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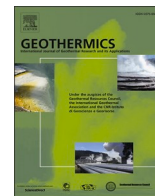
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# Numerical analysis and optimization of the performance of CO<sub>2</sub>-Plume Geothermal (CPG) production wells and implications for electric power generation

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## ABSTRACT

CO<sub>2</sub>-Plume Geothermal (CPG) power plants can produce heat and/or electric power. One of the most important parameters for the design of a CPG system is the CO<sub>2</sub> mass flowrate. Firstly, the flowrate determines the power generated. Secondly, the flowrate has a significant effect on the fluid pressure drawdown in the geologic reservoir at the production well inlet. This pressure drawdown is important because it can lead to water flow in the reservoir towards and into the borehole. Thirdly, the CO<sub>2</sub> flowrate directly affects the two-phase (CO<sub>2</sub> and water) flow regime within the production well. An annular flow regime, dominated by the flow of the CO<sub>2</sub> phase in the well, is favorable to increase CPG efficiency. Thus, flowrate optimizations of CPG systems need to honor all of the above processes. We investigate the effects of various operational parameters (maximum flowrate, admissible reservoir-pressure drawdown, borehole diameter) and reservoir parameters (permeability anisotropy and relative permeability curves) on the CO<sub>2</sub> and water flow regime in the production well and on the power generation of a CPG system. We use a numerical modeling approach that couples the reservoir processes with the well and power plant systems. Our results show that water accumulation in the CPG vertical production well can occur. However, with proper CPG system design, it is possible to prevent such water accumulation in the production well and to maximize CPG electric power output.

## 1. Introduction

In the current era of global energy transition to clean and sustainable energy and to address the challenges posed by global climate change, carbon dioxide (CO<sub>2</sub>) capture and storage (CCS) in deep saline aquifers and depleted oil and gas reservoirs is widely considered a significant means to reduce CO<sub>2</sub> emissions to the atmosphere (e.g. IPCC, 2005, 2014). One of the promising technologies that supports shifting the world's energy generation to renewables, in this case geothermal energy, while at the same time enabling the safe removal and storage of captured CO<sub>2</sub> in the subsurface, is the concept of CO<sub>2</sub>-Plume Geothermal (CPG) power generation, introduced by Randolph and Saar (2011).

CPG involves the injection of (supercritical) CO<sub>2</sub> from an emitter into existing, naturally porous and permeable geologic formations for geothermal energy recovery and eventually permanent geologic storage of the originally injected CO<sub>2</sub>, constituting a CO<sub>2</sub> capture, utilization and

storage (CCUS) technology. The naturally porous and permeable formations required for CPG are common throughout the world and are seen to exist where economically favorable storage sites have been identified (IPCC, 2005; Coleman Jr. and Cahan, 2012; Procesi et al., 2013; Eccles and Pratson, 2014).

During the CPG approach, the subsurface-injected CO<sub>2</sub> is geothermally heated as it flows through the reservoir. Some of the heated CO<sub>2</sub> is produced back to the land surface and can be used for direct heat utilization and/or electric power generation in a direct CPG turbomachinery power plant (Adams et al., 2015; Ezekiel et al., 2020; 2021). Thereafter, the CO<sub>2</sub> is cooled, any water removed, and the dry CO<sub>2</sub> reinjected into the CO<sub>2</sub> storage reservoir. The general CPG system design, and its variations, have been discussed in detail in multiple publications since Randolph and Saar (2011), including in Adams et al. (2014, 2015, 2021b), Ezekiel et al. (2020, 2021), and Garapati et al. (2015, 2020). Using CO<sub>2</sub> as the subsurface working fluid to extract

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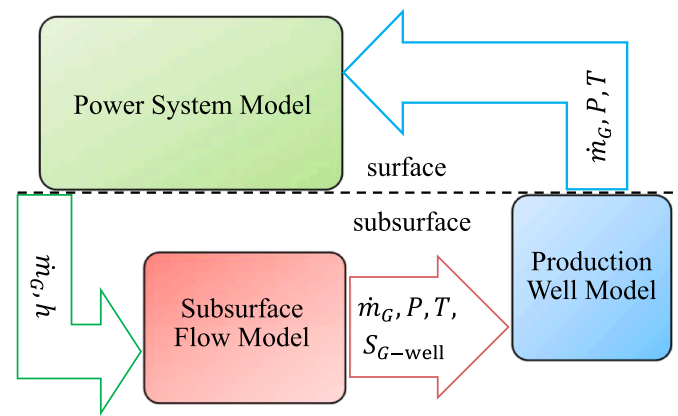
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energy has several advantages over traditional water or brine. Under the conditions of interest, supercritical CO<sub>2</sub> (scCO<sub>2</sub>) has a much lower kinematic viscosity than water or brine. As a result, CO<sub>2</sub> mass flowrates, and thus advective energy extraction rates, through the reservoir are accordingly higher than those when subsurface water or brine are employed for geothermal energy extraction, all else (e.g. injection-to-production-well fluid pressure gradient as well as reservoir depth, temperature, transmissivity) being equal (Randolph and Saar, 2011; Garapati et al., 2015; Adams et al., 2015; 2021b; Fleming et al., 2020). This kinematic viscosity effect is the main reason for the approximate doubling of electricity generation for CPG under typical (base-case) conditions, compared to hydrothermal electricity generation, as shown for example by Randolph and Saar (2011) and Adams et al. (2015). Additionally, the higher thermal expansivity of scCO<sub>2</sub>, compared to liquid water or brine, results in a so-called thermosiphon effect that reduces or eliminates parasitic pumping power requirements (Atrens et al., 2009; Adams et al., 2014).

Previous CPG analyses (Randolph and Saar, 2011; Garapati et al., 2015; Adams et al., 2014, 2015, 2021b) as well as CO<sub>2</sub>-based Enhanced Geothermal System (EGS) studies (Brown, 2000; Pruess, 2008, 2006; Atrens et al., 2009) focused on subsurface heat transfer or surface components of the system without accounting for the effect of liquid water entering the production well on CO<sub>2</sub> production and circulation. The pre-test modeling of the first field-scale experiment of a CO<sub>2</sub>-thermosiphon (to test the concept of supercritical CO<sub>2</sub> heat extraction from the subsurface) conducted at the South Eastern Regional Partnership for Carbon Sequestration (SECARB) Cranfield Site (Mississippi, USA) initially predicted a sustainable thermosiphon should be possible at the site. However, this particular field test showed that its thermosiphon (initiated by venting the production well) decayed quickly and could not be sustained (Freifeld et al., 2016; Pan et al., 2015, 2018). They postulated that liquid water entering the production well could be one of the important factors damping the CO<sub>2</sub> thermosiphon flowrate.

Most gas production wells have liquid (water) entering the well. If the gas velocities are not high enough, the water accumulates, forming slugs. Such slug formation may cause the overall fluid density to increase in the production well. The higher density increases the bulk weight of fluids in the production well, resulting in decreased flow (velocity) for a given pressure gradient. This transient process, called liquid loading, continues until the well is filled with water. To remove the liquid water in a gas production well, the oil and gas industries apply artificial lift and/or pumping (Lea et al., 2008). Also, they usually use small-diameter production pipes for gas production, which reduces the probability of slug or churn flow in the production well. In contrast, for conventional geothermal energy extraction (using water as the subsurface working fluid), large-diameter production wells are preferred in order to ensure large mass flowrates and minimize heat loss. In CPG systems, brine and CO<sub>2</sub> are typically present in the partially CO<sub>2</sub>-saturated reservoir around the injection and production well regions with varying ratios of water–CO<sub>2</sub> saturation. As such, the produced fluid may contain a mixture of water and CO<sub>2</sub>. However, large amounts of water in the CPG production well can be detrimental to the performance of the well and the CPG power plant, which may ultimately reduce the efficiency of the CO<sub>2</sub>-based geothermal energy system (Freifeld et al., 2016; Pan et al., 2018).

Water influx into the production well, added to any water that exothermally exsolves (increasing the power generation of CPG systems) from the CO<sub>2</sub> as the CO<sub>2</sub> rises in the production well (Fleming et al., 2020), also poses a problem because the produced water must be removed before CO<sub>2</sub> reinjection into the reservoir (Garapati et al., 2015). The removed water must then be disposed of at the land surface or reinjected elsewhere, which, among other concerns, may significantly reduce the CO<sub>2</sub> mass flowrate. Therefore, for successful CPG deployment, it is important to investigate the optimal fluid pressure drawdown, fluid flowrate, and production well pipe diameter to:



**Fig. 1.** Numerical modeling concept. The boxes represent separate models, while the arrows represent the information that is passed between the models (pressure,  $P$  [Pa], temperature,  $T$  [°C], volume fraction of CO<sub>2</sub> in the borehole,  $S_{G-well}$  [-], CO<sub>2</sub> mass flowrate,  $\dot{m}_G$  [kg/s], and CO<sub>2</sub> specific enthalpy,  $h$  [J/kg]). The injection well is not modeled.

- Reduce the tendency of liquid water to enter the production well,
- Avoid slug/churn flow and liquid loading in the production well, and
- Minimize heat and pressure losses as the fluid moves up to the wellhead.

The CO<sub>2</sub> flowrate in the production well is an important factor in the above, as it determines:

- How much liquid water is drawn into the production well, i.e. water upconing.
- Whether the water entering the well can accumulate in the well, and
- How large the achievable power output is.

In prior CPG studies, the production mass flowrate has either been chosen arbitrarily (e.g. Garapati et al., 2015; Randolph and Saar, 2011) or has been based on a power-flowrate analysis to maximize net power generation (e.g. Adams et al., 2015, 2021b). The most important parameters for such an analysis include reservoir depth, temperature, permeability, and thickness as well as well diameter and well spacing (Adams et al., 2021b). However, minimizing the amount of liquid water in the production well is an additional constraint that likely requires consideration when determining optimal CO<sub>2</sub> circulation flowrates of CPG systems.

Hence, the objective of this study is to investigate the fluid flow performance of the CPG production well for different reservoir and CPG operational conditions. In that regard, we employ a coupled flow (reservoir and production well) and power generation model to determine possible factors that may influence the flow regimes and potential water accumulation rates in the CPG production well, and the power generation performance of CPG systems. We also present insights into the failure of the Cranfield (Mississippi, USA) CO<sub>2</sub> thermosiphon field test, conducted in January 2015, due to liquid water occurrence in the production well.

## 2. Numerical modeling concept

The Introduction section includes references to various CPG system designs. Here, the CPG system is simulated employing several numerical models coupled sequentially to each other by passing relevant model output from one component to the next, as shown in Fig. 1. The subsurface flow model describes the two-phase flow of CO<sub>2</sub> and brine in the reservoir. The production well model determines how the conditions in the well change as the fluid moves upwards. The power-system model calculates the electric power output. In the following sections, each

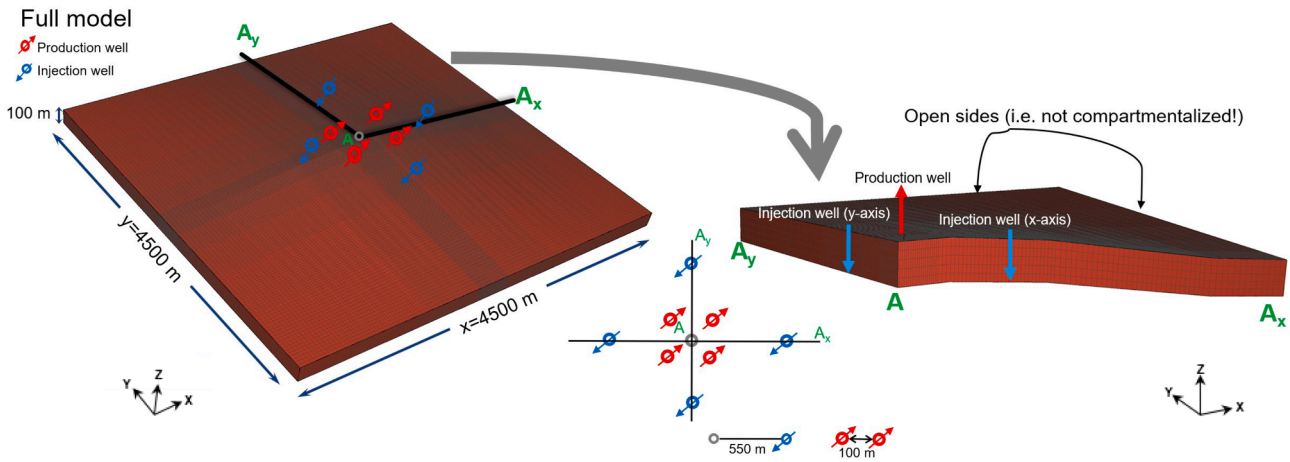


Fig. 2. The full model (left) and the symmetric quarter model (right), showing the location of the production and injection wells. Note that the overlying, impermeable caprock is not shown. The lateral sides of the model are open (i.e. the reservoir is not compartmentalized). The injection (blue) to production (red) well distance is 500 m.

Table 1  
Parameters for the base case reservoir model.

Parameter	Value
Reservoir size [km x km x km]	4.5 × 4.5 × 0.1
Depth [km]	2.5
Porosity [-]	0.20
Horizontal permeability, $k_h$ [m <sup>2</sup> ]	10 <sup>-13</sup> (100 mD)
Thickness [m]	100
Reservoir initial pressure [Pa]	Hydrostatic (25 MPa at the top of the reservoir)
Reservoir initial temperature [ °C]	100
Initial CO <sub>2</sub> mass fraction	0.025 (dissolved in brine)
Residual CO <sub>2</sub> saturation [-]	0.10
Residual brine saturation [-]	0.25
van Genuchten parameters $\alpha$ [Pa, m [-]	3 × 10 <sup>3</sup> , 0.77
Native brine NaCl saturation [ppm]	150,000
Molecular diffusivity in gas; in liquid water [m <sup>2</sup> /s]	10 <sup>-5</sup> ; 10 <sup>-10</sup>
Rock grain density [kg/m <sup>3</sup> ]	2650
Thermal conductivity $\lambda_{wet}$ , $\lambda_{dry}$ [W/(m °C)] *	2.51, 1.6
Rock specific heat capacity [J/(kg °C)]	1000
Geothermal gradient [ °C/km]	37
Rock compressibility [1/Pa]	10 <sup>-10</sup>
CO <sub>2</sub> injection specific enthalpy [J/kg] **	2.4 × 10 <sup>5</sup>
Injection-production well distance [m]	~500
Lateral boundary conditions of the reservoir	Hydrostatic pressure; 100 °C (Dirichlet boundary conditions).
Top and bottom boundary conditions of the reservoir	No fluid flow and no heat flux.
Initial conditions	Hydrostatic equilibrium, no heat flow, pore space entirely occupied by brine.

\*  $\lambda_{wet}$  and  $\lambda_{dry}$  are formation heat conductivity under fully water-saturated and fully gas-saturated conditions, respectively. Here, Somerton's interpolation formula for heat conductivity,  $\lambda$ , as a function of water saturation,  $S_w$ , is used, i.e.  $\lambda(S_w) = \lambda_{dry} + (S_w^{0.5}[\lambda_{wet} - \lambda_{dry}])$  (Somerton, 1992).

\*\* Estimated given the average pressure and temperature of CO<sub>2</sub> at the injection wellhead, determined from the power plant model in Section 2.3.

model and the interfaces between the models are described.

### 2.1. Subsurface flow model

We set up a generic three-dimensional, homogeneous, axisymmetric geothermal reservoir model comprising a brine-saturated aquifer

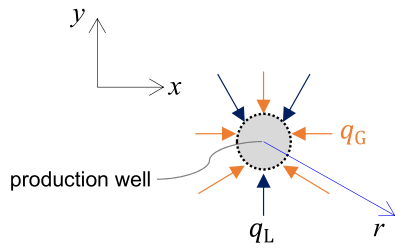
formation with an anticlinal structure (Fig. 2). The model's geometry and well configuration is similar to the one used in a previous study (Ezekiel et al., 2020). The aquifer formation is bounded by impermeable bedrock and caprock formations. The properties of the geothermal reservoir model are given in Table 1. This reservoir model serves as an initial, conceptual, small-scale system having only four production wells.

The numerical reservoir simulator employed in this study is TOUGH2 (Pruess et al., 2012) with the fluid property module "ECO2N" to provide fluid properties for water and CO<sub>2</sub> (Pruess and Spycher, 2007). The pressure at the bottom of the well (screened interval), which is a function of the wellbore flowrate, is determined using the Thiem approximation (Coats, 1977; Pruess et al., 2012).

In this study, the numerical simulation consists of two stages. The first stage is called the CO<sub>2</sub> plume establishment (PE) stage. During this first stage, CO<sub>2</sub> is injected into the reservoir, displaces brine and develops the CO<sub>2</sub> plume. This stage is crucial since a sufficient amount of CO<sub>2</sub> in the reservoir is necessary to minimize water upconing at the production well once production commences. During the PE stage, the production wells are shut in and CO<sub>2</sub> is injected at a fixed rate of 30 kg/s/well. This value is chosen to coincide with the CO<sub>2</sub> production rate during the CPG stage (described in the next paragraph). For the base-case model, the PE stage is complete when the CO<sub>2</sub> plume at the production-well region has achieved a pore-space CO<sub>2</sub> saturation of 55.0%.

Once the CO<sub>2</sub> saturation around the production well reaches 55.0%, the CPG stage begins. During this stage, the production wells are open, and a maximum fluid extraction rate at the production well is set. However, the pressure decrease at the production well downhole element due to fluid production is not allowed to surpass 7 MPa. This results in flowrates that are initially low, but gradually increase over several years until the maximum is attained. To determine the flowrate to set, we use a simplified power-to-mass-flowrate model (Adams et al., 2015), described in the Appendix section. The chosen base-case flowrate of 120 kg/s (i.e. 30 kg/s/well) is close to the optimum in terms of power (see Fig. A1). This value will be varied in Section 3.3.1. For this study, the simulation of the CPG stage is set to run for about 40 years in total, which is within the lifespan of power plants. At the land surface, the geothermally heated CO<sub>2</sub> (and possibly some water/brine if not yet removed) is run through a turbine to generate electric power. Thereafter, the CO<sub>2</sub> is cooled/condensed and reinjected into the original reservoir. Any produced water/brine is removed, using a water-CO<sub>2</sub> separator, before the cooled CO<sub>2</sub> is reinjected into the reservoir. The question of disposing of the separated brine, whether at the land surface





**Fig. 3.** Top view of the reservoir– well interface. The fluxes of liquid water,  $q_L$ , and supercritical/gaseous  $CO_2$ ,  $q_G$ , into the well depend on the mobility of each phase, the horizontal reservoir permeability and the fluid pressure gradient.

or in a different subsurface location, may not be trivial.

## 2.2. The production wellbore model

### 2.2.1. Influx of fluids into the borehole

Most gas production wells produce at least some liquid water. When liquid water enters the well with the flowing gas, the gas can carry the water up the well if the velocity of the gas is high enough. If the gas velocity is below the critical minimum velocity required to drag the water droplets out of the production well, then water will accumulate in the production well and liquid loading may eventually occur, which may reduce the productivity and the lifetime of the well. Liquid loading will also increase the pressure drop in the wellbore due to hydrostatic pressure contributions of the flowing fluids (weight of the gas and the accumulated liquid in the wellbore).

In order to assess the relative amounts of free-phase supercritical  $CO_2$ , acting essentially like a gas, versus free-phase liquid water entering the inlet of the production well, consider Fig. 3, which shows the top view of the screened interval of the production well. From Darcy’s law, there is a fluid flux,  $q_\alpha$  [m/s], of Phase  $\alpha$  from the reservoir into the borehole due to the radial fluid pressure gradient near the borehole. If one neglects capillary pressure, i.e. assumes  $P_L \approx P_G$ , then the relative liquid water flux into the well can be approximated by

$$\frac{q_L}{q_L + q_G} \approx \frac{\lambda_L}{\lambda_L + \lambda_G}, \quad (1)$$

where the mobility of Phase  $\alpha$  is given by  $\lambda_\alpha = \frac{k_{r\alpha}}{\mu_\alpha}$ . Here,  $k_{r\alpha}$  and  $\mu_\alpha$  are relative permeability [-] and dynamic viscosity [Pa·s] of Phase  $\alpha$ , respectively. Phase  $\alpha$  can either be liquid water (L) or supercritical/gaseous  $CO_2$  (G). Note that this assumption may lead to inaccuracies for low liquid water saturations in the reservoir.

Given the relative fluxes into the well, one can estimate the volume fraction of liquid water,  $S_{L-well}$ , and the volume fraction of supercritical  $CO_2$ ,  $S_{G-well}$ , at the bottom of the production well,

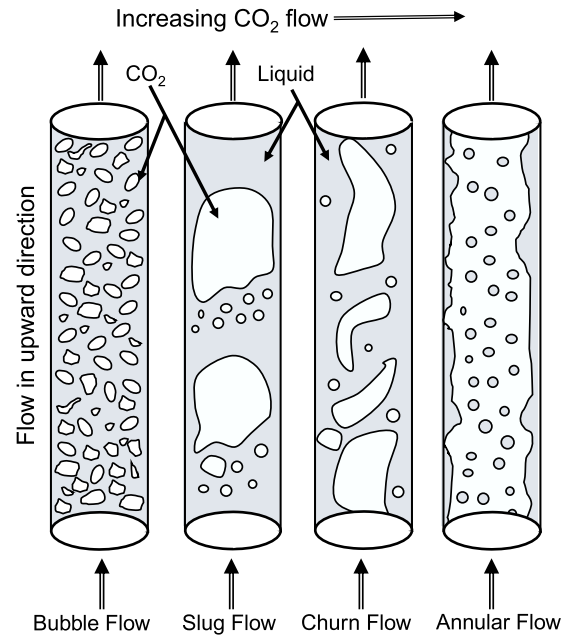
$$S_{L-well} = \frac{q_L}{q_L + q_G}, \quad (2)$$

$$S_{L-well} \approx \frac{\lambda_L}{\lambda_L + \lambda_G} \text{ and } S_{G-well} \approx \frac{\lambda_G}{\lambda_L + \lambda_G}. \quad (3)$$

As shown in Eq. (1), the mobilities of the phases, and consequently  $S_{\alpha-well}$ , depend on the relative permeabilities and the viscosities of the phases. The relative permeabilities are functions of the phase saturations in the reservoir rock surrounding the well. The corresponding mass fractions,  $M_\alpha$ , defined as the ratio of the mass flowrate of each phase,  $\dot{m}_\alpha$  [kg/s], entering the well to the total mass flowrate,  $\dot{m}$  [kg/s], are

$$M_L = \frac{S_{L-well} \cdot \rho_L}{S_{L-well} \cdot \rho_L + S_{G-well} \cdot \rho_G} \quad (4)$$

and



**Fig. 4.** Two-phase (gas, approximated by supercritical/gaseous  $CO_2$ , and liquid, represented by water or brine here) flow regimes in a vertical production well (modified from Yadigaroglu et al., 2018).

$$M_G = \frac{S_{G-well} \cdot \rho_G}{S_{L-well} \cdot \rho_L + S_{G-well} \cdot \rho_G}, \quad (5)$$

where  $\rho_L$  and  $\rho_G$  are the densities [kg/m<sup>3</sup>] of the liquid and gas phases, respectively. For the evaluation of flow conditions in the borehole, the superficial velocities of the fluid phases,  $U_{s,\alpha}$  [m/s], are required. These can be calculated from the information regarding the fluid influx into the well,

$$U_{s,\alpha} = \frac{Q_\alpha}{A} = \frac{\dot{m}_\alpha}{\rho_\alpha A}, \quad (6)$$

where  $Q_\alpha$  [m<sup>3</sup>/s] is the volumetric flowrate of Phase  $\alpha$  and  $A$  [m<sup>2</sup>] is the cross-sectional area.

### 2.2.2. Determining the two-phase flow regimes in the production well

The two-phase ( $CO_2$  and water) flow regime in a vertical CPG production well is determined by the velocity and the relative amounts of the fluid phases in the production well. The four basic flow regimes in a vertical well are – in order of decreasing water content – bubble, slug, churn, and annular flow, as depicted in Fig. 4. For a CPG production well, annular flow is the desired flow regime since it means that the volume fraction of  $CO_2$  in the production well is high and the pressure gradient in the production well is relatively low. Annular flow is important for the density-driven thermosiphon effect because it favors the production of predominantly less-dense  $CO_2$  over water at the land surface, compared to the other flow regimes, associated with a larger water component (thus high density of the produced fluid) at the production wellhead. Annular flow occurs at high gas flowrates. The gas flows upwards in the center of the well as a continuous phase, and any liquid in the well is carried upwards, entrained in the gas as liquid droplets or a mist. If the gas flowrate is not high enough, the droplets fall, accumulate at the bottom of the well, and the flow regime transitions to a slug/churn flow pattern.

We adopt the models of Taitel et al. (1980) for determining the steady-state two-phase upward flow regimes in vertical pipes for our  $CO_2$ –water system of fluids. Taitel’s model gives distinctive flow-pattern transitions for the four flow regimes that can exist in a vertical pipe.

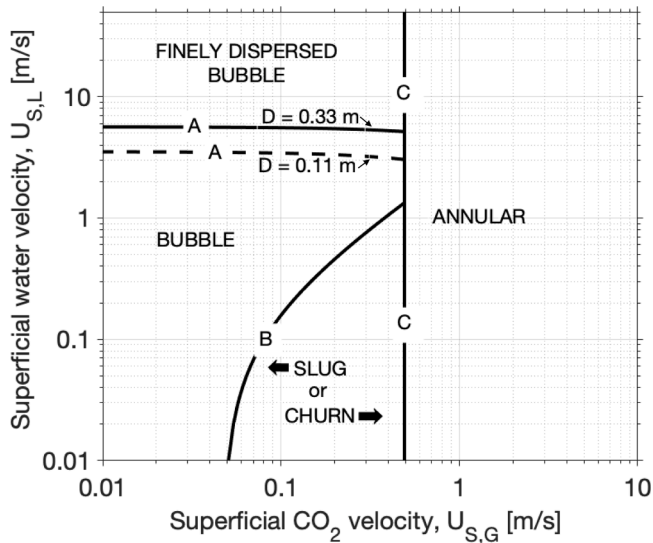


Fig. 5. Flow pattern regimes for vertical production well examples with 0.11 m and 0.33 m pipe diameters,  $D_w$ , for the fluid (brine and  $CO_2$ ) properties, given by our base-case reservoir conditions of 100 °C, 25 MPa, and 0.15 salinity. Note that only the transition boundary between “finely dispersed bubbles” to “bubbles” depends on the production well pipe diameter.

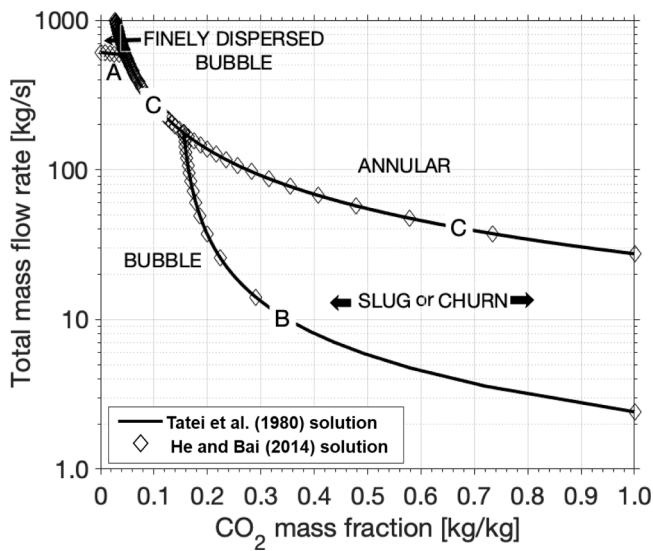
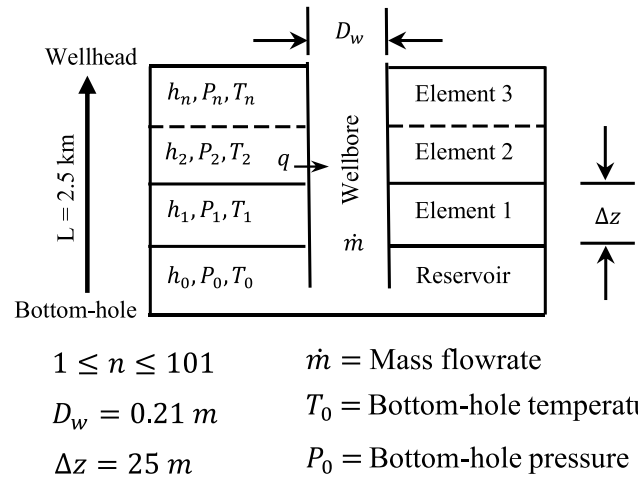


Fig. 6. Flow pattern regimes, denoted by total mass flowrate (of  $CO_2$  and brine with 0.15 salinity) and the mass fraction of  $CO_2$  under our base-case conditions of 100 °C and 25 MPa, with a production well pipe diameter of 0.33 m.

These depend on the flowrates, the fluid properties, and the cross-sectional area of the well. We plot the transition boundaries between three basic  $CO_2$ -water flow regimes in Fig. 5.

Fig. 6 is a semi-log plot of total mass flowrate against the  $CO_2$  mass fraction. The figure shows the flow-pattern transitions for this study’s base-case fluid properties and a relatively large well pipe diameter of 0.33 m as an example. The calculations are carried out using the conditions near the inlet of the production well. We consider this to be the area with the highest amount of water by volume because, as the fluids rise in the well, the fluid pressure decreases, leading to a significantly greater expansion of the supercritical/gaseous  $CO_2$  than the liquid water and hence a reduction of the volume fraction of water. Hence, we expect the bottom of the well to have the highest volume fraction of free-phase liquid water that originally entered through the well screen. Exsolution of water from  $CO_2$  can take place during the ascent of  $CO_2$ , that



$1 \leq n \leq 101$        $\dot{m}$  = Mass flowrate  
 $D_w = 0.21 \text{ m}$        $T_0$  = Bottom-hole temperature  
 $\Delta z = 25 \text{ m}$        $P_0$  = Bottom-hole pressure

Fig. 7. Schematic of the one-dimensional well model (not to scale), where  $h$ ,  $P$ , and  $T$  are the enthalpy, pressure, and temperature, respectively, at each of the 25m-long elements, and  $q$  is the heat transfer function of the wellbore model.

originally contained dissolved water, towards the production wellhead (Fleming et al., 2020). However, we ignore this likely minor addition of exsolved, free-phase liquid water here.

In Fig. 6, the solid curves are results obtained by using the flow pattern transition equations from Taitel et al. (1980), while the diamond points are the results obtained by using the equations from He and Bai (2014). The interfacial tension between  $CO_2$  and brine is calculated to be approximately 0.033 N/m (Bachu and Bennion, 2009). The transition curves change significantly with the well pipe diameter. The smaller the well pipe diameter, the lower the minimum flowrate required to achieve annular flow. When the pipe diameter is reduced from 0.33 m (Fig. 6) to 0.11 m, the minimum  $CO_2$  flowrate, required to achieve annular flow, significantly decreases from 25 kg/s to 3 kg/s.

### 2.2.3. Flow and heat transport in the production well

In this study, we implement a simple one-dimensional vertical wellbore model to determine the final temperature and pressure of the produced fluid at the production wellhead. The bottom-hole boundary conditions are defined as the reservoir pressure, temperature, total mass flowrate of the fluid at any given time during fluid production. These are the input values for the wellbore model calculation, as presented in Fig. 1. Brine property values are determined from the relationships provided by Haas (1976) and Phillips et al. (1981) for density and viscosity calculations, respectively.

We set up a vertical production well (2500 m long), which is divided into 100 equal elements Fig. 7). We develop the model in MATLAB using the CoolProp-MATLAB wrapper (Bell et al., 2014) for the iterative calculation of the thermodynamic properties of the fluid components, using the standard equations of state (Bell et al., 2014; Bell and Jäger, 2016). We implement the methodology of Adams et al. (2015) to numerically calculate the fluid state in the production well across each 25m-long vertical well element,  $\Delta z$ , as the fluid flows up inside the well as shown in Fig. 7. This is based on energy, mass – Eqs. (7) and (8) – and momentum conservation equations with which the superficial velocity and temperature of  $CO_2$  are determined in the next-higher wellbore element,

$$h_i + \frac{U_{S,G,i}^2}{2} + gz_i = h_{i-1} + \frac{U_{S,G,i-1}^2}{2} + gz_{i-1} - \left[ (\pi \Delta z D_w) q / \dot{m}_G \right], \quad (7)$$

$$\dot{m}_G = \rho_{G,i-1} A U_{S,G,i-1} = \rho_{G,i} A U_{S,G,i}. \quad (8)$$

The subscript  $i$  denotes the element number, running from bottomhole to wellhead,  $g$  is gravitational acceleration, and  $q$  is the heat flux be-

**Table 2**  
Parameters for the wellbore and power plant models.

Parameters	Base case values
Well length [m]	2500
Well pipe diameter [m]	0.21
Wellbore flowing bottom-hole pressure [MPa]*	18
Productivity index [(m <sup>3</sup> )**]	$3.89 \times 10^{-12}$
Fluid components	CO <sub>2</sub> and Brine
Mean formation thermal conductivity [W/(m °C)]	2.51
Mean formation density [kg/m <sup>3</sup> ]	2650
Mean formation specific heat capacity [J/(kg °C)]	1000
Well pipe material and surface roughness [m]	Bare CR13; $55 \times 10^{-6}$ (Adams et al., 2015; Farshad and Rieke, 2006)
Power system	Direct CO <sub>2</sub> system – no pumping requirement
Direct turbine isentropic efficiency	0.78
Mean annual ambient air temperature [°C]	8.7
Condensing or cooling tower approach temperature [°C]	
CO <sub>2</sub> injection temperature at the surface [°C]	15

\* The wellbore flowing bottom-hole pressure,  $P_{wb}$ , is fixed at 18 MPa (for the base case) and the flowrate increases according to the set productivity index. At the maximum flowrate (fixed at 30 kg/s/well for the base case),  $P_{wb}$  varies and is calculated by  $\dot{m}_G = \frac{k_{rG}}{\mu_G} \rho_G \cdot PI \cdot (P_G - P_{wb})$  (Pruess et al., 2012).

\*\* The productivity index (PI) is calculated as  $PI = \frac{2\pi k_h dz}{\ln(r_e/r_w) - 3/4}$  (Pruess et al., 2012). The perforation layer thickness,  $dz$ , is 20 m, the well radius,  $r_w$ , is 0.105 m, and the skin influence is neglected. The effective grid block radius is  $r_e = \sqrt{A/\pi}$ , where  $A = 100 \text{ m}^2$  is the grid block area.

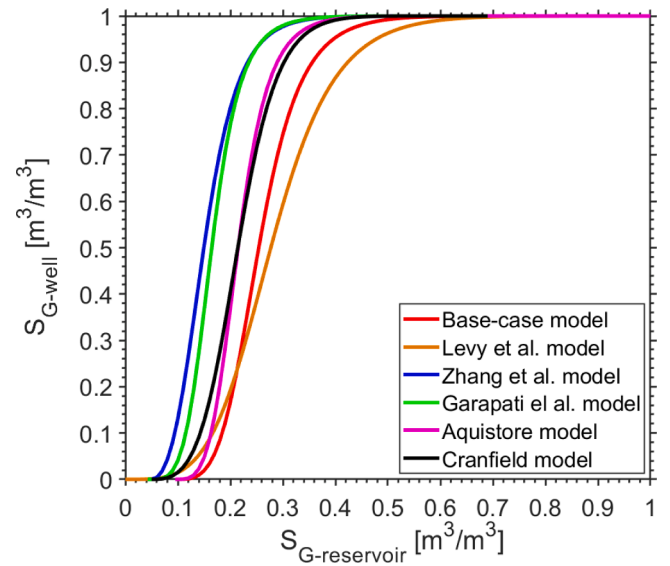
tween the wellbore and the surrounding rock. Note that the fluid experiences pressure losses due to friction, which are accounted for as described in Adams et al. (2015). The corresponding friction factor is chosen as in Adams et al. (2015). Hence, both specific enthalpy and pressure decrease as the fluid moves up inside the production well. For simplicity, we calculate the enthalpy for only the CO<sub>2</sub> phase, while assuming the liquid phase has negligible influence. This is justifiable when the flow in the wellbore is annular.

The heat flux,  $q$ , depends on the formation temperature distribution around the wellbore compared to the fluid temperature. The conductive heat exchange between the wellbore and the surrounding formation is calculated using the method proposed by Zhang et al. (2011). To keep our calculations simple, we make the following assumptions: (i) the thermal resistances between the cased well and the formation is negligible because of the high thermal conductivity of casing metals and (ii) vertical conductive heat flow within the formation is negligible (Zhang et al., 2011). Convective heat transfer for each well element is determined as presented by Randolph et al. (2012), using the assumption that convective heat transfer outside the wellbore is negligible because of the low-permeability, overlying caprocks.

The wellbore model provides the approximate values of the temperature and pressure of the produced fluid (in this case, only the CO<sub>2</sub> phase) as it reaches the wellhead, which also serve as the input values for calculating the enthalpy of the produced CO<sub>2</sub> phase, used for power generation calculations. The wellbore and power plant model parameters used for this study are presented in Table 2.

### 2.3. CPG power system model

The direct-CO<sub>2</sub> CPG system can be modeled in at least two ways: as a direct-CO<sub>2</sub> thermosiphon-only or as a direct-CO<sub>2</sub> pumped cycle, where the latter may yield somewhat more net power, however, this effect is typically not pronounced (Adams et al., 2014, 2015). Therefore, we model the simpler direct-CO<sub>2</sub> thermosiphon-only CPG system,



**Fig. 8.** The calculated CO<sub>2</sub> saturation in the production well,  $S_{G\text{-well}}$ , for a given CO<sub>2</sub> reservoir saturation in the pore space surrounding the production well inlet,  $S_{G\text{-reservoir}}$ , for different published reservoir models, i.e. the base-case model (this paper), Levy et al. model (Levy et al., 2018), Zhang et al. model (Zhang et al., 2016), Garapati et al. model (Garapati et al., 2015), Aquistore model (Guyant et al., 2015), and Cranfield model (Delshad et al., 2013).

employing the analysis presented in Adams et al. (2015). As no pump or compressor is used in a thermosiphon-only CPG system, the flow of CO<sub>2</sub> is entirely generated by the CO<sub>2</sub> density difference between the injection and production wells (Adams et al., 2014).

During the CPG stage, once the CO<sub>2</sub> reaches the land surface, via the production well, the supercritical/gaseous CO<sub>2</sub> component of the produced fluid is separated from the liquid water in a water-CO<sub>2</sub> separator. The separated CO<sub>2</sub> is expanded through a two-phase turbine, and power is generated via a generator. The CO<sub>2</sub> that has passed through the turbine is cooled and condensed to the liquid phase, using a cooler/condenser, and it is reinjected into the reservoir.

The electric power output of the turbine,  $P_t$  [W<sub>e</sub>], for the direct-CO<sub>2</sub> system, is calculated as the product of the CO<sub>2</sub> mass flowrate,  $\dot{m}_G$ , and the difference between the turbine inlet,  $h_{in}$ , and outlet,  $h_{out}$ , enthalpies of the fluid (Eq. (9)), where the outlet enthalpy is calculated using an isentropic turbine efficiency of  $\eta_{te} = 78.0\%$  (Ezekiel et al., 2020),

$$P_t = \dot{m}_G \cdot (h_{in} - h_{out}). \quad (9)$$

The net power,  $P_{net}$  [W<sub>e</sub>], generated by the direct system is then defined by

$$P_{net} = P_t - P_{co} - P_{pump}, \quad (10)$$

where  $P_{co}$  and  $P_{pump}$  are the parasitic cooling/condensing power and pump power, respectively, required to operate the power plant, where  $P_{pump} = 0$  for the thermosiphon-only CPG system considered here. The heat extraction rates of the cooling/condensing towers are equal to the products of the CO<sub>2</sub> mass flowrate and the difference between the fluid enthalpies at the inlet,  $h_{in,c}$ , and outlet,  $h_{out,c}$ , of the condenser. Eq. (11) provides the parasitic power requirements of the cooling/condensing towers, where the parasitic load fraction, i.e. the ratio of the parasitic energy load [kW<sub>e</sub>] to the heat-rejection energy [kW<sub>th</sub>], is set to  $\lambda_p = 0.03$  (details on the parasitic load fraction can be found in Section 2 of the Supplemental Information in Adams et al., 2015),

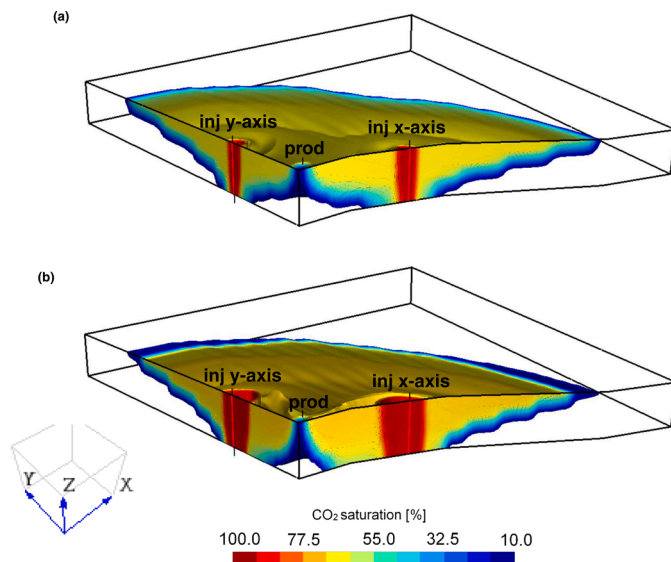
$$P_{co} = \dot{m}_G \cdot (h_{in,c} - h_{out,c}) \cdot \lambda_p. \quad (11)$$

As part of the base-case parameters used in this study, the temperature and pressure of the cooled and condensed CO<sub>2</sub> at the CO<sub>2</sub> reinjection

**Table 3**

Reservoir parameters of selected CO<sub>2</sub>-based geothermal and/or CO<sub>2</sub> storage models. Here, S is the water salinity, S<sub>r</sub> is residual saturation, m is the van Genuchten parameter, k<sub>r</sub> is relative permeability, and n is the Brooks-Corey pore-size-distribution index for the gas (G) and the liquid (L) phases. (Garapati et al., 2015; Guyant et al., 2015; Levy et al., 2018; Zhang et al., 2016; Delshad et al., 2013).

Model	T (°C)	P (MPa)	S (-)	S <sub>Lr</sub>	S <sub>Gr</sub>	van-Genuchten m	Brooks-Corey			
							k <sub>rG</sub> max	k <sub>rL</sub> max	n <sub>L</sub>	n <sub>G</sub>
Garapati et al. (2015)	100	25	0.2000	0.30	0.05	0.46				
Aquistore model (Guyant et al. (2015))	100	35	0.2500	0.40	0.10	0.70				
Levy et al. (2018)	225	22.5	0.0001	0.05	0.01	0.65				
Zhang et al. (2016)	150	35	0.1015	0.30	0.05		1.0	0.35	6.0	2.0
Cranfield model (Delshad et al., 2013)	125	32	0.1500	0.40	0.05		0.8	1.00	4.2	2.6
Base case	100	25	0.1500	0.25	0.10	0.77				



**Fig. 9.** Quarter model showing the CO<sub>2</sub> saturation in the pore space before (a) and after (b) the CPG stage. Note that the parts of the models with CO<sub>2</sub> saturations less than S<sub>G-reservoir</sub> = 0.1 have been blanked. The model is exaggerated by a factor of 2.5 along the z-axis.

wellhead is considered to be 15 °C (i.e. an approach temperature of 7 °C + an ambient temperature of 8 °C) and 5.6 MPa, respectively.

### 3. Results

#### 3.1. Calculating the CO<sub>2</sub> saturation in the production well

Determining the CO<sub>2</sub> saturation (i.e. volume fraction) in the well, S<sub>G-well</sub>, is important for the characterization of the fluid flow regime existing at the bottom of the production well at any given time. Fig. 8 shows the results of the CO<sub>2</sub> saturation in the well for the base-case model (Table 3) used for this study and five different models of published CO<sub>2</sub>-based geothermal energy extraction and/or CO<sub>2</sub> storage studies in deep aquifer systems. Their respective reservoir and fluid parameters are shown in Table 3. The density and dynamic viscosity of the brine solutions are calculated using the Haas (1976) and Phillips et al. (1981) correlations, respectively.

One can see from Fig. 8 that, owing to its low viscosity compared to brine at typical CPG reservoir conditions, the flux of CO<sub>2</sub> into the well is significantly higher than that of water when the CO<sub>2</sub> saturation in the reservoir pore space surrounding the production well inlet is greater than about 0.30 for all cases. For example, for our base case, a CO<sub>2</sub> reservoir pore-space saturation, S<sub>G-reservoir</sub>, of about 55.0% yields a CO<sub>2</sub> saturation of >98.0% in the production well.

The differences between the various cases shown in Fig. 8 stem primarily from differences in the relative permeability-saturation

constitutive relationships used in each case (van Genuchten or Brooks-Corey parameters in Table 3) and the residual water saturation values. Hence, the higher the residual water saturation and the more homogeneous the pore-size distribution in the reservoir pore space, the greater the CO<sub>2</sub> volume fraction (and mass fraction) in the well. The effect of temperature, pressure, and salinity also contribute to this effect, but to a lesser degree.

#### 3.2. Base-case simulation results

Using the base-case parameters listed in Table 1, where the injection-to-production well distance in the reservoir is 500 m, the CO<sub>2</sub> plume establishment (PE) stage lasts about four years and requires a total of 15.5 Mtons of CO<sub>2</sub> injected through the four injection wells. Fig. 9a shows the CO<sub>2</sub> gas saturation in the reservoir at the end of the PE stage.

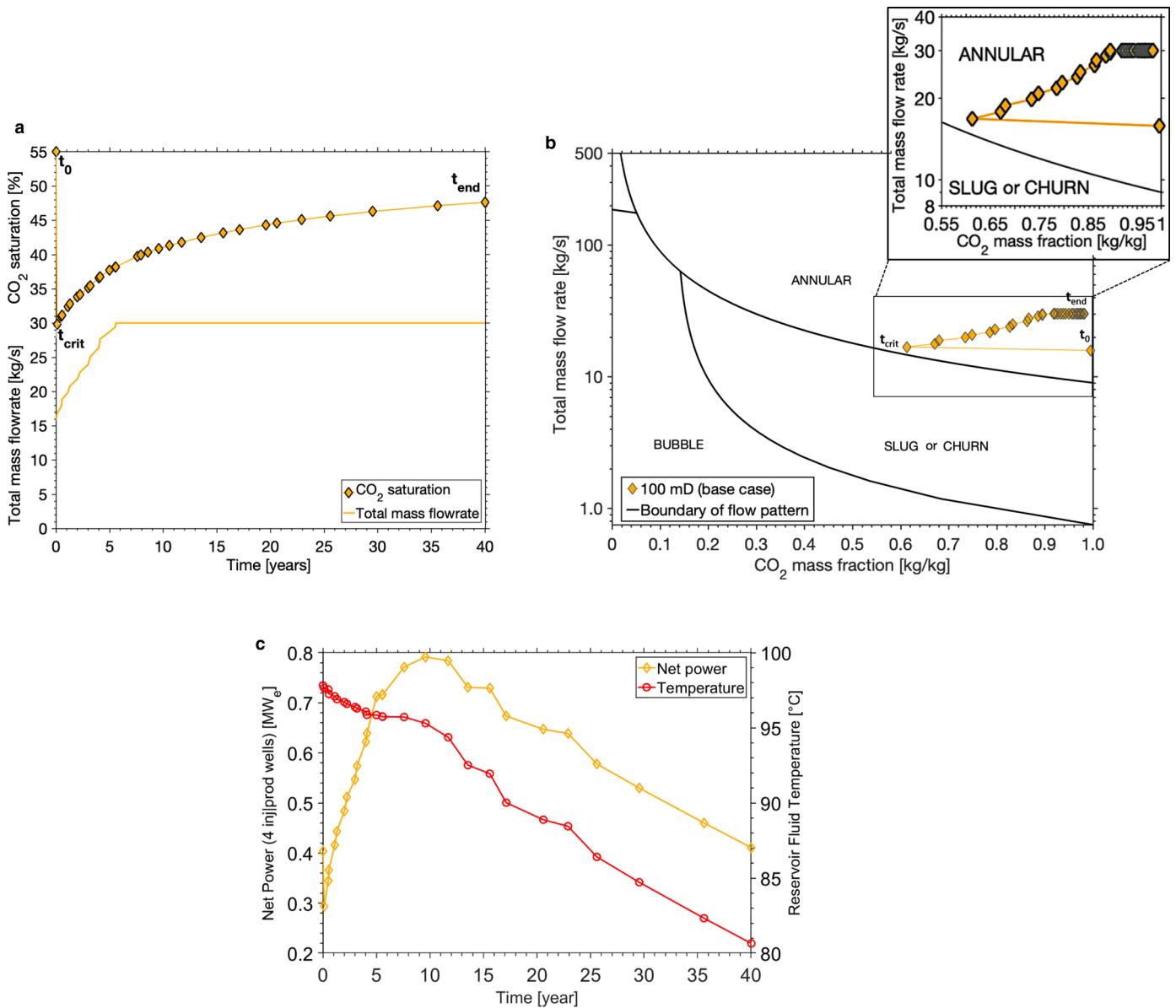
Fig. 10a shows that when the production well is opened (at time = t<sub>0</sub>), the CO<sub>2</sub> saturation around the production well decreases from 55.0% to the lowest value of 32.0% because of the water upconing effect. This time of lowest CO<sub>2</sub> saturation in the reservoir's pore space around the inlet of the production wells is referred to in this study as the critical time, t<sub>crit</sub>. Afterwards, the pore-space CO<sub>2</sub> saturations around the production well inlets begin to increase. After 40 years of fluid production, the CPG stage ends. At this point (t<sub>end</sub>), the pore-space CO<sub>2</sub> saturations around the production well inlets reach 47.5%. The CO<sub>2</sub> saturation in the reservoir at this point is shown in Fig. 9b. Fig. 10a also shows that the maximum flowrate of 30 kg/s/well is achieved after 5.5 years of CO<sub>2</sub> production. Fig. 10b shows that the mass fraction of CO<sub>2</sub> entering the production well decreases from 0.99 (at t<sub>0</sub>) to 0.61 (at t<sub>crit</sub>). It can be observed (Fig. 10b) that the conditions in the wellbore never reach the slug/churn transition line. Hence, the fluid flows in the desired annular flow regime throughout the simulated 40 years. At the end of the CPG stage, the cool CO<sub>2</sub> front has almost arrived at the location of the production well (Fig. 11).

Fig. 10c shows that the total net power generated for the base case decreases from 0.40 MW<sub>e</sub> at the start of fluid production and CO<sub>2</sub> circulation during the CPG stage to about 0.30 MW<sub>e</sub> at t<sub>crit</sub>. The net power then increases to a peak value of 0.80 MW<sub>e</sub> after 10 years. At this time, the maximum mass flowrate and a high mass/volume fraction of CO<sub>2</sub> have been achieved. The continuous decline in temperature then leads to a steady power decrease down to about 0.40 MW<sub>e</sub> at the end of fluid production (Fig. 10c). For this small-scale example problem, the average net power generated is 0.58 MW<sub>e</sub> (0.202 GWe-h in 40 years).

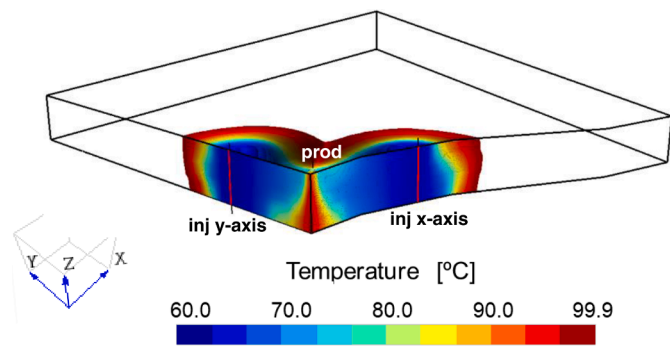
#### 3.3. Variation of operational parameters

To optimize the overall performance of the system, by minimizing the amount of water entering the production well and maximizing power output, we investigate how the system responds to changes in three operational parameters that must be chosen by the geothermal power plant operator and compare these results to those of the base case. The three operational parameters are:





**Fig. 10.** CPG simulation results for the base case. (a) Time series of the total fluid mass flowrate (per well) and changes in CO<sub>2</sub> saturation in the pore space surrounding the production well inlet,  $S_{G-reservoir}$ , (b) Bottom wellbore flow regimes, determined by the total fluid mass flowrate (per well) and CO<sub>2</sub> mass fraction in the production well. The inset figure shows an enlarged region of the plot. (c) Time series of net electric power generation and the reservoir fluid temperature, employing the 4 injection-production well pairs.



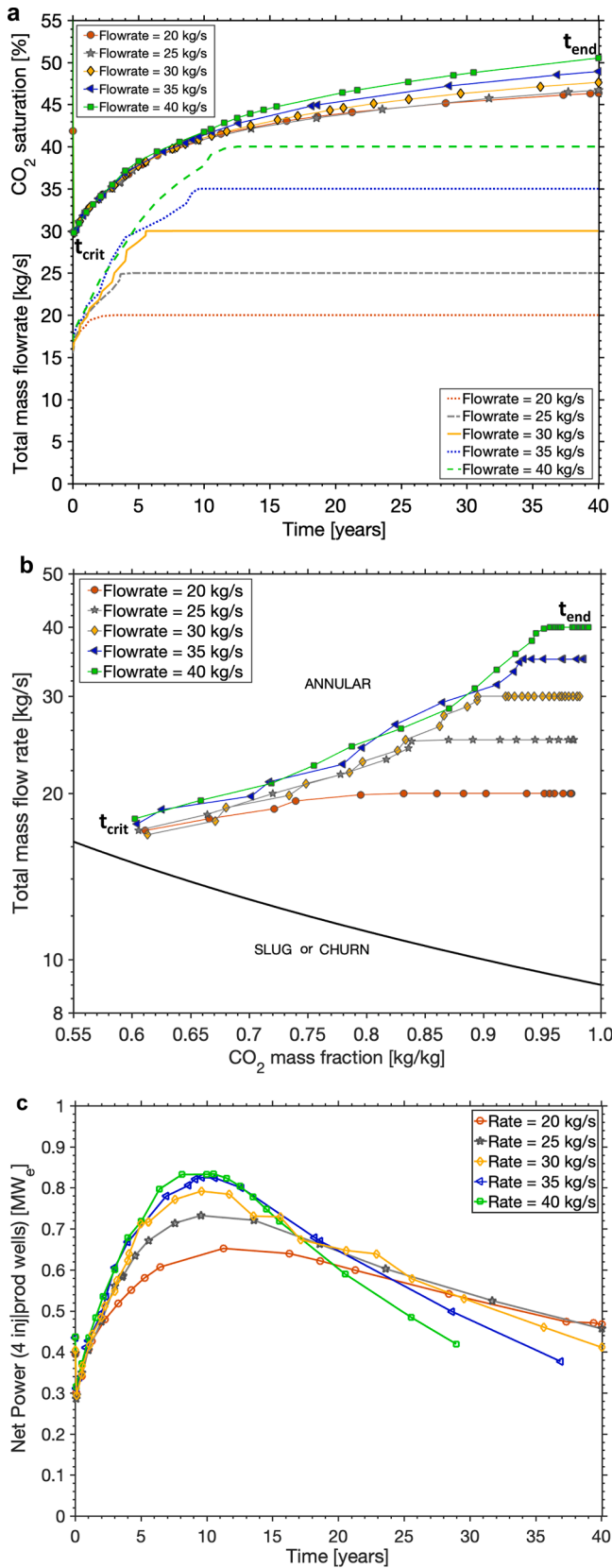
**Fig. 11.** Quarter (base case) model, showing the temperature distribution in the reservoir at the end of the CPG stage. Note that the part of the model with the temperature equal to the initial temperature of 100 °C has been blanked. The model is exaggerated by a factor of 2.5 along the z-axis.

- i Maximum fluid production rate.
- ii Admissible reservoir fluid-pressure reduction.
- iii Production well pipe diameter.

For all cases, the amount of CO<sub>2</sub> injected, and the duration of the CO<sub>2</sub> plume-establishment (PE) stage are the same as that of the base case.

### 3.3.1. Maximum fluid production rate

For the first permutation of this sensitivity analysis, the maximum circulation flowrate is varied: 20 kg/s/well, 25 kg/s/well, 30 kg/s/well (base case), 35 kg/s/well, and 40 kg/s/well. In all cases, the respective CO<sub>2</sub> injection rate is held identical to the maximum fluid production flowrate considered. Using the simplified power-to-mass-flowrate model (Fig. A1), these maximum circulation flowrates are chosen such that their estimated power outputs lie within 80.0–100.0% of the maximum. The lower two variations are lower than the estimated optimum flowrate, while the higher two flowrates are slightly higher.



**Fig. 12.** CPG simulation results for different maximum fluid production rates per well, showing (a) the time series plot of the total fluid mass flowrate and changes in CO<sub>2</sub> saturation in the pore space around the production well inlet, (b) the bottom wellbore flow regime, and (c) the time series of net electric power generation.

**Table 4**

CPG simulation results for the different operational and reservoir parameters, showing the average net electric power generated (in MW<sub>e</sub>), average net electrical energy generated (in GW<sub>e</sub>-h), the wellbore simulation end time,  $t_{end}$  (in years), where the check symbol,  $\checkmark$ , means that the simulation completed all 40 years), the CO<sub>2</sub> saturation entering the production well,  $S_{G-well}$ , at  $t_{crit}$ , when  $S_{G-well}$  is at its lowest value, the CO<sub>2</sub> mass fraction,  $M_G$ , at  $t_{crit}$ , and the mass flowrate of CO<sub>2</sub>,  $\dot{m}_G$  (in kg/s/well), at  $t_{crit}$ .

	Average net power	Average net energy	End time	$S_{G-well}$	$M_G$	$\dot{m}_G$
<b>Flowrate</b>						
20 kg/s	0.500	0.175	$\checkmark$	0.761	0.611	10.002
25 kg/s	0.536	0.188	$\checkmark$	0.757	0.606	10.139
30 kg/s	0.575	0.202	$\checkmark$	0.754	0.604	10.156
35 kg/s	0.595	0.193	37.00	0.755	0.605	10.643
40 kg/s	0.630	0.160	29.00	0.753	0.603	10.758
<b><math>\Delta P</math></b>						
3 MPa	0.524	0.184	$\checkmark$	0.802	0.680	6.832
5 MPa	0.590	0.207	$\checkmark$	0.771	0.632	8.701
7 MPa	0.575	0.202	$\checkmark$	0.754	0.604	10.156
9 MPa	0.526	0.184	$\checkmark$	0.746	0.585	12.423
<b>Well diameter</b>						
0.11 m	0.235	0.006	3.00	0.760	0.614	9.667
0.21 m	0.575	0.202	$\checkmark$	0.754	0.604	10.156
0.33 m	0.603	0.211	$\checkmark$	0.751	0.597	11.101
0.41 m	0.599	0.210	$\checkmark$	0.750	0.594	11.684
<b>Anisotropy</b>						
kh/kv = 1	0.575	0.202	$\checkmark$	0.754	0.604	10.156
kh/kv = 2	0.554	0.194	$\checkmark$	0.838	0.720	11.577
kh/kv = 4	0.589	0.106	20.60	0.905	0.824	17.127
kh/kv = 8	0.635	0.081	14.50	0.952	0.906	23.293
kh/kv = 10	0.651	0.091	16.00	0.961	0.922	27.664
<b>VG parameter</b>						
VG <sub>p</sub> = 0.65	0.490	0.172	$\checkmark$	0.768	0.624	9.571
VG <sub>p</sub> = 0.77	0.575	0.202	$\checkmark$	0.754	0.604	10.156
VG <sub>p</sub> = 0.97	0.706	0.248	$\checkmark$	0.815	0.728	15.596

Fig. 12a shows that the time required for the system to reach the prescribed maximum fluid production rate increases as the required production flowrate increases. The case with a 20 kg/s/well flowrate takes about 1.27 years, while that with a 40 kg/s/well flowrate takes up to 10.5 years to reach the required flowrate. Also, Fig. 12a shows an equal decrease in the original CO<sub>2</sub> saturation in the pore space surrounding the production well inlet of 55.0% to about 30.0% at the critical time,  $t_{crit}$ , for all flowrate cases since they all have the same pressure drawdown at the start of fluid production. Afterwards, the CO<sub>2</sub> saturation increases with time with the highest flowrate (40 kg/s/well) having the highest CO<sub>2</sub> saturation at the production well at the end of the simulation,  $t_{end}$ . This is because the CO<sub>2</sub> saturation in the reservoir increases as the CO<sub>2</sub> injection rate increases.

Note that for the sake of clarity, in Fig. 12b, we only show the results starting from the critical time,  $t_{crit}$ , to the end time,  $t_{end}$ , and do not show the results from  $t_0$ , as we did for the base case (Fig. 10b). Fig. 12b shows that, for all flowrates considered, and at the prescribed admissible pressure drawdown (7 MPa), annular flow can be maintained inside the well, i.e. liquid loading should not occur.

The power generated with time is shown in Fig. 12c. We observe that the peak net power generated increases with increasing flowrate. However, after the peak is reached, there is a steeper decline in net power with increasing flowrate. This indicates that the heat depletion rate increases as the flowrate increases. Table 4 shows that, for the

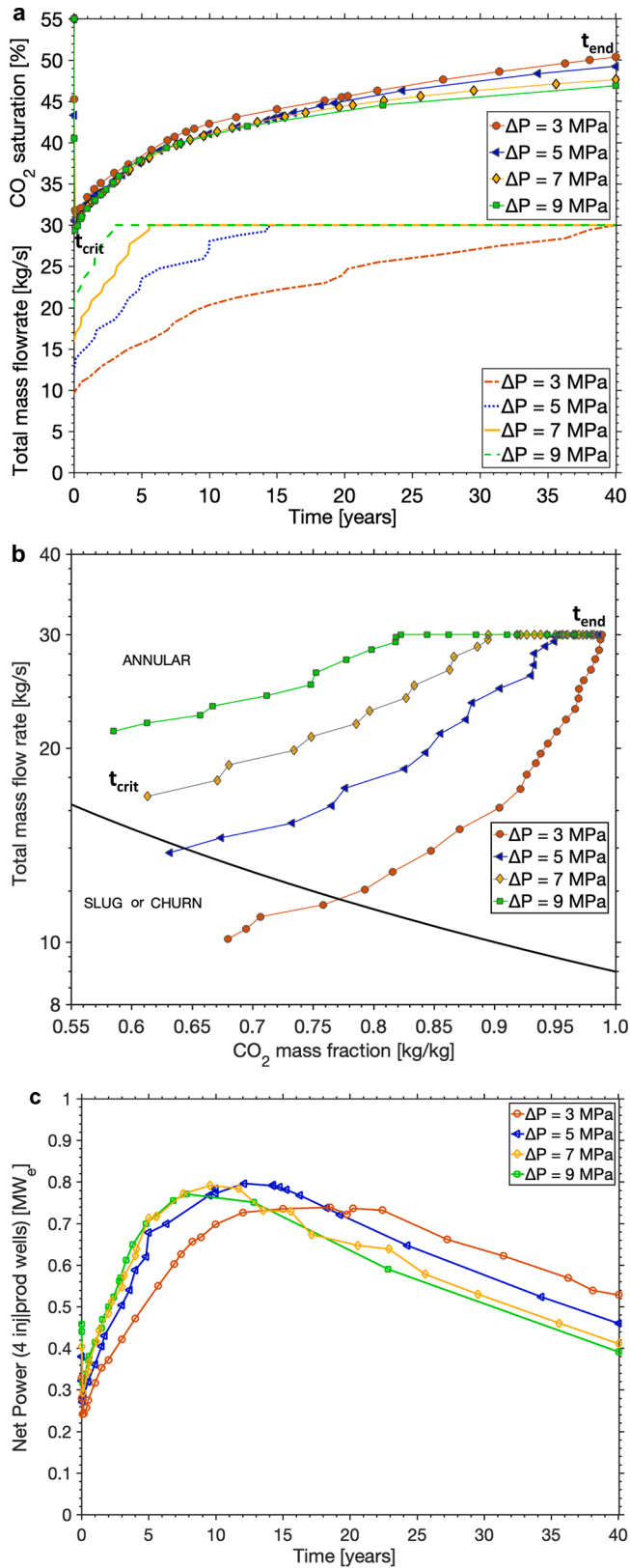


Fig. 13. CPG simulation results for different admissible pressure differences (drawdowns), showing (a) the time series plot of the total fluid mass flowrate (per well) and changes in CO<sub>2</sub> saturation in the pore space around the production well inlet, (b) the bottom wellbore flow regime, and (c) the time series of the net electric power generation.

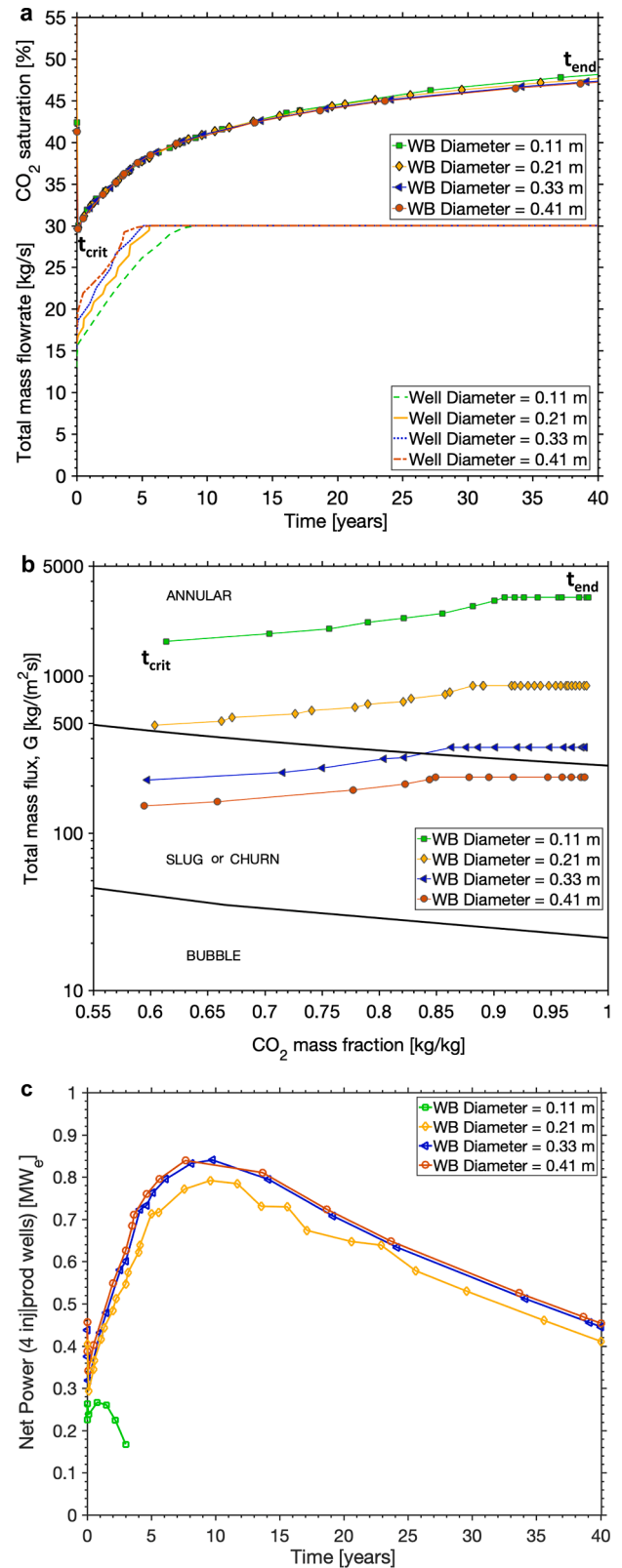
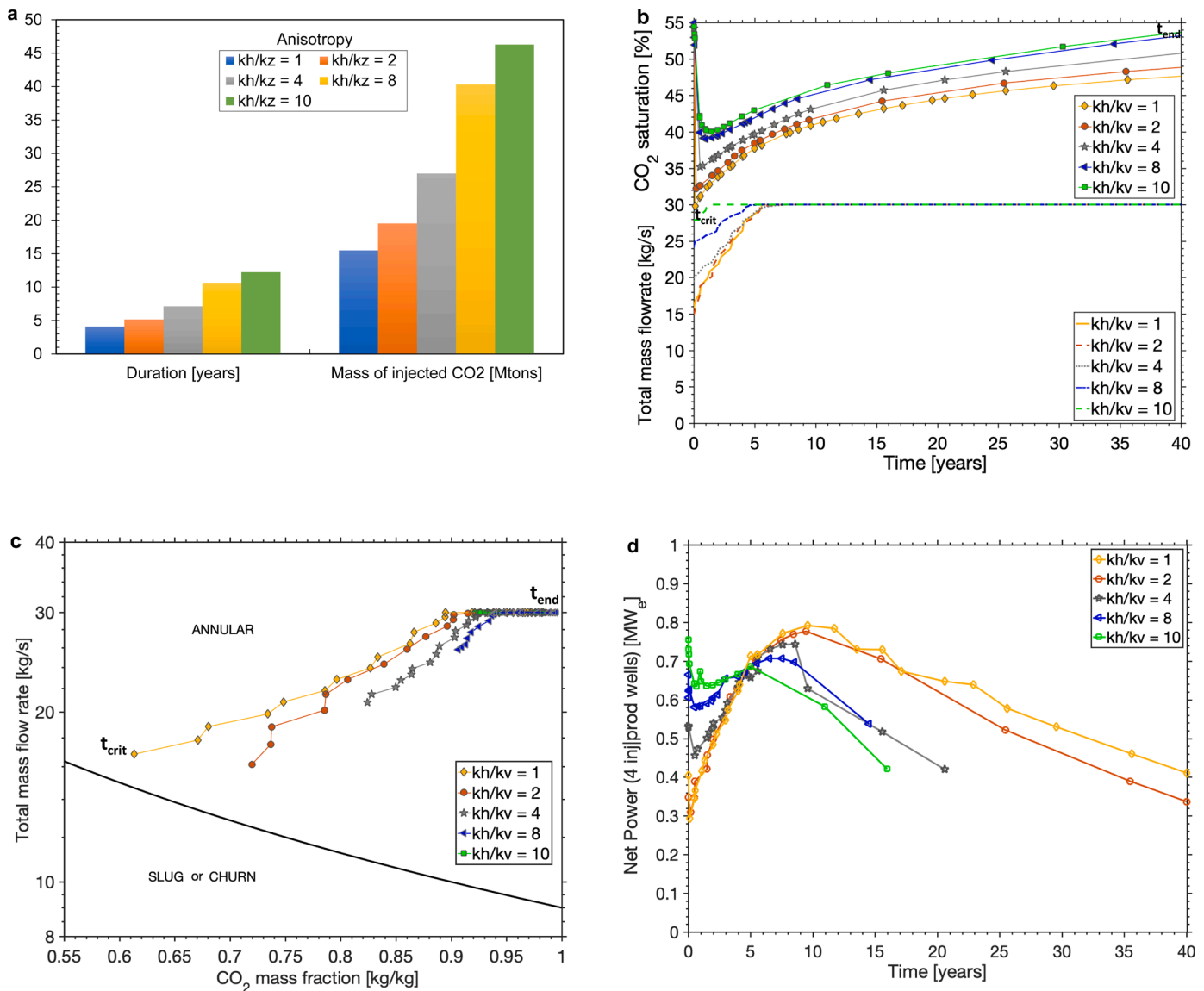


Fig. 14. Simulation results for different production well (WB) pipe diameters, showing (a) the time series plot of the total fluid mass flowrate (per well) and changes in pore-space CO<sub>2</sub> saturation around the production well inlet, (b) the bottom wellbore flow regime, determined by the total mass flux (G) and the CO<sub>2</sub> mass fraction in the production well, (c) the time series of net electric power generation.



**Fig. 15.** CPG simulation results for different reservoir anisotropies of horizontal,  $k_h$ , to vertical,  $k_v$ , permeability, showing (a) the duration and mass of  $\text{CO}_2$  injection during the  $\text{CO}_2$ -plume establishment (PE) stage, (b) time series plot of the total fluid mass flowrate (per well) and changes in  $\text{CO}_2$  saturation in the pore space around the production well inlet, (c) the bottom wellbore flow regime, and (d) time series of net electric power generation.

simulation period considered, the average net power generated increases with the flowrate, regardless of the increasing heat depletion rate. However, due to the high pressure (frictional) loss associated with high flowrates in the well pipes, there is a large pressure and temperature drop of the produced  $\text{CO}_2$  in the wellbore. At some point in time, the saturation vapor pressure of  $\text{CO}_2$  is reached (which the wellbore model cannot handle), causing the wellbore simulation to stop. At this point, we assume that  $\text{CO}_2$  can no longer be favorably produced. This is observed for the higher flowrates of 35 and 40 kg/s/well as the simulation did not reach the desired 40 years end time (Table 4). Hence, even though these two flowrates generated higher average net power than the base case, the average net energy generated is less. This indicates that there is an upper bound to the maximum flowrate when the reservoir is depleted too rapidly.

### 3.3.2. Admissible reservoir fluid-pressure reduction

The admissible reduction in reservoir fluid pressure is varied as: 3, 5, 7 (base case), and 9 MPa pressure difference,  $\Delta P$ , between the lowest pressure in the reservoir and the initial pressure. In a real-field application, this value will have to be chosen so as not to damage the caprock.

Acceptable values depend on the structural setting and the caprock type. Fig. 13a shows that the total fluid ( $\text{CO}_2$  and water) mass flowrate increases faster as the pressure difference increases. The case of 9 MPa pressure difference achieves the maximum flowrate of 30 kg/s/well in 2.8 years, compared to the base case pressure difference (7 MPa) example, which takes 5.5 years. For a pressure difference of 3 MPa, the total fluid mass flowrate of 30 kg/s/well is not reached in 40 years. This implies that  $\text{CO}_2$  additions are required during  $\text{CO}_2$  injection throughout the 40-year CPG operation in this case. The  $\text{CO}_2$  saturation in the pore space around the production well inlet decreases more strongly with increasing fluid-pressure difference (Fig. 13a).

There are two opposing effects here: lower admissible reservoir pressure reductions lead to less water production but also lead to low initial flowrates in the production well (decreasing the likelihood for annular flow to occur). The flowrates achieved in the well at early times for both the 3 MPa and 5 MPa cases are lower than the critical flowrate needed to maintain annular flow (Fig. 13b). Greater admissible reservoir pressure reductions tend to draw in more water into the production well, but also result in high flowrates in the production well, necessary to transport the water droplets up and out of the well (Fig. 13b).



The power generation results in Fig. 13c show that the heat depletion rate increases with  $\Delta P$ . For the two cases that achieved annular flow all through the 40-year simulations, Table 4 shows that the average net power output and energy generated for the base case  $\Delta P = 7$  MPa are higher than that of  $\Delta P = 9$  MPa. Furthermore, an upper limit of the admissible reservoir pressure reduction typically exists, which results from considerations concerning caprock integrity (Vialle et al., 2019).

### 3.3.3. Production well pipe diameter

Large production well pipe diameters promote high fluid flowrates and low heat losses to the surrounding rock formation during fluid ascent. However, small pipe diameters result in higher CO<sub>2</sub> superficial velocities for a given flowrate, necessary to avoid the slug/churn flow regime in the production well. The production well pipe diameter is therefore an important optimization parameter for CPG systems. Hence, we vary the production well pipe diameter, taking on the values of 0.11 m, 0.21 m (base case), 0.33 m, and 0.41 m, which closely match the well pipe diameter values used in Adams et al., 2015.

The achieved wellbore flowrate slightly increases with increasing well pipe diameter (Fig. 14a). The well diameter of 0.11 m takes about an additional 3.5 years to reach the 30 kg/s/well flowrate, compared to the well diameter of 0.41 m. The CO<sub>2</sub> saturation profile over time is almost the same for all cases considered. The larger well pipe diameters (0.33 m and 0.41 m) cause flow that is partially or fully in the slug/churn flow regime (Fig. 14b). Note that in Fig. 14b, as opposed to the previous cases, the total mass flux,  $G$  (i.e. the total mass flowrate divided by the wellbore cross-sectional area), is plotted as a function of CO<sub>2</sub> mass fraction. The flow pattern transition lines change with varying well diameter, and to maintain a unique boundary transition line, the total mass flux is used here. Fig. 14b shows that  $G$  needs to be above about 500 kg/s/m<sup>2</sup> to start and stay in the annular flow regime. Fig. 14b also shows that, as the total mass flowrate increases, the plot for the well pipe diameter of 0.33 m moves from the slug/churn flow regime into the annular flow regime. However, throughout the 40 years of CPG simulation time, the largest well pipe diameter case does not reach the critical flowrate needed to achieve annular flow even at the maximum total mass flowrate.

Fig. 14c shows that the power generated by the smallest well pipe diameter of 0.11 m decreases drastically from 0.26 MW<sub>e</sub> until the simulation terminates at 0.17 MW<sub>e</sub> after only 3 years. This is because of the high pressure and heat losses encountered in the small-diameter production well, with relatively high flowrates. Due to this large pressure and temperature drop of the produced CO<sub>2</sub>, the saturation vapor pressure of CO<sub>2</sub> is reached (and out of range for the wellbore model thermophysical properties). The other three well pipe diameters result in very similar power output curves.

## 3.4. Variation of reservoir parameters

In this section, we carry out numerical simulations to investigate the influence of two key reservoir parameters (permeability anisotropy and relative permeability) on the flow regime in the production well and on electric power generation. For all simulations, except for the respective parameters considered, the reservoir and fluid parameters are the same as in the base case (Table 1).

Varying these reservoir characteristics changes the amount of time needed to complete the CO<sub>2</sub> plume establishment stage. Hence, for the PE stage, we present the various simulation results in terms of the duration of the PE stage and the mass of CO<sub>2</sub> injected. The results serve as the initial conditions for the simulation of the CPG stage for the different cases described in this paper.

### 3.4.1. Reservoir-permeability anisotropy

Permeability anisotropy is implemented here by reducing the value of the vertical permeability,  $k_v$ , while keeping the horizontal permeability,  $k_h$ , constant at 100 mD. This way, we stay as close as possible to

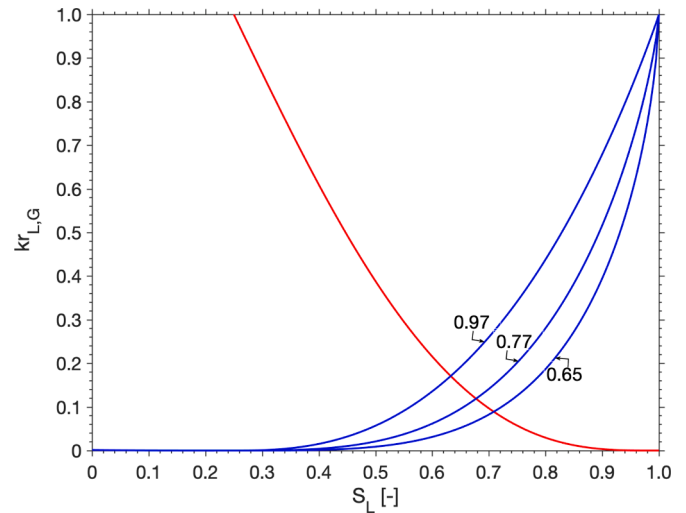


Fig. 16. Relative permeability-liquid saturation curves for different van Genuchten (VG) parameters. The supercritical/gaseous CO<sub>2</sub> relative permeability curve (red line) is the same for all VG parameters.

the base case, and the variations here focus on the importance of vertical flow.

As shown in Fig. 15a, the duration of the PE stage and the mass of injected CO<sub>2</sub> required to reach a CO<sub>2</sub> saturation of 55.0% in the pore space around the production well inlet increase as the anisotropy of the reservoir permeability increases. Fig. 15b shows that the drop in the CO<sub>2</sub> saturation around the production well (due to fluid-pressure drawdown) decreases with increasing permeability anisotropy (for  $k_v < k_h$ ). This is mainly because, due to the lower vertical permeability, water upconing to the well perforation (at the top of the reservoir) is reduced. Accordingly, the maximum flowrate is more readily achieved at higher CO<sub>2</sub> saturations. These factors favor an annular flow regime (Fig. 15c). However, from a power-generation perspective, higher permeability anisotropies lead to higher heat depletion rates, lower peaks in power generation, and a sharp decrease in power generation with time (Fig. 15d), requiring re-optimizing the flowrate.

### 3.4.2. Relative permeability

Here, we vary the van Genuchten (VG) parameter,  $m$ , between 0.65 and 0.97. This corresponds to mildly heterogeneous (0.65) to highly homogeneous (0.97) pore-size distributions (compare with values in Ghezzehei et al., 2007). For comparison, Barea sandstone, which is considered a very homogeneous rock, has a van Genuchten parameter of 0.89, as reported in Ghezzehei et al., 2007. Fig. 16 shows relative permeability versus water saturation curves for the different VG parameters considered in this study. The CO<sub>2</sub> relative permeability remains the same for all values of  $m$ .

Fig. 17a shows that it takes longer, and that a larger mass of injected CO<sub>2</sub> is required, for low values of the VG parameter (0.65) to reach a CO<sub>2</sub> saturation of 55.0% in the pore space around the production well inlet. Fig. 17b shows that the decrease in CO<sub>2</sub> saturation is similar for all cases. At lower  $m$ , the water relative permeability is very low (for a CO<sub>2</sub> saturation of 55.0%), as shown in Fig. 16, and the water phase is almost immobile, which means that the water hardly flows into production well. Fig. 17c shows that all cases achieved annular flow conditions in the production well, with the case of  $m = 0.97$  having the highest CO<sub>2</sub> mass fraction and flowrate at  $t_{crit}$ .

The net power generation results presented in Fig. 17d show that the net power peaks at an earlier time and the average net power output (Table 4) increases as the value of the VG parameter increases.

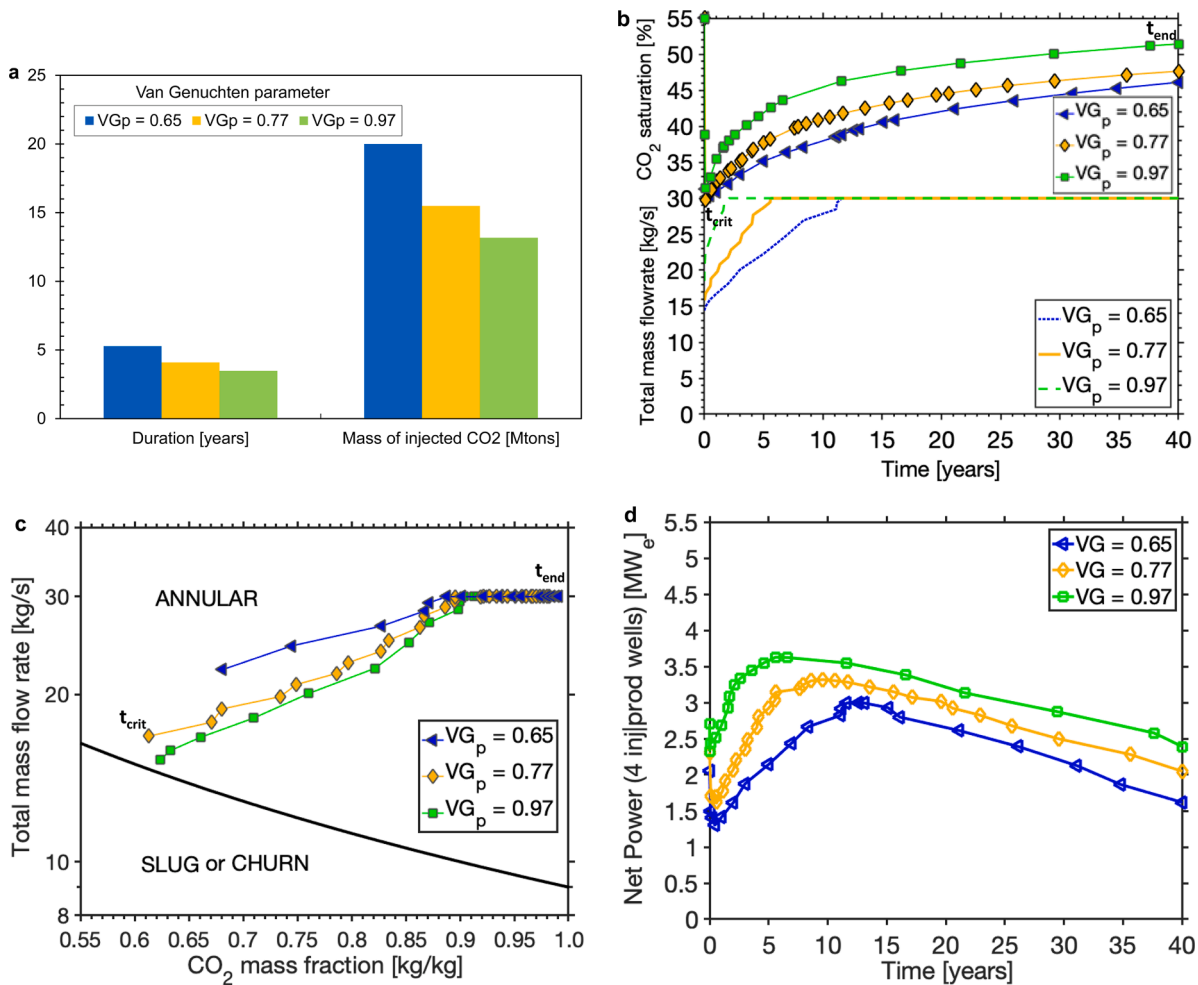


Fig. 17. CPG simulation results for different van Genuchten relative permeability parameters, showing (a) the duration and mass of CO<sub>2</sub> injected during the CO<sub>2</sub>-plume establishment (PE) stage, (b) time series plot of the total mass flowrate (per well) and changes in CO<sub>2</sub> saturation in the pore space around the production well inlet, (c) bottom wellbore flow regime, and (d) time series of net electric power generation.

### 3.5. Minimum superficial CO<sub>2</sub> velocity as a design parameter

To design a CPG system that avoids water accumulation, and thus maintains annular flow, in the production well, the velocity of CO<sub>2</sub> in the production well must be higher than the minimum superficial CO<sub>2</sub> velocity, calculated with Turner’s model (Turner et al., 1969). This is incorporated in the flow-regime equations of Taitel et al. (1980) and indicated as Line C in Fig. 4. To determine how this minimum value changes with reservoir depth, for a CPG system, we plot the minimum superficial CO<sub>2</sub> velocity with depth (800–3400 m) in Fig. 18a. We apply an approximately standard continental-crust geothermal temperature gradient of 37 °C/km and assume a constant salt mass fraction of 0.15 in the water at all depths, which can be used to calculate the density of brine (Haas, 1976) and the fluid pressure gradient at the various depths considered. For the range of pressures and temperatures considered at these depths, the interfacial tension of the CO<sub>2</sub>-water system is determined using the empirical exponential equation described by Bachu and Bennion (2009). Fig. 18a shows that the minimum superficial CO<sub>2</sub> velocity, for the described CPG system, is around 0.44 – 0.46 m/s if the depth is greater than 1500 m and between 0.46 and 0.70 m/s for depths between 1500 m and 800 m.

A more practical design parameter than the superficial CO<sub>2</sub> velocity is the bulk velocity of the fluids in the well, i.e. the sum of the superficial velocities of water and CO<sub>2</sub>. The minimum bulk velocity necessary to maintain annular CO<sub>2</sub> flow in the borehole depends on the composition of the fluids in the borehole. For a given volume fraction (saturation) of

CO<sub>2</sub> in the production well, the minimum bulk velocity,  $U_{total}$ , can be calculated from the minimum CO<sub>2</sub> superficial velocity by

$$U_{total} = U_{S,G} / S_{G-well}. \tag{12}$$

Fig. 18b shows the ratio of bulk velocity,  $U_{total}$ , to the superficial CO<sub>2</sub> velocity,  $U_{S,G}$ , for CO<sub>2</sub> saturations in the production well,  $S_{G-well}$ , ranging from 0.5 to 1. For example, when  $S_{G-well} = 0.5$ , the figure indicates that the minimum bulk velocity required in the borehole to maintain annular fluid flow is 0.9 m/s for depths greater than 1500 m and between 0.9 m/s and 1.4 m/s for shallower depths, ranging from 1500 m to 800 m. Irrespective of the value of  $S_{G-well}$ , the minimum CO<sub>2</sub> superficial velocity as shown in Fig. 18a should be achieved in order to ensure annular flow.

### 3.6. Application to the Cranfield CO<sub>2</sub>-based geothermal field experiment

We can apply the findings of this study to gain insights into the problems with liquid water in the production well, postulated as one of the factors that led to the failure of the Cranfield (Mississippi, USA) CO<sub>2</sub> thermosiphon-alone circulation field test (Adams et al., 2021a). However, as in the Introduction section, we emphasize that a thermosiphon is not necessary for successful CPG operations, as also stated by Adams et al. (2021a) in the conclusions: “A self-sustaining thermosiphon is not necessary for the successful operation of a CO<sub>2</sub>-based geothermal system. In the event of water accumulation in the production well, the system may be pumped to circulate the hot geologic fluid to the surface,

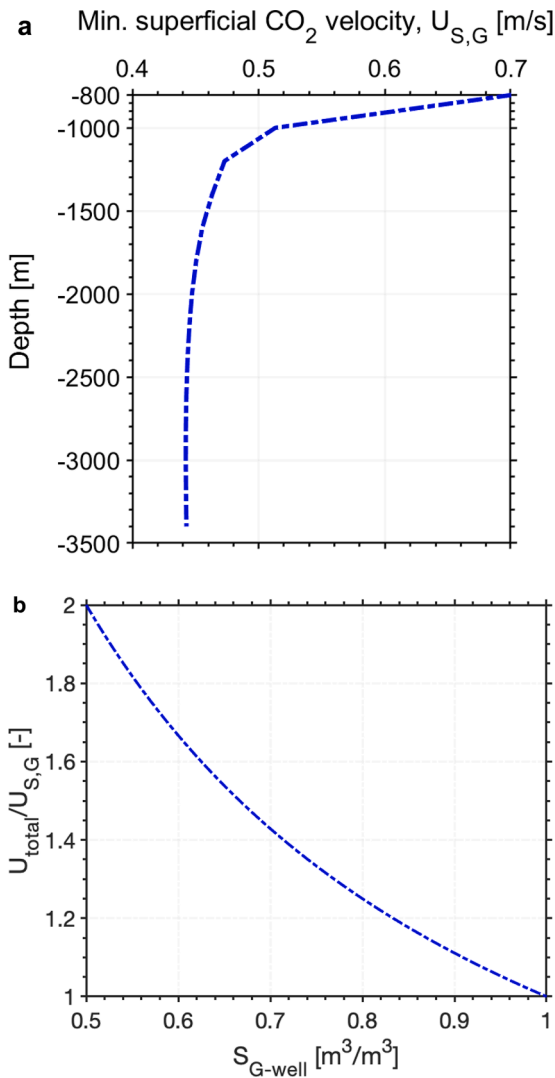


Fig. 18. (a) Variation of the minimum superficial CO<sub>2</sub> velocity with depth for a CPG system with a geothermal temperature gradient of 37 °C/km and a dissolved salt mass fraction in the water phase of 0.15. (b) Variation of the ratio of bulk velocity,  $U_{total}$ , to the superficial CO<sub>2</sub> velocity,  $U_{S,G}$ , as a function of the CO<sub>2</sub> saturation in the production well,  $S_{G-well}$ .

just like a water-based geothermal system.” Apart from the factors (i.e. homogeneous reservoir with no clay lens, relatively high reservoir temperature, well-tubing insulation, smooth pipe with low flow resistance) discussed by Pan et al. (2018) necessary to sustain the thermosiphon at the Cranfield field test, it is also important to optimize the production fluid flowrate. During the field test, the maximum flowrate achieved by venting the production well was 2.1 kg/s during Venting #3 (Freifeld et al., 2016). However, using Cranfield’s reservoir and fluid properties (presented in Table 3) and the production wellbore diameter of 0.14 m used at the Cranfield site (see Freifeld et al., 2016 and Pan et al., 2018 for more details), we calculate that a minimum mass flowrate of 3.95 kg/s (i.e. with a minimum superficial CO<sub>2</sub> velocity of 0.43 m/s) is required to achieve annular flow in the wellbore that would sustain a thermosiphon (Fig. 19).

The minimum mass flow rate required to achieve annular flow increases as the mass fraction of water in the well increases (Fig. 19). From this point of view, the low mass flowrate achieved (i.e. a maximum of

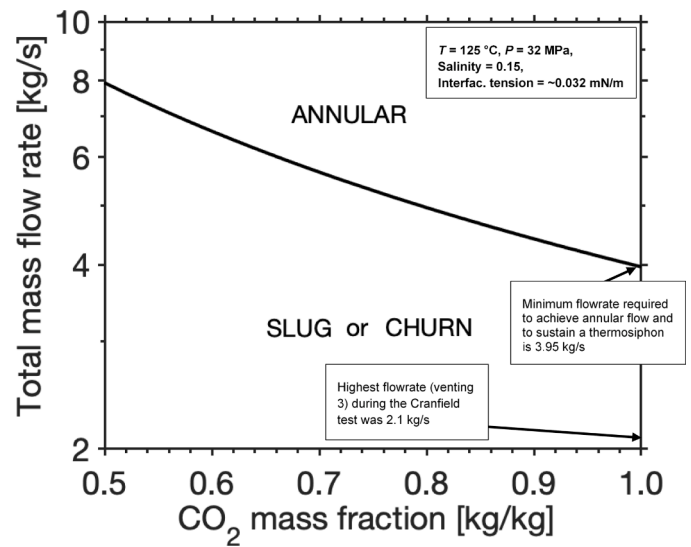


Fig. 19. The production well flow regime for the Cranfield CO<sub>2</sub> circulation test in the USA, as a function of total fluid mass flowrate and CO<sub>2</sub> mass fraction. The minimum flowrate required to achieve annular flow in the wellbore that would sustain a thermosiphon is 3.95 kg/s. The highest total mass flowrate actually achieved during the Cranfield CO<sub>2</sub> circulation test was only 2.1 kg/s (Freifeld et al., 2016).

2.1 kg/s) during the Cranfield test is not enough to prevent water accumulation in the production well over time (liquid loading). Almost twice that maximum flowrate of 2.1 kg/s would have been necessary to ensure any entrained water is lifted out of the production well, achieving annular flow and supporting the CO<sub>2</sub> thermosiphon that was being tested at the Cranfield site.

#### 4. Discussion

The coupling of the reservoir, production wellbore, and power systems makes it possible to optimize the production flowrate in such a way as to ensure annular flow in the production well without unduly compromising CPG power output. The base-case results show that the largest water production occurs at the start of the CPG stage and may lead to slug/churn flow at this early time. Slug/churn flow in the production well causes pressure fluctuations, undermines CO<sub>2</sub> circulation and the thermosiphon, and leads to a higher fluid density in the production well. Thus, a CO<sub>2</sub> pump or compressor at the CO<sub>2</sub> injection wellhead may be necessary to maintain the required production well fluid flowrate at the beginning of CPG operations. The operational parameters should be optimized for the given reservoir characteristics to achieve an annular-regime flowrate and maximize a combination of power output and lifetime of the geothermal system. From the cases studied here, the following inferences can be drawn:

- For a fixed fluid mass flowrate or downhole pressure difference, CO<sub>2</sub> velocities decrease with increasing well pipe diameter. This can lead to slug/churn flow in the production well. However, small well pipe diameters yield high fluid pressure and heat losses, which results in lower power generation. Hence, to optimize the system, a production well pipe diameter that can achieve annular flow, while minimizing pressure and heat losses in the production well, is sought. In our study, a production well pipe diameter of 0.21 m results in an optimal fluid flowrate, compared to pipe diameters of 0.11 m, 0.33

m, and 0.41 m. This highlights that the optimization of well pipe diameters should be considered when designing CPG systems.

- When varying admissible reservoir fluid-pressure reductions, our results show that there is a tradeoff between high fluid flowrates and water entering the production well. This tradeoff should be accounted for when determining the optimal flowrate for a CPG system. Relatively high reservoir fluid-pressure reductions lead to high flowrates and hence higher amounts of water entering the production well. However, high total fluid flowrates could be high enough to carry the water out of the well. In addition, higher flowrates lead to faster rates of heat depletion of the reservoir. Finally, the reservoir can only support flowrates that do not cause reservoir pressure drawdowns that could compromise the structural integrity of the caprock.
- Our reservoir parameter sensitivity analysis shows that lower vertical permeabilities (i.e. higher permeability anisotropies) lead to a reduced water upconing effect, meaning that less water is drawn into the production well through its screen. Higher permeability anisotropies also reduce the heat sweep of the plume, decreasing the CPG power plant lifetime. The reservoir-parameter sensitivity analysis also shows that the shapes of the relative permeability curves considerably affect the relative amounts of CO<sub>2</sub> and water entering the production well. Therefore, precise measurements of relative permeability curves for the specific reservoir formation in question are important to improve predictions of CPG performance, particularly at the beginning of the operation (fluid production), when the system is most prone to water entering the production well.

Any produced water needs to be removed from the produced CO<sub>2</sub> stream before CO<sub>2</sub> reinjection into the CPG reservoir, as otherwise the CO<sub>2</sub> injectivity into the geologic reservoir is likely significantly compromised (Garapati et al., 2015).

### 5. Conclusions

This study highlights the importance of properly designing CO<sub>2</sub>-Plume Geothermal (CPG) systems by optimizing the fluid production flowrate to minimize the amount of water entering the production well and maintain annular flow in the production well, while maximizing power generation. We employ a numerical modeling approach that couples the reservoir processes with the well and power plant systems. Using this model, we conduct a flow pattern transition study to determine the flow regime in the CPG production well for a CO<sub>2</sub>-brine system for different total fluid mass flowrates and corresponding CO<sub>2</sub> mass fractions. Our findings are as follows:

- 1) To achieve annular flow in the production well, the required minimum superficial CO<sub>2</sub> velocity is approximately 0.44 – 0.46 m/s if the reservoir depth is greater than 1500 m and between 0.46 and 0.70 m/s for shallower reservoir depths between 1500 m and 800 m. Hence, using these values for a given reservoir depth, the minimum flowrate necessary to achieve annular flow in the production well can generally be estimated.
- 2) We provide insights into one of the reasons why the CO<sub>2</sub> thermosiphon test at the Cranfield site (USA) was unsuccessful. Using the reservoir properties and well pipe diameter at the Cranfield site, our results show that the minimum CO<sub>2</sub> flowrate, required to achieve annular flow in the production well, is about twice as high as the actual maximum flowrate achieved during the venting stages of the Cranfield test.
- 3) The results of the operational parameter sensitivity study show that the admissible reservoir fluid pressure drawdown is an important limiting factor for achieving the fluid flowrate in the CPG production well necessary to avoid water accumulation. In addition, the well diameter can be optimized so as to obtain a high CO<sub>2</sub> velocity but low heat and pressure losses in the well.

- 4) The results of the reservoir parameter sensitivity study show that higher permeability anisotropies tend to reduce the upconing of water to the production well. In addition, relative permeability curves strongly influence the water influx into the production well and the power generation.

### CRedit authorship contribution statement

**Justin Ezekiel:** Methodology, Software, Formal analysis, Investigation, Writing – original draft, Writing – review & editing. **Benjamin M. Adams:** Methodology, Software, Validation, Writing – review & editing. **Martin O. Saar:** Resources, Validation, Writing – review & editing, Supervision. **Anozie Ebigo:** Conceptualization, Methodology, Software, Formal analysis, Validation, Investigation, Writing – review & editing, Supervision.

### Declaration of Competing Interest

The authors declare no conflict of interest.

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### Appendix

#### Power-to-mass-flowrate model

Depending on the mass flowrate, the power generated by a CPG system varies significantly (Adams et al., 2015). It can reduce from the optimum or even become negative. Fig. A1 shows the power generated, using well diameters of 0.11 m, 0.21 m (base case), and 0.33 m, as total CO<sub>2</sub> circulating mass flowrate increases. The CPG power generation

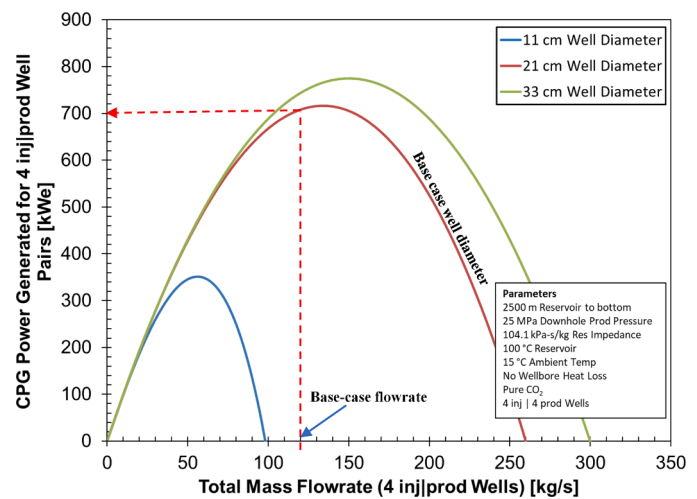


Fig. A1. An example illustrating the CPG power generated by 4 injection-production well pairs at varying total mass flowrates for 3 different wellbore diameters. Heat loss in the wellbore is not considered in this calculation.



calculation was carried out identically to Adams et al. (2015) for a 2.5 km deep reservoir, with the exception of the reservoir impedance, which is 104.2 kPa-s/kg here, and 8 wells were considered instead of the 5 wells in a 5-spot well model. Wellbore heat transfer is not considered in this semi-analytic CPG power generation calculation. This figure is used to choose the base-case total mass flowrate of 120 kg/s for the four injection and production well pairs.

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