatively sharp signals but also RDCs of considerable size.

RDCs can in principle be measured with the entire arsenal of NMR experiments that are capable to determine ordinary J-couplings. For one-bond RDCs, the CLIP-HSQC experiment is often used to detect the coupling in the direct dimension. ${ }^{223}$ For crowded spectra, this can sometimes lead to overlapping signals and it is often beneficial to record the couplings in the indirect dimension. For methyl and methine protons, a $\omega_{1}$-coupled ${ }^{13} \mathrm{C}$-HSQC spectrum with a G-BIRD ${ }^{(r)}$ element ${ }^{224}$ in $t_{1}$ together with J-scaling ${ }^{225}$ to increase the resolution in $\omega_{1}$ is recommended. ${ }^{226}$ For individual CH coupling constants of diastereotopic protons in methylene groups, this experiment is not suitable as the splitting in $\omega_{1}$ corresponds to the sum of the two ${ }^{1} T /{ }^{1} J$-couplings. In this case, the J-HMQC-ge/se-HSQC experiment with J-scaling is the way to go. ${ }^{227}$


Figure 4.3: Detail view of overlayed $\omega_{1}$-coupled ${ }^{13} \mathrm{C}$-HSQC spectra with a G-BIRD(r) element and J-scaling of factor 8 . Red: isotropic spectrum, black: spectrum in a weak alignment gel. The difference between the two measured couplings corresponds to the RDC of the one-bond CH vector. The RDC is positive for the signal on the left and negative for the signal on the right.

### 4.3 Results

Due to the very weak alignment in the PMMA gel with a cross-linker to monomer ratio of 0.05 \%, it was possible to measure all $58{ }^{1} D_{C H}$ RDCs for cyclosporin A. In addition, also the four ${ }^{1} D_{N H}$ RDCs and the seven ${ }^{2} D_{H H}$ RDCs could be measured. The RDC values with the corresponding estimated experimental errors are given in Table 4.1 and Table 4.2. The stereospecific assignment for the RDCs were taken from the literature..$^{31,228}$ To our knowledge, this is the only complete set of ${ }^{1} D$ heteronuclear and ${ }^{2} D_{H H}$ RDCs for cyclosporin A. In the RDC dataset provided by Klages et al., ${ }^{31}$ only 35 of the 58 possible ${ }^{1} D_{C H}$ RDCs could be measured, and their RDCs were in general larger. Especially RDCs of CH pairs with multiple protons in proximity were not observable in their case, probably due to long-range couplings that broadened the signals. Since we used an extremely weak alignment strength, our signals were nearly as sharp as in the isotropic solution, which allowed us to measure also these RDCs.

Table 4.1: List of one-bond CH and NH RDCs of cyclosporin A with the associated estimated error measured in $0.05 \%$ cross-linked PMMA gel swollen in $\mathrm{CDCl}_{3}$.

| Residue | Coupling Nuclei | Measured RDC [Hz] | Estimated Error [Hz] |
| :---: | :---: | :---: | :---: |
| 1 MeBmt | CMe-HMe* | 3.0 | 0.1 |
| 1 MeBmt | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | -9.9 | 0.3 |
| 1 MeBmt | $\mathrm{C} \beta-\mathrm{H} \beta$ | 1.9 | 0.1 |
| 1 MeBmt | $\mathrm{CY}-\mathrm{H} \gamma$ | 2.2 | 0.2 |
| 1 MeBmt | C $\delta$-H $\delta$ proR | -4.8 | 1.3 |
| 1 MeBmt | $\mathrm{C} \delta-\mathrm{H} \delta$ proS | 0.3 | 0.3 |
| 1 MeBmt | $\mathrm{C} \varepsilon-\mathrm{H} \varepsilon$ | 1.8 | 0.3 |
| 1 MeBmt | $\mathrm{C} \zeta-\mathrm{H} \mathrm{\zeta}$ | 1.3 | 0.1 |
| 1 MeBmt | $\mathrm{C} \eta-\mathrm{Hn}^{*}$ | -0.5 | 0.1 |
| 2 Abu | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | -7.5 | 0.1 |
| 2 Abu | $\mathrm{C} \beta-\mathrm{H} \beta$ proR | 3.4 | 0.5 |
| 2 Abu | $\mathrm{C} \beta-\mathrm{H} \beta$ proS | -2.2 | 1.9 |
| 2 Abu | $\mathrm{C} Y$ - $\mathrm{H} \boldsymbol{\gamma}^{*}$ | -2.1 | 0.8 |
| 3 Sar | CMe-HMe* | 1.9 | 0.1 |
| 3 Sar | C $\alpha$-HoproR | -4.8 | 0.6 |
| 3 Sar | $\mathrm{C} \alpha$-Ho proS | -1.4 | 0.6 |
| 4 MeLeu | CMe-HMe* | -0.3 | 0.1 |
| 4 MeLeu | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | -0.1 | 0.1 |
| 4 MeLeu | $\mathrm{C} \beta-\mathrm{H} \beta$ proR | -0.1 | 0.6 |


| 4 MeLeu | $\mathrm{C} \beta-\mathrm{H} \beta$ proS | -4.6 | 0.5 |
| :---: | :---: | :---: | :---: |
| 4 MeLeu | $\mathrm{Cy}-\mathrm{H} \gamma$ | -3.9 | 0.2 |
| 4 MeLeu | C $\delta-H \delta$ proR* | -2.9 | 0.7 |
| 4 MeLeu | C $\delta$-H $\delta$ proS* | 0.4 | 0.1 |
| 5 Val | $\mathrm{C} \alpha$ - $\mathrm{H} \alpha$ | -4.2 | 0.1 |
| 5 Val | $\mathrm{C} \beta-\mathrm{H} \beta$ | -4.3 | 0.1 |
| 5 Val | C Y - $\mathrm{H} \boldsymbol{\gamma}$ proR* | -0.8 | 0.1 |
| 5 Val | C $\boldsymbol{\gamma}$ - $\mathrm{H} \boldsymbol{\gamma}$ pros* | -3.3 | 0.2 |
| 6 MeLeu | CMe-HMe* | 1.5 | 0.1 |
| 6 MeLeu | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | -9.5 | 0.2 |
| 6 MeLeu | $\mathrm{C} \beta-\mathrm{H} \beta$ proR | 0.0 | 0.5 |
| 6 MeLeu | $\mathrm{C} \beta-\mathrm{H} \beta$ proS | -3.1 | 0.5 |
| 6 MeLeu | $\mathrm{C} \boldsymbol{\gamma}-\mathrm{H} \gamma$ | 0.4 | 0.2 |
| 6 MeLeu | C $\delta-\mathrm{H} \delta$ proR* | 1.5 | 0.1 |
| 6 MeLeu | C $\delta$-H $\delta$ proS* | 1.6 | 0.5 |
| 7 Ala | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | -6.0 | 0.3 |
| 7 Ala | $\mathrm{C} \beta-\mathrm{H} \beta^{*}$ | 2.5 | 0.1 |
| 8 D-Ala | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | -2.2 | 0.2 |
| 8 D-Ala | $\mathrm{C} \beta-\mathrm{H} \beta^{*}$ | 2.6 | 0.1 |
| 9 MeLeu | CMe-HMe* | -0.4 | 0.02 |
| 9 MeLeu | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | 6.3 | 0.2 |
| 9 MeLeu | $\mathrm{C} \beta-\mathrm{H} \beta$ proR | 4.6 | 0.7 |
| 9 MeLeu | $\mathrm{C} \beta-\mathrm{H} \beta$ proS | -6.4 | 0.6 |
| 9 MeLeu | $\mathrm{CY}-\mathrm{H} \gamma$ | -6.4 | 0.1 |
| 9 MeLeu | C $\delta$-H $\delta$ proR* | -2.6 | 0.5 |
| 9 MeLeu | C $\delta$-H $\delta$ proS* | -0.9 | 0.2 |
| 10 MeLeu | CMe-HMe* | 2.3 | 0.2 |
| 10 MeLeu | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | -5.3 | 0.1 |
| 10 MeLeu | $\mathrm{C} \beta-\mathrm{H} \beta$ proR | 1.3 | 0.6 |
| 10 MeLeu | $\mathrm{C} \beta-\mathrm{H} \beta$ proS | 2.3 | 0.9 |
| 10 MeLeu | $\mathrm{CY}-\mathrm{H} \gamma$ | 6.9 | 0.3 |
| 10 MeLeu | C $\delta$-H $\delta$ down* | 1.3 | 0.1 |
| 10 MeLeu | C $\delta$-H $\delta$ up* | 1.7 | 0.1 |
| 11 MeVal | CMe-HMe* | 2.3 | 0.2 |


| 11 MeVal | $\mathrm{C} \alpha-\mathrm{H} \alpha$ | -10.7 | 0.3 |
| :--- | :--- | :--- | :--- |
| 11 MeVal | $\mathrm{C} \beta-\mathrm{H} \beta$ | -9.6 | 0.5 |
| 11 MeVal | $\mathrm{C} \gamma-\mathrm{H} \gamma$ proR* | 0.5 | 1.3 |
| 11 MeVal | $\mathrm{C} \gamma-\mathrm{H} \gamma$ proS* | -4.3 | 0.3 |
| 2 Abu | $\mathrm{N}-\mathrm{HN}$ | -3.6 | 0.1 |
| 5 Val | $\mathrm{N}-\mathrm{HN}$ | -3.5 | 0.1 |
| 7 Ala | $\mathrm{N}-\mathrm{HN}$ | -4.8 | 0.2 |
| 8 D-Ala | $\mathrm{N}-\mathrm{HN}$ | 1.3 | 0.1 |

Table 4.2: List of ${ }^{2} D_{H H}$ RDCs of cyclosporin $A$ with the associated estimated error measured in $0.05 \%$ cross-linked PMMA gel swollen in $\mathrm{CDCl}_{3}$.

| Residue | Coupling nuclei | Measured RDC $[\mathrm{Hz}]$ | Estimated Error $[\mathrm{Hz}]$ |
| :--- | :--- | :--- | :--- |
| 1 MeBmt | $\mathrm{H} \delta$ proR- H $\delta$ proS | 5.2 | 0.8 |
| 1 MeBmt | $\mathrm{H} \delta$ proS- H $\delta$ proR | 5.3 | 0.6 |
| 2 Abu | $\mathrm{H} \beta$ proR-H $\beta$ proS | -1.6 | 0.5 |
| 2 Abu | $\mathrm{H} \beta$ proS-H $\beta$ proR | -1.9 | 0.6 |
| 3 Sar | $\mathrm{H} \alpha$ proR-H $\alpha$ proS | 9.9 | 0.5 |
| 3 Sar | $\mathrm{H} \alpha$ proS-H $\alpha$ proR | 9.9 | 0.5 |
| 4 MeLeu | $\mathrm{H} \beta$ proR-H $\beta$ proS | 0.1 | 0.6 |
| 4 MeLeu | $\mathrm{H} \beta$ proS-H $\beta$ proR | 0.8 | 0.6 |
| 6 MeLeu | $\mathrm{H} \beta$ proR-H $\beta$ proS | 3.0 | 1.1 |
| 6 MeLeu | $\mathrm{H} \beta$ proS-H $\beta$ proR | 3.6 | 0.8 |
| 9 MeLeu | $\mathrm{H} \beta$ proR-H $\beta$ proS | 6.4 | 1.3 |
| 9 MeLeu | $\mathrm{H} \beta$ proS-H $\beta$ proR | 7.6 | 0.6 |
| 10 MeLeu | $\mathrm{H} \beta$ proR-H $\beta$ proS | -1.4 | 0.6 |
| 10 MeLeu | $\mathrm{H} \beta$ proS-H $\beta$ proR | -2.0 | 0.7 |

The ${ }^{1} D_{C H}$ and ${ }^{1} D_{N H}$ RDC data were used as input for molecular dynamics (MD) simulations with orientational constraints (MDOC) using the COSMOS simulation package. ${ }^{213,229}$ The principle how the RDC data is used for restraining and ensemble generation is shown in Figure 4.2. The ${ }^{2} D_{H H}$ cannot yet be used with MDOC because the interatomic distance is strongly fluctuating. Two different crystal structures of cyclosporin A were taken as starting geometries. The first shows a conformation similar to the one observed in $\mathrm{CDCl}_{3}$ solution (CCDC code: DEKSAN, one cis-amide bond between residues 9 and 10). ${ }^{214}$ In the other one, cyclosporin A was co-crystallized with cyclophilin (PDB code: 2z6w, all trans-amide bonds). ${ }^{215}$ The first crystal structure should be a good
starting conformation for the MDOC simulation and not much change in the overall shape is expected for the ensemble to reproduce the RDC data. For the other starting structure, the calculated ensemble will fit the RDC data initially relatively poorly and extensive structural reorganization is needed for an improved match, including a trans-to-cis isomerization of a peptide bond. Several MDOC runs were performed to determine appropriate parameters for the weight factor of the dipolar pseudo forces and the sample order parameter. The final settings were 0.0005 for the weight factor and 0.01 for the sample order parameter. A 30 ns MDOC simulation starting from the DEKSAN crystal structure fulfilled 109 of the 110 experimental RDCs within the experimental errors. No cis-to-trans isomerizations were observed (Figure 4.4, left). Starting from the alternative crystal structure ( 2 z 6 w ), all 110 RDC were fulfilled within experimental errors. Also here, no peptide bond isomerizations were observed (Figure 4.4, right). This means that the two obtained ensembles differ in the configuration of the peptide bond between residues 9 and 10 .


Figure 4.4: Torsional angle of the peptide bonds in cyclosporin A as a function of simulation time during the MDOC simulation starting from the crystal structures DEKSAN (left) and 2z6w (right). Note that the peptide bond between residues 9 and 10 is in the cis-configuration (i.e., $0^{\circ}$ ) in DEKSAN, while it is trans (i.e., $180^{\circ}$ ) in 226 w . No cis-to-trans isomerization or vice versa was observed in both simulations.

Overall, cyclosporin A undergoes extensive conformational sampling in both MDOC simulations. Comparing the Ramachandran plots for the two MDOC simulations, it is notable that the distributions of the phi- and psi-dihedral angles are highly similar, except for the two residues (9 and 10) on both sides of the peptide bond whose configuration differs between the two starting structures (Figure 4.5 and Figure 4.6). Interestingly, when comparing the RMSDs of the backbone to the DEKSAN crystal structure, we find that both generated ensembles differ substantially from the NMR solution structure in chloroform (Figure 4.7). We would have expected that the backbone configurations of the simulation starting from the DEKSAN crystal structure stay relatively close to this starting structure, whereas significant changes should occur for the one starting from $2 \mathrm{z6w}$ including a potential trans-to-cis isomerization for the amide bond between residues 9 and 10.


Figure 4.5: Ramachandran plot for the MDOC simulation starting from the DEKSAN crystal structure. The first 5 ns of the 30 ns simulation were discarded for equilibration.


Figure 4.6: Ramachandran plot for the MDOC simulation starting from the $2 z 6 \mathrm{w}$ crystal structure. The first 5 ns of the 30 ns simulation were discarded for equilibration.


Figure 4.7: Backbone RMSD values to the DEKSAN crystal structure of the MDOC simulations starting from DEKSAN (black) and from 2z6w (red).

The fact that both ensembles fulfilled the experimental RDCs equally well is a strong indication that even when all one-bond CH and NH RDCs are available from experiment, it is not enough to unambiguously describe the conformational ensemble of cyclosporin A in solution. If we compare our Ramachandran plots to the ones from Witek et al. ${ }^{51}$ resulting from extensive unrestrained MD simulations in chloroform, it is evident that a much larger conformational space is visited in the MDOC simulations. This could be an indication that also unphysical states are visited due to too high pseudo forces from the RDC restraining. A possible issue could be that the side-chain RDCs account for a major part of the applied restraints. This can be considered as a dilution of the information from the backbone RDCs about the conformational space of the peptide backbone, especially, since it should be much easier to fulfill the side-chain RDCs than the backbone RDCs due to higher flexibility. However, all RDCs have the same weight in the simulation. In the current implementation, it is not possible to give them individual weights. Another aspect is certainly that our RDCs values are relatively small. On the one hand, this allows us to measure the complete set of RDCs with small absolute errors. On the other hand, the relative error becomes rather large, which also reduces the informative value of the RDC data. For further studies, it may be beneficial to compare the generated ensemble of the MDOC simulation using all available RDCs with an MDOC simulation using only the RDCs involving backbone atoms.

### 4.4 Conclusion

In this work, we presented a new set of precise RDC data for cyclosporin A recorded in a crosslinked PMMA gel swollen in chloroform. All one-bond CH and NH RDCs as well as all two-bond HH RDCs in methylene groups could be determined. This was made possible due to the very low crosslinker ratio of $0.05 \%$ chosen, since this gave nearly as sharp lines as the isotropic sample. MDOC simulations of 30 ns length were performed starting from two different crystal structures of cyclosporin A, one resembling the solution structure in chloroform (DEKSAN, one cis-amide bond) and one co-crystalized with cyclophilin (2z6w, all trans-amide bonds). The DEKSAN crystal structure resembles the NMR solution structure in chloroform determined from NOEs and should thus be a good starting point for the MDOC simulation. For the MDOC simulation starting from the $2 z 6 w$ crystal structure, on the other hand, much more rearrangement was expected (including a trans-to-cis isomerization). Interestingly, we found that both ensembles obtained with MDOC reproduce the experimental RDCs within their experimental errors (109 of 110 in case of DEKSAN and 110 of 110 in case of 2 z 6 w ). Since no cis-to-trans isomerizations were observed during either of the MDOC simulations, the two ensembles are significantly different from each other, including the configuration of a peptide bond. Nevertheless, they reproduce the experimental RDCs equally well. This indicates that even the entire set of one-bond CH and NH RDCs is not enough information to unambiguously describe the conformational ensemble of cyclosporin A (at least at this alignment strength). Overall, it appears that the interpretation and extraction of the information obtained from RDCs is still non-trivial for flexible molecules. For future studies, the RDC dataset could be combined with J-coupling information as well as with NOE-derived distances. The combination of these datasets is possible within the MDOC approach, but additional parameters need to be optimized for the correct relative scaling of the pseudo forces.

### 4.5 Method Section

## Experimental Details

Cross-linked poly(methyl methacrylate) (PMMA) sticks were prepared following a slightly modified version of the procedure described by Gayathri et al. ${ }^{222}$ Stabilized methyl methacrylate (MMA) (Acros) and stabilized ethylene glycol dimethyl acrylate (EGDMA) (Acros) were run through a short column of basic alumina (MP Alumina B, Act I, EcoChrom) to remove the stabilizer. The polymer was prepared by mixing 10 ml MMA, 2 ml acetone- $\mathrm{d}_{6}$ (Armar) and 3 mg of the radical starter V70 (2,2'-azobis(2,4-dimethyl-4-methoxyvaleronitrile)) (Fujifilm). Out of this solution, 10 ml were transferred into a new vessel and $7.4 \mu \mathrm{I}$ EGDMA was added (monomer to cross-linker ratio of $0.05 \%)$. Three freeze-pump-thaw cycles were applied to degas the solution to prevent the formation of air bubbles during polymerization. The solution was transferred into 3 mm NMR tubes (Bruker LabScape). The tubes were capped and put in an oil bath at $50^{\circ} \mathrm{C}$ for four hours. Then the caps were removed and the polymer sticks were allowed to dry in the tubes for two days at RT. Afterwards the tubes were cut in half with a diamond cutter and the sticks were gently removed. The PMMA sticks were allowed to dry further for one day at RT and then cut into pieces of the desired length (between 2.5 and 4 cm ). The short PMMA sticks were swollen in a $1: 1$ solution of acetone $-\mathrm{d}_{6}$ and methanol- $\mathrm{d}_{4}$ for several hours and afterwards put in a small vial with chloroform-d that was exchanged three times. Each washing step lasted at least 30 min. Finally, the sticks were allowed to dry at room temperature.

To induce the anisotropic environment, an improved variant of a commercially available gel compression device (NE-375-5, NewEra) was used. The original device was made out of Teflon, which has beneficial properties for this application since it is resistant against most solvents and does not give signals in a ${ }^{13} \mathrm{C}$-HSQC spectrum due to complete fluorination. But Teflon has only limited mechanical stability and especially the thread wears out quickly. Another issue is the mechanism by which the compression device is held on the NMR tube. For this, an NMR tube with a small collar close to the opening is provided by the vendor. But if the plunger presses tightly on the gel, the soft Teflon holding mechanism may easily slip over the collar and during such an incident also the collar may break. To tackle these issues, we decided to use a commercial screw cap NMR tube instead of the collar tube. This provides an easier mechanism for attachment and also greater stability. Second, the workshop of the Laboratory of Organic Chemistry (LOC) at ETH Zurich made an improved variant of the compression device out of polyether ether ketone (PEEK). This polymer is also very stable against most solvents and in addition shows excellent mechanical stability. The only drawback is that PEEK is not fluorinated and potentially contributes to the spectral background. Therefore, we use a small Teflon rod at the bottom of the plunger to avoid
this issue. The Teflon rod has an inner thread for easy removal from the tube. The improved device is shown together with the commercially available one in Figure 4.8.


Figure 4.8: Commercially available gel compression device made out of Teflon using a collar glass tube (top) and the improved compression device made out of PEEK using a screw cap NMR tube that is more robust (bottom). After repeated use, the commercial compression device started to deform and also the threads are worn out, whereas this could not be observed for the improved variant.

For the NMR experiments in anisotropic solution, a PMMA stick of 4 cm length was put into a 5 mm screw cap NMR tube. Then $600 \mu$ of a 50 mM cyclosporin A solution in $\mathrm{CDCl}_{3}$ was added into the tube (the cyclosporin A was a kind gift of Prof. Seebach, ETH Zürich). The plunger of the compression device was immediately positioned at the top of the polymer stick to prevent swelling in the longitudinal direction. The stick was then allowed to swell overnight. Before measurement, the gel was compressed to a length of 3.9 cm . The isotropic sample was measured at the same concentration in a normal 5 mm NMR tube.

All spectra were recorded on a 600 MHz spectrometer equipped with a cryogenic Prodigy tripleresonance probe with z-gradients. The temperature was kept constant at $25^{\circ} \mathrm{C}$. The ${ }^{1} \mathrm{H}$ spectrum of the isotropic sample was recorded with a spectral width of 10 ppm . The transmitter was set to 4 ppm. 65536 data points were recorded with 32 scans. The ${ }^{1} \mathrm{H}$ spectrum of the compressed gel was recorded with a PROJECT-T filter of 320 ms to suppress the polymer signals. ${ }^{230}$ A spectral width of 12 ppm was used and the transmitter was set to 4.5 ppm .43268 points were recorded with 8 dummy scans followed by 8 scans. The quality of the gel was assessed by recording a ${ }^{2} \mathrm{D}$ spectrum and looking at the deuterium splitting of the $\mathrm{CDCl}_{3}$ signal. A spectral width of 10 ppm was used and the transmitter was set to 5 ppm .3686 data points were recorded with 4 scans. A deuterium splitting of 7.6 Hz was observed.

All ${ }^{1} T_{\mathrm{CH}} /{ }^{1}{ }_{\mathrm{CH}}$ coupling constants were measured in the indirect dimension. In case of methyl and methine protons, a $\omega_{1}$-coupled ${ }^{13} \mathrm{C}$-HSQC spectrum with a G-BIRD ${ }^{(r)}$ element ${ }^{224}$ in $t_{1}$ to remove undesired long-range couplings was used. J-scaling ${ }^{225}$ was applied to increase the resolution in $\omega_{1} .{ }^{226}$ For the determination of the individual CH -coupling-constants of diastereotopic protons in methylene groups this experiment is not suitable as the splitting in $\omega_{1}$ corresponds to the sum of
the two ${ }^{1} T /{ }^{1}$-couplings. In this case the J-HMQC-ge/se-HSQC experiment proposed by Fehér and Kövér was used. ${ }^{227}$ This experiment was also used to measure the two-bond homonuclear RDCs of methylene groups. The corresponding pulse sequences in the Bruker pulse program library are HSQCBIETGPJCSP. 2 and HSQCBIETGPJCMQSP, respectively.

For the isotropic sample, both experiments were recorded with spectral widths of 6 ppm in the direct dimension and 150 ppm in the indirect dimension. The transmitters were set to 3 ppm and 65 ppm , respectively. For the anisotropic sample, the $\omega_{1}$-coupled ${ }^{13} \mathrm{C}$-HSQC was recorded with spectral widths of 6 ppm in the direct dimension and 87 ppm in the indirect dimension. The transmitters were set to 3 ppm and 36 ppm , respectively. The J-HMQC-ge/se-HSQC experiment was recorded with spectral widths of 5 ppm in the direct and 65 ppm in the indirect dimension. The transmitters were set to 2.5 ppm and 35 ppm , respectively. For all four spectra, a total of 1024 x 512 points was recorded using a J-scaling factor of 8 . For the two isotropic spectra as well as for the $\omega_{1}$-coupled ${ }^{13} \mathrm{C}$-HSQC spectrum of the anisotropic sample, 8 scans per increment were accumulated whereas for the anisotropic J-HMQC-ge/se-HSQC 16 scans per increment were accumulated.

The spectra were processed with Topspin 4.1 (Bruker Biospin AG) and both time domains in all spectra were extended to twice their size by zero-filling and apodized with a $\cos ^{2}$ function. Baselines were corrected using polynomials of fifth order. To obtain the RDCs, ${ }^{1} T_{\mathrm{CH}}$ and ${ }^{1} J_{\mathrm{CH}}$ couplings were determined from the $\omega_{1}$-coupled ${ }^{13} \mathrm{C}$-HSQC and J-HMQC-ge/se-HSQC spectra. The $\omega_{1}$-trace corresponding to a given multiplet was extracted as the sum of the corresponding columns and overlayed with itself. By shifting one of the two traces such that the right half of the multiplet is directly on top of the left half of the multiplet in the other spectrum, the coupling constant can be directly read off as the offset between the two spectra. By evaluation of the offset range for which the superposition is still decent, one obtains an error range for the corresponding coupling. It is important to note that, in case of a diastereotopic $\mathrm{CH}_{2}$ group, the ${ }^{1} T_{\mathrm{CH}}$ or ${ }^{1} J_{\mathrm{CH}}$ coupling of H proR in a J-HMQC-ge/se-HSQC spectrum is determined from the multiplet splitting at the $\omega_{2}$-position of H proS, and vice versa. The difference between a given coupling constant obtained for the anisotropic ( $T$ ) and the isotropic sample $(J)$ gives the RDC. Since a $J$-scaling factor of 8 was used for the $J$-coupling evolution in $t_{1}$, the obtained RDC additionally needs to be divided by this number.
${ }^{1} D_{N H}$ RDCs were determined using the corresponding $\omega_{1}$-coupled G-BIRD ${ }^{(r)}{ }^{15} \mathrm{~N}-\mathrm{HSQC}$ experiment. $512 \times 128$ data points were recorded for the isotropic sample with spectral widths of 1.5 and 40 ppm . The transmitters were set to 7.75 and 120 ppm , respectively. For the anisotropic sample,
$512 \times 256$ data points were recorded with spectral widths of 1.5 and 25 ppm . The transmitters were set to 7.75 and 120 ppm , respectively.

## Computational Details

The molecular dynamics with orientational constraints (MDOC) ${ }^{231}$ simulations were performed using the COSMOS package ${ }^{213}$ with the COSMOS-NMR force field. ${ }^{229}$ The procedure described by Tzvetkova et al. ${ }^{72}$ was followed closely. The temperature was set to 290 K with a thermostat coupling time constant of 0.02 ps , and $60^{\prime} 000^{\prime} 000$ steps with a Verlet time step of 0.5 fs were carried out (total trajectory time 30 ns ). The atomic charges were recalculated every four steps using bond polarization theory. ${ }^{232}$ Translational and rotational motion was reset every 1000 steps. The $\pi$-bond torsion factor was set to 1.5 . Rise time for the orientational pseudo forces were set to 2 ns . The weight factor for dipolar pseudo forces was set to 0.0005 and the sample order parameter was set to 0.01. The time constant for the property average was set to 2 ns and for the analysis the first 5 ns were discarded. For more details, the reader is referred to the publication of Tzvetkova et al. ${ }^{72}$

# 5 Comparison of Experimental and DFT Calculated Chemical Shifts Using a New Standardized Dataset Recorded in Chloroform and Tetrachloromethane* 


#### Abstract

${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts of 35 small, rigid molecules were measured under standardized conditions in chloroform-d and in tetrachloromethane. The solvent change mainly affects carbon shifts of polar functional groups. This difference cannot be adequately reproduced by DFT calculations in implicit solvent. We suspect specific solvent interactions in $\mathrm{CDCl}_{3}$ to be the reason for this. Ignoring an incomplete representation of the solvent shell potentially obscures the direction to further improve DFT methods and hampers their fair assessment. The newly recorded datasets provide an accurate basis for the validation and calibration of DFT shift calculations, especially with respect to improved solvent models.


[^2]
### 5.1 Introduction

Chemical shifts are the basis for the identification of organic molecules by NMR. ${ }^{12}$ Structure elucidation and the determination of relative configuration can be assisted by comparison with chemical shieldings calculated using density functional theory (DFT). With advances in computational resources and quantum chemical software, chemical shieldings can be obtained nowadays on a routine basis. ${ }^{233}$ For comparison with experimental data, the chemical shieldings calculated with DFT have first to be transformed into chemical shifts. Most simply, the shielding of tetramethylsilane (TMS) can be calculated at the same level of theory and then used directly to obtain the chemical shifts:

$$
\begin{equation*}
\delta_{\text {calc }_{i}}=\sigma_{\text {calc }_{T M S}}-\sigma_{\text {calc }_{i}} \tag{5.1}
\end{equation*}
$$

where $\delta_{\text {calc }}^{i}$ is the calculated chemical shift of atom $i$, and $\sigma_{\text {calc }}^{T M S}$ and $\sigma_{i}$ are the calculated shieldings of TMS, and atom $i$, respectively. Instead of TMS, any known chemical shift determined with respect to TMS can be used as reference, provided the corresponding shielding calculation has been carried out at the same level of theory:

$$
\begin{equation*}
\delta_{\text {calc }_{i}}=\delta_{\text {exp }_{r e f}}+\sigma_{\text {calc }_{\text {ref }}}-\sigma_{\text {calc }}^{i} \tag{5.2}
\end{equation*}
$$

To compensate for shortcomings of the theoretical method in specific electronic environments, one can also employ multiple standards for different types of carbons (e.g., based on hybridization). ${ }^{234}$ In organic chemistry, the most popular way to convert calculated shieldings to chemical shifts is to use a large set of reference data and perform a linear regression between calculated shieldings and experimental shifts:

$$
\begin{equation*}
\delta_{\text {calc }_{i}}=\frac{\sigma_{\text {calc }_{i}}-q}{m} \tag{5.3}
\end{equation*}
$$

where $m$ is the slope and $q$ the intercept of the regression line. If the chosen level of theory could reproduce all shieldings perfectly, a slope of -1 should be obtained and $q$ would be equivalent to $\sigma_{T M S}$ (see Eq. (5.1)). This method implicitly assumes an identical relative error for all calculated shieldings, including the reference, that can be compensated by $m$. In general, a high-quality reference dataset of experimental chemical shifts is needed for the calibration. Chemical shifts are very sensitive to the environment and depend on the concentration and temperature. ${ }^{235,236}$ Also, the presence of impurities and the protonation state can influence the chemical shift. ${ }^{237}$ Therefore, control over the conditions at which the shifts were recorded is important for highquality data. A popular reference set is the one from Tantillo et al., ${ }^{238}$ which consists of experimental ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ data of 80 small and relatively rigid organic molecules. Numerous scaling
factors for different functional and basis set combinations can be found on their webpage (http://cheshirenmr.info). The data points were, however, collected from different sources, and experimental conditions (i.e., temperature, concentration and purity) are not indicated. In addition, the dataset contains multiple chlorinated compounds whose ${ }^{13} \mathrm{C}$ chemical shifts are affected by relativistic effects that cannot be accounted for by standard DFT. Hehre et al. ${ }^{239}$ used a reference set of 2000 molecules to derive an elaborate empirical correction scheme for ${ }^{13} \mathrm{C}$ chemical shifts calculated at the inexpensive $\omega$ B97X-D/6-31G* level of theory. Also here, no special attention was paid to solvent and concentration effects or standardized experimental conditions.

Given a high-quality reference set, there are different types of errors and approximations that can impact the quality and reliability of the resulting shift prediction. One source of error is the chosen DFT method itself (functional and incomplete basis set). It is possible to go beyond DFT and perform a coupled-cluster calculation for improved accuracy, but such calculations are computationally extremely expensive and only feasible for very small systems. Numerous studies attempted to determine the best combination of functional and basis set for chemical shift calculations. ${ }^{238,240-243}$ Presumably, some combinations are only better than others due to fortunate error compensation. In terms of the applied level of theory, a good compromise between accuracy and computational cost are double-hybrid functionals, giving mean absolute relative errors as low as 1.9 \% for the calculated shieldings compared to coupled-cluster calculations. ${ }^{244}$ Another potential source of error when comparing calculated shieldings with experimental chemical shifts are specific intermolecular interactions with impurities like water or the solvent itself (e.g., via hydrogen bonds), which are not trivial to account for in DFT calculations. ${ }^{245-247}$ In addition, also vibrational contributions to the chemical shift are usually neglected.

In this study, we focus on the solute-solvent interactions and how well these can be reproduced by DFT calculations with implicit solvent models. For this purpose, we generated a high-quality reference set of ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts measured in two solvents, chloroform- $\mathrm{d}\left(\mathrm{CDCl}_{3}\right)$ and tetrachloromethane $\left(\mathrm{CCl}_{4}\right)$. Although both can be considered apolar solvents, the solute-solvent interactions are stronger in $\mathrm{CDCl}_{3}$ because $\mathrm{CCl}_{4}$ cannot act as a hydrogen-bond donor. This pair of solvents thus allows us to assess the impact of solute-solvent interactions on chemical shifts without solubility issues and very strong interactions. ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts were measured in both solvents for a set of 35 small and rigid organic molecules, consisting only of $\mathrm{H}, \mathrm{C}, \mathrm{N}$, and O atoms (Scheme 5.1). The experimental dataset was recorded under standardized conditions, referenced to internal TMS, and all chemical shifts were reassigned to eliminate potential
incorrect assignments. To make these measurements as reproducible as possible and to reduce unwanted intermolecular interactions between different solute molecules as well as between solute and impurities, a concentration of 10 mM was chosen for all compounds. On our 600 MHz spectrometer equipped with DCH cryoprobe, this concentration still allows measuring of a ${ }^{1} \mathrm{H}$ and $a{ }^{13} \mathrm{C}$ spectrum within a reasonable amount of time. Only measurements were added to the dataset, for which impurity concentrations (including water) were below $20 \%$ of the solute concentration ( $<2 \mathrm{mM}$ ) (except for 8, where the water concentration was $20.5 \%$ ). The temperature during the measurements was kept constant at $25^{\circ} \mathrm{C}$. By comparing the experimental chemical shifts in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$, we can quantify the effect of solute-solvent interactions. The generated dataset is then used to assess the ability of standard DFT methods with or without implicit solvent - to reproduce the experimental observations. This high-quality reference set of chemical shifts presents thus a valuable resource for the validation of DFT methods and the calibration of calculated chemical shieldings.


Scheme 5.1: Chemical structures of the 35 molecules in the dataset used to measure ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts in chloroform-d and tetrachloromethane. Nuclei with large solvent-induced changes in chemical shift are marked. Red dots: carbons that have a difference in ${ }^{13} \mathrm{C}$ chemical shift larger 1 ppm between $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. Blue circles: hydrogens that have a difference in ${ }^{1} \mathrm{H}$ shift larger than 0.1 ppm between the two solvents.

### 5.2 Results

After averaging magnetically equivalent nuclei, $141{ }^{1} \mathrm{H}$ and $170{ }^{13} \mathrm{C}$ unique chemical shifts were obtained for the 35 molecules in the dataset and unambiguously assigned in chloroform-d ( $\mathrm{CDCl}_{3}$ ) and tetrachloromethane $\left(\mathrm{CCl}_{4}\right)$. Exchangeable protons were not included (i.e., hydroxy proton of 16 and amine proton of 30 ). Using this dataset, we first investigated the differences in the experimental data, followed by a detailed comparison with DFT calculations of NMR chemical shieldings.

### 5.2.1 Effect of Experimental Protocol and Water Content in Chloroform

By using a standardized protocol and carefully controlling concentration, temperature, and water content in the experiments, the chemical shifts measured in this study can be considered a highly homogeneous dataset. It presents therefore a unique opportunity to assess the effect of variations in the experimental protocol by comparing to literature values from different sources. Although the water content is naturally limited in chloroform, it may still impact the measured shifts. Figure 5.1 shows the comparison between our ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts in $\mathrm{CDCl}_{3}$ and the literature values. As can be seen in Figure 5.1 and the evaluation metrics in Table 5.1, a good agreement is observed, indicating that the effects of concentration, water content, other impurities, or slight variations in temperature are relatively small for the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts of the studied molecules in $\mathrm{CDCl}_{3}$. Along with effects of concentration, temperature and purity, also proper referencing of the spectra and potential typos might be responsible for some of the variability. If we classify our data according to their association with a functional group, the largest deviations for the ${ }^{13} \mathrm{C}$ chemical shifts were found for carbonyl carbons (RMSD of 0.43 ppm ), which apparently are most affected by changes in sample or experiment conditions. The largest individual deviation from the values in our ${ }^{13} \mathrm{C}$ dataset likely stems from a change in protonation state (see Table 5.1).

While our shift data in $\mathrm{CDCl}_{3}$ and the literature values (see Appendix) do not differ much on average, the spread for some of the data points is still as high or higher as the accuracy one would like to achieve in a chemical shift calculation by DFT ( $<=1 \mathrm{ppm}$ for ${ }^{13} \mathrm{C}$ and $<=0.1 \mathrm{ppm}$ for ${ }^{1} \mathrm{H}$ ). Thus, the observed differences are still too large for the validation of computational approaches. Especially for the study of solute-solvent interactions or similar weak effects, the use of compiled literature values is not optimal since their influence on the chemical shifts is expected to be on the same order of magnitude as the spread in experimental values. The homogeneous sets of chemical shifts measured in this study will therefore serve as a valuable reference set to both validate in silico methods and to investigate the influence of specific solvation effects.


Figure 5.1: Comparison of experimental ${ }^{1} \mathrm{H}$ (left) and ${ }^{13} \mathrm{C}$ (right) chemical shifts measured under standardized conditions to values collected from multiple literature sources in $\mathrm{CDCl}_{3}$. A positive difference indicates that the literature value is larger compared to the one measured under standardized conditions. The data points are color and symbol coded with respect to the functional type of the carbon atom. Evaluation metrics are provided in Table 5.1.

Table 5.1: Root-mean-square deviation (RMSD), mean absolute deviation (MAD) and maximum absolute deviation (max. AD) when comparing the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts measured under standardized conditions to values collected from multiple literature sources in $\mathrm{CDCl}_{3} .\left(^{a}\right)$ methyl protons of 11, ${ }^{(b)}$ carbons of the pyrimidine ring next to amine of 20.

|  | ${ }^{1} \mathrm{H}$ | ${ }^{13} \mathrm{C}$ |
| :--- | :--- | :--- |
| RMSD [ppm] | 0.05 | 0.26 |
| MAD [ppm] | 0.03 | 0.15 |
| Max. AD [ppm] | $0.40^{\mathrm{a}}$ | $3.00^{\mathrm{b}}$ |

### 5.2.2 Effect of Solute-Solvent Interactions in Experiment

In general, one would expect that polar groups (i.e., carbons of carbonyls, nitriles and other hydrogen bond accepting groups) experience the largest differences in chemical shifts between $\mathrm{CCl}_{4}$ with no hydrogen-bonding capacity and $\mathrm{CDCl}_{3}$, which is able to form (weak) solute-solvent interactions. Figure 5.2 shows the difference between the chemical shifts in $\mathrm{CCl}_{4}$ and $\mathrm{CDCl}_{3}$ colored by functional group with the corresponding evaluation metrics given in Table 5.2. For the ${ }^{13} \mathrm{C}$ chemical shifts, a clear trend can be observed that correlates with the polarity of the functional groups. The largest difference is found for carbonyl carbons (cyan squares, RMSD of 3.82 ppm ), followed by the nitrile carbons (violet diamonds, RMSD of 2.13 ppm ), while the ${ }^{13} \mathrm{C}$ chemical shifts of the $\mathrm{sp}^{3}$ carbons are similar in both solvents (green circles, RMSD of 0.54 ppm ). An illustrative example is given for $\mathbf{2 6}$ in the Appendix. Interestingly, no such trend associated with the functional group was found for the ${ }^{1} \mathrm{H}$ shifts, although a general shift towards higher field is observed when going from $\mathrm{CDCl}_{3}$ to $\mathrm{CCl}_{4}$.


Figure 5.2: Comparison of experimental ${ }^{1} \mathrm{H}$ (left) and ${ }^{13} \mathrm{C}$ (right) chemical shifts measured under standardized conditions in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. The data points are color and symbol coded with respect to the functional type of the carbon atom. The evaluation metrics are provided in Table 5.2.

Table 5.2: Root-mean-square deviation (RMSD), mean absolute deviation (MAD) and maximum absolute deviation (max. $A D)$ when comparing the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts measured in $\mathrm{CCl}_{4}$ and $\mathrm{CDCl}_{3}$.

|  | ${ }^{\mathbf{1}} \mathrm{H}$ | ${ }^{13} \mathbf{C}$ |
| :--- | :--- | :--- |
| RMSD [ppm] | 0.08 | 1.40 |
| MAD [ppm] | 0.07 | 0.85 |
| Max. AD [ppm] | 0.20 | 5.90 |

To visualize in more detail which of nuclei experience the largest solvent-induced change in chemical shift, we selected all carbon and hydrogen chemical shifts which deviate more than 1.0 and 0.1 ppm between the two solvents, respectively (Scheme 5.1). The marked nuclei agree with positions where - according to the general concepts used in organic chemistry - one would expect the largest change in partial charge upon protonation or interaction with a hydrogen-bond donor.

Overall, the observations in our dataset confirm that there is a clear effect of the solvent-solute interactions on the chemical shifts - even for relatively apolar solvents -, which is important to take into account when comparing with computational approaches.

### 5.2.3 How Well Do DFT Calculations in Vacuum Reproduce Experimental Chemical Shifts in

 Solution?DFT calculations to estimate NMR chemical shieldings have traditionally been performed in vacuum. To assess how large the effect of the vacuum conditions is, we compared the experimental values with DFT calculations carried out without implicit solvent using the gauche invariant atomic orbital (GIAO) ${ }^{82}$ approach in Orca $5.0 .1^{248-250}$ with either the hybrid GGA functional PBEO ${ }^{251}$ with the cc-pVTZ basis set ${ }^{252}$ (called PBEO in the following) or the 2013 version of the double-hybrid functional PBEP86 ${ }^{253}$ together with the pcSseg-3 basis set ${ }^{254}$ (called PBEP86 in the following) on structures optimized at the BP86/def2-tzvp ${ }^{255-258}$ level of theory. Both methods have been shown in the past to perform well in the calculation of chemical shieldings. ${ }^{244,259}$ As the solute-solvent interactions are weaker in $\mathrm{CCl}_{4}$ than in $\mathrm{CDCl}_{3}$, we expect the vacuum condition in the calculations to be more appropriate for the former solvent. Table 5.3 gives the RMSD values when comparing calculated chemical shifts in vacuum with experimental values in $\mathrm{CDCl}_{3}$ or $\mathrm{CCl}_{4}$. The graphical comparisons are provided in Figure A 5.5 and Figure A 5.6 in the Appendix. For the ${ }^{1} \mathrm{H}$ shifts, only a very small change in RMSD ( 0.01 ppm ) is observed when comparing to $\mathrm{CDCl}_{3}$ or $\mathrm{CCl}_{4}$ data. This might seem surprising as the two solvents gave an RMSD of 0.08 ppm for the ${ }^{1} \mathrm{H}$ chemical shifts in experiment (Table 5.2). However, some of the offset between the two datasets can be compensated by changing the intercept in the linear regression ( $q$ in Eq. (5.3)) without a significant increase in RMSD. A large part of the potential performance differences of the vacuum calculations can be masked by this mechanism. For the ${ }^{13} \mathrm{C}$ chemical shieldings, on the other hand, a clear increase in the deviation from experiment ( $0.13-0.51 \mathrm{ppm}$ ) can be seen when going from $\mathrm{CCl}_{4}$ to $\mathrm{CDCl}_{3}$ data. The $\mathrm{sp}^{2}$ carbons are thereby more affected than the $\mathrm{sp}^{3}$ carbons (as expected from the results in Figure 5.2). Again, the differences are not of the order of magnitude expected from the experimental comparison (RMSD of 1.40 ppm , Table 5.2). Here, the compensation by the regression procedure is not as efficient as for ${ }^{1} \mathrm{H}$. Part of the reason for this might be that the differences in experimental ${ }^{13} \mathrm{C}$ shifts between the two solvents systematically increase towards lower field. This is not the case for the ${ }^{1} \mathrm{H}$ shifts. The effect of the functional (PBEO or PBEP86) is negligible in case of the ${ }^{1} \mathrm{H}$ shifts as noted also recently by Oliveira et al..$^{260}$ For ${ }^{13} \mathrm{C}$, PBEP86 performs better than PBEO for the values recorded in $\mathrm{CCl}_{4}$ and worse for the values recorded in $\mathrm{CDCl}_{3}$. The MAD and max. AD values are given in Table A5.1 and Table A5.2 in the Appendix. Also here, the real trends may be obscured by partial compensation due to the regression procedure.

Table 5.3: Root-mean-square deviation (RMSD) values in ppm of the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shifts calculated in vacuum with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ or $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the $s p^{2}$ carbons ( $s p^{2}$ ) and for only $s p^{3}$ carbons ( $s p^{3}$ ).

| DFT Method | Exp. Solvent | ${ }^{1} \mathbf{H}$ |  | ${ }^{13} \mathbf{C}$ |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| all | $\mathrm{sp}^{2}$ | $\mathrm{sp}^{3}$ | all | $\mathrm{sp}^{2}$ | $\mathrm{sp}^{3}$ |  |  |
| PBEO | $\mathrm{CCl}_{4}$ | 0.11 | 0.10 | 0.09 | 1.37 | 1.47 | 1.05 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 0.11 | 0.11 | 0.09 | 1.27 | 1.27 | 0.91 |
| PBEO | $\mathrm{CDCl}_{3}$ | 0.12 | 0.11 | 0.10 | 1.50 | 1.69 | 1.12 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 0.12 | 0.11 | 0.10 | 1.78 | 1.75 | 0.97 |

To assess the baseline error of the DFT method, independent of the solvent effect, we can focus the analysis only on the nuclei that showed no or a very small solvent effect in experiment (the non-marked nuclei in Scheme 5.1, $135{ }^{13} \mathrm{C}$ shifts and $102{ }^{1} \mathrm{H}$ shifts). Table 5.4 shows that the deviation between calculation and experiment becomes similar between the two solvents for this reduced set as expected, indicating a baseline error of PBEP86 of approximately 1 ppm for ${ }^{13} \mathrm{C}$ chemical shieldings (and 1.3 ppm with PBEO).

Table 5.4: Root-mean-square deviation (RMSD) values in ppm of the reduced or complete set of ${ }^{13} \mathrm{C}$ shieldings calculated in vacuum with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ or $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the $s p^{2}$ carbons ( $s p^{2}$ ) and for only $s p^{3}$ carbons ( $s p^{3}$ ). The reduced set consists of the $135{ }^{13} \mathrm{C}$ chemical shifts not marked in Scheme 5.1.

| DFT Method | Exp. Solvent | ${ }^{13} \mathrm{C}$ (reduced set) |  |  | ${ }^{13} \mathrm{C}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | all | $s p^{2}$ | $s p^{3}$ | all | $s p^{2}$ | $s p^{3}$ |
| PBEO | $\mathrm{CCl}_{4}$ | 1.27 | 1.27 | 1.04 | 1.37 | 1.47 | 1.05 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 1.05 | 0.86 | 0.88 | 1.27 | 1.27 | 0.91 |
| PBEO | $\mathrm{CDCl}_{3}$ | 1.27 | 1.32 | 1.08 | 1.50 | 1.69 | 1.12 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 1.09 | 1.06 | 0.91 | 1.78 | 1.75 | 0.97 |

### 5.2.4 Can the Accuracy of the Calculations Be Improved with an Implicit Solvent Model?

Next, we performed DFT calculations of the chemical shieldings with an implicit solvent (conductor-like polarizable continuum model (CPCM) ${ }^{261}$ ) to explore if the agreement with the experimental data in solution can be improved. Note that the geometry optimizations were not repeated with the implicit solvent. For this, we directly compared the differences between the experimental shifts in the two solvents with the differences between the shielding values before conversion to chemical shifts (without using Eq. (5.3)), such that we avoid obscuring specific effects only present for certain functional groups by the regression procedure. Especially for ${ }^{13} \mathrm{C}$, it is observed that CPCM cannot account for the observed experimental changes in chemical shift between $\mathrm{CCl}_{4}$ and $\mathrm{CDCl}_{3}$ (Figure 5.3). While the picture is less clear for protons, the largest deficits of the CPCM model for ${ }^{13} \mathrm{C}$ can again be seen for polar, hydrogen-bond accepting functional group,
especially carbonyls. By using the regression procedure in Eq. (5.3), shortcomings of the solvation model to reproduce specific interaction with the solvent will be distributed to all functional groups, also the ones not engaging in interactions with the solvent. In the worst case, selective deficiencies of the solvation model can lead to higher inaccuracies in chemical shift prediction for all atoms. After conversion to chemical shifts, the RMSDs from the experimental values in the two solvents were again investigated. While the agreement with experimental ${ }^{1} \mathrm{H}$ shifts generally improves slightly compared to the vacuum calculations ( $0.01-0.03 \mathrm{ppm}$ ), the use of an implicit solvent model only leads to an improvement for the $\mathrm{CDCl}_{3}$ values calculated with PBEP86. Table 5.5 summarizes the performance of the two DFT methods with the corresponding implicit solvent. The MAD and max. AD values are given in Table A5.4 and Table A5.5 in the Appendix. As the limitations of the CPCM model are expected to be more severe for chloroform (lack of local hydrogen bonding capacity) than $\mathrm{CCl}_{4}$, it is surprising to see that the agreement with experimental data is negatively affected by CPCM for $\mathrm{CCl}_{4}$. Possible reasons for our findings may be the deficiencies in the CPCM implicit solvent model used and/or more favorable error cancellation in the vacuum calculations as well as the fact that the shielding calculations were performed on structures optimized in vacuum.


Figure 5.3: Difference between the difference in experimental shifts in $C C_{4}$ and $C D C l_{3}\left(\Delta \delta_{\text {exp }}\right)$ and the difference in calculated shieldings with implicit solvent models for $\mathrm{CHCl}_{3}$ and $\mathrm{CCl}_{4}$ with PBEO ( $\Delta \sigma_{\text {calc }}$ ) plotted against the experimental shifts in $\mathrm{CCl}_{4}$. (Left): ${ }^{1} \mathrm{H} .\left(\right.$ Right): ${ }^{13} \mathrm{C}$.

Table 5.5: Root-mean-square deviation (RMSD) values in ppm of the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shieldings calculated in the corresponding implicit solvent with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the $s p^{2}$ carbons ( $s p^{2}$ ) and for only $s p^{3}$ carbons ( $s p^{3}$ ).

| DFT Method | Exp. Solvent | ${ }^{1} \mathrm{H}$ <br> all | $s p^{2}$ | $s p^{3}$ | $\begin{aligned} & { }^{13} \mathrm{C} \\ & \text { all } \end{aligned}$ | $s p^{2}$ | $s p^{3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PBEO | $\mathrm{CCl}_{4}$ | 0.09 | 0.08 | 0.08 | 1.87 | 1.73 | 1.09 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 0.10 | 0.11 | 0.07 | 1.37 | 1.17 | 0.92 |
| PBEO | $\mathrm{CDCl}_{3}$ | 0.10 | 0.10 | 0.08 | 1.73 | 1.77 | 1.14 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 0.10 | 0.12 | 0.07 | 1.27 | 1.22 | 0.92 |

### 5.3 Conclusion

In this study, ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts of 35 small, rigid organic molecules were measured in $\mathrm{CDCl}_{3}$ and in $\mathrm{CCl}_{4}$ under standardized conditions. In total, $141{ }^{1} \mathrm{H}$ and $170{ }^{13} \mathrm{C}$ unambiguously assigned chemical shifts were obtained. This reference data is intended for the calibration and assessment of chemical shift calculations in organic chemistry, particularly with respect to the treatment of solvent-solute interactions in $\mathrm{CDCl}_{3}$.

Our experimental data show that specific interactions with the solute are present even in such apolar solvents. Especially the ${ }^{13} \mathrm{C}$ shifts of carbonyl and nitril groups are differentially affected by the two solvents. A direct comparison of calculated shieldings with chemical shifts recorded in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$ implies that the accuracy of DFT in implicit solvent differs considerably between functional groups. The likely reason are specific interactions with the solvent (e.g., H-bonds) that cannot be adequately described by the solvent model. By converting the shieldings to chemical shifts using the common multi-standard regression method, the errors resulting from specific shortcomings of the model are redistributed over the whole shift range. This effect may have added to the ambiguous outcome found in this study regarding the usefulness of implicit $\mathrm{CDCl}_{3}$. For ${ }^{1} \mathrm{H}$, there was no significant advantage from using an implicit solvent model. For ${ }^{13} \mathrm{C}$, the double-hybrid functional PBE86 with implicit solvent provided the best agreement with chemical shifts recorded in $\mathrm{CDCl}_{3}$, while the implicit solvent decreased the performance of PBEO. The double-hybrid functional significantly increases the computation time (roughly by a factor of 15 with the chosen basis set), but the improved accuracy might be beneficial for certain applications, for example to discriminate between diastereomers. Importantly, our data also imply that the explicit treatment of solute-solvent interactions will be necessary for an even more accurate chemical shift prediction. As in most benchmark studies, we optimized the geometries in vacuum. For future studies, it would be worth comparing our findings with NMR shieldings calculated with structures that considered an implicit solvent model during geometry optimization.

### 5.4 Method Section

## Experimental Details

The molecules included in the test set were a selection of small, rigid organic compounds containing different functional groups and consist only of $\mathrm{H}, \mathrm{C}, \mathrm{N}$ and O atoms. For each compound 10 mM solutions were prepared in chloroform-d (Apollo Scientific) and carbon tetrachloride (Sigma-Aldrich). Chloroform was previously filtered through a short column of aluminum oxide (EcoChrom, MP Alumina N, Akt. I) and was stored over molecular sieve (3 Å, Dr. Bender \& Dr. Hobein AG) in the fridge. TMS was added as internal standard. NMR spectra were recorded on a Bruker AVANCE III 600 MHz spectrometer equipped with a helium-cooled CPDCH cryogenic probe with z-gradients at $25.0^{\circ} \mathrm{C}$. For each compound, a ${ }^{1} \mathrm{H}$ (32 scans, 16.0 ppm spectral width with 96152 fid points) and a ${ }^{13} \mathrm{C}$ spectrum ( 512 scans, 248.5 ppm spectral width with 157890 fid points) were recorded. It was possible to shim the tetrachloromethane samples on the proton signal of TMS using the following TopSpin command:
topshim 1 h rga lockoff o1p=0.2 selid=0.5 durmax=120

If peaks could not be assigned unambiguously, ${ }^{13} \mathrm{C}-\mathrm{HSQC},{ }^{13} \mathrm{C}-\mathrm{HMBC}$, DQF-COSY, NOESY and PSYCHE ${ }^{262}$ spectra were recorded as needed. Processing of the spectra was done with Bruker TopSpin ${ }^{\top M}$ version 4.1 (Bruker Biospin AG) and MestreNova 14.1 (Mestrelab Research). All spectra were referenced to the signal of TMS.

## Computational Details

3D structures of the compounds were generated from SMILES strings using RDKit ${ }^{263}$ and a conformational search was performed. Atoms were reordered such that the hydrogen atoms follow directly to the bound heavy atom and such that magnetically equivalent groups have subsequent numbers. Hydrogens of $\mathrm{CH}_{2}$ groups were ordered such that the proR hydrogen is first. The found structures were optimized with DFT in vacuum using Orca 5.0.1 $1^{248-250}$ at the BP86/def2tzvp ${ }^{255-257}$ level using the resolution of identity approximation with def2/ $\mathrm{J}^{258}$ as auxiliary basis set and Grimme's dispersion correction D3BJ. ${ }^{264,265}$ Minima were verified by a frequency calculation at the same level of theory. In case of imaginary frequencies, the geometry at the most displaced point along the corresponding mode was taken as input for a new structure optimization. Only molecules with one dominant conformation were considered for the dataset. Next, NMR chemical shieldings were computed with the $\mathrm{GIAO}^{266}$ approach using either the hybrid GGA functional PBEO ${ }^{267}$ with the cc-pVTZ basis set ${ }^{252}$ using cc-pVTZ/JK auxiliary basis set ${ }^{268}$ or the 2013 version of the dispersion corrected, spin-component scaled double-hybrid functional PBEP86 ${ }^{253}$ together with the pcSseg-3 basis set ${ }^{254}$ with auxiliary basis sets def2/J and cc-pwCVQZ/C. ${ }^{269,270}$ The
resolution of identity approximation for both Coulomb and HF exchange integrals was applied for the hybrid functional (RIJK) whereas for the double-hybrid functional resolution of identity was used for the Coulomb integrals and numerical chain-of-sphere integration for the HF exchange integrals (RIJCOSX). For both, D3BJ corrections were applied. Besides the calculation in vacuum, chemical shieldings were also calculated using CPCM as an implicit solvent for chloroform and tetrachloromethane (without re-optimization of the geometry).

Analysis of the data was done with a Python script ${ }^{201}$ in a Jupyter Notebook ${ }^{202}$ and the functionalities of the matplotlib, ${ }^{203}$ nglview, ${ }^{271}$ numpy, ${ }^{205}$ openbabel, ${ }^{272}$ and scipy ${ }^{207}$ packages were used.

### 5.5 Appendix

## Collection of Chemical Shifts From the Literature

Literature data for comparison with our measured chemical shifts in $\mathrm{CDCl}_{3}$ were collected from different sources with at maximum ten per compound (Figure 5.1). For the literature search, publications between the period of 1980 and 2022 were considered that were measured in $\mathrm{CDCl}_{3}$ using mainly the data found with Reaxys. ${ }^{13,273-505}$

## Effect of Solute-Solvent Interaction in Experiment: Example for Compounds 26 and 34

By comparison of the chemical shifts measured in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$, directed solvent effects can be identified. For 26 , the ${ }^{13} \mathrm{C}$ chemical shift of the carbonyl carbon, as well as the shift of the conjugated double-bound carbon (Figure A5.1, carbons 1 and 3), move towards higher field when changing the solvent from chloroform-d to tetrachloromethane, whereas the other carbons that are not involved in hydrogen bonding with the solvent, have nearly identical chemical shifts. Also, proton chemical shifts close to the functional groups involved in hydrogen bonds with chloroform (Figure A5.2, protons of carbons 2 and 6 of 26, $\alpha$ to carbonyl group) change most when comparing shifts measured in $\mathrm{CDCl}_{3}$ and in $\mathrm{CCl}_{4}$. Also ,for the ${ }^{13} \mathrm{C}$ shifts of 34 , the same behavior can be observed (Figure A5.3). Having a look at the two given examples, where the order of the chemical shifts changed based on the solvent ( ${ }^{1} \mathrm{H}$ of 26 and ${ }^{13} \mathrm{C}$ of $\mathbf{3 4}$, Figure A 5.4 ) and comparing them with the calculated shieldings, one can clearly see that the order is reproduced in tetrachloromethane whereas it is not when chloroform was used as an implicit solvent. It becomes evident that the hydrogen bond donor capabilities of chloroform cannot be neglected for chemical shielding calculations and the implicit solvent model cannot properly account for the directed interactions.


Figure A5.1: ${ }^{13} \mathrm{C}$ spectra of 26 in chloroform-d (top) and tetrachloromethane (bottom) referenced to internal TMS. Dashed grey lines are there to help visualizing the chemical shift differences between the two solvents.


Figure A5.2: ${ }^{1} \mathrm{H}$ spectra of 26 in chloroform-d (top) and tetrachloromethane (bottom) referenced to internal TMS. Dashed grey lines are there to help visualizing the chemical shift differences between the two solvents.


Figure A5.3: ${ }^{13}$ C spectra of 34 in chloroform-d (top) and tetrachloromethane (bottom) referenced to internal TMS. Dashed grey lines are there to help visualizing the chemical shift differences between the two solvents. Biggest change is again observed for the carbonyl carbon 1. Shifts of carbon 5 and carbon 2 change positions.


Figure A5.4: Comparison of experimental ${ }^{1} \mathrm{H}$ shift of 26 with the calculated shieldings using the PBEO functional (left). The order of the shieldings using the implicit chloroform does not agree with the experiment (see numbers 4 and 6, shifts should be ordered from left bottom to top right), whereas it does when compare experimental shifts and calculated shieldings in tetrachloromethane. This is also true for the PBEP86 functional (carbons 2 and 5). The same behavior can also be observed for the comparison of experimental ${ }^{13} \mathrm{C}$ shifts of 34 with the calculated shieldings using the PBEP86 functional (right). Note that the trend was not reproduced correctly for $\mathrm{CCl}_{4}$ when using the cheaper PBEO functional. Numbers correspond to the ones given in Figure A5.2 and Figure A5.3, respectively.

## Additional Figures and Tables:



Figure A5.5: Regression of the calculated chemical shieldings (PBEP86, in vacuum) with the experimental chemical shifts measured in $\mathrm{CDCl}_{3}$. (Left): ${ }^{1} \mathrm{H}$. (Right): ${ }^{13} \mathrm{C}$. The histograms show the deviations after conversion of the shieldings into chemical shifts using the parameters from the regression.


Figure A5.6: Regression of the calculated chemical shieldings (PBEP86, in vacuum) with the experimental chemical shifts measured in $\mathrm{CCl}_{4}$. (Left): ${ }^{1} \mathrm{H}$. (Right): ${ }^{13} \mathrm{C}$. The histograms show the deviations after conversion of the shieldings into chemical shifts using the parameters from the regression.

Table A5.1: Mean absolute deviation (MAD) values in ppm of the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shieldings calculated in vacuum with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the $s p^{2}$ carbons $\left(s p^{2}\right)$ and for only $s p^{3}$ carbons ( $s p^{3}$ ).

| DFT Method | Exp. Solvent | ${ }^{1} \mathrm{H}$ all | $\mathrm{sp}^{2}$ | $\mathrm{sp}^{3}$ | $\begin{aligned} & { }^{13} \mathrm{C} \\ & \text { all } \end{aligned}$ | $s p^{2}$ | $\mathrm{sp}^{3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PBEO | $\mathrm{CCl}_{4}$ | 0.09 | 0.08 | 0.07 | 1.05 | 1.08 | 0.83 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 0.09 | 0.08 | 0.07 | 0.98 | 0.99 | 0.73 |
| PBEO | $\mathrm{CDCl}_{3}$ | 0.09 | 0.08 | 0.08 | 1.14 | 1.32 | 0.88 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 0.09 | 0.08 | 0.08 | 1.32 | 1.40 | 0.80 |

Table A5.2: Maximum absolute deviation (max. AD) values in ppm of the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shieldings calculated in vacuum with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the $s p^{2}$ carbons $\left(s p^{2}\right)$ and for only $s p^{3}$ carbons ( $s p^{3}$ ).

| DFT Method | Exp. Solvent | ${ }^{1} \mathrm{H}$ <br> all | $\mathrm{sp}^{2}$ | $\mathrm{sp}^{3}$ | $\begin{aligned} & { }^{13} \mathrm{C} \\ & \text { all } \end{aligned}$ | $\mathrm{sp}^{2}$ | $\mathrm{sp}^{3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PBEO | $\mathrm{CCl}_{4}$ | 0.32 | 0.34 | 0.23 | 5.10 | 5.04 | 2.56 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 0.53 | 0.38 | 0.23 | 6.10 | 3.52 | 2.27 |
| PBEO | $\mathrm{CDCl}_{3}$ | 0.43 | 0.31 | 0.26 | 5.17 | 4.65 | 2.82 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 0.64 | 0.36 | 0.28 | 7.00 | 5.22 | 2.40 |

Table A5.3: Intercept values in ppm and slope values of the linear regression of ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shieldings calculated in vacuum with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the $s p^{2}$ carbons $\left(s p^{2}\right)$ and for only $s p^{3}$ carbons $\left(s p^{3}\right)$.

| DFT Method | Exp. Solvent | ${ }^{1} \mathrm{H}$ <br> all | $s p^{2}$ | $s p^{3}$ | $\begin{aligned} & { }^{13} \mathrm{C} \\ & \text { all } \end{aligned}$ | $\mathrm{sp}^{2}$ | $\mathrm{sp}^{3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PBEO | $\mathrm{CCl}_{4}$ | 31.476 | 31.176 | 31.371 | 185.47 | 187.75 | 185.79 |
|  |  | -1.062 | -1.024 | -1.006 | -1.033 | -1.048 | -1.047 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 31.374 | 31.067 | 31.285 | 186.51 | 187.56 | 185.41 |
|  |  | -1.051 | -1.011 | -1.004 | -1.031 | -1.062 | -1.023 |
| PBEO | $\mathrm{CDCl}_{3}$ | 31.508 | 31.316 | 31.368 | 185.14 | 182.17 | 185.67 |
|  |  | -1.053 | -1.030 | -0.983 | -1.021 | -1.001 | -1.032 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 31.405 | 31.209 | 31.281 | 186.17 | 179.88 | 187.43 |
|  |  | -1.042 | -1.018 | -0.980 | -1.019 | 0.977 | -1.047 |

Table A5.4: Mean absolute deviation (MAD) values in ppm of the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shieldings calculated in the corresponding implicit solvent with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the $s p^{2}$ carbons $\left(s p^{2}\right)$ and for only $s p^{3}$ carbons $\left(s p^{3}\right)$.

| DFT Method | Exp. Solvent | $\mathbf{H}$ |  | ${ }^{13} \mathrm{C}$ |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| PBEO | $\mathrm{CCl}_{4}$ | 0.07 | 0.07 | 0.06 | 1.45 | 1.17 | 0.87 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 0.07 | 0.08 | 0.05 | 1.11 | 0.84 | 0.74 |
| PBEO | $\mathrm{CDCl}_{3}$ | 0.08 | 0.08 | 0.06 | 1.34 | 1.25 | 0.92 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 0.09 | 0.10 | 0.05 | 1.01 | 0.93 | 0.75 |

Table A5.5: Maximum absolute deviation (max. AD) values in ppm of the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shieldings calculated in the corresponding implicit solvent with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the $s p^{2}$ carbons ( $s p^{2}$ ) and for only $s p^{3}$ carbons ( $s p^{3}$ ).

| DFT Method | Exp. Solvent | ${ }^{1} \mathbf{H}$ |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| all |  | ${ }^{13} \mathrm{C}$ |  |  |  |  |  |
| PBEO | $\mathrm{CCl}_{4}$ | 0.32 | 0.34 | 0.23 | 8.30 | 7.99 | 2.58 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 0.40 | 0.28 | 0.19 | 4.35 | 4.17 | 2.13 |
| PBEO | $\mathrm{CDCl}_{3}$ | 0.25 | 0.21 | 0.20 | 7.72 | 7.57 | 2.86 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 0.38 | 0.30 | 0.19 | 4.18 | 3.46 | 2.11 |

Table A5.6: Intercept values in ppm and slope values of the linear regression of ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shieldings calculated in the corresponding implicit solvent with PBEO or PBEP86 versus the experimental values in $\mathrm{CDCl}_{3}$ and $\mathrm{CCl}_{4}$. Values are given for the complete carbon set (all), for only the sp2 carbons ( $s p^{2}$ ) and for only $s p^{3}$ carbons ( $s p^{3}$ ).

| DFT Method | Exp. Solvent | $\begin{aligned} & { }^{1} \mathbf{H} \\ & \text { all } \end{aligned}$ | $\mathrm{sp}^{2}$ | $\mathrm{sp}^{3}$ | $\begin{aligned} & { }^{13} \mathrm{C} \\ & \text { all } \end{aligned}$ | $s p^{2}$ | $\mathrm{sp}^{3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PBEO | $\mathrm{CCl}_{4}$ | 31.417 | 30.948 | 31.350 | 186.27 | 193.20 | 186.41 |
|  |  | -1.071 | -1.010 | -1.031 | -1.047 | -1.093 | -1.062 |
| PBEP86 | $\mathrm{CCl}_{4}$ | 31.317 | 30.853 | 31.267 | 187.37 | 191.54 | 188.19 |
|  |  | -1.061 | -1.000 | -1.030 | -1.046 | -1.074 | -1.078 |
| PBEO | $\mathrm{CDCl}_{3}$ | 31.419 | 30.984 | 31.338 | 186.35 | 190.28 | 186.057 |
|  |  | -1.020 | -1.011 | -1.021 | -1.042 | -1.068 | -1.054 |
| PBEP86 | $\mathrm{CDCl}_{3}$ | 31.320 | 30.897 | 31.256 | 187.48 | 189.05 | 188.36 |
|  |  | -1.057 | -1.002 | -1.020 | -1.042 | -1.052 | -1.072 |

The ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ chemical shifts are listed in the following in the same order as in the xyz files (see below). Avgn indicates that the next experimental chemical shift needs to be averaged over n atoms in the xyz file, whereas ign indicates that the next shift should be ignored (for exchangeable protons). Mvgn_ $a_{1} a_{2} a_{k}$ indicates that $n$ atoms per experimental shift needs to be averaged and the indexes $a_{1}-a_{k}$ indicate which atoms needs to be considered (e.g., Mvg2_1_3_4_2 indicate that shifts need to be averaged in groups of two whereas the shifts of the first and last atom (1 and 2 ) as well as the second and third atom belong together).

## Chemical shifts recorded in $\mathrm{CDCl}_{3}$

| Nitromethane (1) | $\text { 13C } 62.49$ |
| :---: | :---: |
|  | 1H Avg3 4.33 |
| Nitroethane (2) | 13C 12.3170 .47 |
|  | 1H Avg3 1.59 Avg2 4.42 |
| Propionitrile (3) | 13C 10.4810 .92120 .69 |
|  | 1H Avg3 1.30 Avg2 2.36 |
| trans-Crotonaldehyde (4) | 13C 18.67153 .92134 .68193 .94 |
|  | 1H Avg3 2.036 .876 .159 .50 |
| Isobutyronitrile (5) | 13C Avg2 19.9519 .84123 .77 |
|  | 1H Avg6 1.332 .70 |
| 3,3-Dimethyl-1-butene (6) | 13C 108.86 149.87 33.66 Avg3 29.16 |
|  | 1H 4.83 4.92 5.85 Avg9 1.01 |
| Methyl propiolate (7) | 13C 74.7974 .45153 .1452 .95 |
|  | 1H 2.88 Avg3 3.81 |
| Cyclopropanecarbonitrile (8) | 13C 122.17-3.48 Avg2 7.12 |
|  | 1H 1.34 Mvg2_1_4_2_3 1.081.01 |
| gamma-Butyrolactone (9) | 13C 177.6427 .8022 .2068 .48 |
|  | 1H Avg2 2.50 Avg2 2.27 Avg2 4.35 |
| Oxolan-3-one (10) | 13C 214.9970 .6266 .8537 .07 |
|  | 1H Avg2 3.87 Avg2 4.25 Avg2 2.50 |
| 2-Methyl-2-oxazoline (11) | 13C 13.82165 .4654 .6067 .40 |
|  | 1H Avg3 1.98 Avg2 3.82 Avg2 4.23 |
| Maleic anhydride (12) | 13C Avg2 164.07 Avg2 136.49 |
|  | 1H Avg2 7.03 |
| 1,4-Dioxane (13) | 13C Avg4 67.11 |
|  | 1H Avg8 3.70 |
| Tetrahydro-4H-pyran-4-one (14) | 13C 206.53 Avg2 42.90 Avg2 67.85 |
|  | 1H Avg4 2.50 Avg4 3.98 |
| Nitrobenzene (15) | 13C 148.24 Avg2 123.52 Avg2 129.31 134.56 |
|  | 1H Avg2 8.24 Avg2 7.56 7.70 |
| Phenol (16) | 13C 155.44 Avg2 115.27 Avg2 129.68120.83 |
|  | 1H Ign 4.61 Avg2 6.83 Avg2 7.256 .94 |
| Anisole (17) | 13C 55.14 159.55 Avg2 113.89 Avg2 129.45120 .65 |
|  | 1H Avg3 3.81 Avg2 6.91 Avg2 7.306 .95 |
| Benzaldehyde (18) | 13C 192.38 136.44 Avg2 129.76 Avg2 129.01 134.47 |
|  | 1H 10.03 Avg2 7.89 Avg2 7.54 7.64 |


| Benzonitrile (19) | 13C 118.85 112.50 Avg2 132.18 Avg2 129.12132 .76 |
| :---: | :---: |
|  | 1H Avg2 7.67 Avg2 7.487 .61 |
| 4-Dimethylaminopyridine (20) | 13C Avg2 39.03 154.22 Avg2 106.59 Avg2 149.88 |
|  | 1H Avg6 3.00 Avg2 6.49 Avg2 8.23 |
| Pyrimidine (21) | 13C 159.11 Avg2 156.94 121.58 |
|  | 1H 9.25 Avg2 8.76 7.34 |
| 2,6-Dimethyl- $\gamma$-pyrone (22) | 13C 180.21 Avg2 113.81 Avg2 165.44 Avg2 19.76 |
|  | 1H Avg2 6.05 Avg6 2.24 |
| Norbornene (23) | 13C Avg2 41.74 48.51 Avg2 135.36 Avg2 24.59 |
|  | 1H Avg2 2.85 1.31 1.08 Avg2 5.99 Mvg2_1_3_2_4 0.951 .61 |
| Norcamphor (24) | 13C 218.3049 .8724 .2027 .2035 .3337 .7145 .27 |
|  | 1H 2.601 .531 .821 .801 .442 .661 .551 .732 .051 .84 |
| Fenchone (25) | 13C 23.3747 .4021 .7145 .3541 .6724 .9631 .8554 .1614 .63223 .41 |
|  | 1H Avg3 1.03 Avg3 1.03 2.14 1.53 1.79 1.71 1.79 1.39 1.56 Avg3 1.14 |
| Isophorone (26) | 13C 199.93 125.55 160.26 45.30 33.56 Avg2 28.33 50.7924 .55 |
|  | 1H 5.88 Avg2 2.17 Avg6 1.04 Avg2 2.20 Avg3 1.94 |
| 4-Cyanobenzaldehyde (27) | 13C 190.56 138.75 Avg2 129.90 Avg2 132.92117 .66117 .70 |
|  | 1H 10.10 Avg2 8.00 Avg2 7.85 |
| Mesitaldehyde (28) | 13C Avg2 20.51 Avg2 141.50 Avg2 130.53143 .8321 .48130 .01193 .00 |
|  | 1H Avg6 2.58 Avg2 6.90 Avg3 2.3210 .57 |
| Camphor (29) | 13C 9.2657 .73219 .7243 .3343 .0746 .8119 .8019 .1627 .0729 .94 |
|  | 1H Avg3 0.91 2.35 1.85 2.09 Avg3 0.84 Avg3 0.961 .951 .341 .681 .41 |
| Indole (30) | 13C 127.86135 .78124 .07102 .67110 .98122 .00119 .82120 .73 |
|  | 1H Ign 8.147 .226 .567 .417 .207 .127 .65 |
| Adamantane (31) | 13C Avg4 28.34 Avg6 37.76 |
|  | 1H Avg4 1.88 Avg12 1.75 |
| Dicyclopentadiene (32) | 13C 54.80132 .03132 .0634 .6941 .1946 .20132 .42136 .0245 .1850 .35 |
|  | 1H 3.225 .495 .491 .682 .182 .732 .885 .985 .942 .781 .301 .48 |
| 1-Methylnaphthalene (33) | 13C 19.38134 .26132 .60124 .10125 .70125 .53128 .51133 .54126 .36 |
|  | 125.56126 .55 |
|  | 1H Avg3 2.708 .007 .527 .487 .857 .717 .377 .32 |
| 9-Fluorenone (34) | 13C 193.93 Avg2 134.18 Avg2 144.45 Avg2 124.35 Avg2 129.09 Avg2 |
|  | 134.69 Avg2 120.31 |
|  | 1H Avg2 7.66 Avg2 7.30 Avg2 7.49 Avg2 7.53 |
| Anthracene (35) | 13C Avg4 131.69 Avg4 128.17 Avg4 125.34 Avg2 126.22 |
|  | 1H Avg4 8.01 Avg4 7.46 Avg2 8.43 |

Chemical shifts recorded in $\mathrm{CCl}_{4}$

| Nitromethane (1) | $\text { 13C } 61.63$ |
| :---: | :---: |
|  | 1H Avg3 4.27 |
| Nitroethane (2) | 13C 12.0469 .46 |
|  | 1H Avg3 1.59 Avg2 4.34 |
| Propionitrile (3) | 13C 10.4310 .54118 .13 |
|  | 1H Avg3 1.32 Avg2 2.29 |
| trans-Crotonaldehyde (4) | 13C 18.12149 .90134 .92190 .26 |
|  | 1H Avg3 2.036 .726 .079 .43 |
| Isobutyronitrile (5) | 13C Avg2 19.8819 .44121 .32 |
|  | 1H Avg6 1.342 .62 |
| 3,3-Dimethyl-1-butene (6) | 13C 108.99 149.01 33.41 Avg3 29.05 |
|  | 1H 4.78 4.86 5.77 Avg9 1.01 |
| Methyl propiolate (7) | 13C 73.4274 .58151 .5951 .86 |
|  | 1H 2.72 Avg3 3.76 |
| Cyclopropanecarbonitrile (8) | 13C 120.07-3.06 Avg2 6.87 |
|  | 1H 1.27 Mvg2_1_4_2_3 1.07 0.96 |
| gamma-Butyrolactone (9) | 13C 173.73 27.0022 .0266 .69 |
|  | 1H Avg2 2.36 Avg2 2.22 Avg2 4.25 |
| Oxolan-3-one (10) | 13C 211.2269 .6865 .9836 .35 |
|  | 1H Avg2 3.73 Avg2 4.16 Avg2 2.39 |
| 2-Methyl-2-oxazoline (11) | 13C 13.22163 .4254 .3666 .45 |
|  | 1H Avg3 1.88 Avg2 3.70 Avg2 4.11 |
| Maleic anhydride (12) | 13C Avg2 162.66 Avg2 135.66 |
|  | 1H Avg2 6.96 |
| 1,4-Dioxane (13) | 13C Avg4 66.49 |
|  | 1H Avg8 3.57 |
| Tetrahydro-4H-pyran-4-one (14) | 13C 202.14 Avg2 42.50 Avg2 67.34 |
|  | 1H Avg4 2.39 Avg4 3.89 |
| Nitrobenzene (15) | 13C 148.34 Avg2 123.20 Avg2 128.68133 .40 |
|  | 1H Avg2 8.23 Avg2 7.53 7.64 |
| Phenol (16) | 13C 155.24 Avg2 114.87 Avg2 129.15 120.27 |
|  | 1H Ign 4.27 Avg2 6.70 Avg2 7.146 .82 |
| Anisole (17) | 13C 54.26 159.23 Avg2 113.49 Avg2 128.88120 .16 |
|  | 1H Avg3 3.76 Avg2 6.78 Avg2 7.176.83 |
| Benzaldehyde (18) | 13C 189.32 136.58 Avg2 129.24 Avg2 128.45133 .36 |
|  | 1H 9.97 Avg2 7.83 Avg2 7.49 7.56 |


| Benzonitrile (19) | 13C 116.98 113.48 Avg2 131.65 Avg2 128.58131 .65 |
| :---: | :---: |
|  | 1H Avg2 7.63 Avg2 7.457 .55 |
| 4-Dimethylaminopyridine (20) | 13C Avg2 38.79 153.43 Avg2 106.11 Avg2 149.51 |
|  | 1H Avg6 2.99 Avg2 6.37 Avg2 8.08 |
| Pyrimidine (21) | 13C 158.87 Avg2 155.96120 .68 |
|  | 1H 9.11 Avg2 8.65 7.23 |
| 2,6-Dimethyl- $\gamma$-pyrone (22) | 13C 176.71 Avg2 113.77 Avg2 162.85 Avg2 19.34 |
|  | 1H Avg2 5.85 Avg6 2.20 |
| Norbornene (23) | 13C Avg2 41.41 48.30 Avg2 134.96 Avg2 24.44 |
|  | 1H Avg2 2.83 1.31 1.06 Avg2 5.92 Mvg2_1_3_2_4 0.951 .59 |
| Norcamphor (24) | 13 C 212.4048 .7923 .7627 .2434 .9637 .2944 .47 |
|  | 1H 2.501 .541 .771 .771 .442 .631 .501 .701 .961 .74 |
| Fenchone (25) | 13C 23.2546 .7021 .5545 .0641 .4124 .9031 .4053 .4114 .61218 .52 |
|  | 1H Avg3 1.00 Avg3 0.992 .091 .471 .751 .681 .791 .371 .50 Avg3 1.10 |
| Isophorone (26) | 13C 195.45 125.78 155.69 45.10 33.18 Avg2 28.31 50.27 24.06 |
|  | 1H 5.75 Avg2 2.10 Avg6 1.03 Avg2 2.07 Avg3 1.91 |
| 4-Cyanobenzaldehyde (27) | 13C 188.01 138.45 Avg2 129.31 Avg2 132.26118 .01116 .21 |
|  | 1H 10.05 Avg2 7.96 Avg2 7.82 |
| Mesitaldehyde (28) | 13C Avg2 20.73 Avg2 141.05 Avg2 130.55142 .6121 .67130 .45190 .51 |
|  | 1H Avg6 2.56 Avg2 6.81 Avg3 2.3010 .50 |
| Camphor (29) | 13C 9.2156 .75214 .2642 .5642 .8546 .2519 .6619 .1127 .0529 .51 |
|  | 1H Avg3 0.86 2.25 1.75 2.03 Avg3 0.83 Avg3 0.951 .931 .341 .621 .39 |
| Indole (30) | 13C 127.64135 .47122 .84102 .86110 .28121 .74119 .57120 .50 |
|  | 1H Ign 7.917 .086 .447 .257 .066 .997 .50 |
| Adamantane (31) | 13C Avg4 27.98 Avg6 37.54 |
|  | 1H Avg4 1.88 Avg12 1.75 |
| Dicyclopentadiene (32) | 13C 54.54131 .48131 .7434 .6940 .9945 .86131 .86135 .6944 .8750 .06 |
|  | 1H 3.175 .405 .401 .592 .142 .692 .845 .895 .842 .751 .281 .47 |
| 1-MethyInaphthalene (33) | 13C 19.20133 .32132 .43123 .64125 .20124 .98128 .19133 .36126 .16 |
|  | 125.02126 .13 |
|  | 1H Avg3 2.687 .907 .427 .397 .747 .607 .277 .22 |
| 9-Fluorenone (34) | 13C 191.23 Avg2 134.16 Avg2 144.02 Avg2 124.08 Avg2 128.56 Avg2 |
|  | 133.59 Avg2 119.59 |
|  | 1H Avg2 7.62 Avg2 7.26 Avg2 7.42 Avg2 7.48 |
| Anthracene (35) | 13C Avg4 131.46 Avg4 127.86 Avg4 124.81 Avg2 125.88 |
|  | 1H Avg4 7.92 Avg4 7.38 Avg2 8.34 |

## Optimized Coordinates of Molecules 1 - 35 Obtained With BP86/def2-tzvp in Vacuum

Nitromethane (1)

| C | -0.62681479835640 | -0.10338397388413 | -0.09594534415716 |
| :--- | :--- | :--- | :--- |
| H | -1.06475240570623 | -0.17071521012912 | 0.90710471825263 |
| H | -1.02762224265049 | 0.75950702999940 | -0.63314190246179 |
| H | -0.77001166026217 | -1.04439927624854 | -0.63342745110327 |
| N | 0.85277892047328 | 0.10457877546916 | 0.09637574377375 |
| O | 1.53986730163567 | -0.90277222680733 | 0.26088434978263 |
| O | 1.26077088486632 | 1.26531388160058 | 0.10314688591322 |

Nitroethane (2)

| C | -0.96696768534669 |
| :--- | :--- |
| H | -0.66978856896510 |
| H | -0.91655175367615 |
| H | -2.00909961572277 |
| C | -0.09510358751177 |
| H | -0.11038994366408 |
| H | -0.35618083330943 |
| N | 1.38303733105249 |
| O | 1.72313133930475 |
| O | 2.13439331783875 |


| 0.44305206916225 | 0.42801343554144 |
| :--- | :--- |
| 0.47499099340534 | 1.48309292504135 |
| 1.46248213595372 | 0.02700050034567 |
| 0.09769157193784 | 0.37024638570311 |
| -0.50617805223681 | -0.36342538055766 |
| -1.53378445482614 | 0.02284007796427 |
| -0.54948530126594 | -1.42893508393147 |
| -0.12355593890022 | -0.35402271846562 |
| 0.87832799100153 | 0.27184083815888 |
| -0.86432101423155 | -0.98695497979996 |

Propionitrile (3)
C $\quad-1.00685867612622$

| -0.26917392358902 | 0.00585853133655 |
| :--- | :--- |
| -0.73788179107870 | 0.99280360943837 |
| 0.36842994838212 | -0.16929767857332 |
| -1.06331233421308 | -0.75128896176642 |
| 0.57670219501005 | -0.06968060089700 |
| 1.06172307204197 | -1.05459491256256 |
| 1.38466887377355 | 0.67831406548948 |
| -0.21519880700289 | 0.15448526651329 |
| -0.86577623332399 | 0.33141368102161 |

trans-Crotonaldehyde (4)
C -1.75503461869207
-0.13644965430809
0.11122258577790
0.65052618401412
-1.07968849012756
-0.30408687875799
-1.07385403910750
0.40010606739442
1.18415576560389
0.14082840545298
-0.67318886212270
0.73393991618052
-0.01648719859462
0.91248284205652
-0.75613004486695
-0.38103999602575
0.25103146972298
0.98202451391028
-0.32033453957603
-1.05770840263235
0.02739903370068
0.78809329267097
-0.44381897036572

Isobutyronitrile (5)
C -1.09081610024817
H -2.09980845963800
H -1.10161756377965
H $\quad-0.83480370297587$
C $\quad 1.37709150425265$
H 2.10839853508966
H 1.64772993097083
H 1.43739510874756
C -0.05042999591797
H $\quad-0.07258933819039$
C $\quad-0.40862208630554$
N $\quad-0.69096083200511$

3,3-Dimethylbut-1-ene (6)
C 1.87801532798471
H 2.39688609701146
H 2.44606291552518
C 0.61173311736926
H 0.09952844692424
C $\quad-0.24196381011025$
C $\quad-1.48721229563156$
H $\quad-2.04394743757170$
H $\quad-1.20058065468589$
H $\quad-2.16706041895342$
C 0.50855114542277
H 1.39555085704099
H $\quad-0.14591596638262$
H 0.83581273473210
C $\quad-0.69270418099616$
H -1.36506105541205
H 0.17293615612879
H -1.23216197839584

Methyl propiolate (7)
C 2.86170585055193
H $\quad 3.86083588765202$
C $\quad 1.73187127243925$
C 0.41834160944694
O -0.54071306751649
C $\quad-1.88879066622272$
H $\quad-2.13349402001418$
H $\quad-2.53114779924528$
H -1.99151219066673
$0 \quad 0.21082812357526$
-0.54902631910864
-0.53354263703710
0.04373772729499
-1.58639601290275
-0.02226865053078
0.36465110133176
-1.05644652057442
0.58578826886683
0.01025019861822
-0.60212257304712
1.37390586668810
2.46126555040091
$-0.60725977558951$ -0.17610562350632 -1.53200776144079 -0.86260257582979
-0.19636977963813
0.52452446826877
-0.44944719004574
$-1.10918589568446$
0.38140854830145
1.29930918496698
0.78416246087158
1.08534493932595
$-0.51523798527491$
$-0.59121580062901$ $-0.79748799807006$ -0.09631188818589
0.17186831599941
0.06359422785347 $-0.83533243576005$ $-0.58766647134789$ -1.89533284016335 $-0.70284137163536$ $-0.31692077576837$ 0.31628484206945 -0.18759754200160 -1.36649950103489 1.53773858792890 1.68571641785399 2.20480417611486
1.84073004205129

| 0.59474535093513 | 0.40825192625615 |
| :--- | :--- |
| 0.97010786809656 | 0.49542552952162 |
| 0.17156644142645 | 0.30537158821739 |
| -0.42295751610995 | 0.19387596804153 |
| 0.53332067489002 | 0.12382373381088 |
| 0.01789115186835 | 0.01084425653744 |
| -0.60428006962400 | 0.88131791104294 |
| 0.90232938468250 | -0.03032410523636 |
| -0.58396035974946 | -0.90130027016248 |
| -1.62138392641557 | 0.16719746197087 |

Cyclopropanecarbonitrile (8)

| N | 2.85332611386043 |
| :--- | :--- |
| C | 1.74320841681596 |
| C | 0.37299486904908 |
| H | 0.23228669437201 |
| C | -0.70344570861079 |
| H | -0.37052609201274 |
| H | -1.51306779001485 |
| C | -0.61017756830057 |
| H | -1.35428474702151 |
| H | -0.21325818813703 |


| -0.21089722816028 | -0.22534161471361 |
| :--- | :--- |
| -0.10297607283625 | 0.11017335537180 |
| 0.03171638069300 | 0.51236847117743 |
| 0.17102421208877 | 1.58484576944164 |
| -0.74776195228342 | -0.23346113499028 |
| -1.38622688789919 | -1.04976199226697 |
| -1.15370387640171 | 0.37103312793555 |
| 0.73699167880322 | -0.41422798541130 |
| 1.37225543182025 | 0.06369098366953 |
| 1.11588531417560 | -1.35427798021377 |


| K-Butyrolactone (9) |  |
| :--- | :--- |
| O | 2.16942535470236 |
| C | 1.13426198472735 |
| C | 0.91961932801328 |
| H | 1.10408844971854 |
| H | 1.64914945007607 |
| C | -0.54388783623286 |
| H | -0.62482361021030 |
| H | -1.03944234001738 |
| C | -1.15984106481215 |
| H | -1.97950301983536 |
| H | -1.50795614842440 |
| O | -0.09103454770517 |


| 1.51463827727151 | 0.13056071743181 |
| :--- | :--- |
| 0.90628859034833 | 0.02730440068188 |
| -0.58322095162206 | -0.22670452993746 |
| -0.76797008803445 | -1.29719111574795 |
| -1.17171078990756 | 0.34052365546343 |
| -0.81219223257420 | 0.15597860009165 |
| -1.07081500382034 | 1.22127963457386 |
| -1.60015612441591 | -0.42459576233340 |
| 0.57092072921604 | -0.10034860104259 |
| 0.82854675185720 | 0.58104741900129 |
| 0.68383175763602 | -1.13969419360708 |
| 1.52564108404544 | 0.12383977542455 |


| Oxolan-3-one (10) |  |
| :--- | ---: |
| O | 0.55649342518305 |
| C | 0.32848710183269 |
| C | 1.34155116795781 |
| H | 1.66505911639681 |
| H | 2.22926944280455 |
| O | 0.66883277867199 |
| C | -0.73394233788709 |
| H | -1.28899636698382 |
| H | -0.93381363359855 |
| C | -1.01701105891593 |
| H | -1.24046353612780 |
| H | -1.82063809933372 |


| 2.26505548321312 | 0.38680980916114 |
| :--- | :--- |
| 1.09828912403726 | 0.15240202189764 |
| -0.04978035831213 | 0.17737390157391 |
| -0.21077671658887 | 1.22714611505822 |
| 0.17307302760559 | -0.43028856831071 |
| -1.18577726968058 | -0.35519458151607 |
| -1.02832794063380 | -0.04651047095007 |
| -1.67565982024770 | -0.73544527917610 |
| -1.35751652945331 | 0.99119204996097 |
| 0.46476418092388 | -0.21008288516975 |
| 0.72028723552310 | -1.25831240027247 |
| 0.86656958361344 | 0.41931028774327 |

2-Methyl-2-oxozaline (11)
C $\quad 2.15663718311260$
H $\quad 2.47968476957124$
H 2.58886354756325
H 2.52459385594799
C 0.67136714374403
N $\quad-0.02276652158928$
C $\quad-1.43746842704607$
H -1.92021828150350
H -1.96490636698039
C -1.40650500366645
H -1.87844498146579
H -1.83069141176166
O 0.01555849407401

| -0.10140301552173 | 0.03665745019527 |
| :--- | :--- |
| -0.60930060985291 | 0.95669303346582 |
| -0.60462165569919 | -0.83344820206060 |
| 0.93340052919912 | 0.08690348283198 |
| -0.11570662474688 | -0.06567577977494 |
| -0.62739478678949 | -1.00896570070993 |
| -0.39407465076187 | -0.66907168486305 |
| 0.18555610359606 | -1.47029591850657 |
| -1.35731953260693 | -0.59839288640260 |
| 0.36806359357739 | 0.68110094687305 |
| -0.17821034850049 | 1.50923373648674 |
| 1.38013726928157 | 0.62814154650087 |
| 0.49365772882535 | 0.98012297596395 |

Maleic anhydride (12)

| O | 2.25180399190854 |
| :--- | :--- |
| C | 1.13670450739468 |
| C | -1.13870682688536 |
| O | -0.00260535030570 |
| C | 0.67113879819006 |
| H | 1.36644343753657 |
| C | -0.66793008068948 |
| H | -1.36010249478928 |
| O | -2.25554798236003 |

1,4-Dioxane (13)
$0 \quad 0.83123727493900$
C 0.00247398829601
H 0.57979359142228
H $\quad-0.28510731008728$
C $\quad-1.22481219388266$
H $\quad-1.84984911490983$
H $\quad-1.82598495254671$
C $\quad-0.01451719284815$
H 0.27303302023296
H $\quad-0.59176034103167$
C $\quad 1.21279533979555$
H $\quad 1.83786577365969$
H $\quad 1.81396737222487$
$0 \quad-0.84325425526403$

Tetrahydro-4H-pyran-4-one (14)
O -0.11177185582409

C $\quad-0.03348477945725$
C $\quad-1.24842693835919$
H $\quad-1.32636187301306$
H $\quad-2.15363641165976$
C $\quad 1.28812115974853$
H $\quad 1.43326847057039$
H 2.10810419233067
C $\quad-1.08435212460112$
H $\quad-1.12612240759015$
H $\quad-1.88875330533827$
C $\quad 1.26028099268874$
H 2.15324288851863
H $\quad 1.23886052507938$
$0 \quad 0.13877746690655$
-1.07202341545776
-0.62653971962326
-0.62216242663804
-1.44920424653960
0.78844531705918
1.62364378183767
0.79104853147031
1.62898433492929
-1.06309215703781

| 0.64146910923991 | -0.94205414005097 |
| :--- | :--- |
| 1.36991234689665 | -0.03033525342119 |
| 1.62496107084700 | 0.88071969703471 |
| 2.29930900354286 | -0.54241100129126 |
| 0.55533542173732 | 0.35377024830138 |
| 0.37878358977326 | -0.54414099600024 |
| 1.08001935380733 | 1.11011619863233 |
| -1.42526284878955 | 0.02105391323473 |
| -2.35466896253793 | 0.53312799591912 |
| -1.68032076368617 | -0.89005799354922 |
| -0.61066526172569 | -0.36309405661047 |
| -0.43423330478877 | 0.53482798605432 |
| -1.13530901000052 | -1.11947078146112 |
| -0.69684174431572 | 0.93275318320791 |

$2.38925241560384-0.70802105894980$ $1.32373323844633-0.11887278800103$ $0.51621585428084 \quad 0.30269797471077$ $0.55156856454400 \quad 1.40231174184772$ $0.96378291927265-0.12930621872976$ 0.656824376509360 .21967969152911 $0.70562141479376 \quad 1.31193133849188$ $1.19977650353322-0.26937659570409$ $-0.95620135463166 \quad-0.12422334248549$ $-1.03083625660460 \quad-1.22902272774667$ $-1.57659059834255 \quad 0.29235965561573$ $-0.82661696460031 \quad-0.20012195111060$ $-1.35285179950691 \quad 0.16207667854805$ -0.90067328356378 -1.30551528569750
$-1.50826002973417 \quad 0.35406188768167$
0.00153062242008 -0.00036255743090 -0.01691747890306 -0.02017587365135 0.01596225888820 0.03268138809353 0.00612941850290 0.01266885537958 $-0.03152263329898$
-0.94205414005097 -0.03033525342119 0.88071969703471 -0.54241100129126 0.35377024830138 1.11011619863233 0.02105391323473 0.53312799591912 -0.36309405661047 0.53482798605432 0.93275318320791 1.31193133849188 0.29235965561573

Nitrobenzene (15)

| O | 2.74445865683561 |
| :--- | :--- |
| N | 2.30422279388824 |
| C | 0.84076100084006 |
| C | 0.31458312841562 |
| H | 0.98449169425859 |
| C | 0.03927502289398 |
| H | 0.50070552423236 |
| C | -1.06226195218816 |
| H | -1.49358420288808 |
| C | -1.33574008618060 |
| H | -1.97991972249586 |
| C | -1.88566634367920 |
| H | -2.96192058977847 |
| O | 2.99141007584592 |

## Phenol (16)

| O | 2.46520574722708 |
| :--- | :--- |
| H | 2.93843988304569 |
| C | 1.11603964332244 |
| C | 0.25397694724404 |
| H | 0.67900980965558 |
| C | 0.59361116301943 |
| H | 1.26914912324268 |
| C | -1.12446941337521 |
| H | -1.79134377750212 |
| C | -0.78918025840235 |
| H | -1.18783641912889 |
| C | -1.65572504270498 |
| H | -2.73448040564339 |

## Anisole (17)

C 2.68691960331702
H 2.68344096486603
H 3.62906909097377
H 2.58959406734983
O 1.65610216090143
C 0.36325194451244
C $\quad-0.62439710998006$
H $\quad-0.31241147650608$
C $\quad-0.00768701428547$
H 0.74275666410836
C $\quad-1.96749220268451$
H $\quad-2.72637573875598$
C $\quad-1.36363626532170$
H $\quad-1.64432607811915$
C $\quad-2.34824378107710$
H $\quad-3.40163782929883$

| 1.40312139214155 | -0.35750478024001 |
| :--- | :--- |
| 0.25297832669727 | -0.27598677425740 |
| 0.08896934257442 | -0.10074411687129 |
| -1.19888030183980 | -0.00659897378592 |
| -2.05451746870720 | -0.06342829817047 |
| 1.22808755949786 | -0.03565716426971 |
| 2.21043495165014 | -0.11444753988225 |
| -1.34497044739496 | 0.15822572290437 |
| -2.34335144632110 | 0.23361425722543 |
| 1.06590749043235 | 0.12953163320893 |
| 1.94379567168450 | 0.18280784246450 |
| -0.21643696344211 | 0.22623122454381 |
| -0.33700581276190 | 0.35510885639799 |
| -0.77091129421103 | -0.32940988926802 |


| -0.40517145286522 | 0.13031188535035 |
| :--- | :--- |
| 0.44498195603022 | 0.16111704986696 |
| -0.15232114029950 | 0.09722857190716 |
| -1.25467339540559 | 0.05007198673172 |
| -2.25847130619264 | 0.04146279841973 |
| 1.14716350860475 | 0.10912946767445 |
| 2.00609394880041 | 0.14596735883043 |
| -1.04847678929431 | 0.01515563768542 |
| -1.91117442408581 | -0.02154659674130 |
| 1.33961001292577 | 0.07385340678173 |
| 2.35506272521292 | 0.08347910234942 |
| 0.24553479003529 | 0.02672165820459 |
| 0.39881156653371 | -0.00074932706066 |


| 0.13999595834652 | -0.11063501967295 |
| :--- | :--- |
| 0.51697237598338 | 0.92564614620555 |
| -0.38412896005612 | -0.30477351683199 |
| 0.98979960081506 | -0.80662455433709 |
| -0.82250711087139 | -0.31760746513516 |
| -0.40975818008334 | -0.13413432114727 |
| -1.38422122796817 | -0.35039736820156 |
| -2.38679349074143 | -0.64434003670521 |
| 0.88793789869890 | 0.24468359192055 |
| 1.65737724245316 | 0.41731117802527 |
| -1.05999566098718 | -0.18826227000198 |
| -1.82509741493036 | -0.35896983362851 |
| 1.19705203757001 | 0.40348979435186 |
| 2.20940020050820 | 0.69853532993528 |
| 0.23371639787869 | 0.19016760211915 |
| 0.48408933338406 | 0.31621074310409 |

Benzaldehyde (18)
O $\quad 2.94263597429521$
C 2.31325921547403

H 2.82882853613303
C 0.85504102653235
C 0.25363633512173
H 0.87298639022288
C 0.07186333427765
H 0.56336941754174
C $\quad-1.11965379291865$
H $\quad-1.58801284562844$
C -1.29769250124538
H -1.90978647067495
C -1.89377939311800
H $\quad-2.96831322601321$

## Benzonitrile (19)

N $\quad 3.51961945645391$
C 2.39618309209311
C $\quad 1.01891656158161$
C 0.02406174933033
H 0.31387400465403
C 0.65914158848966
H $\quad 1.43763388053063$
C $\quad-1.31613138951621$
H $\quad-2.08662942518606$
C $\quad-0.68482602672322$
H $\quad-0.96312551117540$
C -1.67250940023984
H $\quad-2.72321758029252$

4-Dimethylaminopyridine (20)
C $\quad-1.84531439626033$
H $\quad-1.60266226488247$
H -1.61353582070335
H $\quad-2.92242634143402$
C $\quad-1.84571418392628$
H -2.92275616469553
H -1.61520425926180
H -1.60216747491177
N -1.13105089226693
C 0.24141932794724
C 0.99103612274807
H 0.50610978665555
C 0.99150696028318
H 0.50697448440253
C 2.37744963290530
H 2.95199319374516
C $\quad 2.37788984645871$
H $\quad 2.95279734426840$
N 3.09505009892834

| 1.19996172543360 | -0.48513524437964 |
| :--- | :--- |
| 0.16198637846516 | -0.36958263146187 |
| -0.83182257260562 | -0.43600783604740 |
| 0.07270629231235 | -0.13680023871620 |
| -1.18914154608347 | -0.02272160343897 |
| -2.08554983640121 | -0.10779377118218 |
| 1.23419978801308 | -0.02968084895190 |
| 2.20365224967413 | -0.12216881666799 |
| -1.29493547124989 | 0.19682701839086 |
| -2.27580014905196 | 0.28568895122636 |
| 1.12766435095455 | 0.18932282155817 |
| 2.02661869155064 | 0.27309969606611 |
| -0.13592235577246 | 0.30261818292163 |
| -0.21512154523891 | 0.47435832068303 |

$0.95274746014816-0.22345998046378$ $0.64946435935315-0.15512784487064$ $0.27722051853738-0.06631443673425$ $1.27091810368715-0.01421418227689$ $2.32090192503490-0.04259515028402$ $-1.08260558391179 \quad-0.03097688569519$ $-1.84387177154188 \quad-0.07193637670773$ $0.90125223844318 \quad 0.07263095195525$ 1.671643751397340 .11302348103845 $-1.43829291718799 \quad 0.05599343573874$ $-2.49213449703081 \quad 0.08373195382972$ $-0.45015936338476 \quad 0.10785454977068$ $-0.73416922354403 \quad 0.17615648469966$

| 0.71950197920473 | 1.03391860582320 |
| :--- | :--- |
| 0.37893533229128 | 2.05697596358828 |
| 1.79390610089423 | 0.96801352935944 |
| 0.59804227809135 | 0.87646430153932 |
| -1.03116248242347 | -0.75859473731838 |
| -0.87724951790076 | -0.63209759791962 |
| -0.93908097174788 | -1.83136817983551 |
| -2.06204087355085 | -0.44323520263947 |
| -0.03169260208389 | 0.01626658757920 |
| 0.01850047721867 | -0.03309429849907 |
| -0.79190347380210 | -0.91918214400157 |
| -1.50279245939913 | -1.58549220434815 |
| 0.88538771714765 | 0.79739216815288 |
| 1.53524407362043 | 1.52363275698445 |
| -0.68095939472968 | -0.93772747468992 |
| -1.30822866849467 | -1.62650325855636 |
| 0.90618484154364 | 0.68644339623310 |
| 1.58008647934308 | 1.32934348000426 |
| 0.14813216477737 | -0.16054969145609 |

Pyrimidine (21)

| C | 1.52118116530529 |
| :--- | :--- |
| H | 2.60647678468336 |
| N | 0.81348438665809 |
| C | -0.51638832913360 |
| H | -1.10627516888548 |
| C | -0.28418761559000 |
| H | -0.68354156158362 |
| C | -1.12666052491825 |
| H | -2.20815452828203 |
| N | 1.04865439174625 |

2,6-Dimethyl- $\gamma$-pyrone (22)
O -0.04661427099177
C -0.02397062583758
C -1.23039294066410
H -2.19964617864795
C 1.21189183214136
H 2.16243636993395
C $\quad-1.16993889021791$
C $\quad 1.20071779917118$
C $\quad-2.32167508715149$
H $\quad-2.30554622658892$
H $\quad-3.26757760566013$
H $\quad-2.27096436097105$
C $\quad 2.38622472731084$
H 2.36006496619483
H 2.39279569801667
H 3.31141253655134
00.02804925741076

Norbornene (23)
C 0.22733009389728
H 0.31773749052054
C 0.39205394569747
H 0.63270732962040
C 0.66009913112407
H 1.71781988225849
H 0.02796529552723
C 1.04388445952450
H 1.36096096747469
C 1.14225126612289
H 1.55538730211707
C $\quad-1.12897959812691$
H $\quad-1.42775373801686$
H $\quad-1.75023184605646$
C $\quad-1.24263760760014$
H $\quad-1.60498462653213$
H $\quad-1.92099774755215$

| -0.15912926954967 | -0.10713688793694 |
| :--- | :--- |
| -0.27322603181243 | -0.18349809504487 |
| -1.28862713466386 | 0.04322875700274 |
| -1.13361511295518 | 0.13555654300686 |
| -2.04672030345393 | 0.25849699211350 |
| 1.21933232818811 | -0.07930724033602 |
| 2.23644628446939 | -0.13262792360873 |
| 0.11921761130881 | 0.07920617106538 |
| 0.23291823651957 | 0.15529480194089 |
| 1.09444139194919 | -0.17440011820279 |


| 3.26091361256264 | -0.20039454133953 |
| :--- | :--- |
| 2.02573166048813 | -0.12366119556530 |
| 1.19696556549629 | -0.09461974565977 |
| 1.69206786531735 | -0.14301138830316 |
| 1.24425702557807 | -0.05285327333156 |
| 1.77635788849560 | -0.06842174729035 |
| -0.15201976790423 | -0.01019117137378 |
| -0.10615043074962 | 0.03016190799962 |
| -1.09823501500182 | 0.02766399874655 |
| -1.69107625769703 | 0.95447762338724 |
| -0.54830261959527 | -0.02589893108323 |
| -1.80408019539463 | -0.81490319197654 |
| -1.00728736789481 | 0.10664914594879 |
| -1.60417479289648 | 1.03060849640477 |
| -1.71097312016048 | -0.73920028211911 |
| -0.42103709732333 | 0.08828149275752 |
| -0.82036695332038 | 0.05286080279785 |


| -1.17149509215501 | 0.00936260834457 |
| :--- | :--- |
| -2.25658547288321 | -0.11606364836136 |
| 1.03960161967232 | -0.41822199343095 |
| 1.97593760542568 | -0.93458994778490 |
| -0.28044145509746 | -1.17881030568258 |
| -0.41051722007657 | -1.44450772087112 |
| -0.40577592973378 | -2.07104921886381 |
| -0.54908439437659 | 1.13042582040516 |
| -1.07072950787354 | 2.03303972270943 |
| 0.76752702119559 | 0.87561680705815 |
| 1.53574650568778 | 1.52872415750002 |
| 0.86180972443035 | -0.07460639966819 |
| 1.48570530128791 | 0.77755613151880 |
| 1.14943404483367 | -0.93510901652341 |
| -0.66428561630921 | 0.21990386612966 |
| -0.87919016728499 | 1.23344870821492 |
| -1.15831596674297 | -0.49068457069441 |

Norcamphor (24)

| O | 1.62298560450425 |
| :--- | :--- |
| C | 1.02951298875034 |
| C | -0.37822115564302 |
| H | -0.73610823827870 |
| C | -1.25458184705401 |
| H | -1.12743529743675 |
| H | -2.31413751290686 |
| C | -0.78691708758190 |
| H | -1.61402076567861 |
| H | -0.39866328016364 |
| C | 0.30937453654291 |
| H | 0.53566005131556 |
| C | -0.24771717527397 |
| H | -1.21548885513950 |
| H | 0.45273255376230 |
| C | 1.53665077752522 |
| H | 2.38998350957657 |
| H | 1.89289619317979 |

(+)-Fenchone (25)
C $\quad 2.13684681238489$
H $\quad 2.48656148212780$
H $\quad 1.66248896626709$
H $\quad 3.01116480737181$
C $\quad 1.17848247071251$
C $\quad 1.94049466130799$
H 2.37653385126964
H 2.75586735790959
H 1.29307832678929
C 0.45346034946934
H $\quad 1.13725140915679$
C $\quad-0.65418343881437$
H $\quad-1.36420706279911$
H $\quad-0.28294219059159$
C $\quad-0.40411227622690$
H 0.16444099835961
H $\quad-0.82136868282891$
C $\quad-1.53026265692235$
H -1.52320855918373
H -2.52926356871482
C $\quad-1.27318541600300$
C $\quad-2.45269952913379$
H $\quad-2.73348830460215$
H $\quad-3.32418327613714$
H $\quad-2.20898946589500$
C $\quad-0.02519316263992$
$0 \quad 0.02245909736644$

| 1.73303678685190 | 1.40225272749383 |
| :--- | :--- |
| 0.99837600569814 | 0.63864817748690 |
| 1.17942059187911 | 0.07368597284139 |
| 2.21328776532705 | 0.10939374778440 |
| 0.15427681506602 | 0.85594956433443 |
| 0.24807671750050 | 1.94247987969966 |
| 0.33980106780084 | 0.63105918155497 |
| -1.22789359873213 | 0.29940192655820 |
| -1.75669875163645 | -0.19421478269915 |
| -1.88858585425122 | 1.08691327168228 |
| -0.84373673414289 | -0.72143105389287 |
| -1.62567762351748 | -1.45651680619132 |
| 0.48085633955407 | -1.29729209680989 |
| 0.35847193622762 | -1.80444592259765 |
| 0.98619783591745 | -1.97798644870696 |
| -0.33568830304852 | 0.06086350117389 |
| -0.12878383252071 | -0.60539078148163 |
| -1.00206716397332 | 0.85912194176951 |


| -1.10914475909141 | -0.28422874202318 |
| :--- | :--- |
| -1.69123683862987 | 0.57925218249778 |
| -1.80406807478424 | -0.98936986425493 |
| -0.66258459808825 | -0.78111063845628 |
| 0.00227329388712 | 0.18528790510251 |
| 0.94064034844076 | 1.12802797001573 |
| 0.35826558792022 | 1.95080416893993 |
| 1.44957851735348 | 0.59209893772468 |
| 1.70580677354760 | 1.57551219820623 |
| 0.67442862926121 | -1.02011601082608 |
| 0.92102460573500 | -1.84354981908450 |
| -0.35293892256100 | -1.34592505841843 |
| 0.01165960032108 | -2.10288064640982 |
| -1.33695626383026 | -1.66144147048536 |
| 1.86249629794782 | -0.53355843742090 |
| 2.59376342062734 | 0.05332449423795 |
| 2.39869916443368 | -1.39753330811857 |
| 1.16571585258221 | 0.28447402265072 |
| 1.43537216624779 | 1.34985787290802 |
| 1.40786824828274 | -0.10680805953267 |
| -0.36583960918956 | 0.07260206297905 |
| -1.26780461698052 | 0.36376393698885 |
| -1.20620859493145 | 1.42455222062803 |
| -0.98327852372809 | -0.24396037923736 |
| -2.31801441840223 | 0.14960073459199 |
| -0.64372132183941 | 0.91565326816206 |
| -1.24287296453173 | 1.97292145863454 |

Isophorone (26)

| O | -0.03508167107188 |
| :--- | :--- |
| C | 0.09796447037172 |
| C | 1.39620047473789 |
| H | 2.24401024043403 |
| C | 1.55160369722772 |
| C | 0.38225447221610 |
| H | 0.52512217622040 |
| H | 0.40087068318325 |
| C | -0.99416815464530 |
| C | -2.10438931022230 |
| H | -2.01875389003302 |
| H | -3.09617278598818 |
| H | -2.05880336559189 |
| C | -1.16385376315842 |
| H | -2.13163809739196 |
| H | -0.37364483932641 |
| H | -1.13237256913335 |
| C | -1.06597169564227 |
| H | -1.04476283436076 |
| H | -2.00204586180919 |
| C | 2.88564679711654 |
| H | 3.11703657887068 |
| H | 2.87597826161558 |
| H | 3.69397998638101 |


| 3.27382019198590 | 0.29914510541563 |
| :--- | :--- |
| 2.05197629733294 | 0.33717981561615 |
| 1.40571902745202 | 0.10193052533612 |
| 2.07687575763782 | -0.05511871454733 |
| 0.06323327001127 | 0.07124032386508 |
| -0.86570786693912 | 0.27055657220015 |
| -1.77117162950791 | -0.34363080850119 |
| -1.21765132812834 | 1.32004045914111 |
| -0.23883726410485 | -0.03318121862728 |
| -1.15631529865005 | 0.49354305017226 |
| -1.30080112667403 | 1.58116082672243 |
| -0.72813266572805 | 0.28608437173447 |
| -2.14626524824723 | 0.01395466083273 |
| -0.05667429777334 | -1.55157767074363 |
| 0.41348535190625 | -1.77873536152172 |
| 0.57751679737395 | -1.97651232747012 |
| -1.03011099846024 | -2.06342170441039 |
| 1.12922964318052 | 0.67150988884168 |
| 0.97500944630012 | 1.76636665998705 |
| 1.65779963922208 | 0.44099921481194 |
| -0.57945740998336 | -0.15231626672592 |
| -1.28769649790783 | 0.66036682990006 |
| -1.17105875497444 | -1.08275592632275 |
| 0.15968496467594 | -0.21453730570655 |

4-Cyanobenzaldehyde (27)
O -3.33165691921501
C -2.67835269451153
H $\quad-3.17641230686136$
C -1.19822676505241
C $\quad-0.44343404100051$
H $\quad-0.96918134986837$
C $\quad 0.55336709330996$
H $\quad-1.14945561446872$
C 0.94025152756633
H $\quad 1.53922841246613$
C 0.83332171946212
H $\quad 1.34533140902890$
C 1.58549831352192
C 3.01090879415893
N $\quad 4.17382060808352$
1.1479438395492 0.12047243819101 -0.87966897985588 0.06300315788233 1.24320369619243 2.19839776816991 $-1.18168824381182$ -2.09334137807441 1.18029946229198 2.08683879357572
-1.25883040827469
-2.22009705267950 -0.07418307410123 $-0.14212904393466$ $-0.19716797512046$
0.29914510541563
0.33717981561615
0.10193052533612

5511871454733
0.27055657220015
-0.34363080850119
1.32004045914111
-0.03318121862728
0.49354305017226
1.58116082672243
0.28608437173447
0.01395466083273
-1.55157767074363
$-1.77873536152172$
-2.06342170441039
888884168
0.44099921481194
-0.15231626672592
-1.08275592632275
-0.21453730570655
$-0.12026727290213$
-0.13948311794087
-0.22073128180635
$-0.06157079439091$
0.04278952116791
0.06506603771749 -0.09279930690774
-0.17406234315115
0.11506975213940
0.19614339194710
-0.02107089092732
-0.04442118929487
0.08312033804395
0.15648894684634
0.21145420945917

Mesitaldehyde (28)
C $\quad-0.54153161737062$
H $\quad-0.21039132302759$
H 0.02634832000330
H -1.60007537769307
C 2.28754763231463
H $\quad 2.77536087834438$
H 2.11713152419143
H 3.00820250738842
C -0.37098310190763
C 0.98444842946880
C $\quad-1.50730147144000$
H $\quad-2.47733710712799$
C $\quad-0.18512943117920$
H $\quad-0.11271100470854$
C $\quad-1.43862924414959$
C $\quad-2.68234349841250$
H $\quad-3.08772043188174$
H $\quad-3.46891939176739$
H $\quad-2.47569093420619$
C 0.89320737355565
C 2.08608140908639
H $\quad 1.87995715238922$
O 3.23956370812984
(+)-Camphor (29)
C 0.24287474462422
H $\quad-0.14876803981803$
H $\quad 1.17855555500547$
H $\quad-0.47107273633065$
C 0.48699578778780
C $\quad 1.13667964868393$
C 0.91025477198621
H 0.32960841943149
H 1.86996092000761
C 0.15084079904016
H $\quad-0.40713927506794$
C $\quad-0.73221173731557$
C $\quad-1.74584833749864$
H $\quad-2.47307907510858$
H $\quad-2.31085571193109$
H -1.28134541287610
C $\quad-1.48635629188699$
H $\quad-0.83351662569020$
H $\quad-2.02674273253964$
H $\quad-2.23350564873661$
C $\quad 1.17802463140269$
H 0.77497342137907
H 2.08835310898462
C $\quad 1.44548366719259$
H 1.19780091901977
H 2.49260811609929
O 1.72797711415513
2.81047589058259 3.27767383641715 3.28170033716433 3.06384707971377
-1.47322392288036
-1.22095999964878
-2.55761871083251
$-1.19119634320002$ 1.30787673941018 $-0.74041768730131$ 0.51367242159436 0.99948831007561 -1.48552827702636 -2.57618067357396 -0.88440210579564 -1.71922285899250 -1.98015425370829 -1.17995739559150 -2.66154200148214 0.67935712054336 1.52837530718935 2.62498394420346 1.14487424313924 2.68257094517079 2.74039112092239 2.41979567609798 0.74754657021135 0.05726247693950 -1.45087010807138
-1.84261928267787
$-1.98756366660742$
$-1.49544369396484$
$-2.42523059140614$
$-0.20657145254640$
-0.20221400880870
-1.01916990704087
0.74105829753514
-0.30865222497163
0.08896565569518
0.14655567012388 1.04361945014043 -0.69665127399988 -1.14744333058140 -1.32940047790285 $-1.75455999739639$ 0.36603637766352 0.97789738481683 0.58236919110887 0.59267914140014
-0.00165465842191 0.93698355720738 -0.81680236107552 -0.14334029452009 0.34609694991090 1.29742168146190 0.30460608845041 -0.43345152787903 0.01734283698979 0.18312244748217 -0.14120379126181 -0.27308624691571 0.01843605677094 0.01258936516873 -0.14062009675394 -0.28149473048810 0.70952218414628 -0.82603580868240 -0.80688165884443 0.18428444264911 0.34831875108852 0.32469360038183 0.50612221313501

$$
\begin{aligned}
& -0.33675566889983 \\
& 0.58511698940473 \\
& -0.60263357223827 \\
& -1.15032169739026 \\
& -0.15699694625360 \\
& -1.36428275013315 \\
& -1.17387722649692 \\
& -2.02105090527832 \\
& -1.16421773415754 \\
& 0.16458668758445 \\
& 0.33909834335027 \\
& 0.09849962135874 \\
& -1.05328176319560 \\
& -0.93266065713005 \\
& -1.06192568625209 \\
& -2.04246352904452 \\
& 1.39770028818833 \\
& 2.27680344428090 \\
& 1.32014033333416 \\
& 1.58839304197815 \\
& 1.26461618266557 \\
& 2.26938340391489 \\
& 1.16734315607248 \\
& 1.01825635725900 \\
& 1.89739153231123 \\
& 0.76548530067569 \\
& -2.28085254590843
\end{aligned}
$$

Indole (30)

| C | 0.38119393538495 | 0.70588923337384 | 0.08866553827516 |
| :---: | :---: | :---: | :---: |
| C | 0.23323094797444 | -0.70082335375306 | -0.11768173488613 |
| N | 1.50400543712975 | -1.22495478934518 | -0.25832438204339 |
| H | 1.71981089053872 | -2.20043242847631 | -0.41663529063970 |
| C | 2.43826350368318 | -0.20844910423316 | -0.14898704879956 |
| H | 3.49848634846739 | -0.42444864188604 | -0.23268152463607 |
| C | 1.78957245406254 | 0.98622314666021 | 0.06344349169903 |
| H | 2.26591341341452 | 1.95331727292281 | 0.18725123061738 |
| C | -1.01776789169121 | -1.32543166722157 | -0.15219262587045 |
| H | -1.11342110397012 | -2.40095330593129 | -0.31059005627740 |
| C | -2.14140142305500 | -0.52207006801005 | 0.02387068761064 |
| H | -3.13251179874779 | -0.97663219650882 | 0.00273385230909 |
| C | -2.02093018572799 | 0.86889056686999 | 0.22916314668515 |
| H | -2.92369103006466 | 1.46616555964419 | 0.36319138734512 |
| C | -0.77578867328519 | 1.48733009004244 | 0.26303206549956 |
| H | -0.69498382411353 | 2.56381668585199 | 0.42242926311158 |
| Adamantane (31) |  |  |  |
| C | 0.92556632488184 | 0.39899037440059 | 1.15304853743616 |
| H | 1.60095249129047 | 0.68306094146967 | 1.97636245283604 |
| C | 0.78391256306839 | -0.73986362683728 | -1.09002170397602 |
| H | 1.35787730221924 | -1.26876829474970 | -1.86823720080431 |
| C | -0.65469336063021 | 1.26994739856852 | -0.60524096818035 |
| H | -1.11005584934628 | 2.17651499664152 | -1.03593070946497 |
| C | -1.12783876417951 | -0.92431222860487 | 0.53926632075469 |
| H | -1.92121409017332 | -1.58490232818716 | 0.92526695008893 |
| C | 1.72403467564097 | -0.34085743356350 | 0.06297027693535 |
| H | 2.53277373700311 | 0.30576212314444 | -0.31693199446100 |
| H | 2.20206906585644 | -1.23919566120128 | 0.48828976114356 |
| C | 0.14720829408536 | 0.52758885766467 | -1.69078753611776 |
| H | 0.93203011632536 | 1.18718289193666 | -2.09727010478968 |
| H | -0.51480442588192 | 0.25713013949013 | -2.53031776583820 |
| C | 0.28801682283859 | 1.66371978312433 | 0.54765392676099 |
| H | 1.07452115579506 | 2.34261366520630 | 0.17767764618787 |
| H | -0.27300726720984 | 2.21200805421060 | 1.32286078995279 |
| C | -1.76050897959222 | 0.34311152846334 | -0.06557900474688 |
| H | -2.35500897011397 | 0.86991363462719 | 0.69965515409414 |
| H | -2.45268456441005 | 0.06729541494917 | -0.87870188060819 |
| C | -0.32419122733446 | -1.66230843223286 | -0.54789119191063 |
| H | 0.12068925079541 | -2.58097174100588 | -0.13024883702903 |
| H | -0.99300663648669 | -1.97212968974828 | -1.36831256320990 |
| C | -0.18443004855826 | -0.52446150951751 | 1.68947501770322 |
| H | -0.75342922035294 | -0.00886105782624 | 2.48108020701046 |
| H | 0.25905260446946 | -1.42525380042260 | 2.14589542023268 |

Dicyclopentadiene (32)
C 0.47210466328738
H 0.62953843400454
C 1.61954502344355
H 1.93754852960257
C 2.17586243696754
H 3.00681850089639
C 1.53107909548795
H $\quad 1.15418212912413$
H 2.25613364232205
C 0.39029846378379
H 0.50629996657754
C -1.08273460035886
H -1.44399472425831
C -1.17815424226103
H -1.18178590633937
C $\quad-1.10854832815015$
H $\quad-1.03275296227497$
C $\quad-0.97322764304945$
H $\quad-1.22379602747532$
C $\quad-1.80858481256785$
H $\quad-1.67482054301032$
H $\quad-2.87734509575179$

1-MethyInaphthalene (33)
C -2.20229131752364
H $\quad-1.89948086697823$
H $\quad 3.26749469978238$
H $\quad-2.09004413381956$
C $\quad-1.38500504172071$
C 0.03810079054451
C 0.74458776532680
H 0.19120446926137
C $\quad 2.11752940672014$
H 2.63832070753501
C 2.85489272841775
H 3.93939970423843
C 2.20180213783321
H 2.76318386303341
C 0.79130586660740
C 0.11012390745525
H 0.69057217495433
C -1.25878963269998
H -1.78165488836811
C $\quad-1.99838061665994$
H $\quad-3.08347132437504$

| 0.95494603085863 | 0.53357326632405 |
| :--- | :--- |
| 1.57054175674484 | 1.43437786698220 |
| 1.06270918064999 | -0.42792399905448 |
| 2.01043397479335 | -0.86593584586124 |
| -0.12502963471774 | -0.69687860451670 |
| -0.28012284129574 | -1.38768394813626 |
| -1.25848806194412 | 0.06125895305070 |
| -2.03777275345863 | -0.62307496245798 |
| -1.75958987175571 | 0.72393790506887 |
| -0.58029978682954 | 0.86129403949678 |
| -0.75854540981370 | 1.93885537234151 |
| -0.93891170256446 | 0.44837767342683 |
| -1.88667415695795 | 0.86531990883481 |
| -0.78947858924529 | -1.06155555231413 |
| -1.61192305967756 | -1.77538806661678 |
| 0.52256679704602 | -1.34436235560950 |
| 0.97548915018025 | -2.33163379546219 |
| 1.26897789310958 | -0.02990822706453 |
| 2.33598895336589 | -0.04527771767140 |
| 0.35329750297117 | 0.89694485212895 |
| 0.57880961122502 | 1.96614229986900 |
| 0.35143601731567 | 0.64284593724149 |


| -1.45808786592857 | 0.40576619303082 |
| :--- | :--- |
| -1.97412510381080 | 1.33014315480283 |
| -1.20916506946741 | 0.49226053330948 |
| -2.18082760025591 | -0.41756149163849 |
| -0.21601431878570 | 0.17082298876079 |
| -0.29280452065279 | 0.02953250128480 |
| -1.52330892087219 | 0.10105177073529 |
| -2.44732203220138 | 0.26866450282974 |
| -1.56933895820562 | -0.03769495051483 |
| -2.52620006161974 | 0.02107756789206 |
| -0.38275614460801 | -0.25564210547236 |
| -0.42966883356532 | -0.36359238511029 |
| 0.82960986565494 | -0.33067751534890 |
| 1.75126237990297 | -0.49842007701721 |
| 0.91211743412215 | -0.19236318386804 |
| 2.15542958206064 | -0.26735511172326 |
| 3.06473615399658 | -0.43542304715093 |
| 2.20764824633804 | -0.12894210524910 |
| 3.16343185719394 | -0.18638640020415 |
| 1.02195424317831 | 0.08944283555080 |
| 1.08399266752586 | 0.19710532510095 |

9-Fluorenone (34)

| O | 0.14235381233165 |
| :--- | :--- |
| C | 0.08681620131949 |
| C | 1.22577257024555 |
| C | -1.13540987529764 |
| C | 0.71838724830680 |
| C | -0.74970099135196 |
| C | -2.46245492665635 |
| H | -2.73372584018578 |
| C | 2.58113848693171 |
| H | 2.94690370481658 |
| C | -3.42882705718290 |
| H | -4.47953025677878 |
| C | 3.45170252605421 |
| H | 4.52177572666876 |
| C | -3.05266564631569 |
| H | -3.81723129245883 |
| C | 2.95482903846945 |
| H | 3.64600592069529 |
| C | -1.70965998157658 |
| H | -1.43573198380828 |
| C | 1.58344548312202 |
| H | 1.21490413265132 |

Anthracene (35)
C $\quad-1.16784167980323$
C $\quad-1.24121539914392$
C $\quad 1.18881569572516$
C $\quad 1.26218983270489$
C $\quad-2.37683352326644$
H $\quad-2.31900520847248$
C $\quad-2.51945185990790$
H $\quad-2.57215618980655$
C $\quad 2.39781853588153$
H 2.33994494255190
C 2.54043065821892
H 2.59316735583420
C $\quad-3.58738678463051$
H $\quad-4.50266180905821$
C $\quad-3.65957703645203$
H $\quad-4.62926465760216$
C $\quad 3.60836279698901$
H 4.52366064048157
C $\quad 3.68054785322898$
H 4.65024251224166
C $\quad-0.06070313075706$
H $\quad-0.11598337983956$
C 0.08168010653825
H 0.13695472834396

| 3.05477126007184 | 0.10756355551567 |
| :--- | :--- |
| 1.83486418217585 | 0.06442843313422 |
| 0.86299908070859 | 0.17418079097838 |
| 0.98049665435299 | -0.10900338653080 |
| -0.45156269053156 | 0.07304573579939 |
| -0.37851234048635 | -0.10291285153226 |
| 1.35979568472521 | -0.25808247560299 |
| 2.41668604447868 | -0.25930279774331 |
| 1.10891727093118 | 0.34658566124180 |
| 2.13417542170053 | 0.42153397027198 |
| 0.35429584802655 | -0.40487752517851 |
| 0.62075764346871 | -0.52408011801411 |
| 0.01205722149904 | 0.41985053060477 |
| 0.17296674962632 | 0.55491009706025 |
| -0.99356587082804 | -0.39972195770204 |
| -1.76330625580702 | -0.51507264418041 |
| -1.29237303570484 | 0.32008386408734 |
| -2.13449877170762 | 0.37898564210231 |
| -1.37491700306668 | -0.24878501000744 |
| -2.43103130861572 | -0.24690136494847 |
| -1.53875333140127 | 0.14563085154117 |
| -2.56289945361641 | 0.07012099910306 |


| -0.77141076763588 | -0.20901678339273 |
| :--- | :--- |
| 0.53922120372067 | 0.40242538968321 |
| 0.76738850525300 | 0.20455832677834 |
| -0.54325053810735 | -0.40688754527032 |
| -1.50691821002172 | -0.39629426022134 |
| -2.49518800432375 | -0.85719163941188 |
| 1.04118524599128 | 0.79218561695226 |
| 2.02985510316391 | 1.25279295930435 |
| 1.50290288959279 | 0.39183863720437 |
| 2.49116787913751 | 0.85274019237800 |
| -1.04520983765370 | -0.79664618402551 |
| -2.03387652876262 | -1.25725696102451 |
| -0.98777966817984 | -0.00705123192443 |
| -1.56201202425645 | -0.15694681286690 |
| 0.30134977756658 | 0.59416002636556 |
| 0.69860978045780 | 0.89715939408386 |
| 0.98376262041560 | 0.00259630248121 |
| 1.55796332201490 | 0.15247535789986 |
| -0.30537098011006 | -0.59861712251219 |
| -0.70261823031708 | -0.90161142504540 |
| 1.27034729702931 | 0.59127915359605 |
| 2.25990100863537 | 1.05224000137275 |
| -1.27438155532213 | -0.59574384038709 |
| -2.26393428828815 | -1.05670355201751 |

# 6 NOVAS: A Simple Protocol for Using NOESY Volumes Instead of NOE-Derived Distances for the Determination of Relative Configuration 


#### Abstract

In this chapter, we propose a simple protocol that we call NOVAS (NOE Volumes Affected by Spin diffusion) for directly utilizing NOESY volumes instead of NOE-derived distances to solve structural problems in organic chemistry. Central to this approach is that the NOESY spectra are recorded at long mixing times beyond the linear build-up regime. The peaks in such spectra are close to the intensity maximum and much less affected by troublesome COSY artefacts. At long mixing times, the accuracy of NOE-derived distances deteriorates due to the influence of multi-spin effects (spin diffusion). This is in contrast to our protocol, where the rich spatial information pertinent to these effects is used in a straightforward manner and adds to the discriminating power of the experimental data. We show for different test systems that such NOESY spectra can closely be reproduced with a simple fitting procedure, and investigate how the match between experimental and calculated spectra can be used for stereospecific assignment of diastereotopic protons in methylene groups. In the NOVAS protocol, we fit experimental NOE volumes based on Boltzmannweighted, DFT-optimized structures using a global correlation time $\tau_{c}$, a scaling factor $A$ and, if needed, a local correlation time $\tau_{j u m p}$ to account for the fast internal motion of methyl groups. With this protocol, no transformation of the volumes into distances is necessary and one can directly validate a computer-generated ensemble using the primary experimental data.


### 6.1 Introduction

The nuclear Overhauser effect (NOE), also known as nuclear Overhauser enhancement, is one of the most richest sources of structural data in nuclear magnetic resonance (NMR) spectroscopy. ${ }^{22-24}$ This dipole-dipole interaction can be used to obtain valuable distance information between two spins through space. The obtained information can be qualitative or quantitative. ${ }^{506-508}$ In a standard setup, one uses short mixing times to record a NOESY spectrum in order to stay within the initial rate approximation (two spin approximation) and to avoid spin diffusion. ${ }^{509}$ The problems of short mixing times are on one side the low intensity of the crosspeaks since the NOE has had no time to fully build-up and on the other side that NOESY spectra with short mixing times are often affected by severe artifacts (mainly of COSY-type). ${ }^{510}$ To alleviate the first problem, one possibility is the so-called PANIC approach, where the initial regime of linear growth is extended to longer mixing times by dividing the cross-peak volumes of the NOESY spectrum by the diagonal-peak volumes. ${ }^{511,512}$ Further, it is also possible to trace the NOE buildup curve using different mixing times, resulting in so-called, exact NOEs (eNOE). ${ }^{27,513}$ All these approaches are used to transform the peak volumes or build-up rates into distances. The accuracy of the derived distances strongly depends on the chosen method. Most simply, this can be done by a single point calibration of the proportionality between cross-peak volume $V$ and $r^{-6}$ using a known volume-distance pair. The derived distances can then be used as input for structure refinement or for comparison with an ensemble resulting from molecular dynamics (MD) simulations. ${ }^{26,195,514,515}$ Yet, it would be more straightforward to directly use the peak volumes as a primary source of information and compare these to computational data. The background of dipolar relaxation in multi-spin systems and the calculation of NOESY spectra is known for a long time and the most important equations are summarized in the next section. For a more detailed overview, the reader is referred to Refs. 25, 160 and 516.

In this study, we show for multiple test systems that we can successfully calculate NOESY spectra based on density functional theory (DFT) optimized structures of small molecules and fit them to experimental NOESY spectra beyond the linear build-up regime (Scheme 6.1). In contrast to spectra recorded at short mixing times, cross-peak intensities are higher and often, due to spin diffusion, also indirect cross-peaks are observable, which contain additional valuable spatial information about the system under study. Since the approach presented in this Chapter is based on NOE Volumes Affected by Spin diffusion, we refer to it by the acronym NOVAS. For the fitting process, we assume that the entire molecule has one global correlation time and - except for methyl group rotations which are treated separately - internal motions are slow compared to overall tumbling.


Scheme 6.1: Schematic illustration how the NOVAS procedure works. First, a NOESY spectrum with a long mixing time $\left(t_{m}\right)$ is recorded and the cross- and diagonal-peaks are integrated (a). The inter-proton distances of a DFT optimized 3D structure of the molecule of interest are calculated and stored in a matrix (b). With an initial guess for $A, \tau_{c}$ and, if needed, for $\tau_{\text {jump }}$ (for fast internal methyl rotation, see below) all cross- and auto-relaxation rates ( $\sigma_{I S}$ and $\rho_{I S}$ ) are calculated (c). With these rates the NOESY spectrum at a given mixing time is calculated (d). To quantify the relative difference between predicted and experimental spectrum (e) the weighted sum of squared residuals (wSSR) (f) is calculated. This is used as target function in the minimization process and the parameters $A, \tau_{c}$ (and $\tau_{j u m p}$ ) are optimized until convergence is reached (g).

### 6.2 Theory

The steady-state NOE can be described by looking at the relaxation of a two-spin system with spins $I$ and $S$ using the well-known Solomon equations: ${ }^{516,517}$

$$
\begin{align*}
\frac{d I_{z}}{d t} & =-\rho_{I}\left(I_{z}-I_{z, 0}\right)-\sigma_{I S}\left(S_{z}-S_{z, 0}\right)  \tag{6.1}\\
\frac{d S_{z}}{d t} & =-\rho_{S}\left(S_{z}-S_{z, 0}\right)-\sigma_{I S}\left(I_{z}-I_{z, 0}\right) \tag{6.2}
\end{align*}
$$

$\rho_{I}$ is the auto-relaxation rate of $\operatorname{spin} I$ consisting of the longitudinal proton-proton dipolar autorelaxation rate $\rho_{I S}$ and an additional leakage term $\rho_{I}^{*}$ including all other relaxation mechanisms. $I_{z}$ is the magnetization in direction of the external magnetic field and $I_{z, 0}$ is its equilibrium value. Analogous definitions apply for spin $S . \sigma_{I S}$ is the cross-relaxation rate between spins $I$ and $S$. When saturating $S, S_{z}$ becomes 0 and after having reached a steady-state, the time derivative vanishes:

$$
\begin{equation*}
0=-\rho_{I}\left(I_{z}-I_{z, 0}\right)-\sigma_{I S} S_{z, 0} \tag{6.3}
\end{equation*}
$$

Solving Eq. (6.3) for $I_{z}$, one obtains:

$$
\begin{equation*}
I_{z}=I_{z, 0}+\frac{\sigma_{I S}}{\rho_{I}} S_{z, 0} \tag{6.4}
\end{equation*}
$$

Rearranging and dividing by $I_{z, 0}$ gives the definition of the steady-state NOE ( $\eta_{I S}$ ) between spins $I$ and $S$ as the fractional enhancement of $I_{z}$ with respect to its equilibrium value:

$$
\begin{equation*}
\frac{I_{z}-I_{z, 0}}{I_{z, 0}}=\frac{\sigma_{I S}}{\rho_{I}} \frac{S_{z, 0}}{I_{z, 0}}=\frac{\sigma_{I S} \gamma^{S}}{\rho_{I} \gamma^{I}} \equiv \eta_{I S} \tag{6.5}
\end{equation*}
$$

where $\gamma^{S}$ and $\gamma^{I}$ are the gyromagnetic ratios of spin $S$ and $I$.

More generally, the time evolution of the vector $\Delta M$ of the transient enhancements $I_{z}-I_{z, 0}$ of all spins in a molecule is given by: ${ }^{25}$

$$
\begin{equation*}
\Delta M\left(t_{m}\right)=e^{-\left(\rho_{D}+\sigma\right) * t_{m}} \Delta M(0) \tag{6.6}
\end{equation*}
$$

where $t_{m}$ is called the mixing time, $\rho_{D}$ is a diagonal matrix consisting of the $n$ auto-relaxation rates $\rho_{I}$ and $\sigma$ is a $n \times n$ matrix consisting of all cross-relaxation rates. $\Delta M(0)$ describes the initial perturbation of the z-magnetizations. The NOESY-spectrum of such a molecule can then be described as: ${ }^{160}$

$$
\begin{equation*}
M\left(t_{m}\right)=e^{-\left(\rho_{D}+\sigma\right) * t_{m}} M(0) \tag{6.7}
\end{equation*}
$$

Here, $M\left(t_{m}\right)$ is the $n \times n$ matrix of NOE volumes at mixing time $t_{m}$. Assuming perfect pulses for all spins and complete relaxation between transients, a general scaling factor $A$ can be introduced and $M(0)$ can be replaced by the diagonal matrix $M_{0}$ consisting of the equilibrium magnetizations.

$$
\begin{equation*}
M=A e^{-\left(\rho_{D}+\sigma\right) * t_{m}} M_{0} \tag{6.8}
\end{equation*}
$$

It is straightforward to account for multiple conformations interconverting on a time scale slower than overall tumbling by first calculating matrix $M$ for the individual conformers and then taking the Boltzmann weighted average.

Assuming that $\rho_{D}$ is dominated by proton-proton dipolar relaxation and other relaxation mechanisms $\left(\rho_{I}^{*}\right)$ are negligible, it is possible to calculate a NOESY spectrum using the following equations: ${ }^{516}$

$$
\begin{gather*}
\sigma_{I S}=\frac{1}{10}\left(\frac{K}{r_{I S}^{3}}\right)^{2}\left(6 J\left(2 \omega_{0}\right)-J(0)\right)  \tag{6.9}\\
\rho_{I S}=\frac{1}{10}\left(\frac{K}{r_{I S}^{3}}\right)^{2}\left(J(0)+3 J\left(\omega_{0}\right)+6 J\left(2 \omega_{0}\right)\right)  \tag{6.10}\\
K=\frac{-\mu_{0} \hbar \gamma^{2}}{4 \pi}  \tag{6.11}\\
J(\omega)=\frac{\tau_{c}}{1+\left(\omega \tau_{c}\right)^{2}} \tag{6.12}
\end{gather*}
$$

$K$ is a constant with $\mu_{0}$ being the permeability of the vacuum, $\hbar$ Planck's constant, $\gamma$ the gyromagnetic ratio of the ${ }^{1} \mathrm{H}$ nucleus, and $r_{I S}$ the inter-nuclear distance between protons $I$ and $S$. $J(\omega)$ is the reduced spectral density, $\omega$ is the Larmor frequency and $\tau_{c}$ is the correlation time for overall molecular tumbling. In an ensemble of interconverting conformers, $\tau_{c}$ can be treated as constant for simplicity.

To exemplify the difference between the two-spin/initial-rate approximation and an exact treatment of a multi-spin system, we will look at a three-spin system ( $I, S, X$ ) assuming a correlation time $\tau_{c}$ of 10 ps and three different sets of inter-proton distances on a 600 MHz spectrometer. By plotting the volumes of the cross-peaks between spins $I$ and $S$ as well as $X$ and $S$ at varying mixing times, it can be nicely seen that, for this system, the initial linear rate approximation becomes invalid after mixing times larger than $\sim 1 \mathrm{~s}$ (dotted lines in Figure 6.1). If the auto-relaxation rates are calculated by taking into account all three spins but cross-relaxation is treated as a two-spin process (this corresponds to PANIC ${ }^{511,512}$ or the $\mathrm{eNOE}^{27,513}$ protocol), the
time range of agreement with the exact treatment is extended. This is identical to neglecting spin diffusion. When the entire spin-system is considered, as will be the case in the NOVAS approach, one can nicely see that with increasing angle between spins $S, X$ and $I$, spin diffusion becomes more and more dominant for the cross-peak between spin $I$ and $S$ (Figure 6.1). For small molecules, negative cross-peaks therefore contain valuable additional geometric information.


Figure 6.1: Cross-peak intensities for a three-spin system. Red lines correspond to the cross-peak between spins I and S, whereas black lines correspond to the cross-peak between spins $X$ and $S$. The dotted lines are the extended initial linear slopes, the dashed lines ignore spin diffusion and the solid lines consider the three-spin system explicitly. Note that the scales for the $y$-axes are different for each plot.

In the simplest version of the NOVAS approach, the only two unknowns in the calculation of the NOESY spectrum are the global correlation time $\left(\tau_{c}\right)$ in equation (6.12) and the scaling factor $(A)$ in equation (6.8). These two parameters are optimized using the weighted sum of squared residuals ( $w S S R$ ) as target function:

$$
\begin{equation*}
w S S R=\sum \frac{\left(M_{\text {exp }}-M\right)^{2}}{\left|M_{\text {exp }}\right|} \tag{6.13}
\end{equation*}
$$

where $M_{\text {exp }}$ is a matrix containing the integrated volumes of the cross- and diagonal-peaks in the experimental NOESY spectrum. The wSSR was chosen instead of the normally used sum of squared residuals (SSR) to compensate for the imbalance between the intense diagonal-peaks and the much weaker cross-peaks. Overlapping peaks in the experimental spectrum can still be used if the corresponding volumes are also summed up in the theoretical spectrum. This can also be done with non-assignable $\mathrm{CH}_{2}$ protons.

### 6.3 Results

In the following, we applied the NOVAS approach to six compounds. First, we will present strychnine (1) as example of a rigid alkaloid of high complexity. As a second system, transcrotonaldehyde (2) was selected to investigate the treatment of fast methyl group rotation in the NOVAS approach. Morphine (3) combines methyl group rotation with some conformational flexibility. Here, we also studied if stereospecific assignment of diastereotopic protons in methylene groups is possible using the NOVAS approach. This was also tested for the more complex molecule androstenedione (4) having two methyl groups. Lastly, we looked into the ability of the NOVAS approach regarding differentiation between diastereomers. For this purpose, we used the flexible diastereomers ephedrine (5) and pseudoephedrine (6).

### 6.3.1 Testing the NOVAS Procedure on Strychnine (1)

Due to its well dispersed ${ }^{1} \mathrm{H}$ spectrum, little overlap is observed in the NOESY spectrum of strychnine (1). In addition, one conformer clearly dominates the ensemble in solution. The NOESY spectrum was recorded on a 600 MHz spectrometer in $\mathrm{CDCl}_{3}$ with a mixing time of 1 s . The experimental spectrum can be reproduced very well by our fitting protocol, including also the indirect NOE cross-peaks (Figure 6.2). A geometric situation in 1, for which a strong indirect NOE cross-peak is observed, is shown in Figure 6.2D. The fact that the appearance of this peak is limited to a very specific relative orientation of three spins shows the potential power of the NOVAS approach. The correlation time of 30.8 ps found for the optimized spectrum is in good agreement with the proposed rotational correlation time of 25 ps derived from ${ }^{13} \mathrm{C}$ relaxation. ${ }^{518} \mathrm{~A}$ relative mean absolute deviation (rMAD) of 10.8 \% was obtained for the diagonal-peaks and $31.0 \%$ for the cross-peaks. Keeping in mind that the NOE-derived distances have a $\mathrm{V}^{-1 / 6}$ dependence, an error in cross-peak volume in this range translates into a distance error of about 5 \% (typically 0.2 Å or smaller).


C

strychnine 1


Figure 6.2: Comparison of the calculated NOESY spectrum (A) for the major conformation of strychnine (1) with the experimental NOESY volumes (B). The spectrum is reproduced very accurately including also the indirect NOE peaks (blue off-diagonal elements). Optimization of the match between experimental and calculated spectrum gave a correlation time $\tau_{c}$ of 30.3 ps and a scaling factor $A=1585$. The difference between calculated and experimental NOE volumes can be seen on the left of Figure 6.3. The chemical structure of strychnine (1) is shown in C. (D) Calculated NOEs between H15a-H2Oa (red) and H15a-H2Ob (black) for different mixing times using the parameters obtained from NOVAS. The dashed grey line indicates the mixing time of 1 s that was used for the experimental NOESY spectrum. The H15a-H2Oa cross-peak is close to the maximum intensity and beyond the linear build-up regime. The three protons are nearly in one line and therefore a strong indirect NOE is observed due to spin diffusion.

There is a second minor conformation of strychnine reported in the literature with a population of $\sim 2-3 \% .{ }^{518,519}$ In our case, no improvement was achieved including the second conformer in the fitting procedure, independent of its weight. For illustration, NOESY spectra were calculated and fitted for the minor and the major conformation separately (Figure 6.3). The two structures mainly differ in the orientation of the methylene group in the seven-membered ring, whereas the rest of the structure is very similar. The obtained wSSRs of 886 for the major conformation and 1278 for
the minor conformation demonstrate that the NOVAS approach, although optimizing global parameters, is very sensitive to slight changes in the local 3D structure.


Figure 6.3: Difference between the experimental NOESY volumes of strychnine and the calculated NOESY volumes for the major (left) and the minor conformation (right). The size of the circles corresponds to the absolute difference, whereas the color denotes the relative deviation between calculated and experimental spectrum. rMAD for the diagonal elements were $10.8 \%$ and $31.0 \%$ for the major conformation and $12.5 \%$ and $41.2 \%$ for the minor conformation, respectively.

### 6.3.2 Dealing with Fast Internal Methyl Group Rotation: The Example of trans-

 Crotonaldehyde (2)Since methyl group rotation is usually much faster than the overall tumbling rate, this motion needs to be considered explicitly when fitting NOESY volumes. For this purpose, we use the threesite hindered rotation model as described by James Tropp. ${ }^{520}$ In this model, the spectral density for an interaction involving a methyl proton is defined as follows:

$$
\begin{gather*}
f(n)=\left|\sum_{i=1}^{3} \frac{Y_{2 n}\left(\Phi_{i}^{m o l}\right)}{3 r_{i}^{3}}\right|^{2}  \tag{6.14}\\
g(n)=\frac{1}{3} \sum_{i=1}^{3}\left|\frac{Y_{2 n}\left(\Phi_{i}^{m o l}\right)}{r_{i}^{3}}\right|^{2}-f(n)  \tag{6.15}\\
\tau_{1}=\frac{1}{\frac{1}{\tau_{c}}+\frac{1}{\tau_{j u m p}}}  \tag{6.16}\\
J^{00}(\omega)=\frac{1}{5}\left[\sum_{n=-2}^{2} \frac{\tau_{c} f(n)}{1+\omega^{2} \tau_{c}^{2}}+\sum_{n=-2}^{2} \frac{\tau_{1} g(n)}{1+\omega^{2} \tau_{1}^{2}}\right] \tag{6.17}
\end{gather*}
$$

$r_{i}$ are the distances between the three methyl protons and another proton in the molecule and $\Phi_{i}^{\text {mol }}$ are the polar angles of the corresponding internuclear vectors in a common frame of
reference. $Y_{2 n}$ are second degree spherical harmonics of order -2 to 2 , and $\tau_{j u m p}$ is the correlation time of the methyl group rotation defined as $1 /(3 k)$, where $k$ is the rate constant for the jump between methyl proton positions. With that, the cross- and auto-relaxation rates between a methyl proton $(X)$ and a proton outside the methyl group becomes:

$$
\begin{gather*}
\sigma_{I X}=\frac{4 \pi}{10} K^{2}\left(6 J^{00}\left(2 \omega_{0}\right)-J^{00}(0)\right)  \tag{6.18}\\
\rho_{I X}=\frac{4 \pi}{10} K^{2}\left(J^{00}(0)+3 J^{00}\left(\omega_{0}\right)+6 J^{00}\left(2 \omega_{0}\right)\right) \tag{6.19}
\end{gather*}
$$

For intra-methyl relaxation, the same formula can be applied. But this time, $r$ is constant and $\Phi_{i}^{\text {mol }}$ are the polar angles of the three orientations of the intra-methyl H - H -vector.

As a very simple test system to show that a proper treatment of the methyl group is essential, we fitted the experimental NOESY spectrum of trans-crotonaldehyde with a mixing time of 5 s . The shape of crotonaldehyde is far away from a spherical molecule and the three different correlation times along the principal axes will differ from each other. Therefore, our assumption that we can describe the system by one global rotational correlation time is not entirely appropriate anymore. Yet, we can show that, even for an anisotropically tumbling molecule we obtain a decent fit of the NOESY spectrum with rMAD of $3.7 \%$ for the diagonal-peaks and $39.5 \%$ for the cross-peaks, when assuming a short $\tau_{j u m p}$ of 0.33 ps (Figure 6.4 left). The fitted rotational correlation time is 2.7 ps with a wSSR of 412 . In the literature, a ${ }^{13} \mathrm{C}$-relaxation derived $\tau_{c}$ of $1.72 \pm 0.11 \mathrm{ps}$ is reported together with a $\tau_{j u m p}$ of $0.17-0.30 \mathrm{ps} .{ }^{521}$ Optimizing also for $\tau_{j u m p}$ in addition to $\tau_{c}$ and $A$, gives a rMAD of $1.3 \%$ for the diagonal-peaks and $50.5 \%$ for the cross-peaks with a wSSR of 280 , a $\tau_{c}$ of 3.5 ps and a $\tau_{j u m p}$ of 0.04 ps. Overall, the calculated $\tau_{c}$ values are larger but still in good agreement with the ${ }^{13} \mathrm{C}$-derived values from the literature, especially when considering that some of our assumptions might break down for crotonaldehyde and that the literature values are reported for a sample in $\mathrm{DMSO}-\mathrm{d}_{6}$ at a much higher concentration ( 0.5 M ). The obtained values for $\tau_{j u m p}$ imply a very fast methyl group rotation. As additional sanity check, a NOESY spectrum for cis-crotonaldehyde was fitted to the experimental NOESY spectrum of trans-crotonaldehyde. As expected, the fit is much worse (Figure A6.1 in the Appendix). The NOESY spectrum was additionally fitted without considering the methyl proton rotation, i.e., by treating the entire molecule as rigid entity. A wSSR of 858 shows that this fit is clearly worse (Figure 6.5). Also, by visual inspection it is clear that the cross-peaks are reproduced much worse without explicit treatment of methyl group mobility.


Figure 6.4: Fitting the NOESY spectrum of trans-crotonaldehyde with a fixed $\tau_{j u m p}$ of 0.33 ps (A) gave a correlation time of 2.7 ps with a wSSR of 412. B: NOESY spectrum obtained when $\tau_{j u m p}$ was optimized as well. This gave $\tau_{j u m p}$ of 0.04 ps and a correlation time of 3.5 ps with a wSSR of 280 . Schematic representation of experimental NOESY spectrum of ca. 50 mM trans-crotonaldehyde in $\mathrm{CDCl}_{3}(\mathrm{C})$. The chemical structure of trans-crotonaldehyde (2) is shown in $\mathbf{D}$. The differences between the experimental and the calculated NOESY spectrum with a fixed $\tau_{j u m p}(E)$ and with optimized $\tau_{\text {jump }}(F)$ are also shown for easier comparison.


Figure 6.5: Difference between the experimental NOESY spectrum of trans-crotonaldehyde (2) and a fitted NOESY spectrum assuming no methyl group rotation. A wSSR of 858 shows that the calculated spectrum is farther away from the experimental NOESY spectrum compared to the model accounting for fast methyl group rotation (Figure 6.4).

For our sample of trans-crotonaldehyde in $\mathrm{CDCl}_{3}$, we have also repeated the determination of the effective correlation time based on ${ }^{13} \mathrm{C}$ relaxation. A series of inversion recovery experiments was fitted with the following equation:

$$
\begin{equation*}
M_{z(t)}=M_{z(0)}\left(1-a e^{-\frac{t}{T_{1}}}\right) \tag{6.20}
\end{equation*}
$$

where $M_{z(t)}$ is the ${ }^{13} \mathrm{C}$ magnetization in z-direction at time $t$ after the inversion pulse, $T_{1}$ is the longitudinal ${ }^{13} \mathrm{C}$ relaxation time, and $a$ is a fitting parameter accounting for imperfect pulses that should have a value between 1 and 2 .

For a small molecule with $\omega \tau_{c} \ll 1$, the spectral density can be approximated by $\tau_{c}$. By measuring the steady-state $\left\{{ }^{1} \mathrm{H}\right\}^{13} \mathrm{C}$ NOE ( $\eta_{\text {obs }}$ ), one can directly calculate $T_{1 D D}$, the dipolar contribution to $T_{1}$ (see Eqs. (6.1) - (6.5)). ${ }^{522}$

$$
\begin{equation*}
\frac{1}{T_{1}}=\frac{1}{T_{1 D D}}+\frac{1}{T_{1 \text { other }}} \tag{6.21}
\end{equation*}
$$

$1 / T_{1 \text { other }}$ is the contribution to $\mathrm{R}_{1}$ from other mechanisms than dipole-dipole relaxation.

$$
\begin{equation*}
T_{1 D D}=\frac{2 T_{1}}{\eta_{o b s}} \tag{6.22}
\end{equation*}
$$

Note that for $\mathrm{CH}_{2}$ and $\mathrm{CH}_{3}$ groups, $T_{1 D D}$ is then $\frac{1}{2 \rho_{C H}}$ and $\frac{1}{3 \rho_{C H}}$, respectively. Neglecting crosscorrelation effects, $\tau_{c}$ can be obtained for CH and $\mathrm{CH}_{2}$ groups from

$$
\begin{equation*}
\tau_{c}=\frac{16 \pi^{2} r_{C-H}^{6}}{N_{H} \gamma_{H}^{2} \gamma_{C}^{2} \hbar^{2} \mu_{0}^{2} T_{1 D D}} \tag{6.23}
\end{equation*}
$$

with $r_{C-H}$ being the carbon-proton distance taken from the DFT-optimized structure and $N_{H}$ corresponding to the number of directly bound protons. Assuming very fast internal rotation, a value for $\tau_{c}$ can also be derived from the dipolar $T_{1}$ of the methyl carbon: ${ }^{523}$

$$
\begin{equation*}
\tau_{c}=3 \frac{16 \pi^{2} r_{C-H}^{6}}{\gamma_{H}^{2} \gamma_{C}^{2} \hbar^{2} \mu_{0}^{2} T_{1 D D}} \tag{6.24}
\end{equation*}
$$

The experimentally determined $T_{1}$ and heteronuclear $\left\{{ }^{1} \mathrm{H}\right\}^{13} \mathrm{C}$ NOE values, $T_{1 D D}$ and the resulting $\tau_{c}$ are listed in Table 6.1 together with the literature values for $T_{1}$ from Ref. 521 . Since the values for $T_{1}$ in the literature were obtained at a lower field ( 100 MHz spectrometer), they should be closer to our values for $T_{1 D D}$ as there is a significant contribution from chemical shift anisotropy to ${ }^{13} \mathrm{C}$ relaxation at higher magnetic fields. Our $T_{1 D D}$ values are in the same range as the literature
values. ${ }^{521}$ Since $T_{1 D D}$ and $\tau_{c}$ are inversely proportional, it is clear that also the ${ }^{13} \mathrm{C}$ derived $\tau_{c}$ values are similar to the correlation time of 1.72 ps reported earlier. ${ }^{521}$ The $\tau_{c}$ obtained from NOVAS ( 3.5 ps ) is larger than the ${ }^{13} \mathrm{C}$ derived values would suggest. One reason for the discrepancy could be the assumption of isotropic tumbling, which is not fulfilled for molecules with a shape like crotonaldehyde. Further, the NOVAS approach assumes purely dipolar relaxation. Nevertheless, our results show that the correlation time resulting from NOVAS lies in the same range as the ${ }^{13} \mathrm{C}$ relaxation derived values. Looking at $\tau_{c}$ obtained from the methyl ${ }^{13} \mathrm{C}$ relaxation data, it becomes apparent that the assumptions underlying Eq. (6.24) seem to be invalid in our case. Taking the averaged $\tau_{c}$ from the other three carbons of 1.47 ps and applying Eq. (6.16) gives a rough estimate for $\tau_{j u m p}$ of 0.88 ps with an error bar of $0.35-2.62 \mathrm{ps}$. This would indicate that the time scales for overall tumbling and methyl group rotation are similar and therefore the correlation time for methyl rotation needs to be accounted for explicitly.

Table 6.1: Summary of the observed longitudinal relaxation times $T_{1}$, the observed heteronuclear ${ }^{13} \mathrm{C}$ NOE, $T_{1 D D}$ (the dipolar contribution to $T_{1}$ ) and the corresponding correlation times $\tau_{c}$ for the ${ }^{13} \mathrm{C}$ nuclei of trans-crotonaldehyde with the error bar in brackets. $T_{1}$ lit are the literature values from Ref. 521 measured in DMSO-d $d_{6}$ on a 100 MHz spectrometer.

| Carbon Number | $\boldsymbol{T}_{\mathbf{1}}[\mathbf{s}]$ | $\boldsymbol{\eta}_{\boldsymbol{o b s}}$ | $\boldsymbol{T}_{\mathbf{1} \boldsymbol{D} \boldsymbol{D}}[\mathbf{s}]$ | $\boldsymbol{T}_{\mathbf{1} \boldsymbol{l i t}}[\mathbf{s}]^{521}$ | $\boldsymbol{\tau}_{\boldsymbol{c}}[\mathrm{ps}]$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | $15.1 \pm 2.8$ | 1.42 | $21.2 \pm 3.9$ | $36.2 \pm 3.0$ | $6.98[5.89-8.56]$ |
| $\mathbf{2}$ | $16.2 \pm 3.4$ | 0.87 | $37.1 \pm 7.8$ | $22.5 \pm 1.5$ | $1.31[1.08-1.65]$ |
| $\mathbf{3}$ | $18.0 \pm 2.6$ | 1.19 | $30.2 \pm 4.3$ | $28.7 \pm 2.9$ | $1.57[1.38-1.84]$ |
| $\mathbf{4}$ | $15.4 \pm 2.6$ | 0.85 | $36.2 \pm 6.2$ | $25.7 \pm 3.8$ | $1.54[1.31-1.85]$ |

### 6.3.3 Diastereotopic Assignment of Methylene Groups in Morphine (3)

In addition to the examples shown above, a NOESY spectrum of morphine (Scheme 6.2) with a mixing time of 3 s was recorded in $\mathrm{CDCl}_{3}$ with approximately $10 \% \mathrm{CD}_{3} \mathrm{OD}$. This molecule is more flexible than 1 and also contains a methyl group. Therefore, the NOESY spectrum of $\mathbf{3}$ is more challenging to fit with NOVAS than the previously discussed examples. With this system, it is also possible to investigate the capability of NOVAS to identify the correct stereospecific assignment of methylene protons. A conformational search was performed using the ETKDG ${ }^{89}$ method of RDKit. ${ }^{263}$ After DFT optimization and Boltzmann-weighting, two conformers remained that significantly contribute to the ensemble, a major one contributing approximately $95 \%$ and a minor one that contributes approximately $5 \%$. Since morphine has three methylene groups, there are eight possibilities for the diastereotopic assignment. Fitting these eight possible assignments to the experimental NOESY spectrum led to the eight difference spectra shown in Figure 6.6. Based on wSSR, the first assignment fits best (top left of Figure 6.6 with wSSR of 849). For this assignment the simulated coupling patterns resulting from the DFT calculated $\mathrm{J}_{\mathrm{H}-\mathrm{H}}$ values are in agreement
with the experimental ${ }^{1} \mathrm{H}$ spectrum of $\mathbf{3}$ and were used as verification of the correct assignment (Figure 6.7). A comparison of the correlation times found by NOVAS for the eight different assignments shows that all lie in a narrow range between 43.9 and 45.1 ps (Table 6.2). This can be seen as an indication for the robustness of NOVAS.

morphine 3
Scheme 6.2: Chemical structure of morphine (3). In case methylene groups, " $a$ " is assigned to the more downfield ${ }^{1} \mathrm{H}$ chemical shift and " $b$ " to the more upfield chemical shift.


Figure 6.6: Difference between the calculated NOESY spectra for the eight possible diastereotopic assignments of morphine and the experimental spectrum from $1.5-3.5 \mathrm{ppm}$. The corresponding wSSR values are given in the plots. Values of $\tau_{c}, \tau_{j u m p}$ as well as of the rMAD of the diagonal- and cross-peaks are given in Table 6.2.

Table 6.2: Possible stereospecific assignments of 3 with the values obtained from the NOVAS approach. The stereospecific assignment is coded in the following way: proR followed by proS, with " $a$ " being the $\mathrm{CH}_{2}$ proton at lower field.



Figure 6.7: Part of the experimental ${ }^{1} \mathrm{H}$ spectrum (bottom) of morphine in $C D C l_{3}$ with approx. $10 \% \mathrm{CD}_{3} O D$ and the simulated multiplicity patterns for the methylene protons based on DFT J-coupling calculations (top). Both conformations present in the ensemble were considered in the calculation. The agreement between simulated and experimental coupling patterns was used to verify the correct diastereotopic assignment.

The Akaike information criterion (AIC) can be used to assess whether the experimental data are statistically better represented by also including the minor conformer or if the more complex model is unjustified. ${ }^{524}$ In case of a least square fit, the following simplified equation can be applied: ${ }^{525-527}$

$$
\begin{equation*}
A I C_{i}=n * \log S S R_{i}+2 \mathrm{k}^{\prime} \tag{6.25}
\end{equation*}
$$

$S S R_{i}$ is the sum of squared residuals of model $i$ (in our case a model only considering a single conformation, or a model with two conformers with weights of 0.95 and 0.05 ), $n$ is the number of data points (in our case the number of peak volumes that could be successfully integrated) and $k^{\prime}$ is the number of model parameters (three in case when only using the major conformation ( $\tau_{c}$,
$\tau_{j u m p}$ and $A$ ) and four when using both (plus one for increasing complexity of the model). Since the wSSR with only one conformation is lower (844) compared to the wSSR when both structures are considered (849) and the former model has one parameter less, it is clear that the combined model also has the higher AIC score. An AIC of 653 is obtained for the model using only the major conformation, whereas an AIC of 655 is obtained for the two-conformer model (note that in the calculation of the AIC wSSR was used instead of SSR). This indicates that there is no justification to use a more complex model. The fit of the calculated NOESY for the major conformation is excellent with a rMAD of $18.8 \%$ for the diagonal-peaks and $21.0 \%$ for the cross-peaks. Interestingly, the diagonal-peak of H 9 at 3.36 ppm relaxes significantly more slowly than anticipated from our theoretical model (Figure 6.8).


Figure 6.8: Fitted and experimental NOESY spectra of morphine. For the fit, only the major conformation was used. This gave a wSSR of 844 with a $\tau_{c}$ of 44.0 ps and a $\tau_{j u m p}$ of 2.3 ps .

### 6.3.4 Identifying the Correct Stereospecific Assignment for Androstenedione (4) out of 256

 PossibilitiesNext, we investigated if stereospecific assignment based on the NOVAS protocol is also possible for a more complex case. Androstenedione (4) has eight methylene groups, thus there are 256 possible assignments. The ${ }^{1} \mathrm{H}$ spectrum shows many overlapping signals, which prevented us from unambiguously assigning and integrating a large number of cross-peaks. To test if we can successfully apply the NOVAS protocol also for this difficult case, a NOESY spectrum of androstenedione with a mixing time of 3 s was recorded in chloroform. For androstenedione, six conformations were found in the conformational search. They could be summarized into two clusters with virtually identical members with a difference in energy of $0.3 \mathrm{~kJ} / \mathrm{mol}$ in both sub-
ensembles. The two remaining conformations have a Boltzmann weight of 91:9. The NOVAS approach was applied for all 256 possible diastereotopic assignments. Out of these, the lowest wSSR obtained was 585 with a $\tau_{c}$ of 23.1 ps , a $\tau_{j u m p}$ of $1.7 \mathrm{ps}, \mathrm{rMAD}$ of $12.6 \%$ for the diagonalpeaks and 28.6 \% for the cross-peaks of the NOESY spectrum. The second-best fit had a wSSR of 594. The other assignments gave wSSRs $>850$. The two best fits differ only in the stereospecific assignment of methylene group H2. Due to signal overlap, only the cross-peaks to H1eq could be integrated for both H 2 protons, with H 2 a having the larger cross-peak intensity by a factor of 1.6.

The AIC can also be used for the ranking of relative model probabilities ( $w_{i}$ ), i.e., to find a weight of evidence in favor of a certain model $i$ being the best model among the $R$ models under consideration. In case of diastereotopic assignment, all possible models are known a priori and the model probabilities can readily be calculated as follows:

$$
\begin{equation*}
w_{i}=\frac{e^{-\frac{1}{2} A I C_{i}}}{\sum_{r=1}^{R} e^{-\frac{1}{2} A I C_{r}}} \tag{6.26}
\end{equation*}
$$

In the case of androstenedione, this gives a likelihood of $66.0 \%$ for the most probable assignment and $34.0 \%$ for the second most probable. The stereospecific assignment of all other methylene groups apart from H2 are assigned with very high likelihood (>99.9 \%) in favor of the assignment shown in Figure 6.9. The most probable stereospecific assignment given the NOESY data in $\mathrm{CDCl}_{3}$ is in agreement with the literature. ${ }^{528,529}$

C

androstenedione 4


Figure 6.9: Fitted NOESY spectrum for the most probable stereospecific assignment (A) and experimental spectrum (B) of androstenedione (4) with a mixing time of 3 s recorded in $\mathrm{CDCl}_{3}$. The chemical structure is shown in $\mathbf{C}$. The difference between experimental and calculated spectrum is shown in $\mathbf{D}$. The diastereotopic assignment is as follows: (equatorial position followed by axial position with " $a$ " being the $\mathrm{CH}_{2}$ proton at lower field): H1ab, H2ba, H6ba, H7ab, H11ab, H12ab, H15ab and H16ab. Empty regions in the spectrum were cut out for clarity.

### 6.3.5 Differentiation between ephedrine (5) and pseudoephedrine (6)

Lastly, NOESY spectra of ephedrine and pseudoephedrine were recorded with a mixing time of 3 s in $\mathrm{CDCl}_{3}$ to assess if by fitting the experimental NOESY spectra in combination with the AIC we are able to differentiate between these flexible diastereomers. This is a very challenging case since several conformations significantly contribute to the ensemble of 5 and $\mathbf{6}$. Our fitting procedure using a fixed $\tau_{\text {jump }}$ of 0.33 ps gave wSSRs of 391.5 and 420.5 when fitting the experimental NOESY spectrum of 5 to the Boltzmann-weighted ensemble of ephedrine and pseudoephedrine, respectively. Doing the same for the experimental NOESY spectrum of pseudoephedrine gave wSSRs of 316.6 and 337.9 for ephedrine and pseudoephedrine, respectively. Both models fit better to the experimental spectrum of ephedrine. A rMAD of approx. $80 \%$ indicates that the fitting does not work well. One possible reason for this could be that the hydroxy and the amine protons were not exchanged with deuterium before the experiment and exchange with the solvent led to magnetization transfer that cannot be modelled using NOVAS. Secondly, the aromatic signals are not well dispersed and partially overlap with the residual proton signal of $\mathrm{CDCl}_{3}$. Because of that, there are simply not enough NOE volumes to differentiate between the two diastereomers. If the experiment is repeated, it could be worthwhile to record the spectra in a different solvent (e.g., nitrobenzene- $d_{5}$ ) to increase dispersion of the aromatic protons. In addition, the compounds should be first dissolved in $\mathrm{CD}_{3} \mathrm{OD}$ to exchange the amine and hydroxy proton with deuterium.

A

ephedrine 5


pseudoephedrine 6


B


E




C


F



Figure 6.10: A: Chemical structure of ephedrine (5). B: The difference between experimental NOESY spectrum of 5 and the spectrum obtained from the calculated ensemble of 5. C: The difference between experimental NOESY spectrum of 5 and the spectrum obtained from the calculated ensemble of 6. D: Experimental NOESY volumes of 5. E: Calculated NOESY spectrum obtained from the NOVAS approach of the ensemble of 5. F: Calculated NOESY spectrum obtained from the NOVAS approach of the ensemble of 6. G: Chemical structure of pseudoephedrine (6). H: The difference between experimental NOESY spectrum of $\mathbf{6}$ and the spectrum obtained from the calculated ensemble of 5. I: The difference between experimental NOESY spectrum of 6 and the spectrum obtained from the calculated ensemble of 6 . J: Experimental NOESY volumes of 6. K: Calculated NOESY spectrum obtained from the NOVAS approach of the ensemble of 5. L: Calculated NOESY spectrum from the NOVAS approach of the ensemble of 6.

### 6.4 Conclusion

In this study, we recorded NOESY spectra beyond the linear region of the NOE build-up curve for different test molecules. The long mixing times lead to higher intensity of the cross-peaks in the NOESY spectra as well as to the build-up of indirect NOEs, which contain valuable structural information. We showed that it is possible to fit these experimental NOESY spectra with our newly developed NOVAS protocol based on DFT-optimized structures, a global correlation time $\tau_{c}$, a scaling factor $A$, and if needed, a local $\tau_{j u m p}$ to account for the fast internal motion of methyl groups. With this protocol, no transformation of the volumes into distances is necessary and one can directly compare a computer-generated ensemble to the primary experimental data, i.e., the NOE volumes. The NOVAS approach is extremely sensitive and readily allows the differentiation between different stereospecific assignments. In combination with the AIC, one obtains likelihoods for the different possible assignments as was shown for morphine and androstenedione. Not enough NOE volumes were available for the successful differentiation between the two flexible diastereomers ephedrine and pseudoephedrine. For these compounds, it would be worthwhile recording the NOESY spectra in a different solvent to potentially increase the dispersion of the aromatic protons. This would yield a higher number of usable NOE volumes and the NOVAS approach might succeed also for this extremely challenging case.

### 6.5 Method Section

## Experimental Details

Phase sensitive gradient-enhanced NOESY ${ }^{510,530}$ spectra for strychnine (1) (Fluka), transcrotonaldehyde (2) (Acros), morphine monohydrate (3) (Lipomed AG), androstenedione (4) (Fluka), ephedrine (5) (Aldrich) and pseudoephedrine (6) (Sigma-Aldrich) as well as the ${ }^{13} \mathrm{C}$ inversion recovery experiments for trans-crotonaldehyde (2) were recorded on a Bruker Avance III HD 600 MHz spectrometer equipped with a $\mathrm{N}_{2}$-cooled Prodigy triple resonance probe with z-gradients. ${ }^{13} \mathrm{C}$ inversion recovery experiments were recorded using power gated ${ }^{1} \mathrm{H}$ broadband decoupling and a recycle delay of 60 s was chosen. Recovery delays and the corresponding integrals are listed in Table 6.3.

Table 6.3: Integrals for carbons $1-4$ of 2 found in ${ }^{13} \mathrm{C}$ inversion recovery experiments with variable recovery delays $t$.

| Delay $\boldsymbol{t}[\mathrm{s}]$ | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ |
| :--- | ---: | ---: | ---: | ---: |
| 0.5 | -290.1 | -631.4 | -957.8 | -254.2 |
| 1 | -231.6 | -592.7 | -820.9 | -188.9 |
| 3 | 23.8 | -350.0 | -650.9 | -80.2 |
| 5 | 160.0 | -278.0 | -435.9 | 92.5 |
| 7 | 325.7 | -41.2 | -294.2 | 192.9 |
| 9 | 413.1 | 132.6 | -125.6 | 290.5 |
| 11 | 619.4 | 202.1 | 11.1 | 380.0 |
| 13 | 650.5 | 390.0 | 120.5 | 537.1 |
| 15 | 850.9 | 389.0 | 299.8 | 547.4 |
| 20 | 955.7 | 620.9 | 472.2 | 676.1 |

The $\left\{{ }^{1} \mathrm{H}\right\}^{13} \mathrm{C}$ heteronuclear NOEs for 2 were measured on a Bruker AVANCE III 600 MHz spectrometer equipped with a He-cooled DCH cryogenic probe with z-gradients using a power gated ${ }^{1} \mathrm{H}$ broadband decoupled ${ }^{13} \mathrm{C}$ spectrum with a recycle delay of 300 s and an excitation pulse of 45 degrees. Even and odd transients were recorded in different memory locations and for every second scan the proton transmitter was moved to 1000 ppm. The observed heteronuclear NOEs are listed in Table 6.1 in the main text.

Concentrations of all samples were between 20 and 50 mM and all spectra were recorded in $\mathrm{CDCl}_{3}$. In the case of morphine (3), approximately $10 \% \mathrm{CD}_{3} \mathrm{OD}$ was added to increase solubility and to exchange the hydroxy protons with deuterium (this minimizes magnetization loss due to transfer to water). For ephedrine (4) and pseudoephedrine (5), a drop of $\mathrm{CD}_{3} \mathrm{OD}$ was added to exchange the hydroxy protons partially with deuterium. A mixing time of 1 s was used for the NOESY
spectrum of 1, whereas mixing times of 3 s were used for the NOESY spectra of 3,4,5 and 6, and 5 s for $\mathbf{2}$. The time domain in both dimensions of the NOESY spectra was extended to twice its size by zero filling. The baseline was corrected using a polynomial of third order. Processing of the spectra was done in TopSpin 4.1 (Bruker Biospin AG) and MestreNova 14.2 (Mestrelab Research). Peak assignment and partially also volume integration of the diagonal-peaks and cross-peaks of the NOESY spectra was done using NMRFAM-SPARKY. ${ }^{199}$ For 1 and 4, the integration of the NOESY peaks was done with NMRViewJ. ${ }^{531}$


Figure 6.11: Plotted integrals of the inversion recovery experiments for trans-crotonaldehyde (2) with different delays listed in Table 6.3 to fit the corresponding ${ }^{13} \mathrm{C} T_{1}$ times using Eq. (6.20).

## Computational Details

3D structures were generated from SMILES strings using the ETKDG conformer generator ${ }^{89}$ of RDKit ${ }^{263}$ with an RMSD threshold of $0.1 \AA$ and sampling at maximum 1000 conformers with 20000 attempts. The obtained conformers were pre-optimized using the built-in version of the Merck molecular force field. ${ }^{532}$ The atoms were reordered such that the attached hydrogen atoms directly follow the heavy atoms. In case of $\mathrm{CH}_{2}$ groups, the proR proton is always first in order. The structures were then optimized with DFT in vacuum using the quantum chemical package Orca $5.0 .1^{248-250}$ at PB86/def2-tzvp ${ }^{255-257}$ level of theory with resolution of identity using the def2/J auxiliary basis set ${ }^{258}$ and Grimme's D3BJ dispersion correction. ${ }^{264,265}$ Minima were verified by a subsequent frequency calculation at the same level of theory. In addition, the energy was also calculated using the conductor-like polarizable continuum model (CPCM) ${ }^{261}$ as implicit solvent model for chloroform. The energies of the individual conformers were then computed as the sum of the Gibbs energy obtained from the vacuum calculation and the difference between the final energies of the vacuum and the implicit solvent calculation. Structures that differ less than $0.1 \mathrm{~kJ} / \mathrm{mol}$ in energy were inspected for being the same minimum by a Python script from Ref.
533. When the RMSD between two conformers was below $0.05 \AA$, the conformers were considered to be identical and one was removed from the ensemble. If more than one conformation remained, the structures were Boltzmann weighted for further analysis.

The NOVAS protocol was carried out with a Python ${ }^{201}$ script run in a Jupyter Notebook. ${ }^{202}$ First, the proton xyz coordinates were read using the pandas package ${ }^{206}$ and the corresponding distance matrix was created. The ${ }^{1} \mathrm{H}$ chemical shifts were also read to be able to plot the calculated NOESY spectra using the matplotlib package. ${ }^{203}$ The NOE volumes were stored in a matrix containing the experimental values and zeros for cross- and diagonal-peaks that were absent or could not be integrated (e.g., because of signal overlap). Peak volumes are listed in the Appendix together with the assigned ${ }^{1} \mathrm{H}$ chemical shifts according to the numbering of the chemical structures in the main text. Zero entries in the NOESY matrix were then masked using the ma module of numpy. ${ }^{205}$ The NOESY spectrum was calculated using Eqs. (6.8) - (6.19) in the main text and was optimized based on WSSR using the minimize function from the scipy package ${ }^{207}$ with the Nelder-Mead algorithm. ${ }^{534}$ If more than one conformation had to be considered, a NOESY spectrum was calculated for each of them with the same parameters $\tau_{c}, A$, and, if needed, $\tau_{j u m p}$ and the final spectrum was obtained by taking the average of the NOE volumes based on the Boltzmann weights.

### 6.7 Appendix

Table A6.1 Integrated volumes from the NOESY spectrum of 1 with a mixing time of 1 s recorded in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :---: | :---: | :---: |
| H1 | H1 | -2043 |
| H2 | H1 | 152.2 |
| H15 proR | H1 | -1.161 |
| H1 | H15 proR | -3.241 |
| H2 | H2 | -2011 |
| H3 | H2 | 57.90 |
| H2 | H3 | 42.36 |
| H3 | H3 | -2270 |
| H4 | H3 | 104.9 |
| H3 | H4 | 64.71 |
| H4 | H4 | -1486 |
| H8 | H8 | -2471 |
| H11 proR | H8 | 69.37 |
| H8 | H11 proR | 91.21 |
| H12 | H8 | 11.80 |
| H8 | H12 | 10.10 |
| H13 | H8 | 30.21 |
| H8 | H13 | 31.54 |
| H18 proR | H8 | -14.23 |
| H8 | H18 proR | -20.05 |
| H18 pros | H8 | 136.6 |
| H8 | H18 pros | 212.9 |
| H21 | H8 | 6.264 |
| H8 | H21 | 5.702 |
| H11 proR | H11 proR | -2471 |
| H11 pros | H11 proR | 623.4 |
| H11 proR | H11 pros | 623.6 |
| H23 pros | H11 proR | 3.430 |
| H11 proR | H23 pros | 11.59 |
| H12 | H12 | -2647 |
| H13 | H12 | 158.3 |
| H12 | H13 | 156.4 |
| H15 pros | H12 | -3.813 |
| H12 | H15 pros | -1.317 |
| H23 proR | H12 | 15.80 |
| H12 | H23 proR | 227.1 |
| H4 | H13 | 5.818 |
| H13 | H13 | -2665 |
| H14 | H13 | 144.0 |
| H13 | H14 | 144.5 |
| H15 proR | H13 | -19.75 |
| H13 | H15 proR | -23.83 |
| H15 pros | H13 | 99.91 |
| H13 | H15 pros | 174.5 |
| H23 proR | H13 | -0.901 |
| H13 | H23 proR | -0.216 |
| H15 proR | H14 | 66.94 |
| H14 | H15 proR | 91.25 |
| H15 proS | H14 | 51.84 |
| H14 | H15 pros | 73.49 |


| H20 proS | H14 | 14.56 |
| :---: | :---: | :---: |
| H14 | H20 pros | 13.01 |
| H21 | H14 | 7.572 |
| H14 | H21 | 2.862 |
| H23 proR | H14 | 77.01 |
| H14 | H23 proR | 101.9 |
| H23 proS | H14 | -0.201 |
| H14 | H23 pros | 10.25 |
| H15 proR | H15 proR | -1663 |
| H15 pros | H15 proR | 580.3 |
| H15 proR | H15 pros | 590.1 |
| H16 | H15 proR | 88.61 |
| H15 proR | H16 | 68.00 |
| H20 proR | H15 proR | -26.69 |
| H15 proR | H20 proR | -28.31 |
| H20 pros | H15 proR | 172.0 |
| H15 proR | H20 pros | 164.1 |
| H15 proS | H15 pros | -1710 |
| H16 | H15 pros | 91.30 |
| H15 proS | H16 | 71.22 |
| H20 proR | H15 pros | 1.960 |
| H15 pros | H20 proR | 1.608 |
| H20 pros | H15 pros | -23.73 |
| H15 proS | H20 pros | -22.71 |
| H1 | H16 | 187.4 |
| H16 | H16 | -2468 |
| H18 proR | H18 proR | -2045 |
| H18 pros | H18 proR | 495.5 |
| H18 proR | H18 proS | 564.0 |
| H20 proR | H18 proR | 22.23 |
| H18 proR | H20 proR | 17.70 |
| H18 pros | H18 pros | -1941 |
| H20 pros | H18 pros | 7.030 |
| H18 proS | H20 pros | 4.9863 |
| H21 | H18 pros | 19.44 |
| H18 pros | H21 | 12.68 |
| H20 proR | H20 proR | -2006 |
| H20 pros | H20 proR | 608.9 |
| H21 | H20 proR | 167.4 |
| H20 proR | H21 | 96.16 |
| H20proR | H20 pros | 591.3 |
| H20 proS | H20 pros | -2000 |
| H21 | H20 pros | -3.073 |
| H20 proS | H21 | -3.852 |
| H21 | H21 | -2368 |
| H23 proR | H21 | 21.52 |
| H21 | H23 proR | 50.72 |
| H23 proS | H21 | 87.99 |
| H21 | H23 pros | 164.4 |
| H23 proR | H23 proR | -1719 |
| H23 proS | H23 pros | -1884 |

Table A6.2: ${ }^{1} \mathrm{H}$ chemical shifts of 1 referenced to internal TMS measured in $\mathrm{CDCl}_{3}$ on a 600 MHz spectrometer.

| Atom | ¹ H chemical shift [ppm] |
| :--- | :--- |
| H1 | 7.18 |
| H2 | 7.10 |
| H3 | 7.26 |
| H4 | 8.10 |
| H8 | 3.87 |
| H11 proR | 2.67 |
| H11 proS | 3.10 |
| H12 | 4.29 |
| H13 | 1.29 |
| H14 | 3.16 |
| H15 proR | 2.37 |
| H15 proS | 1.48 |
| H16 | 4.00 |
| H17 | 1.91 |
| H18 proR | 3.26 |
| H18 proS | 2.90 |
| H20 proR | 2.77 |
| H20 proS | 3.74 |
| H21 | 5.94 |
| H23 proR | 4.07 |
| H23 proS | 4.16 |

Table A6.3: Integrated volumes from the NOESY spectrum of $\mathbf{2}$ with a mixing time of 5 s recorded in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :--- | :--- | :--- |
| H1Me | H1Me | -24218 |
| H1Me | H 2 | 140.87 |
| H2 | H 1 Me | 146.87 |
| H1Me | H 3 | 220.35 |
| H3 | H 1 Me | 235.85 |
| H1Me | H 4 | 4.74 |
| H4 | H 1 Me | 5.92 |
| H2 | H 2 | -9757.0 |
| H2 | H 4 | 451.36 |
| H4 | H 2 | 465.81 |
| H3 | H 3 | -10049 |
| H3 | H 4 | 28.45 |
| H4 | H 3 | 26.00 |
| H4 | H 4 | -9902.8 |

Table A6.4: ${ }^{1} \mathrm{H}$ chemical shifts of 2 referenced to internal TMS measured in $\mathrm{CDCl}_{3}$ on a 600 MHz spectrometer.

| Atom | ${ }^{\mathbf{1}} \mathbf{H}$ chemical shift [ppm] |
| :--- | :--- |
| H1Me | 2.03 |
| H2 | 6.88 |
| H3 | 6.15 |
| H4 | 9.50 |



Figure A6.1: Calculated NOESY spectrum of cis-crotonaldehyde giving a wSSR = 1289 (wSSR = 280 for transcrotonaldehyde) (left), the schematic representation of the experimental NOESY spectrum of ca. 50 mM transcrotonaldehyde in $\mathrm{CDCl}_{3}$ (middle) and the difference between experimental NOESY spectrum for trans-crotonaldehyde and calculated NOESY spectrum of cis-crotonaldehyde (right).

Table A6.5: Integrated volumes from the NOESY spectrum of 3 with a mixing time of 3 s recorded in $\mathrm{CDCl}_{3}$ with approximately $10 \% C D_{3} O D$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :--- | :--- | :--- |
| H1 | H1 | -11600 |
| H1 | H2 | 2010 |
| H2 | H1 | 1740 |
| H1 | H7 | 7.26 |
| H7 | H1 | 4.37 |
| H1 | H8 | 13.8 |
| H1 | H9 | -28.5 |
| H9 | H1 | -28.4 |
| H1 | H10 proR | 164 |
| H10 proR | H1 | 204 |
| H1 | H10 proS | 241 |
| H10 proS | H1 | 300 |
| H2 | H2 | -14400 |
| H2 | H7 | 9.65 |
| H7 | H2 | 7.85 |
| H5 | H1 | 4.52 |
| H5 | H2 | 5.23 |
| H5 | H5 | -9600 |
| H5 | H8 | 2220 |
| H6 | H6 | -34.9 |
| H5 | H5 | -39.4 |
| H5 | H5 | 2020 |
| H14 | H7 | -26.7 |
| H5 | H5 | 99.4 |
| H15 proR | H5 | 93.5 |
| H5 | H14 proS | 386 |
| H15 proS | H5 | 437 |
| H5 | H15 proR | 264 |
| H16 proR | 292 |  |
| H6 | -34.1 |  |
| H6 | -30.2 |  |
| H5 | -11700 |  |
|  | 893 |  |
| H5 | H5 | 801 |


| H6 | H14 | 772 |
| :---: | :---: | :---: |
| H14 | H6 | 836 |
| H6 | H15 proR | -48.7 |
| H15 proR | H6 | -41.6 |
| H6 | H15 proS | -44.5 |
| H15 proS | H6 | -48.2 |
| H7 | H7 | -14100 |
| H7 | H8 | 1680 |
| H8 | H7 | 1940 |
| H7 | H9 | -52.3 |
| H9 | H7 | -55.8 |
| H7 | H10 proS | -40.6 |
| H10 pros | H7 | -33.9 |
| H7 | H14 | 39.8 |
| H14 | H7 | 43.6 |
| H8 | H8 | -10500 |
| H8 | H9 | 657 |
| H9 | H8 | 732 |
| H8 | H10 proR | -98.5 |
| H10 proR | H8 | -103 |
| H8 | H10 proS | 306 |
| H10 pros | H8 | 373 |
| H8 | H14 | 540 |
| H14 | H8 | 572 |
| H9 | H9 | -13400 |
| H9 | H10 proS | 548 |
| H10 pros | H9 | 595 |
| H9 | H14 | 996 |
| H14 | H9 | 934 |
| H9 | H15 proR | -32.6 |
| H15 proR | H9 | -27.9 |
| H9 | H17Me | 353 |
| H17Me | H9 | 371 |
| H10 proR | H2 | -20.4 |
| H10 proR | H10 proR | -1080 |
| H10 proR | H10 pros | 961 |
| H10 pros | H10 proR | 947 |
| H10 proR | H16 proR | -48.5 |
| H16 proR | H10 proR | -52.3 |
| H10 proR | H17Me | 226 |
| H10 pros | H2 | -16.3 |
| H10 pros | H10 proS | -1570 |
| H10 pros | H14 | -60 |
| H14 | H10 proS | -43.8 |
| H14 | H2 | 7.01 |
| H14 | H14 | -9560 |
| H14 | H15 proR | 426 |
| H15 proR | H14 | 474 |
| H14 | H15 proS | -107 |
| H15 pros | H14 | -114 |
| H15 proR | H8 | -10.6 |
| H15 proR | H15 proR | -1180 |
| H15 proR | H15 proS | 924 |
| H15 pros | H15 proR | 899 |
| H15 proR | H16 proR | 104 |


| H16 proR | H15 proR | 86 |
| :--- | :--- | :--- |
| H15 proS | H8 | 4.91 |
| H15 proS | H15 proS | -1280 |
| H16 proR | H16 proR | -1050 |
| H16 proS | H16 proR | 838 |
| H17Me | H8 | -17.1 |

Table A6.6: ${ }^{1} \mathrm{H}$ chemical shifts of $\mathbf{3}$ referenced to internal TMS measured in $\mathrm{CDCl}_{3}$ with approximately $10 \% \mathrm{CD}_{3} \mathrm{OD}$ on a 600 MHz spectrometer.

| Atom | $\mathbf{}^{\mathbf{H}}$ chemical shift [ppm] |
| :--- | :--- |
| H1 | 6.48 |
| H2 | 6.62 |
| H5 | 4.84 |
| H6 | 4.18 |
| H7 | 5.66 |
| H8 | 5.28 |
| H10 proR | 3.03 |
| H10 proS | 2.33 |
| H14 | 2.65 |
| H15 proR | 2.06 |
| H15 proS | 1.90 |
| H16 proR | 2.60 |
| H16 proS | 2.47 |
| H17Me | 2.45 |

Table A6.7: Integrated volumes from the NOESY spectrum of 4 with a mixing time of 3 s recorded in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :--- | :--- | :--- |
| H1eq | H1eq | -3306.0 |
| H1eq | H2eq | 256.89 |
| H2eq | H1eq | 279.30 |
| H1eq | H2ax | 341.30 |
| H2ax | H1eq | 444.09 |
| H1eq | H9 | -136.46 |
| H9 | H1eq | -149.49 |
| H1eq | H11ax | -72.552 |
| H11ax | H1eq | -71.548 |
| H1eq | H12eq | -41.683 |
| H12eq | H1eq | -68.611 |
| H1eq | H19Me | 220.26 |
| H19Me | H1eq | 219.60 |
| H1ax | H4 | 30.018 |
| H4 | H1ax | 40.517 |
| H1ax | H9 | 1215.8 |
| H9 | H1ax | 1343.4 |
| H4 | H4 | -11157 |
| H4 | H6eq | 1593.9 |
| H6eq | H4 | 884.57 |
| H4 | H7eq | -58.306 |
| H7eq | H4 | -31.803 |
| H4 | H7ax | 47.946 |
| H7ax | H4 | 27.160 |
| H4 | H9 | 39.282 |


| H9 | H4 | 24.395 |
| :---: | :---: | :---: |
| H4 | H19Me | 44.561 |
| H6eq | H7eq | 290.23 |
| H7eq | H6eq | 285.18 |
| H6eq | H7ax | 297.01 |
| H7ax | H6eq | 310.34 |
| H6ax | H8 | 431.31 |
| H8 | H6ax | 447.71 |
| H7eq | H7ax | 2116.9 |
| H7ax | H7eq | 2150.6 |
| H7ax | H7ax | -5028.0 |
| H7ax | H9 | 388.37 |
| H9 | H7ax | 325.99 |
| H7ax | H14 | 543.71 |
| H14 | H7ax | 653.07 |
| H8 | H15ax | 394.79 |
| H15ax | H8 | 281.89 |
| H8 | H18Me | 865.57 |
| H18Me | H8 | 854.10 |
| H8 | H19Me | 671.98 |
| H9 | H9 | -7252.9 |
| H9 | H12eq | -84.380 |
| H12eq | H9 | -83.359 |
| H9 | H14 | 1546.6 |
| H14 | H9 | 1591.2 |
| H11eq | H11ax | 1289.9 |
| H11ax | H11eq | 863.97 |
| H11eq | H12eq | 237.25 |
| H12eq | H11eq | 278.14 |
| H11ax | H12eq | 407.53 |
| H12eq | H11ax | 438.81 |
| H11ax | H18Me | 546.34 |
| H18Me | H11ax | 562.93 |
| H11ax | H19Me | 569.64 |
| H19Me | H11ax | 550.41 |
| H12eq | H12eq | -6439.1 |
| H12eq | H12ax | 2587.1 |
| H12ax | H12eq | 2558.2 |
| H12eq | H18Me | 291.74 |
| H18Me | H12eq | 307.24 |
| H14 | H16ax | 431.31 |
| H16ax | H14 | 421.97 |
| H15eq | H15ax | 2363.4 |
| H15ax | H15eq | 2362.9 |
| H15ax | H15ax | -5397.0 |
| H15ax | H16eq | 699.40 |
| H16eq | H15ax | 726.4 |
| H15ax | H16ax | -149.04 |
| H16ax | H15ax | -153.02 |
| H15ax | H18Me | 865.57 |
| H18Me | H15ax | 455.21 |
| H16eq | H16ax | 3328.2 |
| H16ax | H16eq | 3311.3 |
| H16eq | H18Me | 150.05 |
| H18Me | H16eq | 140.35 |


| H16ax | H16ax | -7367.6 |
| :--- | :--- | :--- |
| H18Me | H 18 Me | -15355 |
| H19Me | H 19 Me | -10750 |

Table A6.8: ${ }^{1} \mathrm{H}$ chemical shifts of 4 referenced to internal TMS measured on a 600 MHz spectrometer in $\mathrm{CDCl}_{3}$.

| Atom | 1 H chemical shift [ppm] |
| :--- | :--- |
| H1eq | 2.06 |
| H1ax | 1.73 |
| H2eq | 2.34 |
| H2ax | 2.44 |
| H4 | 5.76 |
| H6eq | 2.35 |
| H6ax | 2.45 |
| H7eq | 1.99 |
| H7ax | 1.14 |
| H8 | 1.75 |
| H9 | 1.01 |
| H11eq | 1.73 |
| H11ax | 1.46 |
| H12eq | 1.88 |
| H12ax | 1.30 |
| H15eq | 1.99 |
| H15ax | 1.59 |
| H16eq | 2.49 |
| H16ax | 2.12 |
| H18Me | 0.93 |
| H19Me | 1.23 |

Table A6.9: Integrated volumes from the NOESY spectrum of 5 with a mixing time of 3 s recorded in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :--- | :--- | :--- |
| H1Me | H 1 Me | -5570 |
| H 1 Me | H 2 | 189 |
| H 2 | H 1 Me | 189 |
| H 1 Me | H 3 Me | 164 |
| H 3 Me | H 1 Me | 60.7 |
| H 1 Me | H 4 | 46.5 |
| H4 | H 1 Me | 46.9 |
| H 2 | H 2 | -4390 |
| H 2 | H 3 Me | 168 |
| H3Me | H 2 | 164 |
| H2 | H 4 | 196 |
| H4 | H 2 | 196 |
| H3Me | H 3 Me | -7890 |
| H3Me | H 4 | 132 |
| H4 | H 3 Me | 131 |
| H4 | H 4 | -4630 |

Table A6.10: ${ }^{1} \mathrm{H}$ chemical shifts of 5 referenced to internal TMS measured on a 600 MHz spectrometer in $\mathrm{CDCl}_{3}$.

| Atom | $\mathbf{1}^{\mathbf{H}}$ chemical shift [ppm] |
| :--- | :--- |
| H1Me | 0.83 |
| H2 | 2.80 |
| H3Me | 2.50 |
| H4 | 4.77 |
| H6-H10 | 7.31 |

Table A6.11: Integrated volumes from the NOESY spectrum of 6 with a mixing time of 3 s recorded in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :--- | :--- | :--- |
| H1Me | H 1 Me | -1830 |
| H 1 Me | H 2 | 55.9 |
| H 2 | H 1 Me | 50.5 |
| H 1 Me | H 3 Me | 22.6 |
| H 3 Me | H 1 Me | 23.9 |
| H 1 Me | H 4 | 46.3 |
| H4 | H 1 Me | 63.1 |
| H 2 | H 2 | -1210 |
| H 2 | H 4 | 14.2 |
| H4 | H 2 | 12.9 |
| H3Me | H 2 | 26.1 |
| H3Me | H 3 Me | -2280 |
| H4 | H 4 | -1580 |

Table A6.12: ${ }^{1} \mathrm{H}$ chemical shifts of 6 referenced to internal TMS measured on a 600 MHz spectrometer in $\mathrm{CDCl}_{3}$.

| Atom | $\mathbf{1}^{\mathbf{H}}$ chemical shift [ppm] |
| :--- | :--- |
| H1Me | 0.94 |
| H2 | 2.61 |
| H3Me | 2.45 |
| H4 | 4.17 |
| H6-H10 | 7.32 |

## 7 Assignment of Relative Configuration in Linear Chlorinated Diols by Comparison of Experimental and Theoretical Spectroscopic Data


#### Abstract

In organic chemistry, the assignment of relative configuration in flexible compounds is still a major challenge, if they cannot be crystallized. In this Chapter, we set out to assign the relative configuration of all eight diastereomers of a flexible trichlorinated-hexa-1-3-diol based on readily available experimental data: ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts, NOESY peak volumes and IR spectra. For each diastereomer, these data were compared to the properties of a conformational ensemble obtained from DFT calculations. Since it is rarely the case that all diastereomers are available experimentally, we analyzed the assignment capabilities of the different methods pretending that only experimental data from one of the eight diastereomers is at hand. Based solely on ${ }^{13} \mathrm{C}$ chemical shifts, correct assignment was obtained for six out of eight diastereomers, whereas based solely on ${ }^{1} \mathrm{H}$ chemical shifts, only one out of eight diastereomers was identified correctly. When ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shift data were combined, seven out of eight diastereomers were assigned correctly. Since in this study, all eight diastereomers were experimentally available, this additional information can be used in the assignment procedure. By collectively matching the ${ }^{13} \mathrm{C}$ data, an overall likelihood of $92.5 \%$ is obtained for the correct assignment of all eight diastereomers. Collectively matching the ${ }^{1} \mathrm{H}$ data yields the highest likelihood for the correct assignment, although with only $10.3 \%$. Collectively matching the combined ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ data results in a nearly perfect differentiability between the diastereomers with a likelihood for the correct assignment of $97.6 \%$.


The most sensitive discrimination using a single method, with likelihoods of over $90 \%$ for each individual stereoisomer, was achieved by comparison of NOESY spectra recorded beyond the linear build-up regime with the NOVAS approach presented in Chapter 6. Using the NOESY data of all eight diastereomers simultaneously, a likelihood for the correct assignment of over $99.9 \%$ was achieved.

When ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts were combined with the NOESY data and matched individually to each compound, all eight diastereomers were assigned correctly with a likelihood over $99.6 \%$ for each individual diastereomer. Collectively matching this extended dataset results in a perfect
differentiability between the diastereomers with an overall likelihood of over $99.99 \%$ for the correct assignment of all eight diastereomers.

Next to assignment based on NMR data, also the assignment based on IR spectra was investigated. Five out of seven diastereomers for which experimental data could be obtained were correctly identified based on IR data alone. Combination with the NMR data is currently not possible, since the alignment score cannot readily be transferred into a likelihood that would be needed for this purpose.

### 7.1 Introduction

The determination of relative configuration is a crucial part in the structure elucidation of every complex organic molecule. Often, the absolute configuration of one center of chirality is known, and the relative configuration directly translates into the absolute configuration of the compound. The gold standard for identification of the absolute configuration is x-ray diffraction analysis. ${ }^{96}$ However, it can be difficult and tedious to obtain suitable crystals and, in many cases, it is not possible at all. The relative configuration of a molecule can be obtained with numerous experimental techniques. ${ }^{535}$ Often, nuclear magnetic resonance (NMR) spectroscopy is used with a combined analysis of J-couplings and nuclear Overhauser Effect (NOE)-derived distances. More recently, residual dipolar couplings (RDCs) and chemical shieldings calculated with density functional theory (DFT) were also successfully applied for this task. ${ }^{536,537}$ Along with NMR, other spectroscopic methods can be used for diastereotopic assignment. For example, it was recently shown that the information in the fingerprint region of an experimental infrared (IR) spectrum can be used for the assignment of diastereomers by an automatic comparison to calculated spectra of the different diastereomers. ${ }^{538,539}$

In this chapter, we aim to assign the relative configuration in a set of eight diastereomers based on the comparison between experimental data and the corresponding properties calculated by DFT. The chosen experimental data are readily available and easy to determine experimentally.

Three different methods will be evaluated to obtain the stereospecific assignment. First, ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ experimental chemical shifts recorded in chloroform-d $\left(\mathrm{CDCl}_{3}\right)$ will be compared to calculated chemical shifts obtained by DFT. Here, Akaike's information criterion (AIC) ${ }^{524,525,527}$ is used to assess the likelihood of a given assignment. As a second method, we want to demonstrate that the identification of relative configuration is also possible based on fitting experimental NOE volumes with calculated NOESY spectra based on a set of DFT optimized conformations (NOVAS approach presented in Chapter 6.). The likelihood for a given assignment is again obtained from the AIC. In addition, combination of chemical shift data with NOE volumes is explored to improve the confidence in the assignment. As a third method, we want to obtain the relative configuration by comparing DFT calculated IR spectra with IR spectra recorded in chloroform. The improved IR sequence alignment (IRSA) algorithm is used for this purpose. ${ }^{538,540}$

The calculation of chemical shieldings and IR spectra with DFT are routine operations nowadays and their background will not be discussed here (for excellent reviews on the topic see Refs. 238, 243 and $541-543)$. The necessary theory for the calculation of NOESY spectra can be found in Chapter 6. Briefly, based on the inter-proton distances in a DFT optimized molecular structure, a
set of proton-proton dipolar auto- and cross-relaxation rates is calculated. With these rates, the NOESY spectrum at a given mixing time $t_{m}$ is calculated with the NOVAS approach using an overall effective correlation time $\tau_{c}$ and a global scaling factor $A$. If methyl groups are present in the molecule, an additional correlation time $\tau_{j u m p}$ for fast methyl rotation is introduced. By varying $\tau_{c}\left(, \tau_{\text {jump }}\right)$ and $A$, the difference between calculated and experimental volumes is minimized based on the weighted sum of squared residuals (wSSR), which is used as target function. If more than one conformation is significantly populated in solution, the NOESY spectrum is calculated for each conformation separately using identical values for $\tau_{c}\left(, \tau_{j u m p}\right)$ and $A$. Subsequently, the weighted averages of the peak volumes are matched with the experimental data. During this procedure, populations are fixed based on energies calculated on the BP86/def2-tzvp ${ }^{255-257}$ level of theory. Details are given in the methods section. Importantly, experimental mixing times are chosen long enough ( 3 s in this work) to also allow the build-up of indirect NOE correlations. These indirect NOEs contain valuable additional spatial information about the structure. For three protons, the indirect NOE only contributes significantly to the spectrum when two of the interproton vectors are relatively short and form an obtuse angle with respect to each other. ${ }^{544}$

The relative configurations of the eight diastereomers of 2,4,5-trichlorhexane-1,3-diol (Scheme 7.1, 1-8) ${ }^{545}$ were originally assigned based on analysis of ${ }^{3} J_{H H}$ and ${ }^{2,3} J_{C H}$ couplings together with qualitative inspection of their NOESY spectra. ${ }^{545}$ The assignment was later verified by x-ray diffraction analysis. ${ }^{545}$ Analysis of proton-proton couplings is a standard task for most organic chemists, but as soon as also $\mathrm{J}_{\mathrm{CH}}$ couplings have to be considered, experiments become more involved and specialized expertise and careful analysis is necessary. The range for the $\mathrm{J}_{\mathrm{CH}}$ couplings is generally smaller than for the $\mathrm{J}_{\mathrm{HH}}$ couplings and in case of ${ }^{2} \mathrm{~J}_{\mathrm{CH}}$ couplings not only the size but ideally also the sign of the coupling constant needs to be determined. To make use of the experimental J-couplings, they need to be first translated into dihedral angles using a Karplus curve based on reference compounds. ${ }^{546}$



5


2


6



7



8

Scheme 7.1: Chemical structure of the eight diastereomers of 2,4,5-trichlorohexane-1,3-diol (1-8) labelled in the original publication with numbers $30-37 .{ }^{545}$

As the relative configurations have been verified previously with x-ray data, the eight diastereomers are an ideal test case to assess and compare the capabilities of the different approaches presented in this chapter. The open-chain structure presents a particular challenge as the molecules are flexible and more than one conformation potentially contributes to the ensemble in solution. Yet, the compounds are still small enough that DFT calculations with standard functionals and basis sets are affordable.

### 7.2 Results

### 7.2.1 Generation of Conformational Ensembles

A conformational ensemble for diastereomers 1-8 was generated in order to compute the Boltzmann-weighted properties needed to compare with the experimental data. Conformers were generated from SMILES strings using the KDG conformer generator ${ }^{89}$ of RDKit. ${ }^{263}$ No experimental torsion angle preferences were applied because the gauche effect between two neighboring chlorine atoms was not properly taken into account by the underlying SMARTS patterns, and thus the known crystal conformation was not always contained in the generated ensemble. The obtained 3D structures were optimized in vacuo with DFT at the BP86/def2tzvp ${ }^{255-257}$ level of theory applying the resolution of identity approximation with def2 $/ \mathrm{J}^{258}$ as auxiliary basis set and Grimme's D3BJ dispersion correction. ${ }^{264,265}$ The energy was also calculated using the conductor-like polarizable continuum model (CPCM) ${ }^{261}$ for chloroform to account for solvation energy. The relative free energies of the conformers were computed as the sum of the Gibbs energy obtained from the frequency calculation and the difference between the final energies obtained in vacuo and with CPCM solvation. Identical conformations were excluded and the remaining conformers were Boltzmann-weighted for further analysis. Calculated datasets based on the known relative configurations of compounds $\mathbf{1 - 8}$ were labeled $\mathbf{A} \mathbf{- H}$. For successful assignment, experimental data of compound 1 needs to match best with calculated dataset $\mathbf{A}$, experimental data of compound $\mathbf{2}$ with calculated dataset $\mathbf{B}$, and so on.

### 7.2.2 Differentiation of Diastereomers Based on Chemical Shifts

First, we aim to assign the relative configuration in 1-8 based on comparison between calculated and measured chemical shifts in chloroform-d $\left(\mathrm{CDCl}_{3}\right)$. To this end, ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ Boltzmann-weighted chemical shieldings were calculated with DFT. The ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shieldings were then transformed into chemical shifts using slope and intercept for $\mathrm{sp}^{3}$ carbons / hydrogens bound to $\mathrm{sp}^{3}$ carbons presented in Chapter 5 . Since the shieldings of chlorine bound carbons are severely affected by relativistic effects that are not accounted for in ordinary DFT calculations, a small set of ${ }^{13} \mathrm{C}$ chemical shifts of 23 compounds resembling 1-8 was collected from the literature ${ }^{547-554}$ to obtain a correction factor for the shifts of the chlorine bound carbons (see Appendix). The experimental proton and carbon chemical shifts of diastereomers 1-6 and $\mathbf{8}$ were used directly from spectra reported by Nilewski et al., ${ }^{545}$ whereas the chemical shifts for 7 were remeasured because the reported shifts were recorded in $\mathrm{CD}_{2} \mathrm{Cl}_{2}$. The ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts can be found in Table A7.1 and Table A7.2 in the Appendix, while the averaged chemical shifts obtained from the DFT calculations are listed in Table A7.3 and Table A7.4 in the Appendix.

The Akaike information criterion (AIC) was used to obtain likelihoods of all possible assignments. ${ }^{524}$ In the least square case, the AIC is simply: ${ }^{525-527}$

$$
\begin{equation*}
A I C_{i}=n \log \sum\left(\delta_{\text {calc }_{k}}-\delta_{\exp _{k}}\right)^{2} \tag{7.1}
\end{equation*}
$$

where $n$ is the number of experimental data points. Using Eq. (7.1), it is possible to calculate the weight of evidence $\left(w_{i}\right)$ in favor of model $i$ being the best model for the situation given the considered $R$ models

$$
\begin{equation*}
w_{i}=\frac{e^{-\frac{1}{2}\left(A I C_{i}-A I C_{\min }\right)}}{\sum_{r=1}^{R} e^{-\frac{1}{2}\left(A I C_{r}-A I C_{\min }\right)}} \tag{7.2}
\end{equation*}
$$

It is seldom the case that all diastereomers are available in organic synthesis, especially when dealing with complex natural products. Therefore, let us now pretend first that only experimental data from one of the eight diastereomers is available. As can be seen directly from the likelihoods reported in Table 7.1 for the ${ }^{13} \mathrm{C}$ chemical shifts, in six of eight cases, the obtained likelihood was highest for the correct assignment and out of those, three had a likelihood $>80 \%$. For 1, our method suggests that the dataset $\mathbf{H}$ agrees best ( $81.4 \%$ ), whereas the correct assignment has a likelihood of only 13.7 \%. For $\mathbf{5}$, the highest likelihood was observed for the dataset $\mathbf{D}$ ( $74.6 \%$ ), whereas the correct assignment has a likelihood of $21.7 \%$. Looking at the ${ }^{1} \mathrm{H}$ chemical shifts, the obtained likelihood was highest for the correct assignment only in two of eight cases, and out of those, only one had a likelihood $>80 \%$ (Table 7.2). In this case, the experimental ${ }^{1} \mathrm{H}$ chemical shifts of the different diastereomers $(\mathbf{1 - 8})$ and the calculated ${ }^{1} \mathrm{H}$ chemical shifts $(\mathbf{A} \mathbf{- H})$ agree not well enough to differentiate between diastereomers.

When using the RMSDs of the chemical shift regressions reported in Chapter 5, i.e., 1.12 ppm for ${ }^{13} \mathrm{C}$ and 0.08 ppm for ${ }^{1} \mathrm{H}$ (only the $\mathrm{sp}^{3}$ carbons and the hydrogens bound to them), one can combine the AICs of ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ by dividing by their corresponding variance:

$$
\begin{equation*}
A I C_{i}=m \log \sum \frac{\left({ }^{13} C \delta_{\text {calc }_{k}}-{ }^{13} C \delta_{\text {exp }_{k}}\right)^{2}}{R M S D_{\text {theo } 13 C}^{2}}+n \log \sum \frac{\left({ }^{1} H \delta_{\text {calc }_{k}}-{ }^{1} H \delta_{\text {exp }_{k}}\right)^{2}}{R M S D_{\text {theo } 1 H}^{2}} \tag{7.3}
\end{equation*}
$$

where $m$ and $n$ are the number of experimental data points for ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ chemical shifts, respectively.

Table 7.1: Likelihood based on the AICs obtained from the comparison of the experimental ${ }^{13} \mathrm{C}$ chemical shifts for individual compounds 1-8 to the eight calculated datasets $\boldsymbol{A} \boldsymbol{- H}$ given in $\%$. The highest likelihood for each experimental dataset is set in bold text.

|  | A | B | C | D | E | F | G | H |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | 13.7 | 0.5 | 0.1 | 0.9 | 2.1 | 0.4 | 0.9 | $\mathbf{8 1 . 4}$ |
| $\mathbf{2}$ | 15.7 | $\mathbf{2 3 . 3}$ | 1.2 | 6.5 | 6.0 | 5.8 | 23.0 | 18.4 |
| $\mathbf{3}$ | 0.2 | 0.3 | $\mathbf{8 2 . 1}$ | 1.9 | 1.2 | 2.7 | 10.4 | 1.2 |
| $\mathbf{4}$ | 0.1 | 0.0 | 0.2 | $\mathbf{9 6 . 6}$ | 1.2 | 0.5 | 0.5 | 0.6 |
| $\mathbf{5}$ | 0.1 | 0.1 | 0.2 | $\mathbf{7 4 . 6}$ | 21.7 | 1.0 | 0.7 | 1.6 |
| $\mathbf{6}$ | 0.2 | 0.1 | 0.2 | 8.1 | 1.0 | $\mathbf{8 7 . 4}$ | 0.7 | 2.3 |
| $\mathbf{7}$ | 0.3 | 0.3 | 0.4 | 3.7 | 1.4 | 1.1 | $\mathbf{6 2 . 9}$ | 30.0 |
| $\mathbf{8}$ | 0.1 | 0.0 | 0.0 | 0.1 | 0.2 | 0.1 | 0.9 | $\mathbf{9 8 . 6}$ |

Table 7.2: Likelihood based on the AICs obtained from the comparison of the experimental ${ }^{1} \mathrm{H}$ chemical shifts for individual compounds 1-8 to the eight calculated datasets $\boldsymbol{A}-\boldsymbol{H}$ given in \%. The highest likelihood for each experimental dataset is set in bold text.

|  | A | B | C | D | E | F | G | H |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | 10.1 | 6.3 | 4.8 | 0.7 | $\mathbf{6 8 . 2}$ | 0.7 | 2.2 | 7.1 |
| $\mathbf{2}$ | 20.8 | 17.6 | 3.1 | 0.4 | 38.8 | 0.4 | 4.9 | 14.1 |
| $\mathbf{3}$ | 0.1 | 0.1 | 94.3 | 1.2 | 3.6 | 0.2 | 0.2 | 0.2 |
| $\mathbf{4}$ | 0.2 | 0.1 | $\mathbf{6 4 . 6}$ | 25.8 | 6.3 | 2.6 | 0.1 | 0.2 |
| $\mathbf{5}$ | 0.7 | 0.6 | $\mathbf{6 8 . 8}$ | 3.7 | 23.4 | 1.5 | 0.6 | 0.9 |
| $\mathbf{6}$ | 0.5 | 0.4 | 20.5 | $\mathbf{4 0 . 2}$ | 15.4 | 22.5 | 0.2 | 0.4 |
| $\mathbf{7}$ | 6.6 | 4.6 | 9.4 | 0.4 | 21.8 | 0.2 | 22.8 | $\mathbf{3 4 . 2}$ |
| $\mathbf{8}$ | 5.8 | 3.5 | 13.7 | 0.5 | 30.8 | 0.2 | 15.5 | $\mathbf{2 9 . 9}$ |

Combining the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ data improves the assignment confidence of the methodology with seven out of eight diastereomers being correctly assigned (Table 7.3). Out of those, four have a likelihood $>80 \%$. For 1, the highest likelihood is still observed for dataset $\mathbf{H}(66.7 \%)$, whereas the correct assignment has a likelihood of 16.0 \%.

Table 7.3: Likelihood based on the AICs obtained from the comparison of the combined experimental ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts for individual compounds 1-8 to the eight calculated datasets $\boldsymbol{A} \boldsymbol{- H}$ given in $\%$. The highest likelihood for each experimental dataset is set in bold text.

|  | A | B | C | D | E | F | G | H |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | 16.0 | 0.4 | 0.0 | 0.1 | 16.5 | 0.0 | 0.2 | 66.7 |
| $\mathbf{2}$ | 24.2 | $\mathbf{3 0 . 4}$ | 0.3 | 0.2 | 17.3 | 0.2 | 8.3 | 19.1 |
| $\mathbf{3}$ | 0.0 | 0.0 | $>99.9$ | 0.0 | 0.0 | 0.0 | 0.0 | 0.0 |
| $\mathbf{4}$ | 0.0 | 0.0 | 0.4 | 99.3 | 0.2 | 0.1 | 0.0 | 0.0 |
| $\mathbf{5}$ | 0.0 | 0.0 | 1.9 | 34.4 | 63.2 | 0.2 | 0.0 | 0.2 |
| $\mathbf{6}$ | 0.0 | 0.0 | 0.2 | 14.0 | 0.7 | 85.14 | 0.0 | 0.0 |
| $\mathbf{7}$ | 0.0 | 0.1 | 0.1 | 0.0 | 1.2 | 0.0 | 57.5 | 41.0 |
| $\mathbf{8}$ | 0.0 | 0.0 | 0.0 | 0.0 | 0.2 | 0.0 | 0.5 | $\mathbf{9 9 . 3}$ |

Since in our case, all eight diastereomers were experimentally available, we can use this additional information in the assignment procedure. We know that each experimental diastereomer 1-8 should correspond to exactly one calculated dataset A-H. For eight diastereomers, there are in total $40^{\prime} 320$ possible assignments (=8!) to match $1-8$ to $\mathbf{A}-\mathbf{H}$. For each of those possible assignments, the corresponding associated likelihoods are multiplied and divided by the sum of all obtained likelihoods. This gives the total likelihood for each of the $40^{\prime} 320$ models.

Applying this for ${ }^{13} \mathrm{C}$, an overall likelihood of $92.5 \%$ is obtained for the correct assignment. Other assignments with likelihoods $>0.1 \%$ are listed in Table A7.5 in the Appendix. For the ${ }^{1} \mathrm{H}$ data, the likelihood for the correct assignment is the highest although only with $10.3 \%$. Assignments with likelihoods $>1 \%$ for ${ }^{1} \mathrm{H}$ are listed in Table A7.6 in the Appendix. Since the individual likelihoods for the correct assignment of the diastereomers using ${ }^{1} \mathrm{H}$ chemical shifts were low, this poorer agreement compared to ${ }^{13} \mathrm{C}$ can be expected. Yet, it is notable that the correct assignment had still the highest likelihood and out of the 40 '320 possible assignments only a few possibilities remain with likelihoods $>1 \%$.

Combining again the ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ data gives a likelihood for the correct assignment of $97.6 \%$. Assignments with likelihoods $>0.1 \%$ are listed in Table A7.7 in the Appendix. Although the ${ }^{1} \mathrm{H}$ chemical shifts itself are not suitable for the differentiation, they improve the confidence for the correct assignment in combination with the ${ }^{13} \mathrm{C}$ chemical shifts. The likelihood from the combined AIC results in a nearly perfect differentiability between the diastereomers in the comparison of experimental chemical shifts and calculated chemical shieldings.

To conclude, in six out of eight cases, the highest likelihood was obtained for the correct diastereomer using ${ }^{13} \mathrm{C}$ chemical shifts alone whereas this was only twice the case using ${ }^{1} \mathrm{H}$ chemical shifts. A confident assignment is not possible when only one diastereomer would be available. Combining the ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ data increased the differentiability of the method and seven out of eight correct assignments had the highest likelihood. A combination with other experimental data seems to be crucial when the complete experimental data for all diastereomers is not available. In the case, when all eight experimental datasets are available, the eight diastereomers were correctly assigned with high confidence using the ${ }^{13} \mathrm{C}$ chemical shifts data. In contrast, the same procedure with ${ }^{1} \mathrm{H}$ chemical shift did not result in a single assignment with high likelihood (although the correct assignment had the highest value of all). When combining ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ data, the likelihood of the correct assignment increased and an assignment with high confidence is possible.

### 7.2.3 Differentiation of Diastereomers Based on NOVAS Approach

Next, our recently developed NOVAS protocol (see Chapter 6) was applied to the assignment problem. NOESY spectra for the eight diastereomers were recorded in $\mathrm{CDCl}_{3}$ with a mixing time of 3 s . The long mixing time leads to larger cross-peak volumes compared to the linear build-up regime and also indirect NOEs potentially contribute to the spectrum, containing additional spatial information about the system under study. A drop of $D_{2} \mathrm{O}$ was added to exchange the hydroxy protons with deuterium. This was done to minimize dipolar relaxation involving the hydroxy group. Calculated NOESY spectra were fitted to the experimental peak volumes as described in Chapter 6 by optimizing for the overall correlation time $\tau_{c}$, a scaling factor $A$, and the correlation time of the methyl group rotation $\tau_{j u m p}$ with the NOVAS approach. The obtained weighted sum of squared residuals (wSSR) between the experimental NOESY spectra of diastereomers 1 - 8 and the calculated datasets $(\mathbf{A}-\mathbf{H})$ are listed in Table 7.4. The corresponding $\Delta A I C s$ are listed in Table 7.5. It can be nicely seen that the lowest (best) values are obtained for the correct assignment. Correlation times between 6.5 and 11.7 ps and values for $\tau_{j u m p}$ between 2.7 and 3.9 ps were obtained for the correct fits between experimental and optimized spectra. In contrast to the assignment based on chemical shifts, the NOVAS procedure works perfectly when we pretend that only a single experimental NOESY spectrum of one diastereomer is available. Likelihoods of $>95$ \% were obtained for each of the correct assignments individually, except for $\mathbf{8 H}$ for which 92.6 \% was obtained. The signal-to-noise ratio for the NOESY spectrum of 8 was lowest since only traces of the compound were available. Nevertheless, these results clearly show the power of the NOVAS approach and the ability to make clear and correct distinctions between diastereomers even for flexible compounds. As an illustration, the difference between calculated
and experimental NOESY spectra of 1 with the best (A) as well as with the second-best agreement $(\mathbf{F})$ is shown in Figure 7.1. The corresponding plots for $2-8$ can be found in Figure A7.2-Figure A7.8 in the Appendix.

Making again use of the fact that NOESY data is available for all eight diastereomers, one obtains a likelihood of the correct assignment for all diastereomers of $>99.9$ \% ( $\mathbf{1 A}, \mathbf{2 B}, \mathbf{3 C}, \mathbf{4 D}, \mathbf{5 E}, \mathbf{6 F}, \mathbf{7 G}, \mathbf{8 H}$ ). The second-most likely assignment with a likelihood of only $0.02 \%$ is found by exchanging the matches of 7 and $8(1 A, 2 B, 3 C, 4 D, 5 E, 6 F, 7 H, 8 G)$.

Table 7.4: wSSRs obtained from the NOVAS approach when using experimental spectra of diastereomers 1 - $\mathbf{8}$ together with the corresponding calculated datasets $\boldsymbol{A}-\boldsymbol{H}$. The combination yielding the lowest wSSR for each experimental NOESY spectrum is set in bold text.

|  | A | B | C | D | E | F | G | H |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | $\mathbf{1 2 . 3}$ | 60.9 | 53.1 | 105.2 | 162.9 | 48.2 | 116.6 | 78.6 |
| $\mathbf{2}$ | 354.1 | $\mathbf{1 8 . 0}$ | 413.7 | 247.7 | 150.4 | 163.8 | 138.2 | 394.0 |
| $\mathbf{3}$ | 575.0 | 682.1 | 153.0 | 186.2 | 703.6 | 497.9 | 549.7 | 479.3 |
| $\mathbf{4}$ | 357.6 | 342.9 | 155.1 | $\mathbf{7 0 . 3}$ | 184.1 | 248.8 | 166.4 | 212.1 |
| $\mathbf{5}$ | 28.8 | 22.8 | 34.4 | 45.2 | $\mathbf{6 . 6}$ | 27.4 | 22.2 | 21.7 |
| $\mathbf{6}$ | 93.8 | 126.6 | 99.7 | 57.8 | 296.5 | $\mathbf{1 7 . 2}$ | 144.5 | 124.2 |
| $\mathbf{7}$ | 339.9 | 334.3 | 74.2 | 78.3 | 44.9 | 239.1 | $\mathbf{1 1 . 2}$ | 18.4 |
| $\mathbf{8}$ | 105.6 | 134.1 | 69.9 | 98.5 | 72.9 | 116.8 | 67.4 | 42.7 |

Table 7.5: $\triangle A I C$ values (= AIC $-A I C_{\text {min }}$ ) obtained from the wSSRs of the NOVAS approach between experimental diastereomers 1-8 and calculated datasets $\boldsymbol{A}-\boldsymbol{H}$. The lowest value for each experimental NOESY spectrum is set in bold text.

|  | A | B | C | D | E | F | G | H |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | $\mathbf{0 . 0}$ | 40.0 | 36.6 | 53.7 | 64.6 | 34.1 | 56.3 | 46.4 |
| $\mathbf{2}$ | 65.5 | $\mathbf{0 . 0}$ | 68.9 | 57.6 | 46.6 | 48.5 | 44.8 | 67.8 |
| $\mathbf{3}$ | 45.0 | 50.8 | $\mathbf{0 . 0}$ | 6.7 | 51.9 | 40.1 | 43.5 | 38.8 |
| $\mathbf{4}$ | 34.2 | 33.3 | 16.6 | $\mathbf{0 . 0}$ | 20.2 | 26.5 | 18.1 | 23.2 |
| $\mathbf{5}$ | 23.5 | 19.8 | 26.4 | 30.7 | $\mathbf{0 . 0}$ | 22.7 | 19.3 | 19.0 |
| $\mathbf{6}$ | 38.9 | 45.8 | 40.4 | 27.8 | 65.4 | $\mathbf{0 . 0}$ | 48.3 | 45.4 |
| $\mathbf{7}$ | 71.7 | 71.3 | 39.7 | 40.8 | 29.2 | 64.3 | $\mathbf{0 . 0}$ | 10.5 |
| $\mathbf{8}$ | 13.6 | 17.2 | 7.4 | 12.5 | 8.0 | 15.1 | 6.8 | $\mathbf{0 . 0}$ |

Table 7.6: Likelihoods obtained with the NOVAS procedure for experimental NOESY spectra of diastereomers 1 - 8 with calculated datasets $\boldsymbol{A}-\boldsymbol{H}$. The highest likelihood for each experimental NOESY spectrum is set in bold text.

|  | A | B | C | D | E | F | G | H |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | $>99.99$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
| $\mathbf{2}$ | 0.00 | $>99.99$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
| $\mathbf{3}$ | 0.00 | 0.00 | 96.55 | 3.45 | 0.00 | 0.00 | 0.00 | 0.00 |
| $\mathbf{4}$ | 0.00 | 0.00 | 0.02 | 99.96 | 0.00 | 0.00 | 0.01 | 0.00 |
| $\mathbf{5}$ | 0.00 | 0.00 | 0.00 | 0.00 | 99.98 | 0.00 | 0.01 | 0.01 |
| $\mathbf{6}$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | $>99.99$ | 0.00 | 0.00 |
| $\mathbf{7}$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 99.47 | 0.53 |
| $\mathbf{8}$ | 0.10 | 0.02 | 2.30 | 0.18 | 1.69 | 0.05 | 3.03 | $\mathbf{9 2 . 6 4}$ |



Figure 7.1: Difference between experimental NOESY spectrum of 1 and calculated NOESY spectra for the best fit $\boldsymbol{A}$ (green) and the second best fit $\boldsymbol{F}$ (black). wSSRs are given in brackets.

### 7.2.4 Combination of Chemical Shifts with the NOVAS Approach

As already shown for ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts, the use of the AIC allows to combine different experimental datasets, if an estimation for the variance is available. As a rough estimate, for the typical error in the NOVAS approach, the wSSRs obtained with the NOVAS protocol for strychnine, trans-crotonaldehyde, morphine and androstenedione in Chapter 6 were divided by the number of integrated NOE peaks. The average value of 8.08 gives a crude estimate of the expected RMSD in the NOVAS approach. Combination of the chemical shift data and the NOE data yield an even clearer assignment and each individual diastereomer can be identified correctly with a likelihood $>99.6$ \% if we again pretend that only data for one diastereomer is available (Table 7.7). Making again use of the fact that chemical shift and NOESY data are available for all eight diastereomers, one obtains a likelihood of the correct assignment for all diastereomers of $>99.99 \%$
(1A, 2B, 3C, 4D, 5E, 6F, 7G, 8 H ). The second-most likely assignment has a likelihood of only $5.9^{*} 10^{-5} \%$ (1A, 2B, 3C, 4D, 5E, 6F, $7 \mathrm{H}, 8 \mathrm{G}$ ).

The assignment confidence of the combined data is impressive. This combined approach of readily available experimental NMR data could also be a promising approach for the configurational assignment of more complicated molecules. Of course, not only chemical shifts and NOE volumes can be combined, but every other kind of experimental data that can be reproduced with computational methods can be used in principle. Among the NMR observables, incorporation of ${ }^{3} \mathrm{~J}_{\mathrm{HH}}$ couplings would be the next logical step, but also data from other spectroscopic techniques like IR or Raman would potentially add complementary valuable additional information.

Table 7.7: Likelihoods of the combination of the chemical shift data with the NOVAS procedure for experimental data of diastereomers 1-8 with calculated datasets $\boldsymbol{A}-\boldsymbol{H}$. The highest likelihood for each experimental NOESY spectrum is set in bold text.

|  | A | B | C | D | E | F | G | H |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | $>99.99$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
| $\mathbf{2}$ | 0.00 | $>99.99$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
| $\mathbf{3}$ | 0.00 | 0.00 | $>99.99$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
| $\mathbf{4}$ | 0.00 | 0.00 | 0.00 | $>99.99$ | 0.00 | 0.00 | 0.00 | 0.00 |
| $\mathbf{5}$ | 0.00 | 0.00 | 0.00 | 0.00 | $>99.99$ | 0.00 | 0.00 | 0.00 |
| $\mathbf{6}$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | $>99.99$ | 0.00 | 0.00 |
| $\mathbf{7}$ | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 99.61 | 0.39 |
| $\mathbf{8}$ | 0.00 | 0.0 | 0.00 | 0.00 | 0.00 | 0.00 | 0.02 | 99.98 |

### 7.2.5 Differentiation of Diastereomers Based on IR Spectra

Lastly, we aimed to assign the relative configuration of the different chlorinated diols based on comparison of experimental and calculated IR spectra. FT-IR spectra for diastereomers 1 - $\mathbf{7}$ were recorded in chloroform. For compound 8, not enough substance was available for a solution IR spectrum of decent quality, and thus this compound was excluded. Calculated IR spectra for 1-8 were obtained as Boltzmann weighted averages of the IR spectra for each significantly populated conformation. For the comparison, the improved version of the IR spectra algorithm (IRSA) from Böselt et al. ${ }^{540}$ was applied to the region of $900-1500 \mathrm{~cm}^{-1}$, excluding the region between 1200 and $1240 \mathrm{~cm}^{-1}$ which shows a strong absorption band of $\mathrm{CHCl}_{3}$. Peak picking in both experimental and calculated spectra was done in an automated fashion. Since the experimental spectra were relatively noisy (due to the limited amount of substance or the limited solubility), the peak assignment for the experimental spectra was checked manually and corrected if needed. The agreement between an experimental and a theoretical IR spectrum is expressed in terms of an
alignment score (the more negative the better, where -1 is the best value). ${ }^{540}$ The score was computed for every combination of theoretical and experimental IR spectrum. In five out of seven diastereomers, the best alignment score was in agreement with the correct assignment (1A, 2B, $\mathbf{5 E}, \mathbf{6 F}$ and $\mathbf{7 G}$ ). In case of $\mathbf{3}$, the best alignment score ( -0.90 ) was obtained with theoretical IR spectrum $\mathbf{F}$, whereas the correct assignment (3C), yielded a score of -0.83 (second best score). For diastereomer 4, the correct assignment ( $\mathbf{4 E}$ ) was the scored worst ( -0.77 ) whereas a very good agreement was obtained with calculated spectrum H (-0.99). The alignment scores for the different assignments of a given experimental spectrum (elements within the same row) are relatively similar. This can be expected since also the experimental IR spectra are highly similar. The alignment between experimental and calculated IR spectra with best and second-best scores are shown in Figure 7.2.

The assignment of diastereomers with IRSA works when the differences in the IR spectra are large enough. In case of highly similar spectra, no clear differentiation is possible. Interestingly, IR could identify the correct configuration of $\mathbf{1}$, whereas the identification of $\mathbf{1}$ was not possible based on chemical shift data. This is a strong indication that the information obtained from IR is at least in some cases complementary to the chemical shift information. At the current development stage, the alignment score obtained from IRSA cannot be transferred into a probability and it is therefore not possible to combine the IR data with the above presented NMR data. This will be the focus of future work.

Table 7.8: Alignment scores between experimental IR spectra for diastereomers 1 - $\mathbf{7}$ and the corresponding calculated spectra $\boldsymbol{A}-\boldsymbol{H}$. The best score is set in bold text.

|  | A | B | C | D | E | F | G | H |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | $-\mathbf{0 . 8 6}$ | -0.41 | -0.68 | -0.80 | -0.43 | -0.73 | -0.75 | -0.73 |
| $\mathbf{2}$ | -0.51 | $-\mathbf{0 . 7 6}$ | -0.70 | -0.66 | -0.65 | -0.64 | -0.67 | -0.47 |
| $\mathbf{3}$ | -0.32 | -0.52 | -0.83 | -0.58 | -0.40 | -0.90 | -0.43 | -0.29 |
| $\mathbf{4}$ | -0.91 | -0.77 | -0.93 | -0.77 | -0.91 | -0.98 | -0.97 | -0.99 |
| $\mathbf{5}$ | -0.33 | -0.43 | -0.38 | -0.31 | $-\mathbf{0 . 7 1}$ | -0.38 | -0.39 | -0.44 |
| $\mathbf{6}$ | -0.72 | -0.64 | -0.82 | -0.66 | -0.77 | $-\mathbf{0 . 8 8}$ | -0.87 | -0.83 |
| $\mathbf{7}$ | -0.71 | -0.55 | -0.77 | -0.57 | -0.48 | -0.82 | $-\mathbf{0 . 8 8}$ | -0.86 |



Figure 7.2: Fits for experimental IR spectra of diastereomers 1-7 with the corresponding theoretical spectra $\boldsymbol{A} \boldsymbol{- H}$ yielding the best and second-best alignment score in case of correct assignment (green and black). For the incorrect assignments, the one yielding the best alignment score as well as the correct assignment is shown (red).

### 7.3 Conclusion

In this study, we aimed to assign the relative configuration of eight diastereomers 1-8 based on a comparison between DFT calculated and experimental ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts, as well as NOESY and IR spectra. Most of these data are collected routinely in an organic chemistry laboratory.

If the ${ }^{13} \mathrm{C}$ shifts were individually matched for each diastereomer, six out of eight diastereomers were identified correctly, whereas only two could be identified by an individual match of the ${ }^{1} \mathrm{H}$ shifts. Combination of the ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ shifts resulted in correct identification of seven out of eight diastereomers, although some of these assignments were obtained with low confidence. If the shift data for all eight diastereomers were matched collectively, assignment based on ${ }^{13} \mathrm{C}$ chemical shifts alone was possible with high confidence giving a likelihood of $92.5 \%$ for the correct assignment. In contrast, assignment of relative configuration based on a collective math of ${ }^{1} \mathrm{H}$ chemical shifts alone gave a likelihood for the correct assignment of only $10.3 \%$, which is clearly too low for a confident assignment. Collectively matching combined ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shift data led to an increased likelihood for the correct assignment of 97.6 \%.

Next, it was also investigated whether the different diastereomers can be assigned by directly matching their NOESY spectra with calculated NOESY spectra based on DFT generated conformational ensembles with the NOVAS protocol presented in Chapter 6. All eight diastereomers were correctly assigned. The power of this technique is reflected in the fact that with the NOVAS procedure correct assignment of each individual diastereomer was obtained with likelihoods over $90 \%$. Therefore, it could be expected that collectively matching the combined data from the NOESY spectra of all eight diastereomers would lead to an extremely high likelihood for the correct assignment of over $99.9 \%$. In order to answer the question how successfully this method can be applied in general, more NOESY data for challenging sets of diastereomers will be needed.

By combining the chemical shift data with the NOESY data, it was possible to assign all individual diastereomers with likelihoods over 99.6 \%. When this data is matched collectively, a likelihood over 99.99 \% is achieved for the correct assignment of the entire set, whereas the second-best assignment has a likelihood of only $5.9 * 10^{-5} \%$. This clearly shows that combination of different experimental data in a statistically meaningful way can be a powerful strategy to assign diastereomers. It will be interesting to see how this approach will perform for even more challenging systems.

Lastly, we have also investigated if IR spectra can be used to differentiate between the diastereomers. Based on the IRSA algorithm, five out of seven diastereomers for which experimental data could be obtained were identified correctly. A reason why no correct match was found for the other two was that the fingerprint regions of the experimental IR spectra of different diastereomers were too similar. Since the compounds are flexible, it is potentially possible to observe similar bands in the fingerprint region when only one stereocenter is changed between two diastereomers. For the future, we will investigate how the alignment score can be transferred into a probability, such that it can be combined with the spectroscopic data from NMR in a statistically rigorous manner.

In conclusion, we were able to show the importance of combining different independent datasets for the correct identification of the diastereomers. Without this combination, only the NOVAS approach was able to identify all individual diastereomers correctly. For the chemical shift data, a combination with other independent data was necessary to improve confidence. Next to IR spectra, readily accessible, valuable complementary information could also come from J-ouplings.

### 7.4 Method Section

## Experimental Details

The eight diastereomers 1-8 were kindly provided by Prof. Erick M. Carreira (ETH Zürich). Their synthesis is described in detail in C. Nilewski et al. ${ }^{545}$ IR spectra were recorded in chloroform on a Spectrum Two ${ }^{\text {TM }}$ FT-IR spectrometer (Perkin Elmer) using a NaCl cell with a path length of 0.2 mm . The software Spectrum $10^{\text {TM }}$ (Perkin Elmer) was used for recording the spectrum and for baseline correction. NMR spectra were recorded at $25.0^{\circ} \mathrm{C}$ on a Bruker AVANCE III HD 600 MHz spectrometer equipped with a $\mathrm{N}_{2}$-cooled Prodigy triple resonance probe with z-gradients. The ${ }^{1} \mathrm{H}$ spectrum of 7 was recorded in $\mathrm{CDCl}_{3}$ and referenced to internal TMS. NOESY spectra were recorded in $\mathrm{CDCl}_{3}$ (Apollo Scientific) with a mixing time of 3 s . A recycle delay of 15 s was used to obtain symmetric NOESY spectra. A drop of $\mathrm{D}_{2} \mathrm{O}$ (Armar) was added to the samples to promote exchange of the hydroxy protons with deuterium to minimize dipolar relaxation involving the hydroxy group. The spectral width of the NOESY spectra was 6 ppm in both dimensions, and the transmitter was set at 2.7 ppm . A total of $4096 \times 256$ data points were recorded. The time domain in both dimensions of the NOESY spectra was doubled by zero filling and the baseline was corrected with a third order polynomial. Processing was done with Bruker TopSpin ${ }^{\text {TM }}$ version 4.1 (Bruker Biospin AG). Peak assignment and volume integration was done using NMRFAMSPARKY. ${ }^{199}$

## Computational Details

The conformers for diastereomers 1 - 8 as well as for the chlorinated molecules in the literature set were generated from SMILES strings using the KDG conformer generator ${ }^{89}$ of RDKit ${ }^{263}$ with an RMSD threshold for pruning of $0.3 \AA$. No experimental torsion angle preferences were applied because the gauche effect between two neighboring chlorine atoms is not properly taken into account by the underlying SMARTS patterns. Initially, the conformation found in the crystal was therefore not always contained in the generated ensemble. Between 568 and 592 structures were generated per diastereomer. The obtained 3D structures were optimized in vacuo with DFT using Orca $5 \cdot 0.1^{248-250}$ at the BP86/def2-tzvp $255-257$ level applying the resolution of identity approximation with def2/J $J^{258}$ as auxiliary basis set and Grimme's D3BJ dispersion correction. ${ }^{264,265}$ For the calculation of the IR spectra and to verify that the optimized structures corresponded to a local energetic minimum, a frequency calculation was performed at the same level of theory. For structures having imaginary frequencies, the geometry at the most displaced point along the corresponding mode was taken as input for a new structure optimization. The energy was also calculated using CPCM ${ }^{261}$ as an implicit solvent model for chloroform to account for solvation energy. NMR chemical shieldings were computed with the GIAO ${ }^{266}$ approach using the hybrid GGA
functional PBEO ${ }^{267}$ with the cc-pVTZ basis set ${ }^{252}$ using cc-pVTZ/JK auxiliary basis set ${ }^{268}$ and D3BJ. The resolution of identity approximation for both Coulomb and HF exchange integrals was applied (RIJK). Shielding calculations were done in vacuo for ${ }^{13} \mathrm{C}$ and using CPCM for chloroform for ${ }^{1} \mathrm{H}$. The relative free energies of the conformers were computed as the sum of the Gibbs energy obtained from the frequency calculation and the difference between the final energies obtained in vacuo and with CPCM solvation. Structures which differ less than $0.1 \mathrm{~kJ} / \mathrm{mol}$ were checked for representing the same minimum by calculating their RMSD using a Python script from Ref. 533. If the difference between structures was below $0.05 \AA$, the conformers were classified as identical and one was removed from the ensemble. The remaining conformers were Boltzmann-averaged for further analysis.

The chemical shieldings were transformed using intercept and scale from Chapter 5 with an additional correction term for carbons directly bound to chlorine (see Appendix). The NOVAS approach was applied as described in Chapter 6 with a Python ${ }^{201}$ script run in a Jupyter Notebook. ${ }^{202}$ Functionalities of the matplotlib, ${ }^{203}$ nglview, ${ }^{271}$ numpy, ${ }^{205}$ openbabel, ${ }^{272}$ pandas, ${ }^{206}$ and scipy ${ }^{207}$ packages were used.

IR spectra were calculated by averaging the calculated individual IR spectra of each conformer. Baseline correction of the considered region between 900 and $1500 \mathrm{~cm}^{-1}$ was done with a Python script provided with the IRSA algorithm. ${ }^{538}$ The IR frequencies were scaled with $1.0192^{555}$ and the Lorentzian bandwidth was chosen to be $12 \mathrm{~cm}^{-1}$. The region between 1200 and $1240 \mathrm{~cm}^{-1}$ was ignored due to a strong absorbance band of the solvent. Peaks in the IR spectra were picked using the integrated script of the IRSA algorithm. The sequence alignment was also done using the provided scripts. ${ }^{540}$

### 7.5 Appendix

## Determination of Correction Factor for Chlorine Bound Carbons

The compounds of the literature set contain a maximum of four carbons, bear at least one chlorine substituent, and can have an additional hydroxy substituent.


Scheme A7.1: Set of 23 organic compounds containing at least one chlorine substituent and a maximum of four carbons. For all of these compounds, ${ }^{13} \mathrm{C}$ chemical shifts in $\mathrm{CDCl}_{3}$ are reported in the literature. ${ }^{547-554}$

The final chemical shifts can then be obtained from the calculated shieldings with the following equation:

$$
\begin{equation*}
\delta_{\text {calc }_{i}}=\frac{\sigma_{\text {calc }_{i}}-q}{m}+C l_{c o r r} \tag{A7.1}
\end{equation*}
$$

$\delta_{\text {calc }}^{i}$ is the calculated chemical shift, $\sigma_{\text {calc }}^{i}$ is the calculated shielding constant, $q$ and m are the intercept and the slope of the regression with values of 185.67 ppm and -1.0317 for ${ }^{13} \mathrm{C}$ (calculation in vacuum) as well as 31.34 ppm and -1.0205 for ${ }^{1} \mathrm{H}$ (using the conductor-like polarizable continuum model (CPCM) ${ }^{261}$ for the shielding calculation in chloroform) (both determined in Chapter 5). $C l_{\text {corr }}$ is the correction factor for the carbon atoms directly bound to a chlorine atom. It has a value of -5.34 ppm and was obtained by fitting a line with slope 1.0 to the
calculated ${ }^{13} \mathrm{C}$ chemical shifts of the chlorine bound atoms plotted against their experimental values from the literature.


Figure A7.1: ${ }^{13} \mathrm{C}$ calculated chemical shifts versus the chemical shifts from the literature for the 23 compounds shown in Scheme A7.1. The green points are ${ }^{13} \mathrm{C}$ chemical shifts of carbons not directly connected to a chlorine atom. Calculated shifts were obtained from the shieldings with conversion parameters slope=-1.0317 and intercept=185.7 from Chapter 5 . The grey points are ${ }^{13} \mathrm{C}$ chemical shifts of carbons directly bound to a chlorine atom. Calculated shifts were obtained with the same conversion parameters as for carbons not connected to a Cl atom. The calculated shifts of the orange data points are obtained by addition of a constant correction factor of -5.34 ppm to account for relativistic effects. For the corrected Cl-bound carbons, a mean absolute deviation (MAD) of 0.99 ppm , a maximum absolute deviation (max. AD) of 3.10 ppm and a root mean square deviation (RMSD) of 1.27 ppm is obtained whereas before correction values of 5.34 , 8.44 and 5.48 ppm were obtained for these metrics. After the correction the overall MAD is 0.99 ppm, max. $A D$ is 4.32 ppm and RMSD is 1.26 ppm.

Table A7.1: ${ }^{1} \mathrm{H}$ chemical shifts of diastereomers $\mathbf{1 - 8}$ in $\mathrm{CDCl}_{3}$ in ppm. Shifts of $\mathbf{1 - 6}$ and $\mathbf{8}$ from Ref. 545. The shifts of the two hydroxy groups are not reported. The order of the ${ }^{1} \mathrm{H}$ shifts is from left to right starting at the methyl group and ending at the methylene group. * The methylene protons are averaged for easier comparison since assignment in calculated structures was not possible.

|  | $\mathbf{1}^{\prime}$ | $\mathbf{2}^{\prime}$ | $\mathbf{3}^{\prime}$ | $\mathbf{4}^{\prime}$ | $\mathbf{5}^{\prime}$ | $\mathbf{6}^{\prime \boldsymbol{*}}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | 1.59 | 4.71 | 4.33 | 4.02 | 4.48 | 4.08 |
| $\mathbf{2}$ | 1.58 | 4.72 | 4.30 | 4.00 | 4.61 | 4.03 |
| $\mathbf{3}$ | 1.71 | 4.36 | 4.08 | 4.52 | 4.22 | 3.95 |
| $\mathbf{4}$ | 1.74 | 4.27 | 4.41 | 4.53 | 4.08 | 4.06 |
| $\mathbf{5}$ | 1.67 | 4.39 | 4.22 | 4.22 | 4.22 | 3.99 |
| $\mathbf{6}$ | 1.67 | 4.34 | 4.59 | 4.24 | 4.06 | 4.04 |
| $\mathbf{7}$ | 1.65 | 4.77 | 4.02 | 4.23 | 4.63 | 4.05 |
| $\mathbf{8}$ | 1.64 | 4.79 | 4.04 | 4.25 | 4.56 | 4.05 |

Table A7.2: ${ }^{13}$ C chemical shifts of diastereomers $\mathbf{1 - 8} \mathbf{~ i n ~} C D C l_{3}$ in ppm. Shifts of $\mathbf{1 - 6}$ and $\mathbf{8}$ from Ref. 545. The order of the ${ }^{13} \mathrm{C}$ shifts is from left to right starting at the methyl group and ending at the methylene group.

|  | $\mathbf{1}^{\prime}$ | $\mathbf{2}^{\prime}$ | $\mathbf{3}^{\prime}$ | $\mathbf{4}^{\prime}$ | $\mathbf{5}^{\prime}$ | $\mathbf{6}^{\prime}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | 19.73 | 56.42 | 67.45 | 75.90 | 62.15 | 63.93 |
| $\mathbf{2}$ | 18.76 | 56.33 | 66.78 | 73.71 | 63.05 | 65.86 |
| $\mathbf{3}$ | 22.88 | 56.42 | 66.80 | 71.48 | 67.09 | 63.85 |
| $\mathbf{4}$ | 23.45 | 56.29 | 68.04 | 71.51 | 61.75 | 64.55 |
| $\mathbf{5}$ | 23.08 | 56.64 | 69.59 | 73.35 | 62.60 | 64.91 |
| $\mathbf{6}$ | 21.87 | 59.63 | 66.07 | 65.59 | 72.27 | 61.81 |
| $\mathbf{7}$ | 22.84 | 56.76 | 65.44 | 73.49 | 62.81 | 64.18 |
| $\mathbf{8}$ | 22.91 |  |  | 62.78 | 65.59 | 63.41 |

Table A7.3: Calculated ${ }^{1} \mathrm{H}$ chemical shifts of diastereomers $\boldsymbol{A} \boldsymbol{- H}$ in $\mathrm{CDCl}_{3}$ in $p p m$. The shift of the two hydroxy groups is not reported. * The methylene protons are averaged.

|  | $\mathbf{1}^{\prime}$ | $\mathbf{2}^{\prime}$ | $\mathbf{3}^{\prime}$ | $\mathbf{4}^{\prime}$ | $\mathbf{5}^{\prime}$ | $\mathbf{6}^{\prime \boldsymbol{*}}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| A | 1.55 | 5.11 | 4.52 | 4.08 | 4.82 | 4.13 |
| B | 1.55 | 5.00 | 4.55 | 4.04 | 4.97 | 4.06 |
| C | 1.64 | 4.59 | 4.35 | 4.60 | 4.33 | 3.90 |
| D | 1.70 | 4.49 | 4.86 | 4.63 | 4.22 | 4.02 |
| E | 1.63 | 4.76 | 4.52 | 4.37 | 4.48 | 4.00 |
| F | 1.64 | 4.56 | 5.09 | 4.35 | 4.20 | 4.00 |
| G | 1.61 | 5.09 | 4.22 | 4.36 | 4.99 | 4.06 |
| H | 1.63 | 5.16 | 4.28 | 4.24 | 4.12 |  |

Table A7.4: Calculated ${ }^{13}$ C chemical shifts of diastereomers $\boldsymbol{A} \boldsymbol{- H}$ in $\mathrm{CDCl}_{3}$ in ppm.

|  | $\mathbf{1}^{\prime}$ | $\mathbf{2}^{\prime}$ | $\mathbf{3}^{\prime}$ | $\mathbf{Y}^{\prime}$ | $\mathbf{5}^{\prime}$ | $\mathbf{6}^{\prime}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| A | 16.72 | 56.20 | 68.68 | 76.30 | 62.77 | 64.01 |
| B | 16.43 | 55.43 | 66.34 | 75.32 | 65.41 | 66.95 |
| C | 20.54 | 56.19 | 68.80 | 71.29 | 68.26 | 64.42 |
| D | 21.61 | 56.30 | 69.66 | 71.55 | 61.72 | 64.69 |
| E | 21.27 | 56.72 | 70.81 | 74.96 | 63.77 | 65.83 |
| F | 20.01 | 59.61 | 68.25 | 71.12 | 63.28 | 63.91 |
| G | 21.61 | 55.70 | 65.53 | 74.22 | 65.26 | 66.65 |
| H | 21.56 | 56.86 | 66.24 | 76.40 | 62.69 | 64.72 |

Table A7.5: Assignment probabilities $>0.1 \%$ obtained based on ${ }^{13} \mathrm{C}$ shfits, if experimental data is available for 1 - 8 . Correct matches between experimental and calculated datasets (1-8) are set in bold text.

| Assignment | Likelihood [\%] |
| :--- | :--- |
| 1A,2B,3C,4D,5E,6F,7G,8H | 92.5 |
| 1A,2B,3C,4E,5D,6F,7G,8H | 2.5 |
| 1B,2A,3C,4E,5D,6F,7G,8H | 2.4 |
| 1A,2G,3C,4D,5E,6F,7B,8H | 0.5 |
| 1A,2B,3C,4D,5E,6F,7H,8G | 0.4 |
| 1H,2B,3C,4D,5E,6F,7G,8A | 0.4 |
| 1H,2A,3C,4D,5E,6F,7G,8B | 0.1 |
| 1A,2B,3E,4D,5C,6F,7G,8H | 0.1 |

Table A7.6: Assignment probabilities >1 \% obtained based on ${ }^{1} \mathrm{H}$ shifts, if experimental data is available for 1 - 8. Correct matches between experimental and calculated datasets (1-8) are set in bold text.

| Assignment | Likelihood [\%] |
| :---: | :---: |
| 1A,2B,3C,4D,5E,6F,7G,8H | 10.3 |
| 1A, 2B, 3C, 4D, 5E, 6F, $7 \mathrm{H}, 8 \mathrm{C}$ | 8.0 |
| 1B,2A,3C,4D,5E,6F,7G,8H | 7.5 |
| 1B,2A,3C,4D, 5E, 6F, $7 \mathrm{H}, 8 \mathrm{G}$ | 5.8 |
| 1E,2B,3C,4D,5A,6F,7G,8H | 2.1 |
| 1E,2A, 3C, 4D, 5B, 6F,7G,8H | 2.0 |
| 1A, 2B, 3C, 4F, 5E, 6D, 7G, 8H | 1.9 |
| 1E,2B,3C,4D,5A,6F,7H,8G | 1.6 |
| 1E,2A,3C,4D,5B,6F,7H,8G | 1.6 |
| 1A,2B,3C,4F,5E,6D,7H,8G | 1.5 |
| 1H,2B,3C,4D,5E,6F,7G,8A | 1.4 |
| 1B,2A,3C,4F,5E,6D,7G,8H | 1.4 |
| 1A, 2B, 3E, 4D, 5C, 6F, 7G, 8H | 1.1 |
| 1B,2A,3C,4E, 5E, 6D, 7H, 8 G | 1.1 |
| 1H,2B,3C,4D, 5E, 6F, 7A, 8G | 1.1 |
| 1H,2A, 3C,4D,5E,6F,7G,8B | 1.0 |

Table A7.7: Assignment probabilities $>0.1 \%$ obtained based on combined ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ shifts, if experimental data is available for 1 - 8. Correct matches between experimental and calculated datasets (1-8) are set in bold text.

| Assignment | Likelihood [\%] |
| :--- | :--- |
| 1A,2B,3C,4D,5E,6F,7G,8H | 97.6 |
| 1B,2A,3C,4D,5E,6F,7G,8H | 1.8 |
| 1A,2B,3C,4D,5E,6F,7H,8G | 0.3 |
| 1A,2B,3C,4E,5D,6F,7G,8H | 0.1 |
| 1H,2A,3C,4D,5E,6F,7G,8A | 0.1 |



Figure A7.2: Difference between experimental NOESY spectrum of 2 and calculated NOESY spectra for the best fit B (green) and the second best fit $\boldsymbol{G}$ (black). wSSRs are given in brackets.


Figure A7.3: Difference between experimental NOESY spectrum of $\mathbf{3}$ and calculated NOESY spectra for the best fit $\mathbf{C}$ (green) and the second best fit $\boldsymbol{D}$ (black). wSSRs are given in brackets.


Figure A7.4: Difference between experimental NOESY spectrum of 4 and calculated NOESY spectra for the best fit D (green) and the second best fit C (black). wSSRs are given in brackets.


Figure A7.5: Difference between experimental NOESY spectrum of 5 and calculated NOESY spectra for the best fit $\boldsymbol{E}$ (green) and the second best fit $\boldsymbol{H}$ (black). wSSRs are given in brackets.


Figure A7.6: Difference between experimental NOESY spectrum of $\mathbf{6}$ and calculated NOESY spectra for the best fit $\boldsymbol{F}$ (green) and the second best fit $\boldsymbol{D}$ (black). wSSRs are given in brackets.


Figure A7.7: Difference between experimental NOESY spectrum of $\mathbf{7}$ and calculated NOESY spectra for the best fit $\mathbf{G}$ (green) and the second best fit $\boldsymbol{H}$ (black). wSSRs are given in brackets.


Figure A7.8: Difference between experimental NOESY spectrum of 8 and calculated NOESY spectra for the best fit $\boldsymbol{H}$ (green) and the second best fit $\boldsymbol{G}$ (black). wSSRs are given in brackets.

Table A7.8: NOESY volumes of 1 recorded with a mixing time of $3 \mathrm{~s} \mathrm{in} \mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :---: | :---: | :---: |
| H1Me | H1Me | -5490 |
| H1Me | H2 | 273 |
| H2 | H1Me | 261 |
| H1Me | H3 | 55.3 |
| H3 | H1Me | 52.9 |
| H1Me | H4/6ab | 207 |
| H4/6ab | H1Me | 198 |
| H1Me | H5 | 10.5 |
| H5 | H1Me | 11 |
| H2 | H2 | -5730 |
| H2 | H3 | 207 |
| H3 | H2 | 203 |
| H2 | H4 / 6ab | 66.34 |
| H4/6ab | H2 | 59.2 |
| H2 | H5 | 78.6 |
| H5 | H2 | 67.9 |
| H3 | H3 | -5760 |
| H3 | H4/6ab | 333.9 |
| H4/6ab | H3 | 313.8 |
| H3 | H5 | 65 |
| H5 | H3 | 72.8 |
| H4/6ab | H4 / 6ab | -10825 |
| H4/6ab | H5 | 488 |
| H5 | H4 / 6ab | 512 |
| H5 | H5 | -5520 |

Table A7.9: NOESY volumes of 2 recorded with a mixing time of 3 s in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :---: | :---: | :---: |
| H1Me | H1Me | -3690 |
| H1Me | H2 | 213 |
| H2 | H1Me | 199 |
| H1Me | H3 | 27.3 |
| H3 | H1Me | 26.1 |
| H1Me | H4/6ab | 182 |
| H4/6ab | H1Me | 181 |
| H1Me | H5 | 2.67 |
| H2 | H2 | -4780 |
| H2 | H3 | 202 |
| H3 | H2 | 201 |
| H2 | H4 / 6ab | 52.4 |
| H4/6ab | H2 | 59.1 |
| H3 | H3 | -4750 |
| H3 | H4/6ab | 26.5 |
| H4/6ab | H3 | 34.7 |
| H3 | H5 | 81.8 |
| H5 | H3 | 79.2 |
| H4/6ab | H4 / 6ab | -7790 |
| H4 / 6ab | H5 | 435 |
| H5 | H4 / 6ab | 422 |
| H5 | H5 | -4400 |

Table A7.10: NOESY volumes of 3 recorded with a mixing time of 3 s in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :---: | :---: | :---: |
| H1Me | H1Me | -4710 |
| H1Me | H2 | 206 |
| H2 | H1Me | 194 |
| H1Me | H3 | 112 |
| H3 | H1Me | 112 |
| H1Me | H4 | 20.8 |
| H4 | H1Me | 20.1 |
| H1Me | H5 | 12.3 |
| H5 | H1Me | 11.0 |
| H2 | H2 | -4370 |
| H2 | H3 | 14.9 |
| H3 | H2 | 11.1 |
| H2 | H4 | 56.0 |
| H4 | H2 | 65.6 |
| H2 | H5 | 30.7 |
| H5 | H2 | 18.8 |
| H2 | H6ab | 5.40 |
| H6ab | H2 | 2.58 |
| H3 | H3 | -4120 |
| H3 | H4 | 155 |
| H4 | H3 | 152 |
| H3 | H5 | 44.8 |
| H5 | H3 | 47.2 |
| H3 | H6ab | 213 |
| H6ab | H3 | 196 |
| H4 | H4 | -4630 |
| H4 | H5 | 62.6 |
| H5 | H4 | 55.7 |
| H4 | H6ab | 69.0 |
| H6ab | H4 | 69.6 |
| H5 | H5 | -4500 |
| H5 | H6ab | 207 |
| H6ab | H5 | 213 |
| H6ab | H6ab | -3990 |

Table A7.11: NOESY volumes of 4 recorded with a mixing time of 3 s in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :---: | :---: | :---: |
| H1Me | H1Me | -4690 |
| H1Me | H2 | 203 |
| H2 | H1Me | 194 |
| H1Me | H3 | 139 |
| H3 | H1Me | 134 |
| H1Me | H4 | 10.3 |
| H4 | H1Me | 13.7 |
| H2 | H2 | -4590 |
| H2 | H3 | -168 |
| H3 | H2 | -154 |
| H2 | H4 | 64.9 |
| H4 | H2 | 70.9 |
| H3 | H3 | -4610 |
| H3 | H4 | 127 |
| H4 | H3 | 138 |
| H3 | H5 / 6ab | 49.2 |
| H5 / 6ab | H3 | 46.4 |
| H4 | H4 | -4830 |
| H4 | H5 / 6ab | 137 |
| H5 / 6ab | H4 | 143 |
| H5 / 6ab | H5 / 6ab | -8910 |

Table A7.12: NOESY volumes of 5 recorded with a mixing time of 3 s in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :--- | :--- | :--- |
| H1Me | H 1 Me | -4870 |
| H1Me | H 2 | 256 |
| H2 | H 1 Me | 250 |
| H1Me | $\mathrm{H} 3 / \mathrm{H} 4 / \mathrm{H} 5$ | 166 |
| H3 / H4 / H5 | H 1 Me | 164 |
| H1Me | H 6 ab | -9.14 |
| H6ab | H 1 Me | -8.3 |
| H2 | H 2 | -4610 |
| H2 | $\mathrm{H} 3 / \mathrm{H} 4 / \mathrm{H} 5$ | 457 |
| H3 / H4 / H5 | H 2 | 474 |
| H2 | H 6 ab | -42.9 |
| H6ab | H 2 | -18.3 |
| H3 / H4 / H5 | $\mathrm{H} 3 / \mathrm{H} 4 / \mathrm{H} 5$ | -15100 |
| H3 / H4 / H5 | H 6 ab | 389 |
| H6ab | $\mathrm{H} 3 / \mathrm{H} 4 / \mathrm{H} 5$ | 372 |
| H6ab | H 6 ab | -5290 |

Table A7.13: NOESY volumes of 6 recorded with a mixing time of 3 s in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :---: | :---: | :---: |
| H1Me | H1Me | -3710 |
| H1Me | H2 | 206 |
| H2 | H1Me | 189 |
| H1Me | H3 | 78.8 |
| H3 | H1Me | 74.5 |
| H1Me | H4 | 146 |
| H4 | H1Me | 140 |
| H5 / H6ab | H1Me | 7.15 |
| H2 | H2 | -4340 |
| H2 | H3 | 121 |
| H3 | H2 | 129 |
| H4 | H2 | 66.3 |
| H2 | H5 / H6ab | 29.1 |
| H5 / H6ab | H2 | 16.3 |
| H3 | H3 | -4490 |
| H3 | H4 | 130 |
| H4 | H3 | 124 |
| H3 | H5 / H6ab | 83.2 |
| H5/ H6ab | H3 | 75.7 |
| H4 | H4 | -4190 |
| H4 | H5 / H6ab | 96.6 |
| H5 / H6ab | H4 | 68.9 |
| H5 / H6ab | H5 / H6ab | -8460 |

Table A7.14: NOESY volumes of 7 recorded with a mixing time of 3 s in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :--- | :--- | :--- |
| H1Me | H 1 Me | -3240 |
| H1Me | H 2 | 160 |
| H2 | H 1 Me | 166 |
| H1Me | $\mathrm{H} 3 / \mathrm{H} 6 \mathrm{ab}$ | 125 |
| H3 / H6ab | H 1 Me | 121 |
| H1Me | H 4 | 7.48 |
| H4 | H 1 Me | 7.46 |
| H2 | H 2 | -3490 |
| H2 | $\mathrm{H} 3 / \mathrm{H} 6 \mathrm{ab}$ | 143 |
| H3 / H6ab | H 2 | 136 |
| H2 | H 4 | 41.5 |
| H4 | H 2 | 36.8 |
| H3 / H6ab | $\mathrm{H} 3 / \mathrm{H} 6 \mathrm{ab}$ | -7110 |
| H3 / H6ab | H 4 | 85.2 |
| H4 | $\mathrm{H} 3 / \mathrm{H} 6 a b$ | 92.3 |
| H3 / H6ab | H 5 | 237 |
| H5 | $\mathrm{H} 3 / \mathrm{H} 6 a b$ | 221 |
| H4 | H 4 | -3660 |
| H5 | H 5 | 137 |
| H5 | -3560 |  |

Table A7.15: NOESY volumes of 8 recorded with a mixing time of 3 s in $\mathrm{CDCl}_{3}$.

| Resonance 1 | Resonance 2 | Volume [AU] |
| :--- | :--- | :--- |
| H1Me | H1Me | -1920 |
| H1Me | H 2 | 59.7 |
| H2 | H 1 Me | 56.3 |
| H1Me | $\mathrm{H} 3 / \mathrm{H} 6 \mathrm{ab}$ | 43.8 |
| H3 / H6ab | H 1 Me | 40.5 |
| H1Me | H 4 | 6.54 |
| H2 | $\mathrm{H} 3 / \mathrm{H} 6 \mathrm{ab}$ | 37.6 |
| H2 | H 4 | 14.2 |
| H3 / H6ab | $\mathrm{H} 3 / \mathrm{H} 6 \mathrm{ab}$ | -2390 |
| H3 / H6ab | H 5 | 55.3 |
| H5 | $\mathrm{H} 3 / \mathrm{H} 6 \mathrm{ab}$ | 36.3 |
| H4 | H 4 | -1330 |
| H4 | H 5 | 34.4 |
| H5 | H 4 | 36.3 |
| H5 | H 5 | -1200 |

## 8 Conclusion and Outlook

In this thesis, we investigated different approaches to harness the information content of experimental data, mainly from NMR spectroscopy, through combination with computational approaches such as classical MD simulations and DFT calculations. By doing so, we could gain a better understanding of the relationship between the constitution of the conformational ensemble in solution and the associated properties.

In Chapter 2, we investigated the conformational behavior and ionophoric properties of the anthelmintic octadepsipeptides PF1022A, emodepside, and related compounds. We could show that the symmetric core conformation has a higher flexibility on the microsecond to millisecond time scale compared to the asymmetric core conformation, both in NMR and in kinetic models constructed from extensive MD data. The fact that the two approaches independently lead to the same findings simultaneously validates the MD model and aids the mechanistic interpretation of the NMR data. This exemplarily shows the power of the combination of MD and NMR. In addition, we found that the difference in anthelmintic activity between PF1022A and emodepside cannot be directly related to a difference in the conformational behavior or their capability to act as an ionophore. In general, it would be interesting to investigate the extent to which ion binding occurs in other cyclic peptides and whether there is a relationship with permeability. Further, the cavitand-like artifact structure observed in our MD simulations would be a suitable model system to assess whether MD with a polarizable force field would be able to describe the system more accurately.

In Chapter 3, we investigated whether the stabilizing effect from intramolecular side-chain hydrogen bonds of Asm residues, as seen for the $\beta^{6.3}$-helix of the natural product pTB , can be transferred to other molecular systems. The stabilizing effect for GramA-Asm observed in MD simulations could not be confirmed by NMR experiments. ${ }^{23} \mathrm{Na}$ spectra revealed that the $\beta^{6.3}$ helical conformation was also not adopted in SDS micelles, while the wild-type GramA is known to do that. As an alternative model system, the two cyclic octapeptides Asm-1 and Asn-1 were explored. The four expected dimer variants were observed for both peptides in MSMs constructed from extensive MD simulations. As hypothesized, the side-chain $N$-methylation appears to stabilize the dimer arrangement that is able to form an additional hydrogen bond between the monomers. In preliminary NMR experiments, exchange with the solvent of the side-chain amide was observed for Asn-1, whereas no exchange could be detected for Asm-1. While these preliminary results are encouraging, more experiments are needed for a clear conclusion.

Especially dissociation studies could provide more insights. Additional material necessary for these experiments is currently synthesized.

In Chapter 4, we presented a new set of precise RDC data for cyclosporin A recorded in a crosslinked PMMA gel swollen in chloroform. All one-bond CH and NH RDCs as well as the two-bond homonuclear RDCs of the methylene groups could be determined. To the best of our knowledge, this is the largest set of RDCs reported for cyclosporin A to date. Interestingly, we found that two ensembles obtained from MDOC simulations starting from different crystal structures both reproduce the experimental RDCs within their experimental errors, despite the fact that they differ in the configuration of one peptide bond. This indicates that even the entire set of one-bond CH and NH RDCs does not provide enough information to unambiguously describe the conformational ensemble of cyclosporin A. For future studies, the set of RDC data could be combined with J-coupling information as well as with NOE-derived distances to increase the restraint density.

In Chapter $5,{ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts of 35 small and rigid organic molecules were measured under standardized conditions in $\mathrm{CDCl}_{3}$ and in $\mathrm{CCl}_{4}$. The comparison of the experimental chemical shifts in $\mathrm{CCl}_{4}$ and $\mathrm{CDCl}_{3}$ clearly showed that distinct solvent effects are present even in such apolar environments. Especially the ${ }^{13} \mathrm{C}$ shifts of carbons in polar groups are affected. The set of chemical shifts collected in this study provides valuable reference data to validate and compare different DFT methods especially with respect to improved implicit solvent models. In future studies, it will be interesting to see whether the agreement with experimental shifts improves if the geometries of our rigid reference molecules are also optimized using an implicit solvent model.

In Chapter 6, we presented the NOVAS approach and investigated the use of information obtained from NOESY spectra recorded beyond the linear build-up regime to differentiate between stereospecific assignments of methylene protons. With NOVAS, no transformation of the volumes to distances is necessary anymore and one can directly compare a computer-generated ensemble to the primary experimental NOE data.

In Chapter 7, we aimed to assign the relative configuration of eight flexible diastereomers of a trichlorinated-hexa-1-3-diol based on a comparison between DFT calculated and experimental ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts, NOESY spectra, as well as IR spectra. When the calculated data was compared to each diastereomer individually, six out of eight diastereomers were correctly identified based on ${ }^{13} \mathrm{C}$ shifts, whereas only two could be correctly identified based on ${ }^{1} \mathrm{H}$ shifts. Combination of the two shifts resulted in correct identification of seven out of eight diastereomers. To safely identify all individual diastereomers, a combination with other
independent data (.e.g., J-couplings and IR ) would be necessary. We also investigated whether the diastereomers can be assigned with the NOVAS approach presented in Chapter 6. In this case, all eight diastereomers were correctly identified with likelihoods $>90 \%$ for each individual diastereomer. A combination of chemical shifts and NOESY data gave even higher likelihoods of $>99.6$ \% for the correct assignment of each individual diastereomer. Making use of the fact that data is available for all eight diastereomers, a likelihood of $>99.99 \%$ was obtained for the correct assignment of the whole set of experimental data. To evaluate the full potential of NOVAS, more NOESY data for challenging sets of diastereomers will be needed. Based on the IRSA algorithm, five out of seven measurable diastereomers were identified correctly. The information obtained from IR seems to be complementary to the chemical shift data. It will be necessary to develop an approach for translating the IRSA alignment score into an assignment probability, such that it can be combined with the spectroscopic data from NMR in a statistically rigorous manner.

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[^1]:    *The following semester, bachelor and master students contributed to this chapter. Stephan Feusi, Dénes Tary and Monique Kuonen: Optimization of compression device and cross-linked polymer preparation. Hristo Bonchev: Preparation of final PMMA and NMR measurements of cyclosporin A in solution and in PMMA gel.

[^2]:    * Chantal Balmer contributed in the measurement of the NMR data presented in this chapter during her semester project in our group.

